

## Assignment -1

1. Algorithm to find sum of digit of an array

Step 1: Start

Step 2: Initialize  $\text{arr}[] = \{1, 2, 3, 4, 5\}$

Step 3: Set  $\text{sum} = 0$

Step 4:  $\text{length} = \text{size of } (\text{arr}) / \text{size of } (\text{arr}[0])$

Step 5: Set  $= \cancel{\text{sum}} + \cancel{\text{arr}[i]}$  for  $i < n$ . Repeat step 6 & 7 until  
~~as~~  $i < \text{length}$

Step 6:  $\text{Sum} = \text{sum} + \text{arr}[i]$

Step 7:  $i = i + 1$

Step 8: Print "sum of all elements of an array" by assigning  
 $\text{sum}$ .

Step 9: Return 0

Step 10: End

2. Algorithm to find largest & smallest element in array.

Step 1: Start

Step 2: Input the array elements

Step 3: Initialize  $\text{small} = \text{large} = \text{arr}[0]$

Step 4: Repeat from  $i = 2$  to  $n$

Step 5: if ( $\text{arr}[i] > \text{large}$ )

Step 6:  $\text{large} = \text{arr}[i]$

Step 7: if ( $\text{arr}[i] < \text{small}$ )

Step 8:  $\text{small} = \text{arr}[i]$

Step 9: Print  $\text{small}$  &  $\text{large}$

Step 10: Return 0

Step 11: End

3) Algorithm to print reverse of an array.

Step 1: start

Step 2: Initialize arr [7] = {1, 2, 3, 4, 5}

Step 3: length = size of (arr) size of arr[0]

Step 4: Print "original array".

Step 5: Repeat step 6 & 7 until i < length

Step 6: Print arr[i]

Step 7: i = i + 1

Step 8: Print newline

Step 9: Print "Array in reverse order"

Step 10: Set i = length - 1. Repeat step 11 & 12 until  
i >= 0

Step 11: Print arr[i]

Step 12: i = i - 1

Step 13: Return 0

Step 14: End

$$4. a \cdot K + L - M * N + (O ^ P)^* W / U / V ^* T + Q$$

Input	Stack	Last fix Exp	Rank
K	K	#	0
+	+	1K	1
L	+L	.K	1
-	-	KL+	1
M	-M	KL+	1
*	-*	KL+M	2
N	-*N	KL+M	2
+	+	KL+MN--	1
(	+C	KL+MN*-	1
O	+CO	KL+MN*-	1
^	-C^	KL+MN*-O	2
P	+ C^P	'KL+MN*-O	2

)	+	$KL + MN * - OP^*$	2
*	+ *	$KL + MN * - OP^*$	2
W	+ * W	$KL + MN * - OP^* W$	2
/	+ /	$KL + MN * - OP^* W /$	2
V	+ / V	$KL + MN * - OP^* W / V$	2
*	+ *	$KL + MN * - OP^* W / V$	2
+	+ * +	$KL + MN * - OP^* W / V /$	2
+	+	$KL + MN * - OP^* W / V / +$	
Q	+ Q	$KL + MN * - OP^* W / V / + Q$	
#	#	$KL + MN * - OP^* W / V / + Q #$	

Since rank = 1 (Expression is valid)

Postfix expression :  $KL + MN * - OP^* W * U / V / + * + Q #$

b.  $A + B * - F + A * E$

Reverse expression :  $E * A + E - * B + A$

Input	Stack	Output	Rank
E		#	
*	* E		
A	* A	E	1
+	+	EA *	1
E	+ E	EA *	1
-	-	EA - F +	1
*	- *	EA * F +	1
B	- * B	EA * F +	1
+	+	EA * F + B * -	0
A	+ A	EA * F + B * - A +	0

Output is:  $E A^* F + B^* - A +$   
 since rank = 0, expression is not valid.

Conversion from infix to postfix

Input	stack	Output	Rank
A	#	#	
+	+	A	1
B	+B	A	1
*	+*	AB	2
-	-	AB**	0
F	-F	AB*F	0
+	+	AB*F-	0
A	+A	AB*F-A	0
*	+*	AB*F-A	1
E	+ * E	AB*F-A	1
#	#	AB*F-AE*#	0

Q3) 0 Postfix expression:  $AB^*F - AE^* +$   
 since rank = 0, expression is not valid

Q5] a) ABC/-AK/L-\*

Input	stack	Infix Exp	Rank
A	#	#	0
B	AB	#	0
C	ABC	#	0
/	ABC/	#	0
-	(ABC)/	#	0
A	(ABC)A	#	0
K	(ABC)AK	#	0
/	(ABC)AK/	#	0
-	(ABC)AK/L	#	0

$- (A - (B/C)) ((A/K) - L) \# 0$   
 $* (A - (B/C)) * ((A/K) - L) \# 0$   
 $\# \# (A - (B/C)) * ((A - K) - L) 1$

since rank = 1, expression is valid

(converting to prefix:

Reversing expression : )L-)K-A((\*))C/B(-AC

input	stack	output	Rank
)	)	#	0
L	)L	#	0
-	)-	L	1
)	)-	L	1
K	)-)K	L	1
/	)-) /	LK	2
A	)-) /A	LK	2
(	)-	LKA/	2
	#	LKA/-	1
	*	LKA/-	1

input	stack	output	Rank
)	*)	LKA/-	1
)	*)	LKA/-	1
C	*)*) C	LKA/-	1
/	*)*) /	LKA/-C	2
B	*)*) /B	LKA/-C	2
C	*)	LKA/-CB/	2
-	*)-	LKA/-CB/	2
A	*) -A	LKA/-CB/A-	2
C	-	LKA/-CB/A-	2

A LKA1-001A-P 1

since rank = 1, expression is valid

### b. Postfix to Infix

Input	Stack	Output	Rank
A	A	H	0
B	A B	H	0
C	A B C	H	0
D	A B C D	H	0
^	A B C C ^ D	H	0
E	A B C C ^ D E	H	0
-	A B C C ^ D - E	H	0
*	A C D - C C ^ D - E	H	0
+	A + C D - C C C ^ D - E	H	0
*	H	A + C D - C C C ^ D - E	1

since rank = 1, expression is valid

Then to convert this expression to infix.

Reversing expression  $\rightarrow A + C D - C C C ^ D - E$

Input	Stack	Output	Rank
A	A	H	0
B	A B	H	0
C	A B C	H	0
*	A B C * C	H	0
+	A + C B * C	H	0
D	(A + C B * C) D	H	0
+	((A + C B * C) D) + D	H	0
E	((A + C B * C) D) + D E	H	0

F	$((A + (B * C)) + D)EF$	#	2 0
#	#	$((A + (B * C)) + D)FF$	3

Infix Expression is  $((A + (B * C)) + D)EF$   
 Rank = 3, thus, expression is not valid.

Converting this into prefix:

Reversing the expression  $FE)D^))C*B(C+A(($

Input	stack	output	Rank
F	F	#	0
E	E	FE	1
)	)	FE	2
D	)D	FE*	2
+	)+	FED	3
)	)+)	FED	3
)	)++)	FED	3
(	)++)()	FED	3
*	)++)()*	FEDC	4
B	)++)()*B	FEDC	4
^	)++)	FEDCB*	4
+	)++)+	FEDCB*	4
A	)++)+A	FEDCB*	2
(	)+	FEDCB* A + .	4
(	#	FEDCB* A + +	3

∴ Prefix expression is  $+ + A * B C D E F$   
 Rank = 3, thus expression is invalid.

Qb) a.) Reversing expression : H G + F E / / D C B A ^ K - P

Input	Stack	Output	Rank
H	H	#	0
G	H G	#	0
+	(G + H)	#	0
F	(G + H) F	#	0
E	(G + H) F E	#	0
/	(G + H) (E / F)	#	0
/	((E / F) / (G + H))	#	0
D	((E / F) / (G + H)) D	#	0
e	((E / F) / (G + H)) DC	#	0
B	((E / F) / (G + H)) DCB	#	0
A	((E / F) / (G + H)) DCBA	#	0
^	((E / F) / (G + H)) DC(A ^ B)	#	0
*	((E / F) / (G + H)) DC((A ^ B) * C)	#	0
-	((E / F) / (G + H)) DC((A ^ B) * C) - D	#	0
+	((((A ^ B) * C) - D) + ((E / F) / (G + H)))	#	0
#	#	((((A ^ B) * C) - D) + ((E / F) / (G + H)))	1

Infix expression is  $((((A ^ B) * C) - D) + ((E / F) / (G + H)))$

Since Rank = 1 expression is valid

Converting to postfix

$((((A ^ B) * C) - D) + ((E / F) / (G + H))))$

Input	Stack	Output	Rank
C	C	#	0
C	CC	#	0
C	CCC	#	0

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A	B(CA)	#	O
+	(CC +	A	1
B	(CC + B	A	1
)	CC	AB*	1
*	CC *	AB+	1
C	CC * C	AB+	1
C	CC - CC	AB+	1
C	CC * CC C	AB+	1
+	CC * CC +	AB+C	2
D	CC * CC + D	AB+C	2
)	CC + C	AB+CD+	2
-	CC - C -	AB+CD+	2
E	CC + C - E	AB+CD+	2
)	CC *	AB+CD+E -	2
)	C	AB+CD+E - *	1
*	C *	AB+CD+E - *	1
F	C - F	AB+CD+E - F	1
)	#	AB+CD+E - F #	1

Post fix expression is AB+CD+E - F #  
 Rank = 1, thus expression is valid.

a. a) 100 200 + 2 / 5 \* 7 +

→ Rank = 1

thus this expression can be solved

Input

100

200

+

Stack

(100)

(100) (200)

(300) (2)

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$$\begin{array}{r}
 1 \\
 5 \\
 * \\
 7 \\
 + \\
 \end{array}
 \quad
 \begin{array}{l}
 (300/2) \\
 (150)(5) \\
 (150 * 5) \\
 (150 * 5)(7) \\
 (750 + 7) \\
 \hline
 (757)
 \end{array}$$

$$\therefore 100 \cdot 200 + 2 / 5 * 7 + = 757$$

b) 25 36 + \* \* 5/2 -

$$\rightarrow \text{Rank} = 1 + 1 + 1 + 1 + 1 - 1 - 1 - 1 + 1 - 1 + 1 - 1$$

$$\text{Rank} = 1$$

thus this expression can be solved

Input	Stack
2	(2)
5	(2) (5)
3	(2) (5) (3)
6	(2) (5) (3) (6)
+	(2) (5) (3+6)
*	(2) (5 + a)
*	(2 * 45)
5	(90) (5)
1	(90 15)
2	(18) (2)
-	(18 - 2)
#	(16)

$$\therefore 2536 + * * 5/2 - = 16$$

Academic Year:-

7. i. A deque is a list in which the elements can be inserted or deleted at either end.
- ii. However, no element can be added or deleted from the middle of the dequeue.
- iii. In a dequeue two pointers are maintained, LEFT and RIGHT, which point to either end of the dequeue.
4. Types of dequeue
- (a) Input restricted dequeue - In this dequeue, insertions can be done at one of the ends, while deletions can be done from both ends.
- (b) Output restricted dequeue - In this dequeue, deletions can be done only one end while insertions can be done at both ends.

### 5. Algorithms:-

#### (a) Insertion at Front

PROCEDURE DEQ\_FINSERT(Q,F,R,N,Y)

1 [checks for availability]

if F=1

then write ('cannot add element s at front')

return

2. [Decrement front pointer]

F  $\leftarrow$  F-1

3 [Insert element]

Q[F]  $\leftarrow$  Y

return

(b) Insertion at Rear :

1. [Check for availability]  
if  $R = N$   
write ('Cannot add elements at rear')  
return
2. [Increment rear pointer]  
 $R \leftarrow R + 1$
3. [Insert element]  
 $Q[R] \leftarrow X$   
return

(c) Deletion at front

Function Def F Delete(Q, F; R, N, Y)

1. [check for availability]  
if  $F = N$   
write ('cannot delete value at front')  
return
2. [Delete element]  
 $Y \leftarrow Q[F]$
3. [Check Queue empty or increment front pointer]  
if  $F = R$   
then  $F \leftarrow R + 1$   
else  $F \leftarrow F + 1$
4. [Return element]  
return (Y)

Applications of Queue:

1. Queues can be used to manage the order and priority of incoming tasks or request.
2. Queues can be used to store nodes and perform graph traversal algorithms operations like adding

or removing nodes from both ends of the deque

3. Dequeues can be used to check if a string or number is a palindrome.

2. Dequeues can be used to make undo operations of a software application.

- Q8 → 1. A linked list is a data structure that consists of a sequence of nodes, each containing some data and a pointer to the next node.
2. A linked list can be used to store and manipulate data in a student information management system.
3. Algorithm for insertion at beginning

Step 1: IF AVAIL = NULL

    Write OVERFLOW

    Go to step 7

    [END OF IF]

Step 2: SET NEW-NODE = AVAIL

~~Step 3: SET NEW-NODE →~~

Step 3: SET AVAIL = AVAIL → NEXT

Step 4: SET NEW-NODE → DATA = VAL

Step 5: SET NEW-NODE → NEXT = START

Step 6: SET START = NEW-NODE

Step 7: EXIT

4. Algorithm for insertion at end

Step 1: IF AVAIL = NULL

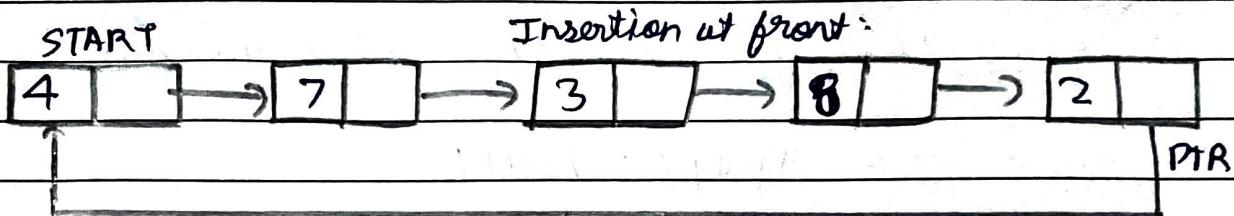
    Write OVERFLOW

    Go to step 10

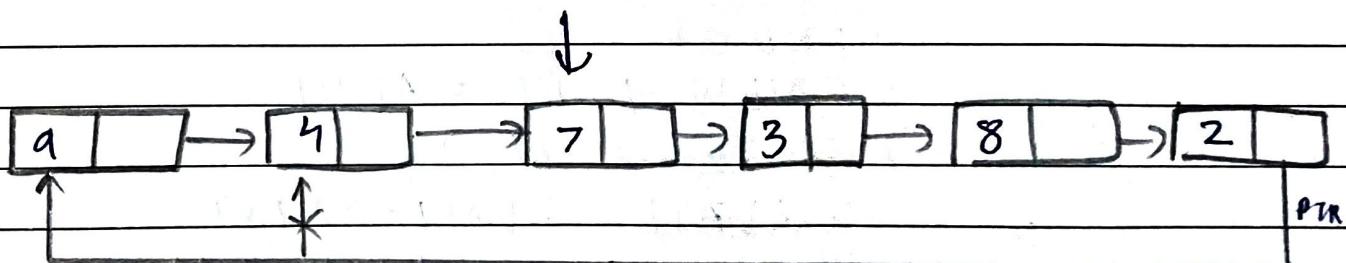
    [END OF IF]

- Step 2: SET NEW-NODE = AVAIL
- Step 3: SET AVAIL = AVAIL  $\rightarrow$  NEXT
- Step 4: SET NEW-NODE  $\rightarrow$  DATA = VAL
- Step 5: SET NEW-NODE  $\rightarrow$  NEXT = NULL
- Step 6: SET ~~START = NEW-NODE~~ PTR = START
- Step 7: Repeat step 4 while PTR  $\rightarrow$  NEXT != NULL
- Step 8: SET PTR = PTR  $\rightarrow$  NEXT
- [ END OF LOOP ]
- Step 9: SET PTR  $\rightarrow$  NEXT = NEW-NODE
- Step 10: EXIT

Q 4.



Data to be inserted              9



### Algorithm

Step 1: IF AVAIL = NULL  
 Write Overflow  
 Go to Step 1

[ END OF IF ]

Step 2: SET NEW-NODE = AVAIL

Step 3: SET AVAIL = AVAIL  $\rightarrow$  NEXT

Step 4: SET NEW-NODE  $\rightarrow$  DATA = VAL