Mileage Prediction - Regression Analysis

Source:

This Dataset was taken the StatLib library which is maintained at carnegie Mellon University. The dataset was used in the 1983 American Statistical Experience.

Dataset Information:

This Dataset is a slightly modified version of the dataset provided in the StatLib library. In line with the use by Ross Quinlan (1993) in predicting the attribute "mpg", 8 if the original instances were removed because they had unknown values of the "mpg" attribute. The original Dataset is available in the file "auto-mpg.data-original".

"The data concerns city-cycle fuel consumption in miles per gallon, to be predicted in the term of 3 multivalued discrete and 5 continuous attributes." (Quinlan 1993)

Attribute Information

1. mpg: continuous

2. cylinder: multi-valued discrete

3. displacement: continuous

4. horsepower: continuous

5. weight: continuous

6. acceleration: continuous

7. model year: multi-valued discrete

8. origin: multi-valued discrete

9. car name: string (unique for each instance)

Import Library

```
import pandas as pd
import numpy as np
import matplotlib as plt
import seaborn as sns
```

Import Data

```
df = pd.read_csv('https://github.com/YBI-Foundation/Dataset/raw/main/MPG.csv')
df.head()
```

name	origin	model_year	acceleration	weight	horsepower	displacement	cylinders	mpg		→
chevrolet chevelle malibu	usa	70	12.0	3504	130.0	307.0	8	18.0	0	
buick skylark 320	usa	70	11.5	3693	165.0	350.0	8	15.0	1	
plymouth satellite	usa	70	11.0	3436	150.0	318.0	8	18.0	2	

df.nunique()

\rightarrow	mpg	129
_	cylinders	5
	displacement	82
	horsepower	93
	weight	351
	acceleration	95
	model_year	13
	origin	3
	name	305
	dtype: int64	

Data Processing

df.info()

RangeIndex: 398 entries, 0 to 397 Data columns (total 9 columns): # Column Non-Null Count Dtype ---------0 398 non-null float64 mpg cylinders 398 non-null int64 1 2 displacement 398 non-null float64 3 horsepower float64 392 non-null weight 398 non-null int64 5 acceleration 398 non-null float64 model_year 398 non-null 6 int64 7 origin 398 non-null object 398 non-null object

dtypes: float64(4), int64(3), object(2)

memory usage: 28.1+ KB

df.describe()

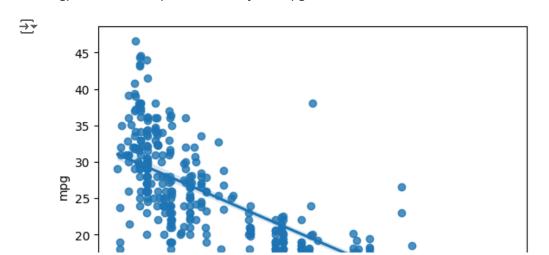
→		mpg	cylinders	displacement	horsepower	weight	acceleration	model_year
	count	398.000000	398.000000	398.000000	392.000000	398.000000	398.000000	398.000000
	mean	23.514573	5.454774	193.425879	104.469388	2970.424623	15.568090	76.010050
	std	7.815984	1.701004	104.269838	38.491160	846.841774	2.757689	3.697627
	min	9.000000	3.000000	68.000000	46.000000	1613.000000	8.000000	70.000000
	25%	17.500000	4.000000	104.250000	75.000000	2223.750000	13.825000	73.000000
	50%	23.000000	4.000000	148.500000	93.500000	2803.500000	15.500000	76.000000
	75%	29.000000	8.000000	262.000000	126.000000	3608.000000	17.175000	79.000000
	max	46.600000	8.000000	455.000000	230.000000	5140.000000	24.800000	82.000000

ValueError: could not convert string to float: 'usa'

Remove Missing values

```
int64
1
    cylinders
                   392 non-null
                                    float64
2
    displacement 392 non-null
                                    float64
3
    horsepower
                   392 non-null
    weight
                   392 non-null
                                    int64
5
    acceleration 392 non-null
                                   float64
    model_year
                   392 non-null
                                    int64
7
    origin
                   392 non-null
                                    object
8
    name
                   392 non-null
                                    object
dtypes: float64(4), int64(3), object(2)
memory usage: 30.6+ KB
```

Data visualisation



Define Target Variable y and Feature X

```
→ (392, 4)
```

Χ

→		displacement	horsepower	weight	acceleration
	0	307.0	130.0	3504	12.0
	1	350.0	165.0	3693	11.5
	2	318.0	150.0	3436	11.0
	3	304.0	150.0	3433	12.0
	4	302.0	140.0	3449	10.5
	•••				
	393	140.0	86.0	2790	15.6
	394	97.0	52.0	2130	24.6
	395	135.0	84.0	2295	11.6
	396	120.0	79.0	2625	18.6
	397	119.0	82.0	2720	19.4

392 rows × 4 columns

Scaling Data

→		0	1	2	3
	count	3.920000e+02	3.920000e+02	3.920000e+02	3.920000e+02
	mean	-7.250436e-17	-1.812609e-16	-1.812609e-17	4.350262e-16
	std	1.001278e+00	1.001278e+00	1.001278e+00	1.001278e+00
	min	-1.209563e+00	-1.520975e+00	-1.608575e+00	-2.736983e+00
	25%	-8.555316e-01	-7.665929e-01	-8.868535e-01	-6.410551e-01
	50%	-4.153842e-01	-2.853488e-01	-2.052109e-01	-1.499869e-02
	75%	7.782764e-01	5.600800e-01	7.510927e-01	5.384714e-01
	max	2.493416e+00	3.265452e+00	2.549061e+00	3.360262e+00

After Standardization Mean is Zero and Standard is One

Train Test Split Data

```
from sklearn.model_selection import train_test_split

X_train, X_test, y_train, y_test = train_test_split(X, y, train_size = 0.7, random_state = 2529)

X_train.shape, X_test.shape, y_train.shape, y_test.shape

$\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{
```

Linear Regression Model

```
from sklearn.linear_model import LinearRegression

lr = LinearRegression()

lr.fit(X_train, y_train)

The LinearRegression LinearRegression LinearRegression()

lr.intercept_
The 23.485738559737584

lr.coef_
The array([-1.05767743, -1.68734727, -4.10787617, -0.11495177])
```

Predict Test Data

```
y pred = lr.predict(X test)
y_pred
Francisco array([18.51865637, 15.09305675, 14.30128789, 23.6753321, 29.7546115
            23.68796629, 26.61066644, 24.56692437, 15.06260986, 11.94312046,
            24.08050053, 27.96518468, 31.66130278, 31.01309132, 18.32428976,
            19.32795009, 28.08847536, 32.1506879 , 31.15859692, 27.15792144,
            18.82433097, 22.54580176, 26.15598115, 32.36393869, 20.74377679,
             8.78027518, 22.19699435, 18.20614294, 25.00052718, 15.26421552,
            23.13441082, 17.10542257, 9.87180062, 30.00790415, 20.41204655,
            29.11860245, 24.4305187 , 21.72601835, 10.51174626, 13.12426391,
            21.41938406, 19.96113872, 6.19146626, 17.79025345, 22.5493033 ,
            29.34765021, 13.4861847 , 25.88852083, 29.40406946, 22.41841964,
            22.07684766, 16.46575802, 24.06290693, 30.12890046, 10.11318121,
             9.85011438, 28.07543852, 23.41426617, 20.08501128, 30.68234133,
            20.92026393, 26.78370281, 22.9078744 , 14.15936872, 24.6439883 ,
            26.95515832, 15.25709393, 24.11272087, 30.80980589, 14.9770217
            27.67836372, 24.2372919 , 10.92177228, 30.22858779, 30.88687365, 27.33992044, 31.18447082, 10.8873597 , 27.63510608, 16.49231363,
            25.63229888, 29.49776285, 14.90393439, 32.78670687, 30.37325244,
            30.9262743 , 14.71702373 , 27.09633246 , 26.69933806 , 29.06424799 ,
            32.45810182, 29.44846898, 31.61239999, 31.57891837, 21.46542321,
            31.76739191, 26.28605476, 28.96419915, 31.09628395, 24.80549594,
            18.76490961, 23.28043777, 23.04466919, 22.14143162, 15.95854367,
            28.62870918, 25.58809869, 11.4040908 , 25.73334842, 30.83500051,
            21.94176255, 15.34532941, 30.37399213, 28.7620624, 29.3639931,
            29.10476703, 20.44662365, 28.11466839])
```

Model Accuracy

```
from sklearn.metrics import mean_absolute_error, mean_absolute_percentage_error, r2_score

mean_absolute_error(y_test, y_pred)

→ 3.3286968643244106

mean_absolute_percentage_error(y_test, y_pred)

→ 0.14713035779536746

r2_score(y_test, y_pred)

→ 0.7031250746717691
```

Polynomial Regression

```
from sklearn.preprocessing import PolynomialFeatures

poly = PolynomialFeatures(degree=2, interaction_only=True, include_bias=False)

X_train2 = poly.fit_transform(X_train)

X_test2 = poly.fit_transform(X_test)

lr.fit(X_train2, y_train)

ThinearRegression
LinearRegression()

lr.intercept_
ThinearRegression()

lr.coef_
ThinearRegression(-2.76070596, -5.00559628, -1.36884133, -0.81225214, 1.24596571, -0.12475017, -0.90542822, 1.35064048, -0.17337823, 1.41680398])

y_pred_poly = lr.predict(X_test2)
```

Model Accuracy

```
from sklearn.metrics import mean_absolute_error, mean_absolute_percentage_error, r2_score

mean_absolute_error(y_test, y_pred_poly)

2.7887147720295977

mean_absolute_percentage_error(y_test, y_pred_poly)

0.1207401834293869

r2_score(y_test, y_pred_poly)

0.7461731314563802
```