# Regression and Classification Exercises

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```
knitr::opts_chunk$set(echo = FALSE)
set.seed(123)

# UCI ML datasets and many simulated datasets available
require(mlbench)
```

## Loading required package: mlbench

```
path=getwd()
# no of records
n = 100
# no of feature
p = 10
giveColNames <- function(p)</pre>
  cnames <- c('target',paste(rep("feature_",p),formatC(1:p,width=floor(1+log10(p)),flag=0,format="d"),s</pre>
writeData <- function(X,y,fname)</pre>
  p <- ncol(X)
  cnames <- c('target',paste(rep("feature_",p),formatC(1:p,width=floor(1+log10(p)),flag=0,format="d"),s</pre>
  # regression problem
  df <- as.data.frame(cbind(y,X))</pre>
  colnames(df) <- cnames</pre>
  write.csv(df,paste(fname,".regr.csv",sep=""),row.names = F)
  yhat <- y-median(y,na.rm = T)</pre>
  prob <- 1/(1+exp(-yhat))
  y <-rbinom(n,1,prob)
  df$target <- y
  write.csv(df,paste(fname,".class.csv",sep=""),row.names = F)
```

# 1. Single Feature

### Data

Generate 100 records with 1 features

## Comments

Should be straight forward

# 2. Multiple Features

# 2a. independent features

## Data

Generate 100 records with 10 indepdent features.

## Comments

• last two features are not important (with lasso, it should produce exact zero)

# 2b correlated features

# Data

Generate 100 records with 10 correlated features.

#### Comments

- last two features are not important (with lasso, it should produce exact zero)
- gradient descent would be unstable
- variable selection is not consistent

## 2c features of different scale

## Data

Generate 100 records with 10 indepdent features. Each feature is on a different scale and different mean

## Comments

- last two features are not important (with lasso, it should produce exact zero)
- gradient descent would be unstable

## 2d correlated features and with different scale

#### Data

Generate 100 records with 10 correlated features. Each feature is on a different scale and different mean

# Comments

- last two features are not important (with lasso, it should produce exact zero)
- gradient descent would be unstable
- variable selection is not consistent

# 2e correlated features and with different scale, mising data and outliers.

# Data

Generate 100 records with 10 correlated features. Each feature is on a different scale and different mean

## Comments

- last two features are not important (with lasso, it should produce exact zero)
- gradient descent would be unstable
- variable selection is not consistent
- regression/classfication are noisy

## Warning in rbinom(n, 1, prob): NAs produced

# 3 Non-Linear regression

#### 3a Friedman-1 benchmark dataset

## Data

Generarte data from

$$y = 10\sin(\pi x_1 x_2) + 20(x_3 - 0.5)^2 + 10x_4 + 5x_5 + e$$

It has 100 records and 10 features and only five are used

## Comments

- can fit linear regression with additional features
- non-parametric method is better in the absence of additional info
- only few features are useful

## 3b Friedman-2 benchmark dataset

# Data

Generarte data from

$$y = (x_1^2 + (x_2x_3 - (1/x_2x_4))^2)^{0.5} + e$$

It has 100 records and 4 features

## Comments

- non-parametric method is better in the absence of additional info
- linear models will be poor fit

## 4 Ozone Data Set

## Data

Leo Breiman, Department of Statistics, UC Berkeley. Data used in Leo Breiman and Jerome H. Friedman (1985), Estimating optimal transformations for multiple regression and correlation, JASA, 80, pp. 580-598.

# Comments

- predict V4 (non-parametric method is better in the absence of additional info
- linear models will be poor fit

## **Exercises**

- 1. Is a simple linear regression model better choice? Explain in your words what is the functional relationship between the target and the predictor? Can it still be called a linear model?
  - DataSets: 1
  - Miconception: Meaning of Linearity
  - Concepts: run simple linear regression and log-linear model, understand the blackbox, implement simple gradient descent and compare model with libraries
- 2. Is a multiple linear regression model better choice? Explain in your words what is the functional relationship between the target and the predictor?
  - DataSets: >1;
  - Miconception: Meaning of Linearity
  - Concepts: Model Selection, Idea of Baseline Model
- 3. Comment on the numerical stability of the model fit?
  - DataSets: 2c-2e;
  - Miconception: Ml is black-box approach
  - Concepts: Dataset Standarization, Collinearity, Robust regression, Missing Value treatment
- 4. Is the model explaing the data? Is your model a good model?
  - DataSets: All;
  - Miconception: ML is a black-box approach, I've THE best model
  - Concepts: Model assessment, explainability vs predictive power
- 5. Is it necessary to preprocess the data? If yes, what sort of data preparation is needed?
  - DataSets: >1;
  - Miconception: I will be given nice, clean data, all that I need to do is just call a function.
  - Concepts: Data cleaning, transformations, check residuals, Iterate between input-model-output-validate
  - Methods: Best subset selection (forward, backward, stagewise), lasso, LARS
- 6. Provide diagnostic plots and critique the model fit
  - DataSets: All;
  - Miconception:
  - Concepts: Residual plots, Generalization Error, Test and Train errors, Model fit statistics such as AIC, BIC
  - $\bullet \ \ {\it Techniques/Methods:} \ {\it Cross-Validation}$