

## What is Statistical Significance Test?

Statistically Significance:-

Your statistical significance level reflects your risk tolerance and confidence level. For example, if you run an A/B testing experiment with a significance level of 95%, this means that if you determine a winner, you can be 95% confident that the observed results are real and not an error caused by randomness (but remaining 5% causes error caused by randomness). It also means that there is a 5% chance that you could be wrong.

Population proportion & population mean:-See this

vedio(<https://youtu.be/fd-RcDYREnc>)

1)population proportion:-(it is used when 2 population means are different. Therefore z-value is used)is a parameter that describes a percentage value associated with a population. For example, the 2010 United States Census showed that 83.7% of the American Population was identified as not being Hispanic or Latino; the value of . 837 is a population proportion.

\*it was indicated as  $[p' = x / n]$  where

$x$  represents the number of successes and

$n$  represents the sample size.

$p'$  is the sample proportion and serves as the

point estimate for the true population proportion.

2)Population Mean:-The population mean is the mean or average of all values in the given population and is calculated by the sum of all values in population denoted by the summation of X divided by the number of values in population which is

denoted by  $N$ .

z-value & t-value:-

1) z-test/Normal test:-

The standard normal distribution is also called the 'Z-distribution' and the values are called 'Z-values' (or Z-scores).

\*Z-values express how many standard deviations from the mean a value is. If we don't have standard deviation then we will go for T-test.

\*If a z-score is equal to 0, it is on the mean. A positive z-score indicates the raw score is higher than the mean average. For example, if a z-score is equal to +1, it is 1 standard deviation above the mean.

2) T-Test: - If we don't have standard deviation then we will go for T-test.

T-tests are used to determine if there is significant difference between means of two variables, and let us know if they belong to the same distribution. The

\*t-distribution is used for estimation and hypothesis testing of a population mean (average).

\*The t-distribution is adjusted for the extra uncertainty of estimating the mean.

\*If the sample is small, the t-distribution is wider. If the sample is big, the t-distribution is narrower.

\*The bigger the sample size is, the closer the t-distribution gets to the standard normal distribution.

\*For the t-distribution this is expressed as 'degrees of freedom' (df), which is calculated by subtracting 1 from the sample size (n).

\*For example a sample size of 30 will make 29 degrees of freedom for the t-distribution.

\*Finding the critical t-values and p-values of the t-distribution is similar z-values and p-values of the standard normal distribution. But make sure to use the correct degrees of freedom.

How to choose z-value & t-value?

Commonly estimated parameters are:

1) Population Proportions:- (used for qualitative data)

Real Example:-15 peoples out of 20 in America knows English.(this is the claim for Null hypothesis)

Population Proportion =  $15/20 = 0.75$

2)Proportion Mean:- values (used for numerical data)

Real Example:-In America average 20 peoples knows English.

Population Mean=20

3) Standard Normal Distribution (Z): used for Testing Population

Proportions (population proportion uses Z-values for hypothesis testing)

4) Student's T-Distribution (T): used for Testing Population Means (Population Mean uses T-values for hypothesis testing)

,,,,,,,,,,,,,,



## 2) Cumulative Distribution Function(cdf):-

It gives the probability density of left side from the given value. See the image([https://support.minitab.com/en-us/minitab-express/1/cdf\\_def.png](https://support.minitab.com/en-us/minitab-express/1/cdf_def.png))  
The cumulative distribution function (CDF) calculates the cumulative probability for a given x-value. Use the CDF to determine the probability that a random observation that is taken from the population will be less than or equal to a certain value. see image  
(<https://www.graduatetutor.com/wp-content/uploads/2021/03/Cumulative-Density-Function-of-a-dice-6.jpg>)

### Application of Cumulative Distribution Function:-

\*It gives probability of graph from fixed value, from that we can find p-value in hypothesis test. In Scipy we have "KS test" is used to check if given values follow a distribution.

### TS TEST in Scipy:-

KS test is used to check if given values follow a distribution.  
The function takes the value to be tested, and the CDF as two parameters.  
A CDF can be either a string or a callable function that returns the probability.  
It can be used as a one tailed or two tailed test.  
By default it is two tailed. We can pass parameter alternative as a string of one of two-sided, less, or greater.

### Example:-

Find if the given value follows the normal distribution:

```
import numpy as np
from scipy.stats import kstest

v = np.random.normal(size=100)

result = kstest(v, 'norm')          ##norm means "NORMAL DISTRIBUTED FUNCTION"
or we have other options like "UNIFORM" & "Exponential Function".

print(result)
,,,,,,,,,,,,,O/P IS KstestResult(statistic=0.047798701221956841,
pvalue=0.97630967161777515)

,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,
,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,
```

### Statistical Description of Data:-

In order to see a summary of values in an array, we can use the "describe()" function.

It returns the following description:

- 1.number of observations (nobs)
- 2.minimum and maximum values = minmax
- 3.mean
- 4.variance
- 5.skewness
- 6.kurtosis

#### Example

Show statistical description of the values in an array:

```
import numpy as np
```

```
from scipy.stats import describe
```

```
v = np.random.normal(size=100)
```

```
res = describe(v)
```

```
print(res)
```

```
,,,,,,,,,,,,,O/P IS
```

```
DescribeResult(
  nobs=100,
  minmax=(-2.0991855456740121, 2.1304142707414964),
  mean=0.11503747689121079,
  variance=0.99418092655064605,
  skewness=0.013953400984243667,
  kurtosis=-0.671060517912661
)
```

```
,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,
,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,
```

Normality Tests (Skewness and Kurtosis):-

Normality tests are based on the skewness and kurtosis.

The "normaltest()" function returns p value for the null hypothesis:

"x comes from a normal distribution".

#### SKEWNESS & KURTOSIS:-

##### Skewness:

A measure of symmetry in data.

For normal distributions it is 0.

If it is negative, it means the data is skewed left.

If it is positive it means the data is skewed right.

SEE THIS IMAGE (<https://cdn.analyticsvidhya.com/wp-content/uploads/2020/06/sk1.png>)

##### Kurtosis:

A measure of whether the data is heavy or lightly tailed to a normal distribution.

Positive kurtosis means heavy tailed.

Negative kurtosis means lightly tailed.

SEE THIS IMAGE ([https://miro.medium.com/max/830/0\\*WzpbLu8KqMAryg-9](https://miro.medium.com/max/830/0*WzpbLu8KqMAryg-9))

Example:-

Find skewness and kurtosis of values in an array:

```
import numpy as np
```

```
from scipy.stats import skew, kurtosis
```

```
v = np.random.normal(size=100)
```

```
print(skew(v))
```

```
print(kurtosis(v))
```

```
,,,,,,,,,,,,,,,,,,,,,,,,,,,,,o/p is 0.11168446328610283  
                                -0.1879320563260931
```

Application of SKEWNESS & KURTOSIS:-

\*Skewness essentially measures the symmetry of the distribution, while kurtosis determines the heaviness of the distribution tails.

\*In finance, kurtosis is used as a measure of financial risk. Learn risk analysis.

\*linear models work on the assumption that the distribution of the independent variable and the target variable are similar. Therefore, knowing about the skewness of data helps us in creating better linear models.

\*A positive mean with a positive skew is good, while a negative mean with a positive skew is not good. If a data set has a positive skew, but the mean of the returns is negative, it means that overall performance is negative, but the outlier months are positive.

