



Art  
All

# CST8152 Compilers

**Algonquin College**

Computer Engineering  
Technology

# CST8152 Compilers

**Fall, 2023**



Art  
All

Based on resources developed  
by prof. **Svillen Ranev**.

**Prof. Paulo Sousa**



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**Art  
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**Revision**

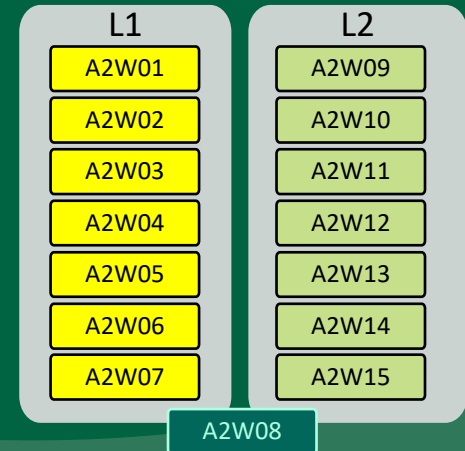


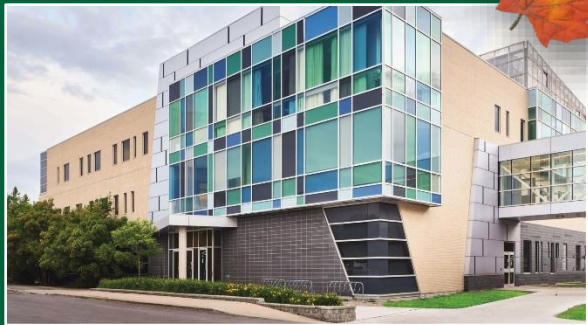
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# Art AI: Inside Compilers

- *General View*
- *Hybrid Compilation*

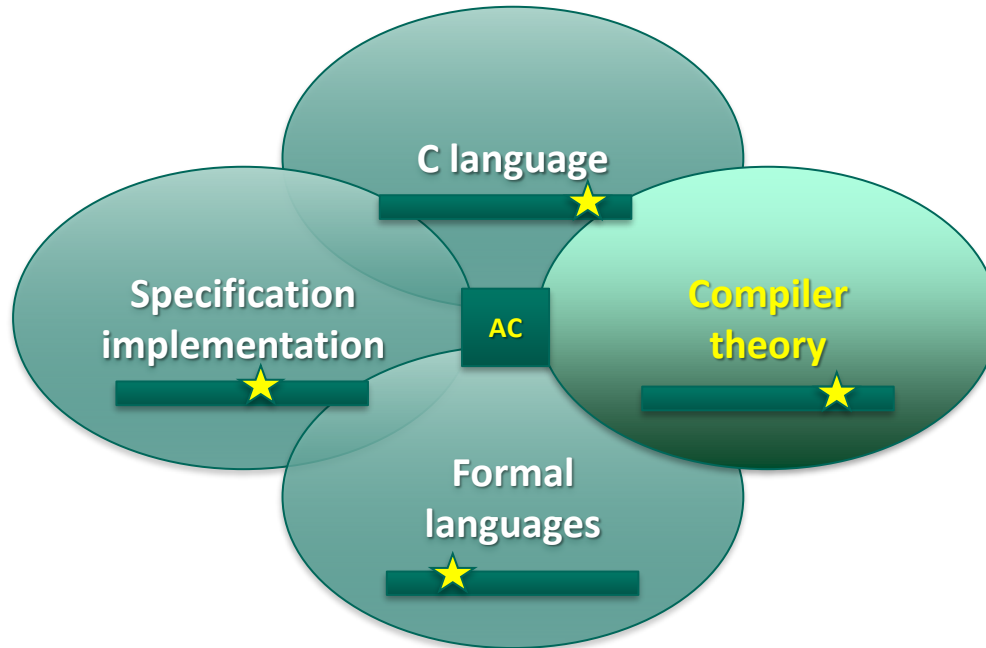




Compilers – Lect. All

# General View

# Let's start...



# 1.1. Initial Concepts

- A **Compiler** is a program that runs on some computer architecture under some operating system and transforms (**translates**) an **input** program (source program) written in some programming language into an **output** program (target program) expressed in different programming language.
- A **Programming Language** is a **notational system** for describing computations in machine-readable and human-readable form.



Source: <https://towardsdatascience.com/top-10-in-demand-programming-languages-to-learn-in-2020>

# 1.1. Initial Concepts

- **Computation** in general is any process that can be carried by a computer. Programming Languages must provide two types of abstractions:
  - **Data abstractions** and
  - **Control abstractions.**

**Note:**

- Niklaus Wirth (Pascal language creator) defined a Programming language as: **Data structures + Algorithms.**
- Decades after, **OO** defined entities as composed by **properties** and **methods.**



**Source:** <https://towardsdatascience.com/top-10-in-demand-programming-languages-to-learn-in-2020>



## 1.4. DSL (Domain Specific Languages)

### Definition:

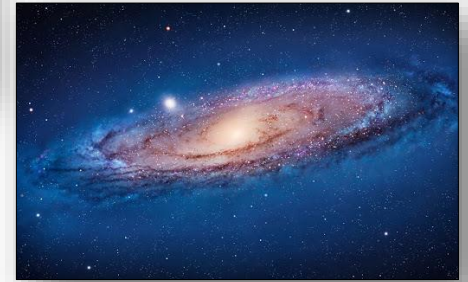
A **domain-specific language** (DSL) is a computer language specialized to a particular application domain.

- **Note:**

- This is in contrast to a general-purpose language (GPL), which is broadly applicable across domains.

- **Design Goals:**

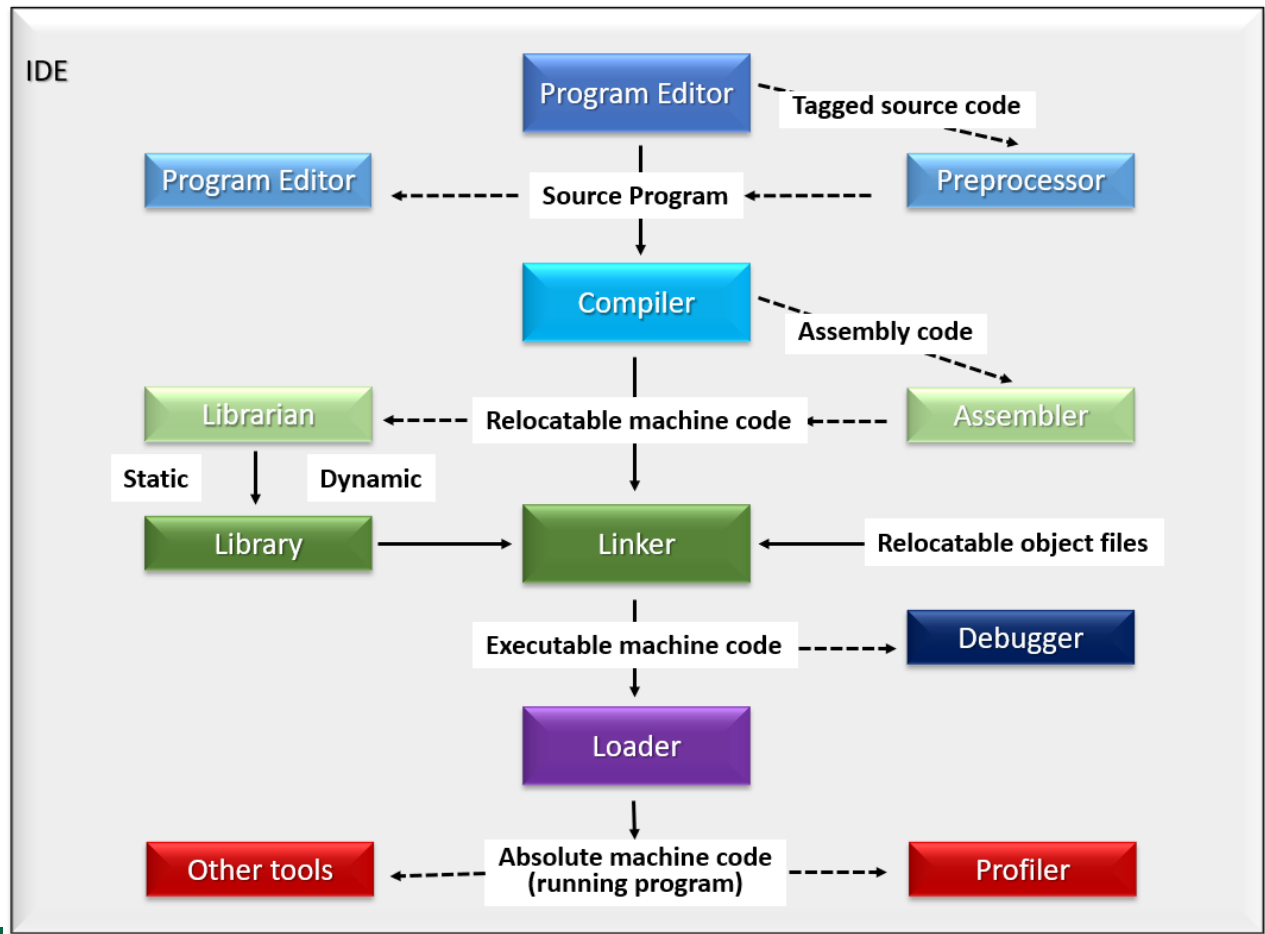
- Domain-specific languages are **less comprehensive**.
- Domain-specific languages are **much more expressive** in their domain.
- Domain-specific languages should exhibit **minimal redundancy**.



### Examples:

OS Shells, Wiki environments, OpenGL, Markup Languages...

## 4.1 - Review



# Resume

## SINGLE PASS COMPILER VERSUS MULTIPASS COMPILER

### SINGLE PASS COMPILER

A type of compiler that passes through the parts of each compilation unit only once, immediately translating each code section into its final machine code

Faster than multipass compiler

Called a narrow compiler

Has a limited scope

### MULTIPASS COMPILER

A type of compiler that processes the source code or abstract syntax tree of a program several times

Slower as each pass reads and writes an intermediate file

Called a wide compiler

Has a great scope

There is no code optimization

There is no intermediate code generation

Takes a minimum time to compile

Memory consumption is lower

Used to implement programming languages such as Pascal

There is code optimization

There is intermediate code generation

Takes some time to compile

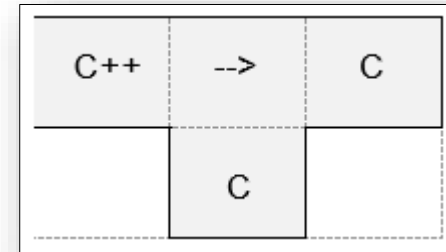
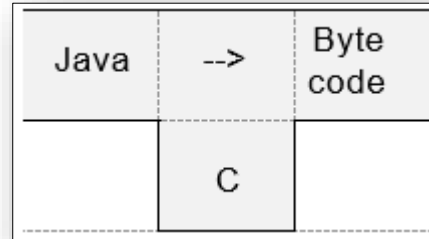
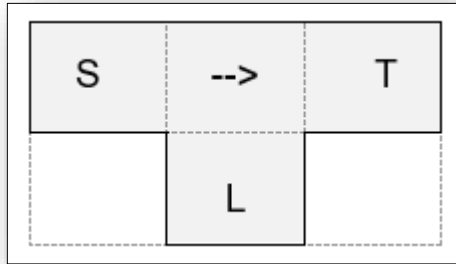
Memory consumption is higher

Used to implement programming languages such as Java

Visit [www.PEDIAA.com](http://www.PEDIAA.com)

# Current Development

- Diagrams:



- Translators (Compilers).** T-shaped (T-shirt) tombstone represents translators (compilers).

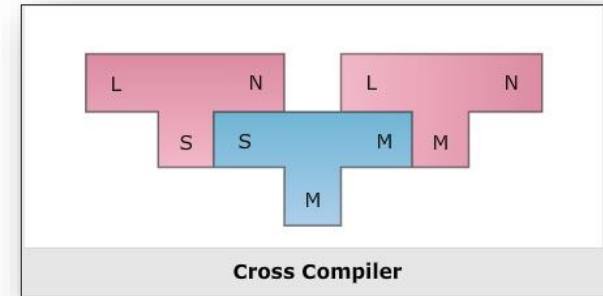


# Bootstrapping (1)

## Bootstrapping:

When a compiler is written using the **same language** the compiler is supposed to compile from

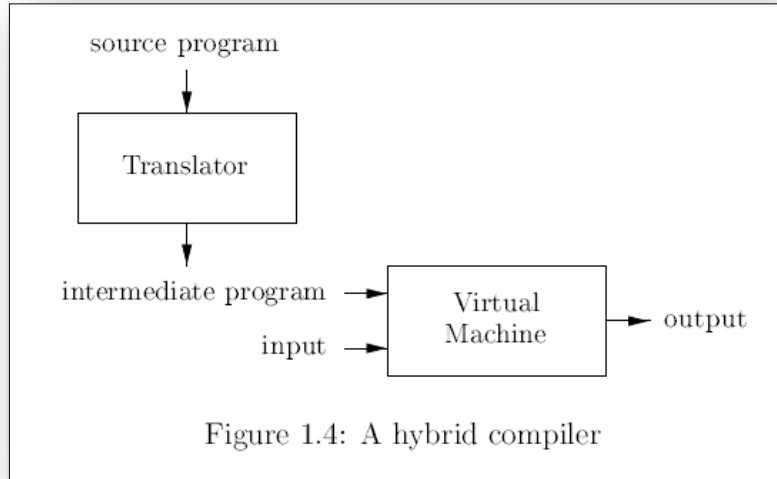
- **Half bootstrapping:** If a compiler for the language already exist but we want to write a compiler for a different machine using the same language the compiler compiles;
- **Full bootstrapping:** If the compiler is written from the scratch.



# Hybrid Compilation

Example:

- Hybrid compilation is very well used. The general scheme is shown here:



- Java Code:

```
public class HelloWorld {  
    public static void main(String[] args) {  
        System.out.println("Hello World!");  
    }  
}
```



## 4.1 - Review



## 2.3. General View

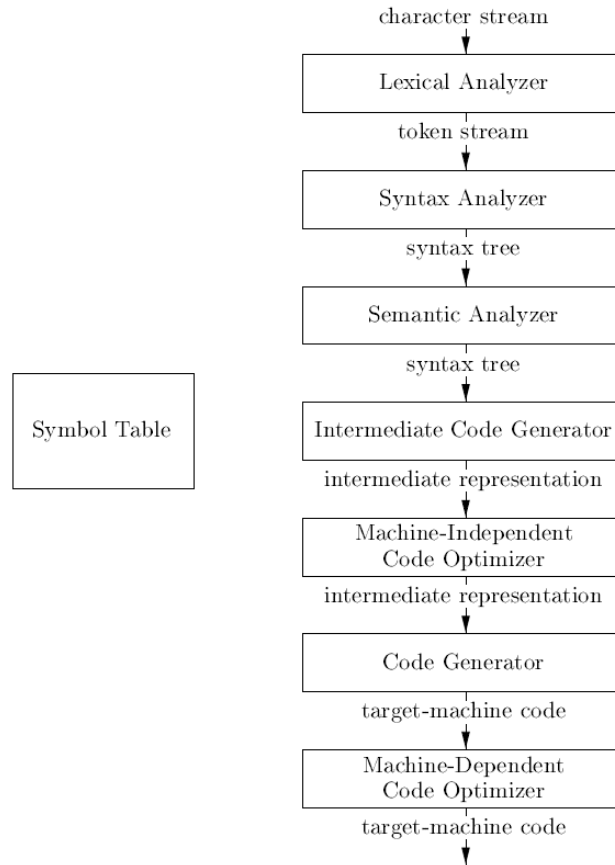


Figure 1.6: Phases of a compiler



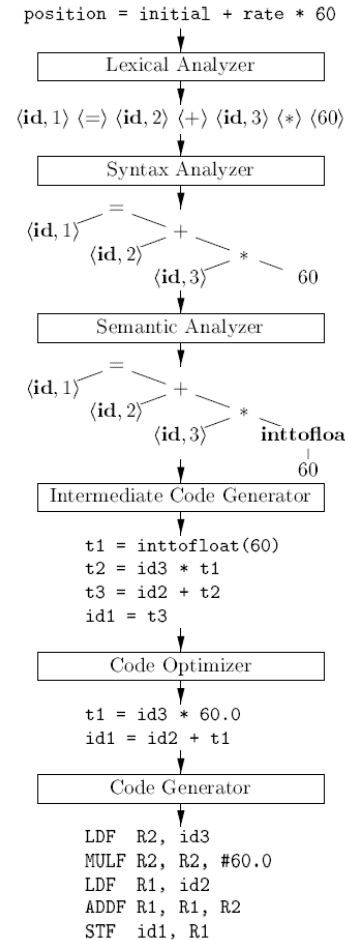
## 2.3. General View



- 1
- 2
- 3

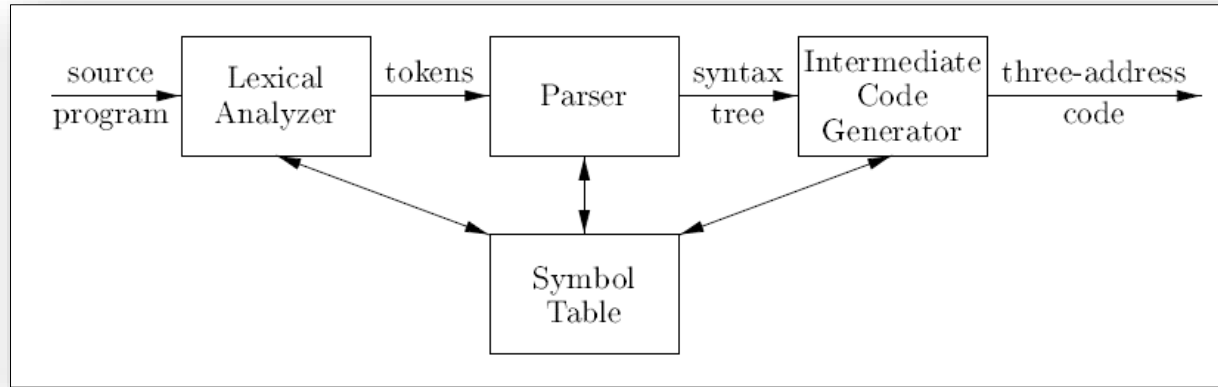
position	...
initial	...
rate	...

SYMBOL TABLE



# More about front-end compiler

- Diagram:



- Note that ST (Symbol Table) is always used and updated.

# More about front-end compiler

- See the buffer...

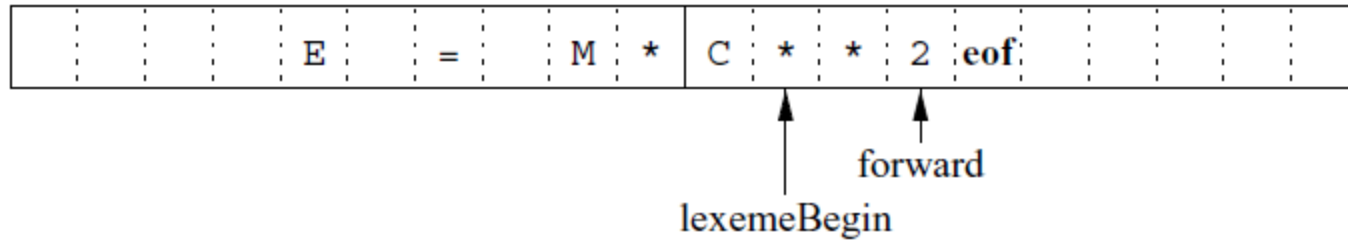


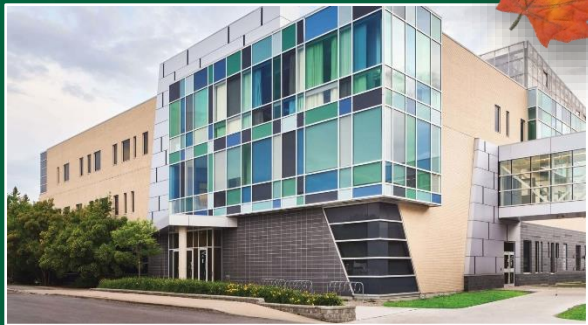
Figure 3.3: Using a pair of input buffers

# More about front-end compiler

- Connecting concepts...

TOKEN	INFORMAL DESCRIPTION	SAMPLE LEXEMES
<b>if</b>	characters i, f	if
<b>else</b>	characters e, l, s, e	else
<b>comparison</b>	< or > or <= or >= or == or !=	<=, !=
<b>id</b>	letter followed by letters and digits	pi, score, D2
<b>number</b>	any numeric constant	3.14159, 0, 6.02e23
<b>literal</b>	anything but ", surrounded by "'s	"core dumped"





Compilers – Art. 4

# General Purpose Languages

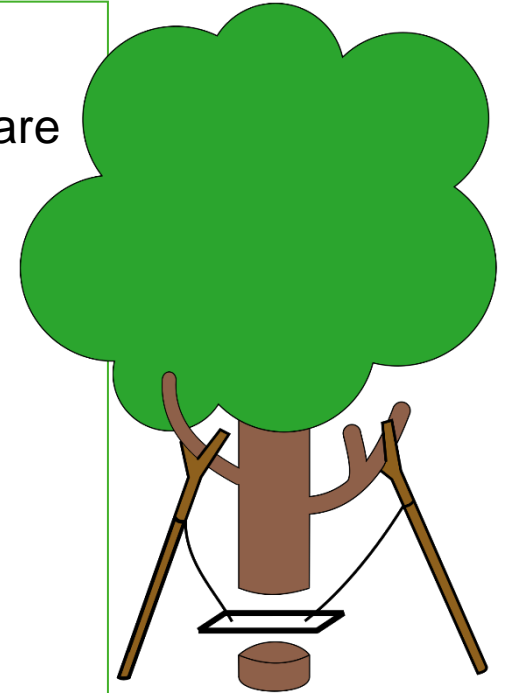


## 4.2. The “ontological” problem

### GPL (General Purpose Languages)

- Should be able to create “artefacts” for software development;
- But software needs to attend business needs;
- Business are domain-specific

**Note:** Part of the objective of SE (Software Engineering) is decrease the “gap” between the idea and the implementation...



I know!



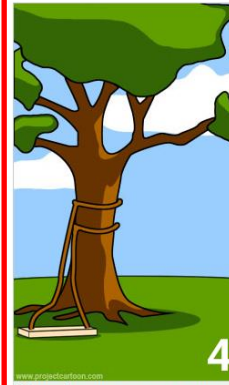
How the customer explained it



How the project leader understood it



How the analyst designed it



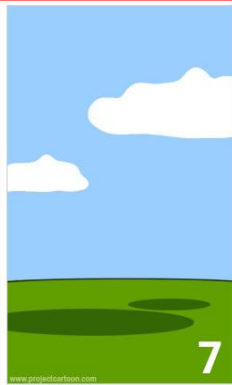
How the programmer wrote it



What the beta testers received



How the business consultant described it



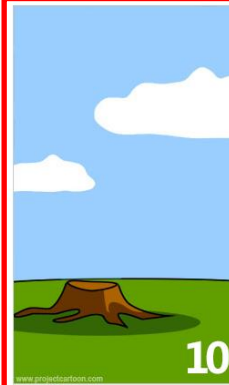
How the project was documented



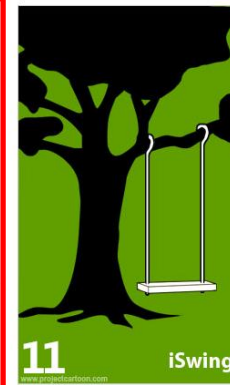
What operations installed



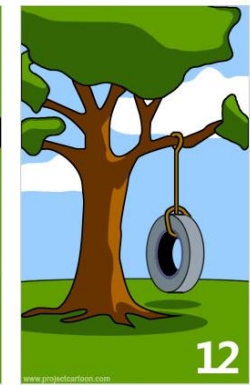
How the customer was billed



How it was supported



What marketing advertised



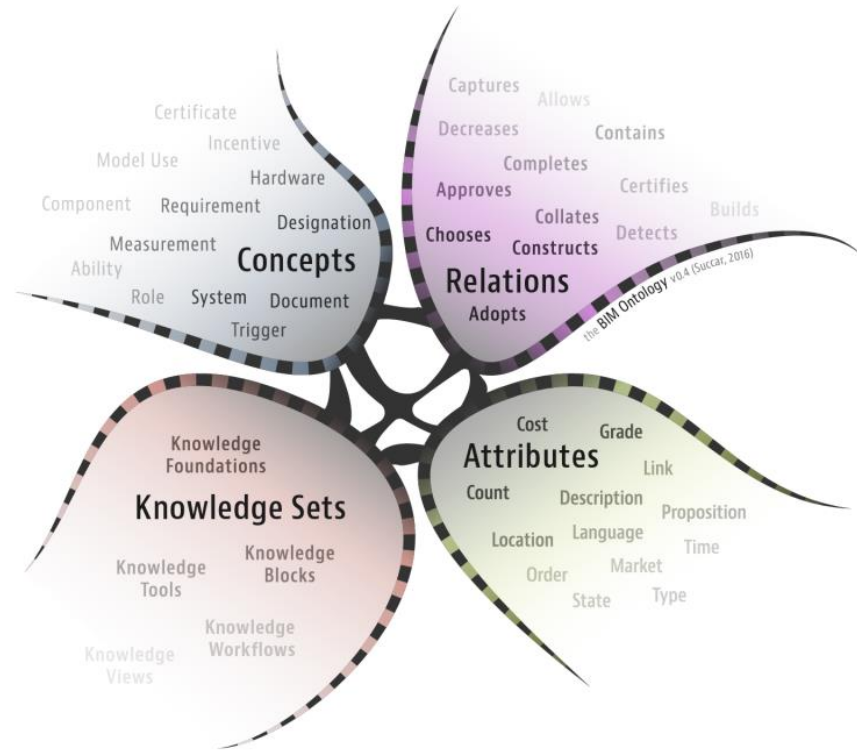
What the customer really needed

## 4.2. The “ontological” idea

### How to explain languages...

- For a “normal” people;

**Note:** Even OO is not a real “paradigm” to users, but for programmers.





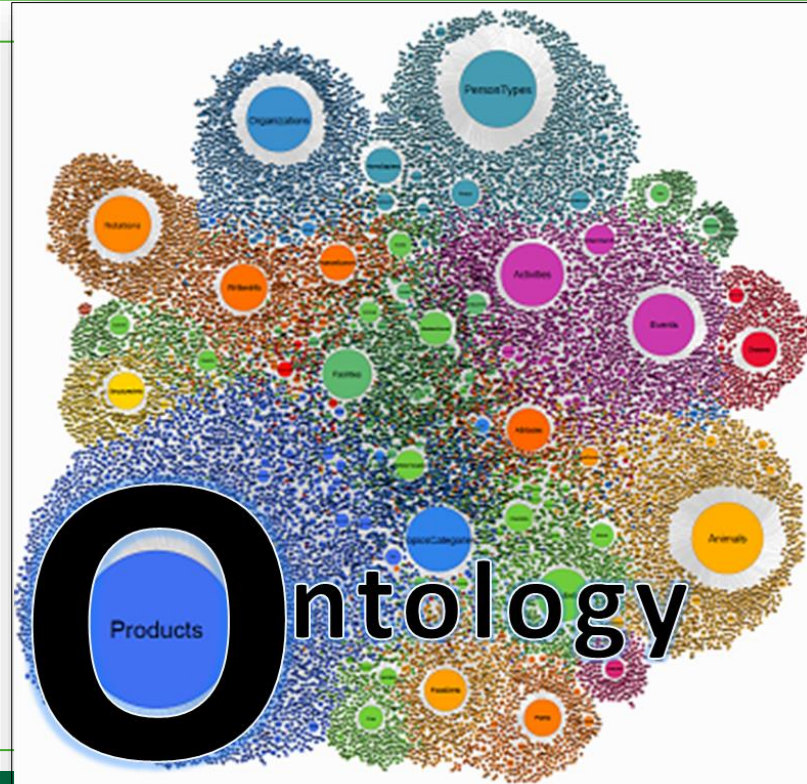
## 4.2. The “ontological” idea

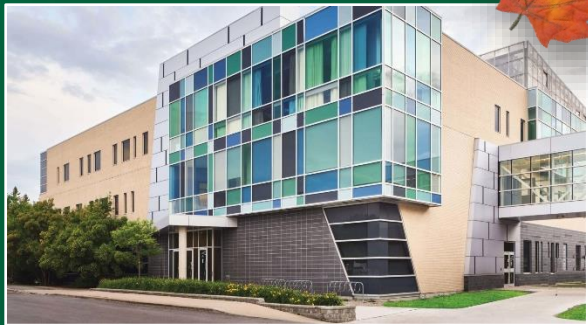
### How to explain languages...

**Note:** Is it possible to create high-level languages?

Imagine the complexity of concepts and associations required to implement “ontological” languages...

<https://www.enterrasolutions.com/wp-content/uploads/2015/03/Ontology-01.png>

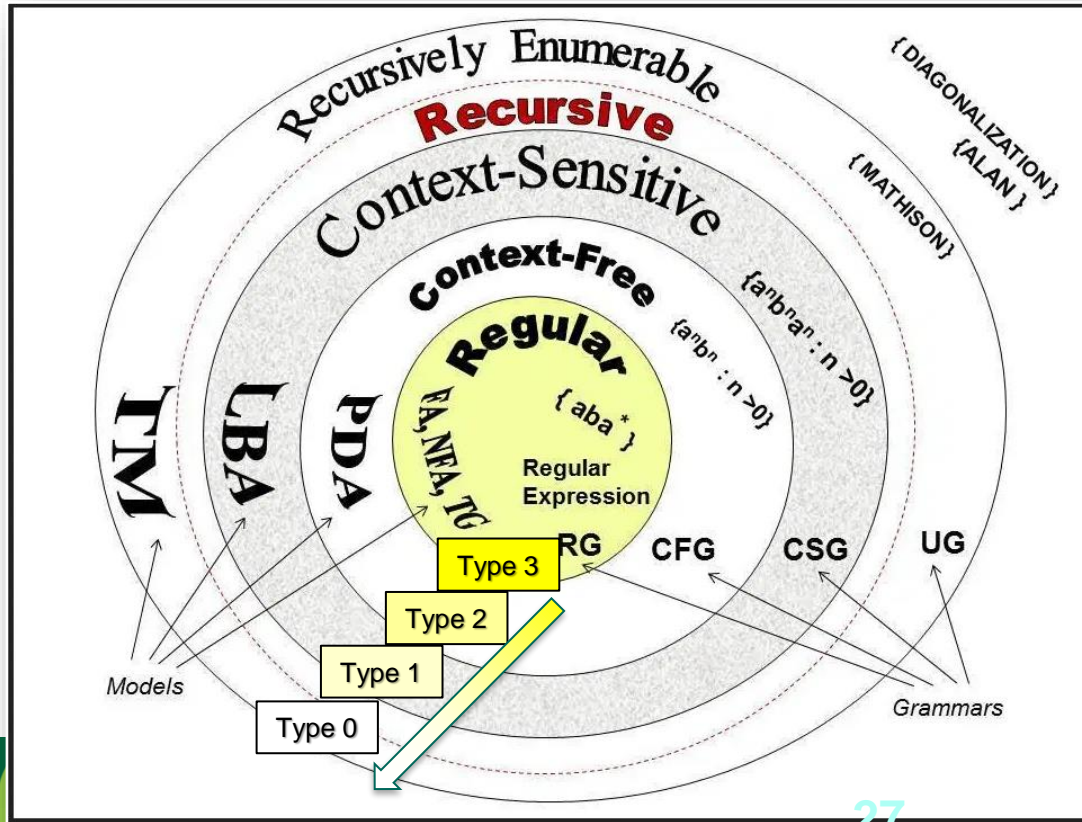




## Compilers – Art. 5

# Models

# General Models (take a breath...)



Think about this [1]:

- What is the best model for PL?



Source:

[https://i2.wp.com/www.theoryofcomputation.co/wp-content/uploads/2018/09/Chomsky\\_Hierarchy.jpg](https://i2.wp.com/www.theoryofcomputation.co/wp-content/uploads/2018/09/Chomsky_Hierarchy.jpg)

# Initial Concepts

## Alonzo Church Idea

The **lambda calculus** (also written as  $\lambda$ -calculus, where lambda is the name of the Greek letter  $\lambda$ ) was created by Alonzo Church in the early 1930s to study which functions are computable.



<https://opendsa-server.cs.vt.edu/OpenDSA/Books/PL/html/Syntax.html>

- In addition to being a **concise** yet powerful model in **computability theory**, the lambda calculus is also the simplest functional programming language.
- So much so that the lambda calculus looks like a “toy” language, even though it is (provably!) as powerful as any of the **programming languages** being used today, such as JavaScript, Java, C++, etc.

## Grammars (2)

- BNF:

The following metalanguage is that of **Noam Chomsky** in a notation proposed by **John Backus**. Later we will use a more compact form called **Backus-Naur Form (BNF)**.


### Model:

Grammar

Sentence	→	Subject	Verb	Object
Subject	→	Noun		
Object	→	Noun		
Verb	→	Eat		
Verb	→	Like		
Noun	→	I		
Noun	→	Python		
Noun	→	Cookies		

Backus-Naur Form

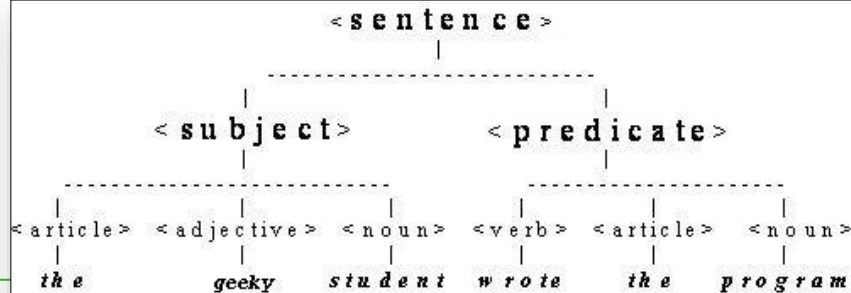
<Non-terminal> → replacement



# Grammars (3)

- **Example:**

```
<sentence>      ::= <subject> <predicate>
<subject>       ::= <article> <adjective> <noun>
<predicate>     ::= <verb> <direct object>
<direct object> ::= <article> <noun>
<article>       ::= the
<adjective>     ::= geeky
<verb>          ::= wrote
<noun>          ::= student
<noun>          ::= program
```



## Metalinguage:

- The **metasymbol** **::=** means “*has the form of*” or “*may be composed of*”.
- A single rule is called a **production** since what is on the left-hand side can produce a more detailed string on the right-hand side.
- The **metasymbols enclosed in <>** (<sentence> etc.) are called **non-terminals** since they will be replaced by applying the production.
- The symbols in bold (**the**, **geeky**, etc.) are called **terminals** since they terminate the syntax (they are the **leaf** nodes).



# Languages (1)

- **Remember:**
  1. **lexical analysis (the scanner)** - **constructing** the string of **tokens** (terminal symbols) from the string of characters
  2. **syntactic analysis (the parser)** – **validating** (recognizing) the token string against the grammar.

- **Example:**

*“The geeky student wrote the program”*

token	attribute - lexeme
ARTICLE	<i>the</i>
ADJECTIVE	<i>geeky</i>
NOUN	<i>student</i>
VERB	<i>wrote</i>
ARTICLE	<i>the</i>
NOUN	<i>program</i>

*ARTICLE ADJECTIVE NOUN VERB  
ARTICLE NOUN*



# Top Down Parsing

## Definition:

- In this we begin with the **<sentence>** nonterminal, called the **start symbol**, and by successive applications (**derivations**) of the productions attempt to arrive at the sentence.
- At each stage one token is consumed.

## Example:

- We begin at the start nonterminal **<sentence>**.
- We find using **rule 1**. that a sentence starts with a **<subject>** that starts with an **<article>**.
- Now that **ARTICLE** has been recognized, it is consumed, the token string is shorter and we are now attempting to recognize **ADJECTIVE**.
- ***Continue this process until the end.***

# Top Down Parsing

## Note:

- Humans express themselves **recursively** in written, spoken and programming languages.
- Useful programming languages are also **recursive** and can use recursive algorithms to implement the parser (**recursive descent parser**).
- However, recursion will cause problems in the **code implementation** of the grammar that we will need to solve.
- ***For this, it is necessary use formal languages...***

# Calc Language (1)

## Informal Specification of the Calc Language

- The **Calc language** is a language for programming simple calculations with whole numbers.
  - The Calc program is a sequence of **assignment statements**.
  - An assignment statement consists of an identifier representing a variable followed by an = symbol, followed by an **arithmetic expression**.
  - An **arithmetic expression** is an infix expression constructed from **variables**, **integer literals**, and the **operators** plus (+), minus (-), multiplication (\*), and division (/).
- The **arithmetic expression** always evaluates to an integer value which is assigned to the variable on the left side of the = sign.
- If a variable is used in an expression, the variable must have a previously assigned value.
- Before termination, the program automatically prints the values of all variables introduced in the program.

Example of a Calc program:

```
a = 1 * 5
b = a / 3
c = a + b * c / d
```

Output:

```
a -> 5
b -> 1
c -> 6
```

# Calc Language (2)

## Lexical Grammar for the Calc Language

```
<vid>      -> <letters>
<letters>   -> <letter> | <letters><letter>
<letter>    -> a | b | ... | z
<num>       -> <digits>
<digits>    -> <digit> | <digits> <digit>
<digit>     -> 0 | 1 | 2 | ... | 9
<operator>  -> + | - | * | / | =
```

## Syntactical Grammar for the Calc Language (Calc Syntax)

```
<program>   -> <statements>
<statements> -> <statement> |
                <statements> <statement>
<statement> -> <assignment>
<assignment> -> vid = <expression>
<expression> -> vid
                | num
                | <expression> <operator> <expression>
```

# Parse Tree (1)

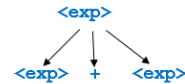
- Grammar 1: Ambiguous

```
<exp> ->  
    vid (1)  
    | num (2)  
    | <exp> + <exp> (3)  
    | <exp> * <exp> (4)  
    | <exp> - <exp> (5)  
    | <exp> / <exp> (6)
```

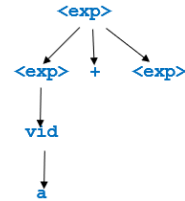
- Example:  $a + 2 * b$

TREE 1

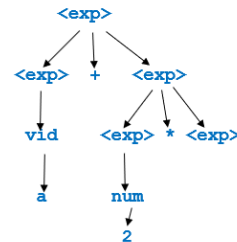
Step 1:



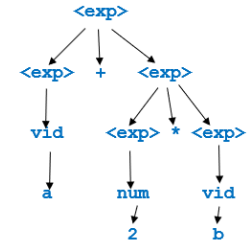
Step 2:



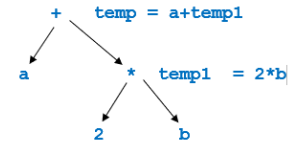
Step 3:



Step 4:

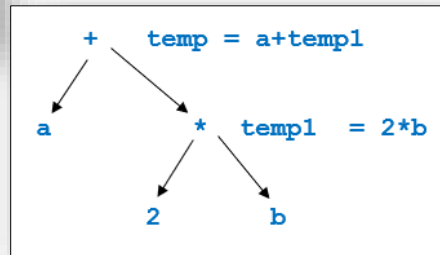
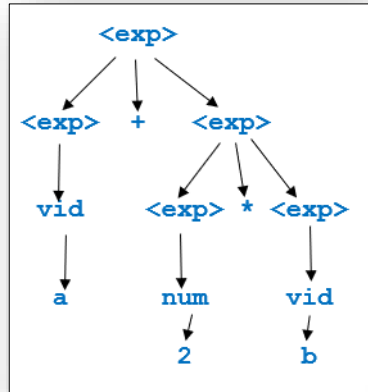


Step 5:

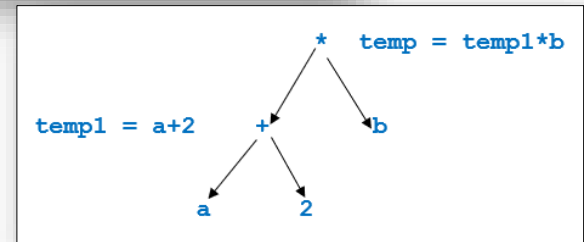
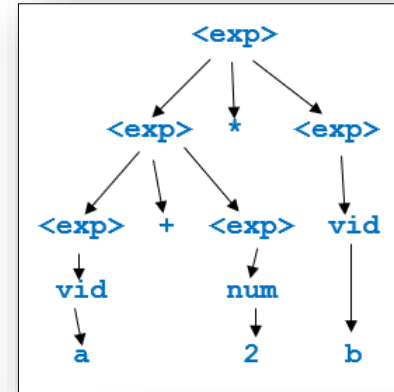


## Parse Tree (2)

Tree1:



Tree2:



## Parse Tree (3)

- Grammar 1: No-Ambiguous

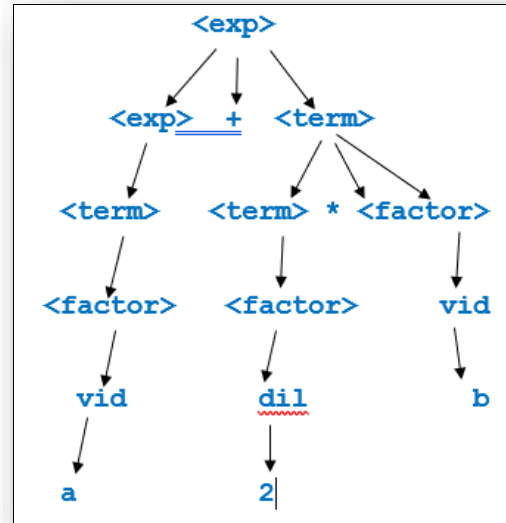
```
<exp> -> <exp> + <term>
        | <exp> - <term>
        | <term>

<term> -> <term> * <factor>
          | <term> / <factor>
          | <factor>

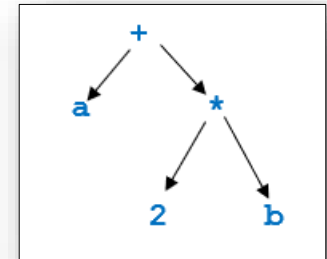
<factor> -> vid | dil | (<exp>)
```

- Example:  $a + 2 * b$

Tree:

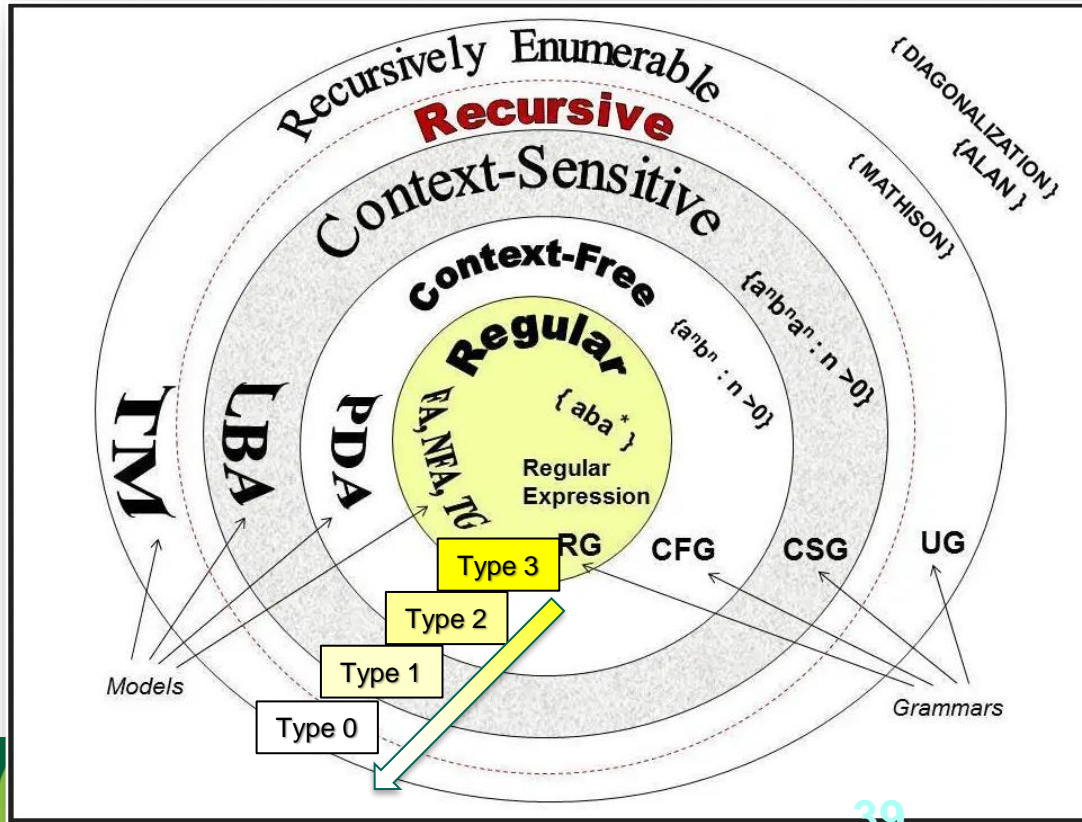


Syntax tree:





# General Models (take a breath...)



Think about this [1]:

- What is the best model for PL?



Source:  
[https://i2.wp.com/www.theoryofcomputation.co/wp-content/uploads/2018/09/Chomsky\\_Hierarchy.jpg](https://i2.wp.com/www.theoryofcomputation.co/wp-content/uploads/2018/09/Chomsky_Hierarchy.jpg)

# Universal Concepts

## Alphabet:

- An **alphabet**  $\Sigma$  is a finite, non-empty, set of symbols. For example:
- The **binary** alphabet is {0, 1}
- The **decimal** alphabet is {0,1,2,3,4,5,6,7,8,9}
- **Note:** The metasympols { , and } used here that are **not** in the alphabet.

\*\*\*

## IMPLEMENTATION NOTE

\*\*\*

- For the scanner, the alphabet may be characters in the **ASCII** character set.
- For the parser the alphabet is the set of tokens produced by the scanner.
- Ex. Important sets: *keywords*

**SOFIA Keywords:** { "DO", "ELSE", "FALSE", "IF", "INPUT", "OUTPUT", "THEN", "TRUE", "WHILE" }

# Understanding the Kleene Theorem

- **Main Idea:**

## Theorem

The language that can be defined by any of these three methods

1. Regular Expressions (or Regular Grammar)
- or
2. Transition graph (transition or state diagrams)
- or
3. Finite Automaton (Finite State Machine)



Prof. Kleene

Source: Wikipedia

**The language that can be defined by:**

1. **Regular Expressions** (compact language);
2. **Regular Grammar** (syntax production rules);
3. **Finite Automaton** (DFA / NFA);
4. **Transition graph** (transition / state diagrams);
5. **Lambda calculus** (math definition)

# Operations in Languages

## Concatenation of sets

- The concatenation of two sets A and B is defined by:

$$AB = \{ xy \mid x \text{ in } A \text{ and } y \text{ in } B \}$$

which reads “*the set of strings xy such that x is in A and y is in B*”.

- For example.
- If  $A = \{a,b\}$  and  $B = \{c,d\}$  then  $AB = \{ac, ad, bc, bd\}$

## Powers of sets

- The power of a set A: The repetition of A several times.

$$A^4 = \{ x \mid \text{4-symbol string} \}$$

which reads “*the set of strings with four symbols*”.

- This is just repeated:  
 $A^0 = \{ \epsilon \}, A^1 = A, A^2 = AA, A^3 = AAA, \dots$
- Note that  $A^0 = \{ \epsilon \}$  (for any set)

# Operations in Languages

## Union of sets

- The union of two sets A and B is defined by:

$$A \cup B = \{ x \mid x \text{ in } A \text{ or } x \text{ in } B \}$$

which reads “the set of strings  $x$  such that  $x$  is in  $A$  or  $x$  is in  $B$ ”.

- For example.
- If  $A = \{a,b\}$  and  $B = \{c,d\}$  then  $A \cup B = \{a, b, c, d\}$

## Kleene closure

- The Kleene closure of a set A is the **\* operator** defined as the set of all strings including the empty string:

$$A^* = \bigcup_{i=0}^{\infty} A^i$$

- It is the union of all powers of A.

$$A^* = A^0 + A^1 + A^2 + A^3 + \dots$$

# Remember Kleene Theorem

- **TIP:** A regular expression can be used to construct a **Deterministic Finite Automaton (DFA)** which therefore can recognize strings (words) of the grammar, which is the purpose of the Scanner.
- The sets of strings defined by regular expression are termed **regular sets**.

To define the RE (as any expression notation) use **operands** and **operations**.

- The **operands** are **alphabet symbols** or **strings** defined by regular expressions (regular definitions).
- The standard operations are **catenation** (concatenation), union or **alternation** ( $|$ ), and **recursion** or Kleene closure ( $*$ )
- Regular expressions use the **metasymbols**  $|$ ,  $(, )$ ,  $\{, \}$ ,  $[, ]$ ,  $*$ ,  $+$  (and others  $?, ^$ ) to define its operations.

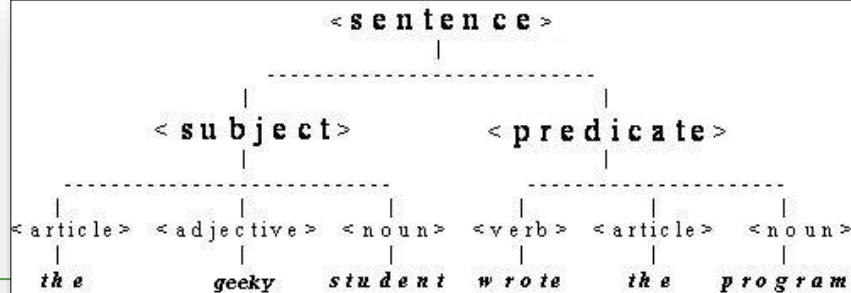
# Grammars (1)

- **Informal Definition:**

*Who Does What To Whom How  
Where When*



*"The geeky student wrote the program".*



## Metalanguage:

- Note the use of meta-symbols like **<subject>** enclosed in <> to denote the syntactic entities;
- These constitute a special language that describes a language.
- Being a language about a language, it is a **metalanguage**.



# Remember Kleene Theorem

- **TIP:** A regular expression can be used to construct a **Deterministic Finite Automaton (DFA)** which therefore can recognize strings (words) of the grammar, which is the purpose of the Scanner.
- The sets of strings defined by regular expression are termed **regular sets**.

To define the RE (as any expression notation) use **operands** and **operations**.

- The **operands** are **alphabet symbols** or **strings** defined by regular expressions (regular definitions).
- The standard operations are **catenation** (concatenation) , union or **alternation** (|), and **recursion** or Kleene closure (\*)
- Regular expressions use the **metasymbols** |, (, ), {, } , [, ], \* , + (and others ?, ^) to define its operations.

# Remember Kleene Theorem

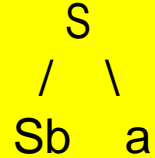
- Model 2: Grammar Formalization**

$$G = \{V_T, V_N, P, S\}$$

- Where:

1.  $V_T$  = Terminals;
2.  $V_N$  = Non-Terminals;
3.  $P$  = Production rules:  $\{A \rightarrow X_1X_2...X_N\}$ ;
4.  $S$  = Start symbol.

Example:



1.  $G1: \{\{a,b\}, \{S\}, P = \{S \rightarrow Sb | a\}, S\}$

The infinite set of words can be given by:

$a, ab, abb, abbb, \dots$

The corresponding RE1:  $ab^*$

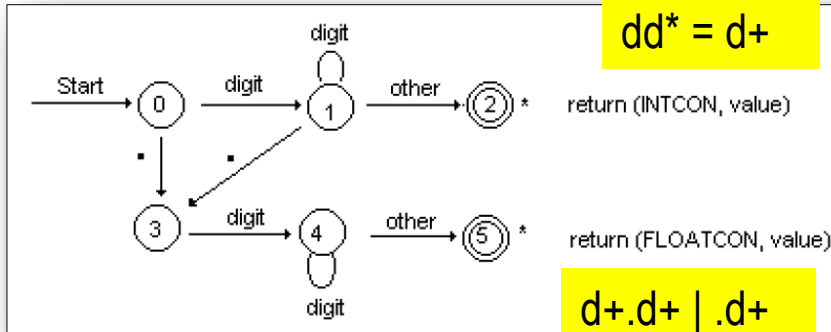
**Note:** The grammar  $G1$  and RE1 are equivalent!

Other =  $\wedge \text{digit} \ \&\& \ \wedge$ .  
 $\Sigma = (\text{digit}, ., \text{other})$

# Remember Kleene Theorem

## • Model 3: Automaton:

1. Functional way to define the evolution of an acceptable string in a language.
2. Can be visual such as:



$dd^* = d^+$

$d^+.d^+ \mid .d^+$

$q_1 = \delta(q_0, \text{digit})$

$q_3 = \delta(q_0, .), \delta(q_1, .)$

$Q = \text{set of states} = \{q_0 \dots q_5\}$

## Finite Automaton:

$Q_f = \{q_2, q_5\}$

1. **Mathematical representation** of transitions that transform inputs in outputs that describes a language.  
$$L(G) = A(\Sigma, Q, q_0, Q_f, \Delta)$$
2. This notation includes the **alphabet** ( $\Sigma$ ) that, **starting** in a **state** ( $q_0$ ) can perform words in the **end** ( $Q_f$ ), by **productions** ( $\Delta$ ) between **states** ( $Q$ ).

**Note:** **Empty string** ( $\epsilon$ ) is also acceptable.

$L(G) = \text{Language from a Grammar (RE)}$

# Formalization (1)

DFA

NFA

- **FA:**

- $FA = (\Sigma, Q, q_0, Q_f, \Delta)$

- Where:

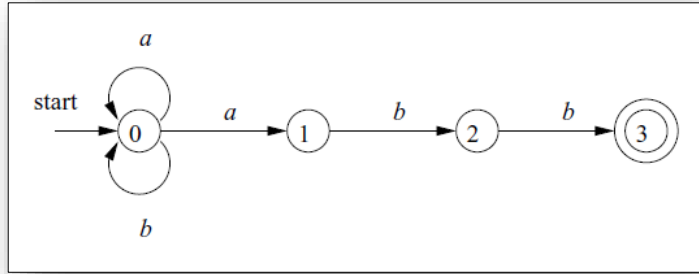
- $\Sigma$  = Alphabet =  $\{a_0, a_1, \dots, a_n\}$
- $Q$  = Set of states =  $\{q_0, q_1, \dots, q_m\}$
- $q_0$  = Initial state;
- $Q_f$  = Final states;
- $\Delta = P$  = Production rules:  $\{q_y = \delta(q_x, a_m), \dots, q_z = \delta(q_y, a_n)\}$

## NFA vs DFA

1. **DFA**: Deterministic, once you are in a state and read a symbol, you know exactly where to go.
2. **NFA**: Indeterministic because:
  - It is possible to have **more than one** transition when read a symbol;
  - Null (**Epsilon**) transitions: you can go to another state reading **nothing**.

# But, what about NFA?

NFA:



$(a|b)^*abb$

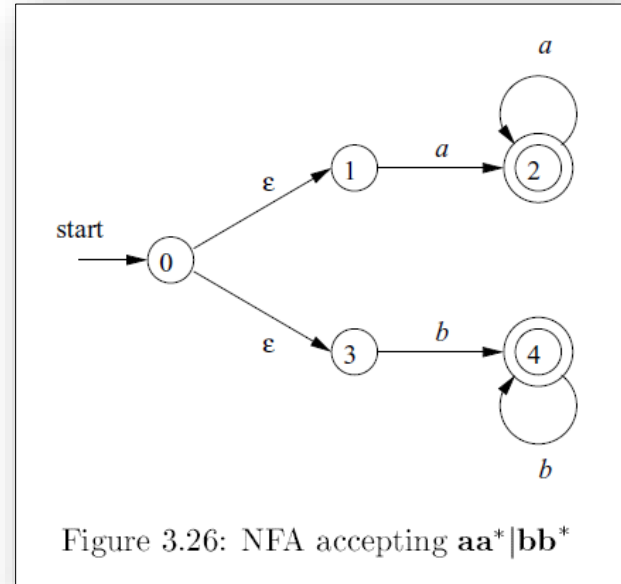


Figure 3.26: NFA accepting  $aa^*|bb^*$

# Lambda Calculus (1)

## Model:



Abstraction for **functions** (no internal state is important).

## We just have:

- Variables
- Functions (how to define/apply)

## We do **not** have:

- Datatypes
- Controls

## Several definitions are functions:

- Constants
- Operations
- Expressions.



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# Implementations



## Example (3)

DFA (analogous to NFA):

```
s = s0;  
c = nextChar();  
while ( c != eof ) {  
    s = move(s, c);  
    c = nextChar();  
}  
if ( s is in F ) return "yes";  
else return "no";
```

Figure 3.27: Simulating a DFA

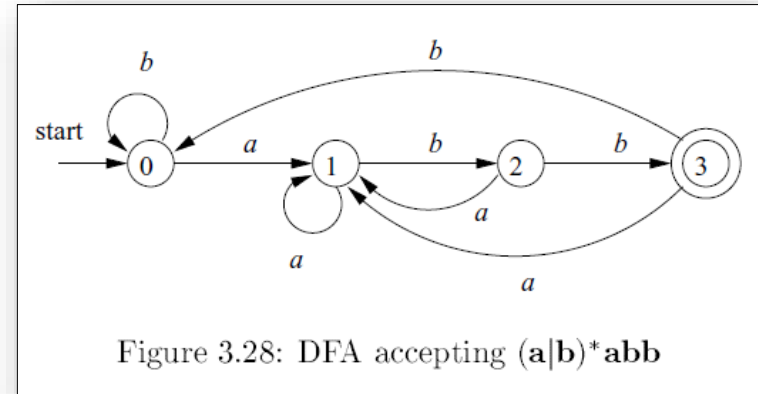
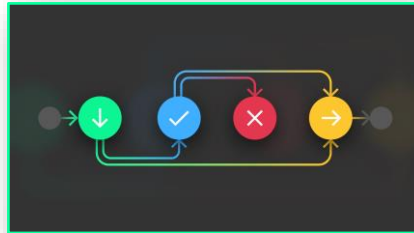


Figure 3.28: DFA accepting  $(a|b)^*abb$

# Implementing Transition Tables

- The **NFA implementation** is a **loop** in which a character is taken from the input, the `next_state()` function is called and the type of the returned state is tested.
- If the state is **not-accepting** the loop **continues**.
- If the state is **accepting** the loop is **terminated** and the recognized string (lexeme) is processed by the corresponding accepting function.
- Usually an **array of pointers to functions** is used to call an accepting function using the accepting state number as an index.



# Check the Examples

## Language: Mold:

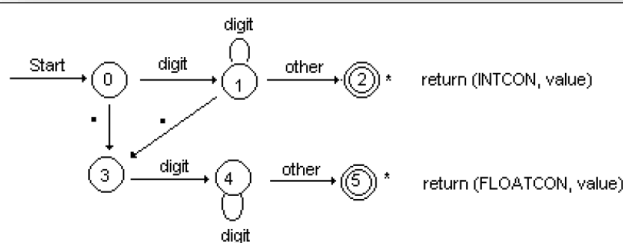
1. You can see different elements such as comments, keywords, identifiers, methods, constants and separators.
2. Most languages must define rules to recognize these elements (ex: <id,1>, etc.)
3. Different strategies can be used.

```
# Mold Example (Volume of a sphere) #
main& {
  data {
    real PI%, r%, Vol%;
  }
  code {
    PI% = 3.14;
    input&(r%);
    Vol% = 4.0 / 3.0 * PI% * (r% * r% * r%);
    print&(Vol%);
  }
}
```

# Manual Implementation

- **Basic Idea:**
- A transition diagram can be implemented **manually**, with states being represented by variables, and transitions being decided on by if statements.

**Note:** This procedure can take time and requires careful observation about states.



Basic code:

```
token next_token() {
    while (1) {
        switch(state)
        case 0:
            c = nextchar();
            if (c == ' ') { // Skip blanks
                lexeme_start++;
                state = 0;
            } else if (isdigit(c)) state = 1;
            else if (c == '.') state = 3;
            break;
    }
}
```

//...

```
case 1:
    c = nextchar();
    if (isdigit(c)) state = 1;
    else if (digit == '.') state=3;
    else state= 2;
    break;
case 2:
    retract(1); // Backtrack in input
    store_the_lexeme();
    return(INTCON);
// Cases 3, 4, and 5 would
// also be implemented here...
```

//...

# Better implementation

- Using TT (Arrays)
- A **two-dimensional array** can be used to implement a transition table.
- A table consists of **rows** representing **states** and **columns** representing character **classes (kinds of Token)**.

## Class Value (column)

Digit	0
.	1
Other	2

```
#define ES 6
#define IS -1
int Table[6][3] = {
    /* State 0 */ { 1, 3, ES},
    /* State 1 */ { 1, 3, 2 },
    /* State 2 */ { IS,IS,IS},
    ...
    /* State ES */ { IS, IS,
    IS};
```

## Basic code:

```
int next_state(int currentState, char ch) {
    int column = get_column(ch)
    return Table[currentState][column];
}
```

// Given a character, find what class it  
// belongs to, to be used for table indexing

```
int get_column(char ch) {
    if isdigit(ch) return(0);
    else if (ch == '.') return 1;
    else return 2;
}
```



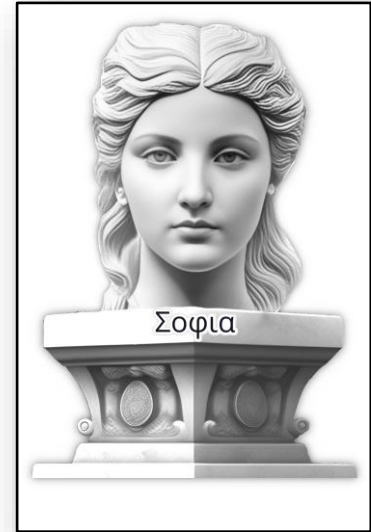
## Compilers – Art. 1-5

# Activities

# Quiz 1

❖ In this first Team Quiz, answer:

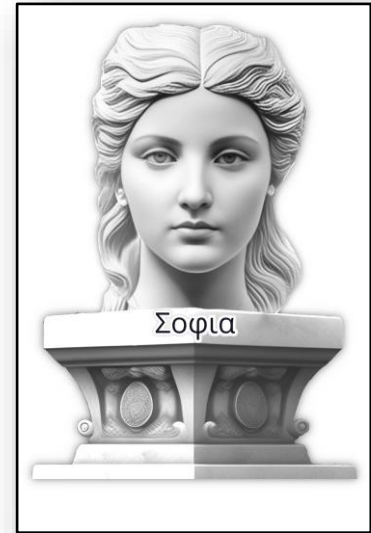
- ❖ **Question 1:** Which language you consider the “better” one. Explain why (at least 2 reasons).
- ❖ **Question 2:** If you are supposed to implement **THIS** language, what could be the challenges to do it (at least 2 ideas)?



## Quiz 2

### ❖ Considering the Compilation process:

- ❖ **Question 1:** Considering the features of your preferred **IDE**, during compilation process, which one you consider the better feature? Give one example of this.
- ❖ **Question 2:** Which **new feature** (that does not exist) you would like to include in your IDE? Why?



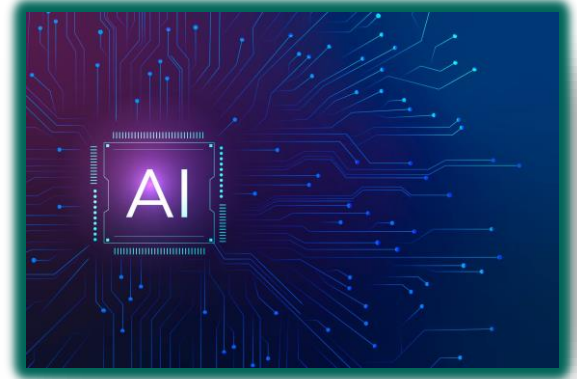


## Quiz 3

❖ About bootstrapping (when a language can be built by itself)?

❖ **Question 1:** If you would create a **new AI language**, composed by several others, what you would select?

❖ For instance: for backend / frontend / data processing / etc.



# Quiz 4

## ❖ How to use lambda to define:

- ❖ **String operators**: Define:
  - ❖ Concatenation, find(Substring).
- ❖ **Arithmetic operators**: Define:
  - ❖ Multiplication by addition;
  - ❖ Power by multiplication.



## Quiz 5

- PART 1: You need to define a **regular expression** for a **scientific notation number**.
  - Examples:**
    - Avogadro Number:**  $6.023e+23$ .
    - Electron charge:**  $-1.602e-19$ .
  - Define:**
    - Classes** to be used
    - Express the **RE** for numbers.
- PART2: **Define:**
  - The **AUTOMATON** to be used.





Compilers – Art. All

**Thank you for your  
attention!**