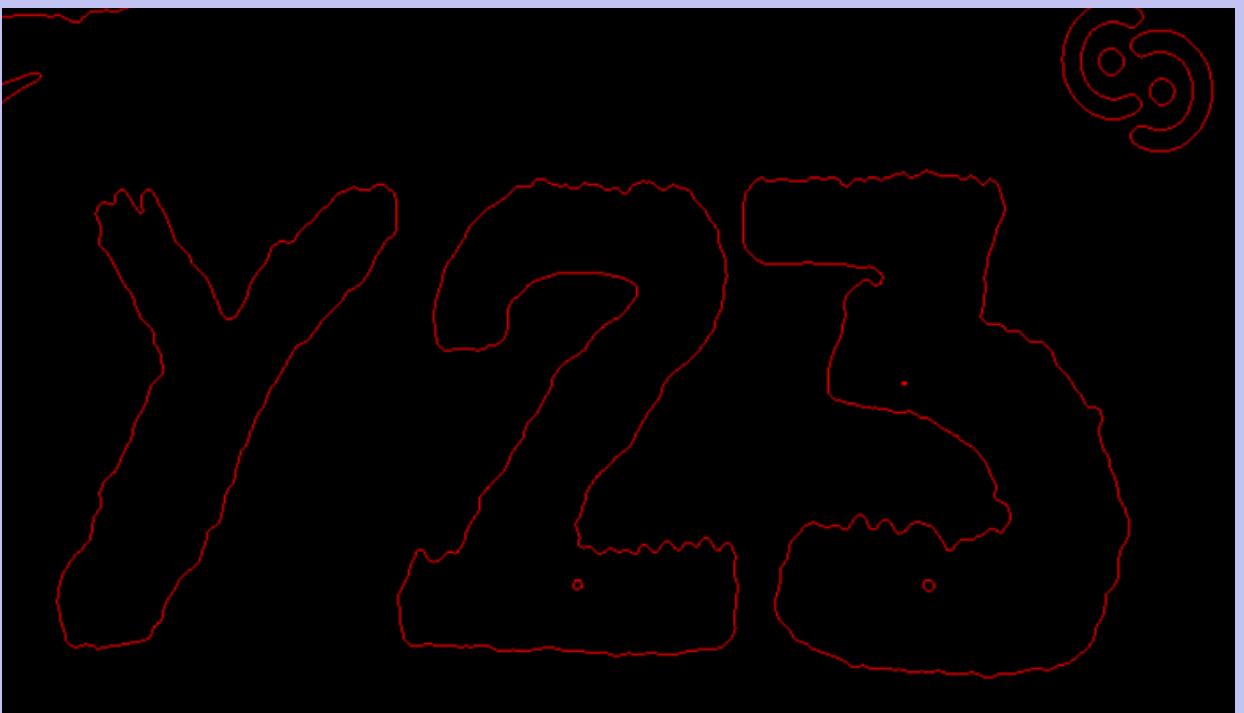
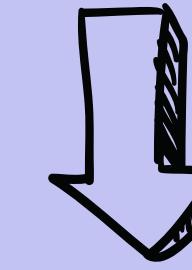
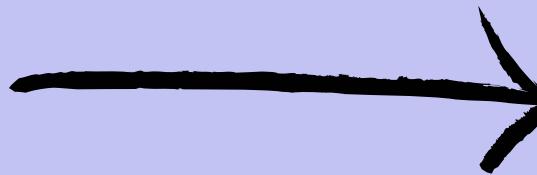




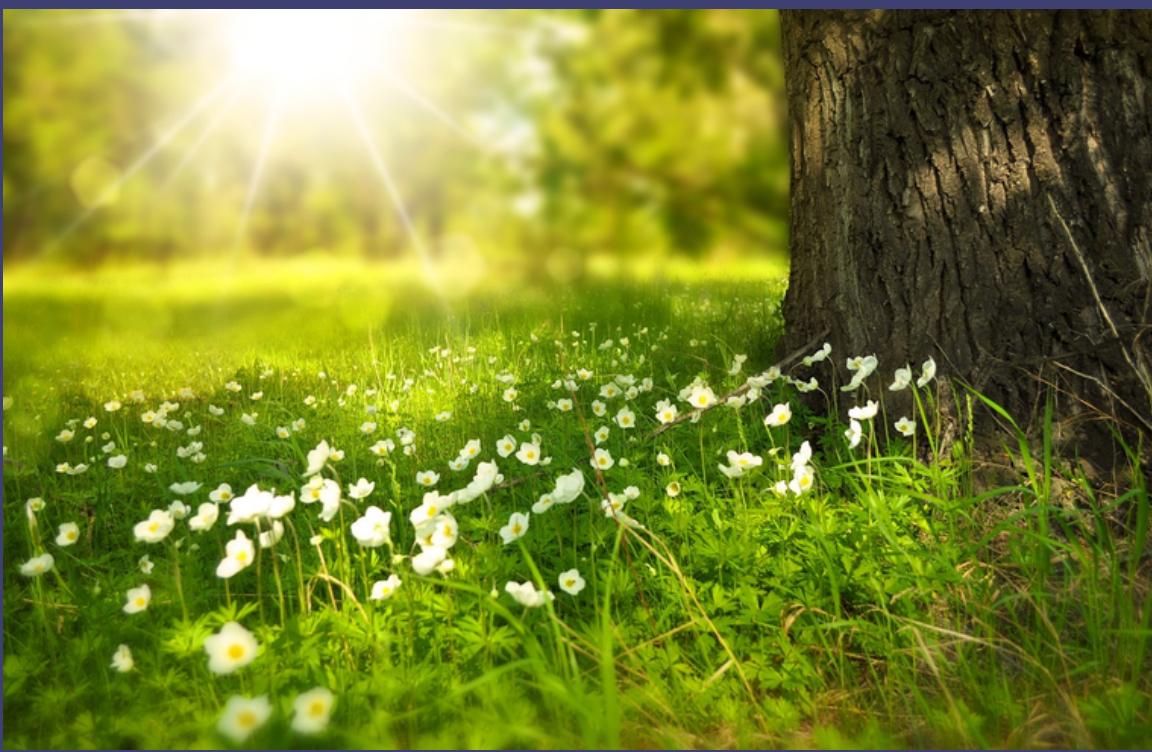
ELECTRONICS CLUB

IMAGE PROCESSING AND COMPUTER VISION

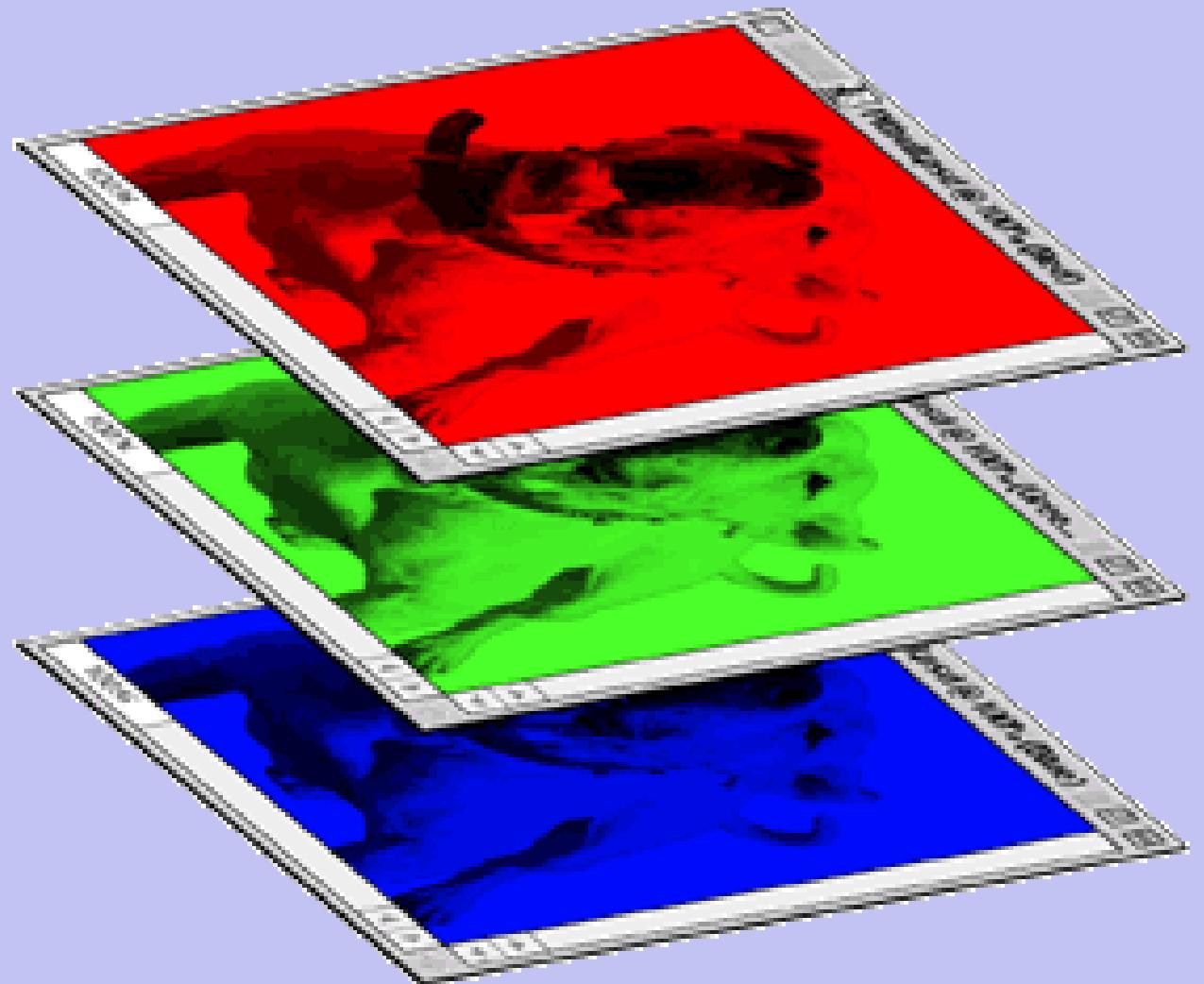
- HOW CAN IMAGE PROCESSING CAN SOMETIMES DO MAGIC ?!



WHAT ARE IMAGES ?



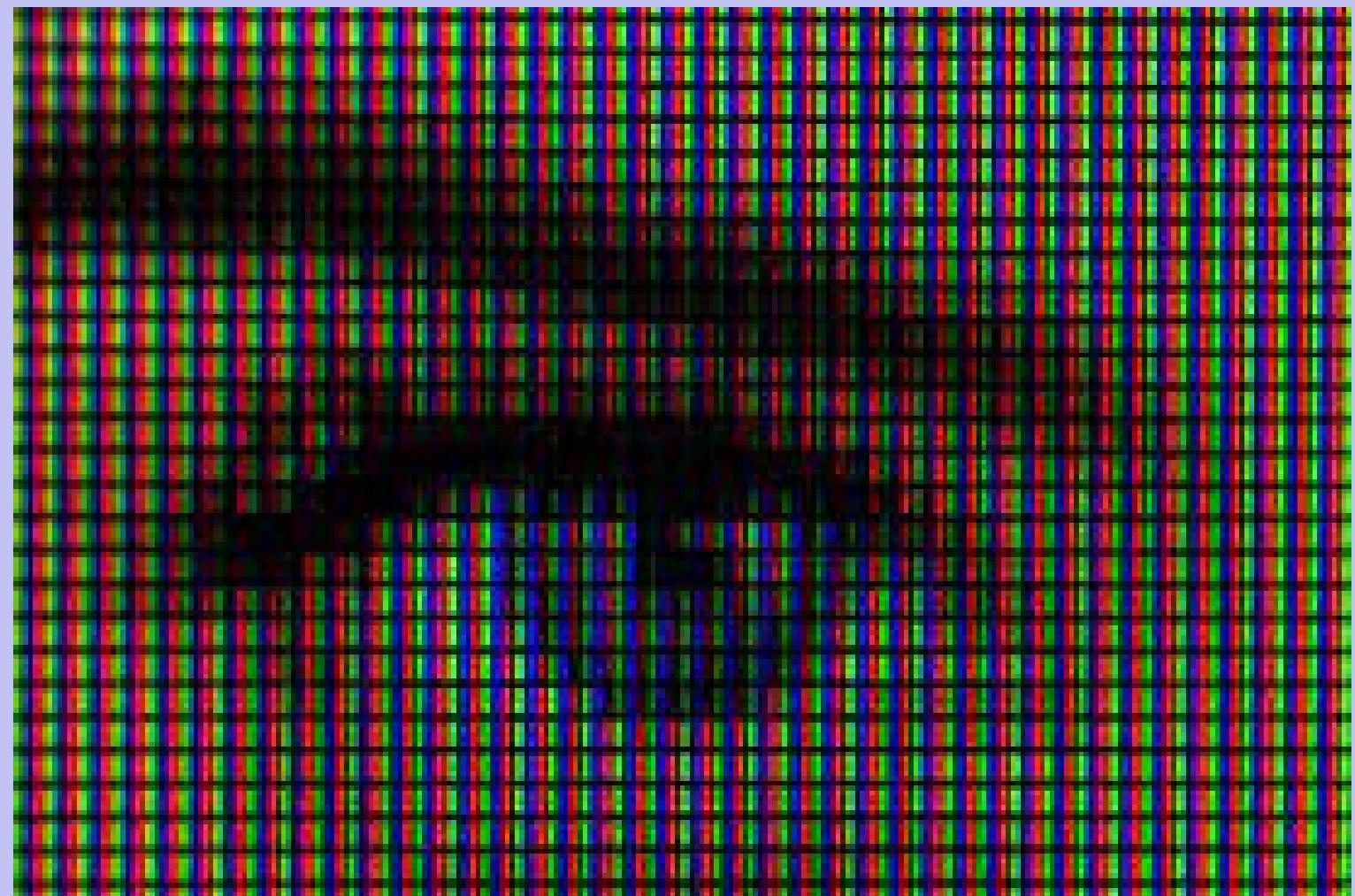
HOW YOUR COMPUTER PERCEIVES IMAGES ?



Red Channel

Green Channel

Blue Channel



HOW COMPUTER SAVE YOUR MEMORIES :)



HOW TO ACCESS EACH BGR VALUES OF EACH PIXEL IN AN IMAGE ?

- *The image is a 3D array with the BGR values stored in each box.*
- *We will look more how they are stored when we will start Image Enhancement Program*

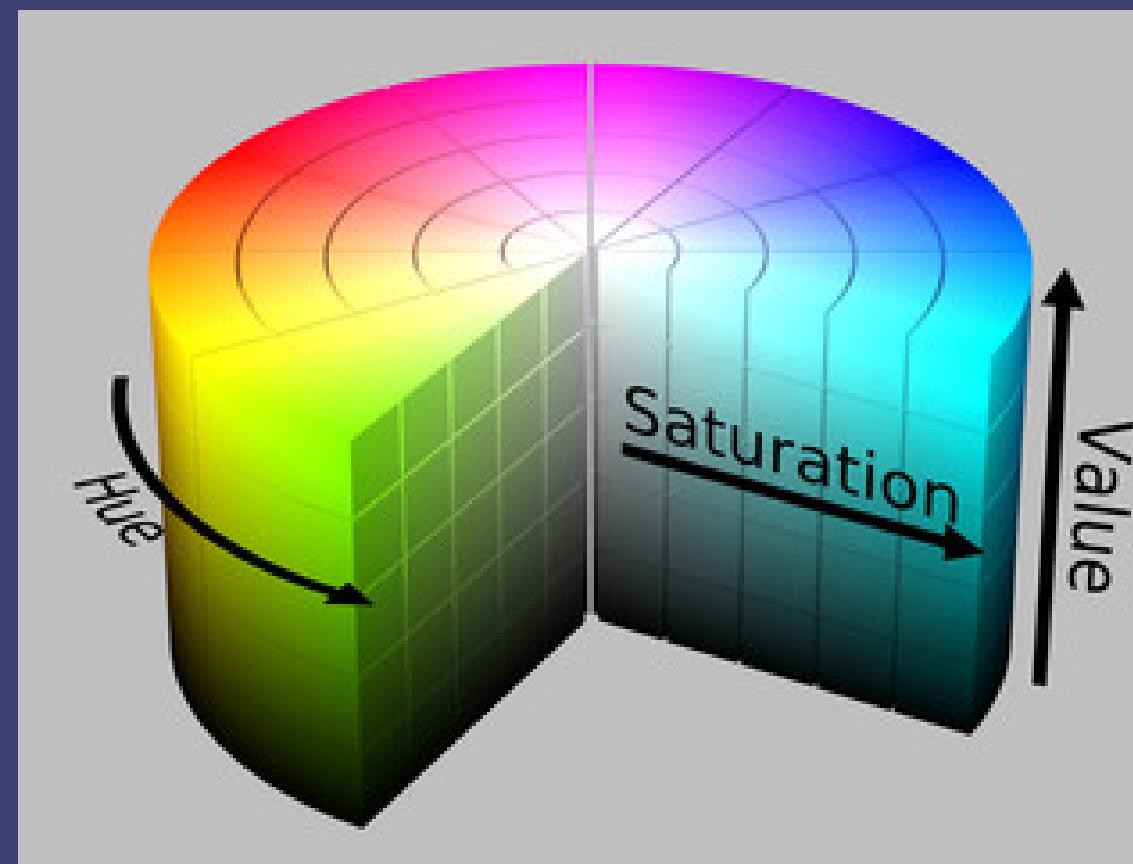
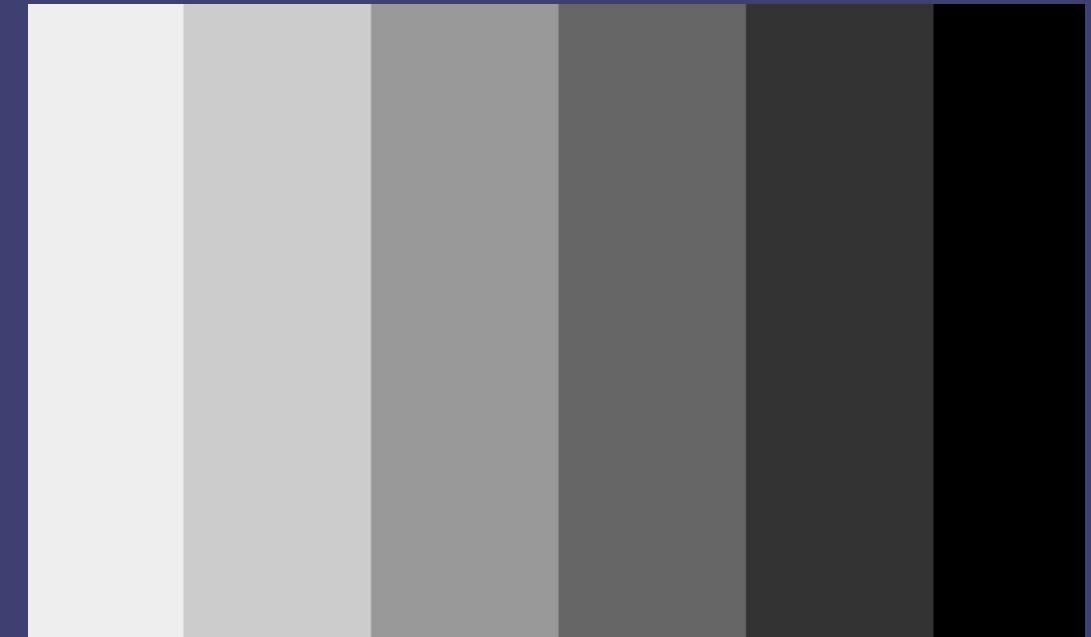
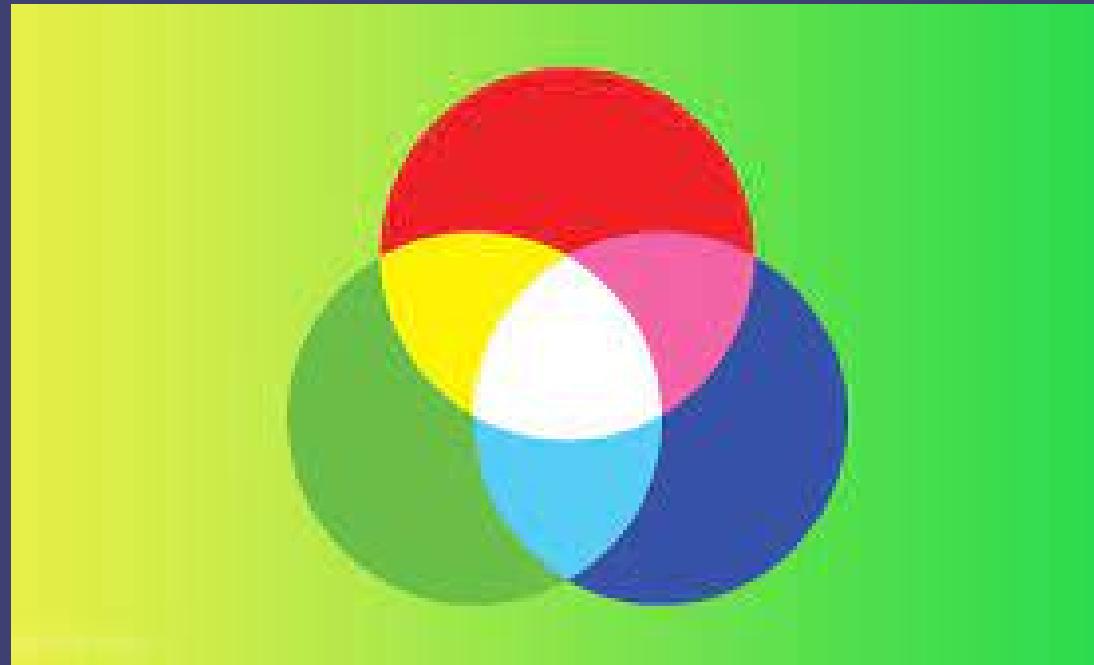
Product C:

```
[[[ 57  21  48  0]
  [ 71  27  60  0]
  [111  51  96  0]]]
```

```
[[ 66  16  36  18]
 [ 95  22  58  29]
 [ 83  20  46  23]]
```

```
[[ 44  34  72  44]
 [ 34  32  72  34]
 [ 13  25  64  13]]], shape=(3, 3, 4)
```

WHAT IS BGR, RGB, HSV, GRayscale ?



PROBLEM WITH BGR !!



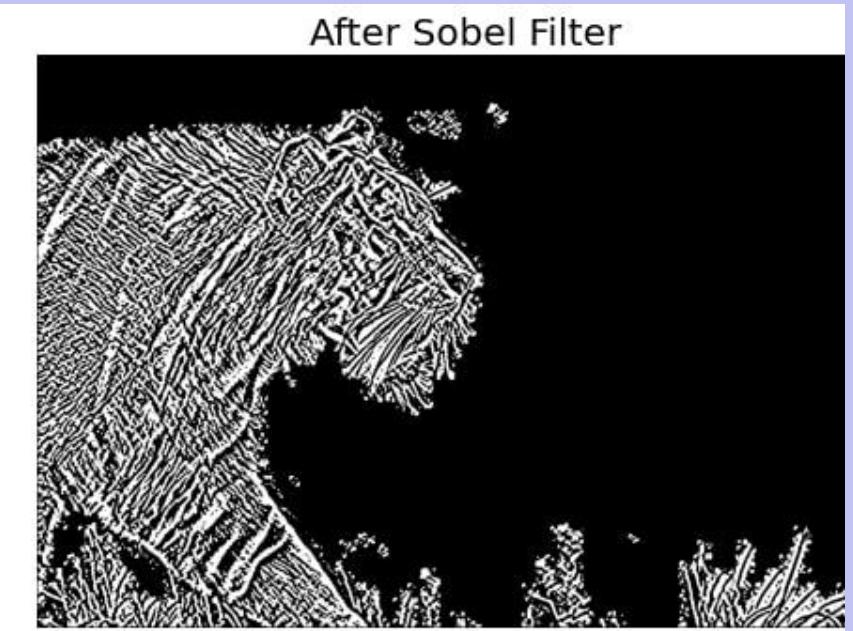
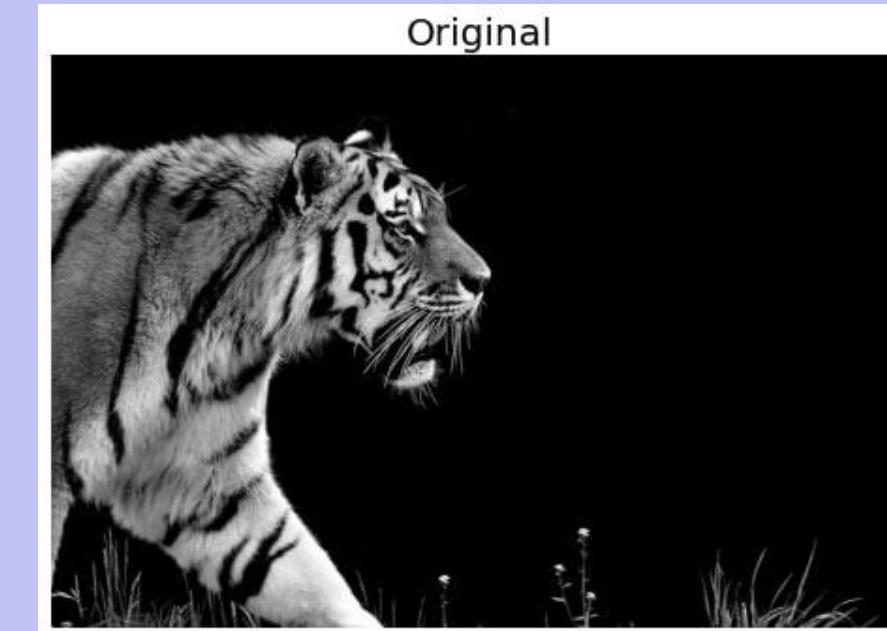
#66b2b2

- Can not perceive its RGB value with naked eyes.
- RGB does not represent how we humans perceive color.

GUESS THE R VALUE IN
THIS COLOR ?

DEMO

LETS US KNOW THE DIFFERENT FUNCTIONS YOU WERE USING!!



Canny

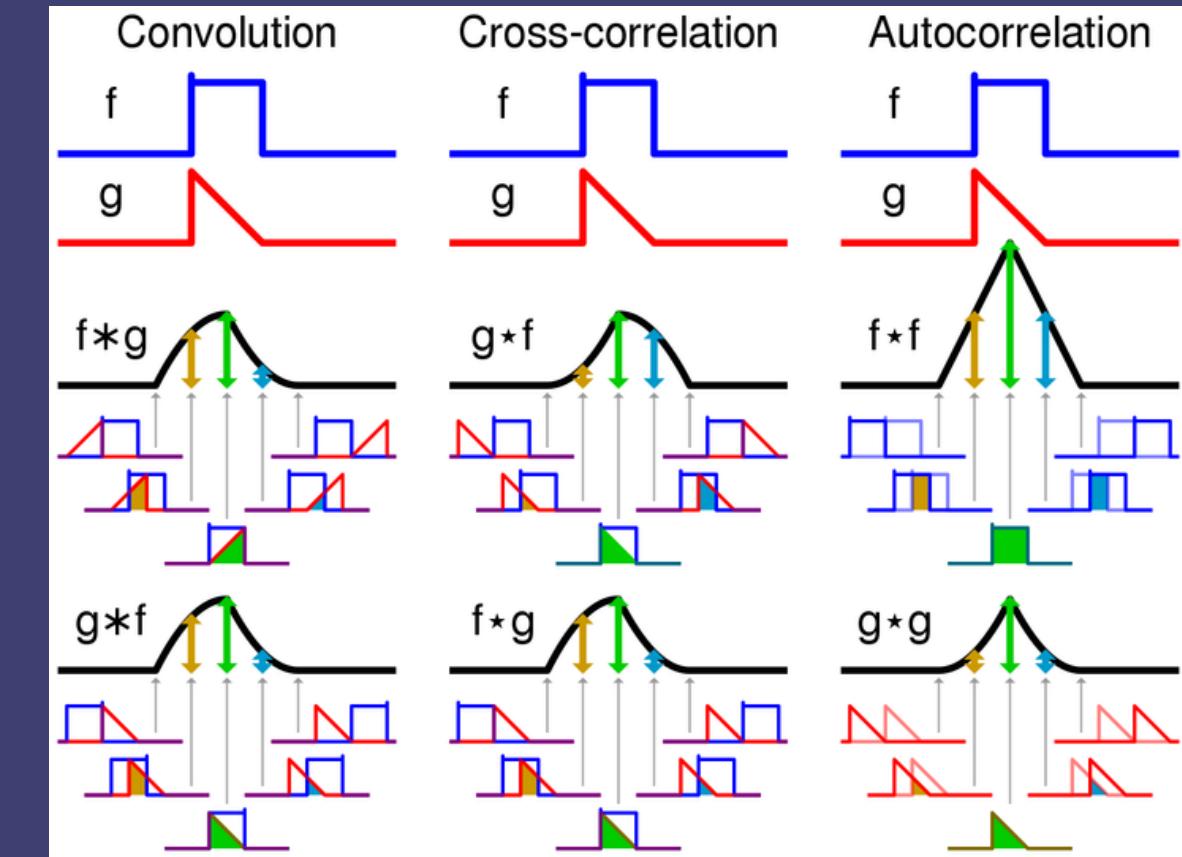
Sobel

Canny Edge detection is an Algorithm consisting of 4 major steps:

- Reduce Noise using Gaussian Smoothing.
- Compute image gradient using Sobel filter.
- Apply Non-Max Suppression or NMS to just keep the local maxima
- Finally, apply Hysteresis thresholding which has 2 threshold values T_{upper} and T_{lower} which is used in the Canny() function.

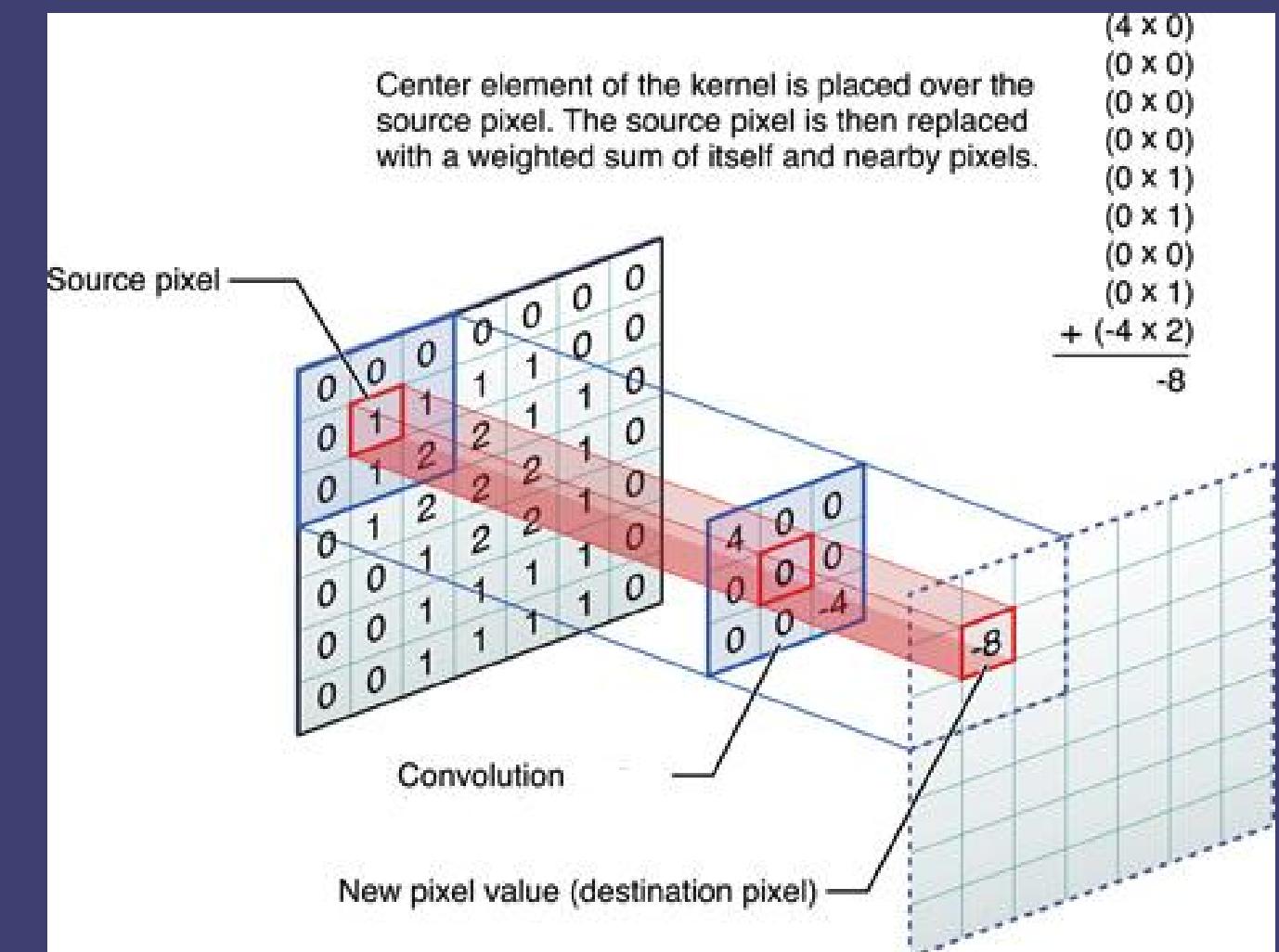
LETS START FROM BAS1CS !!

- What is Convolution ??

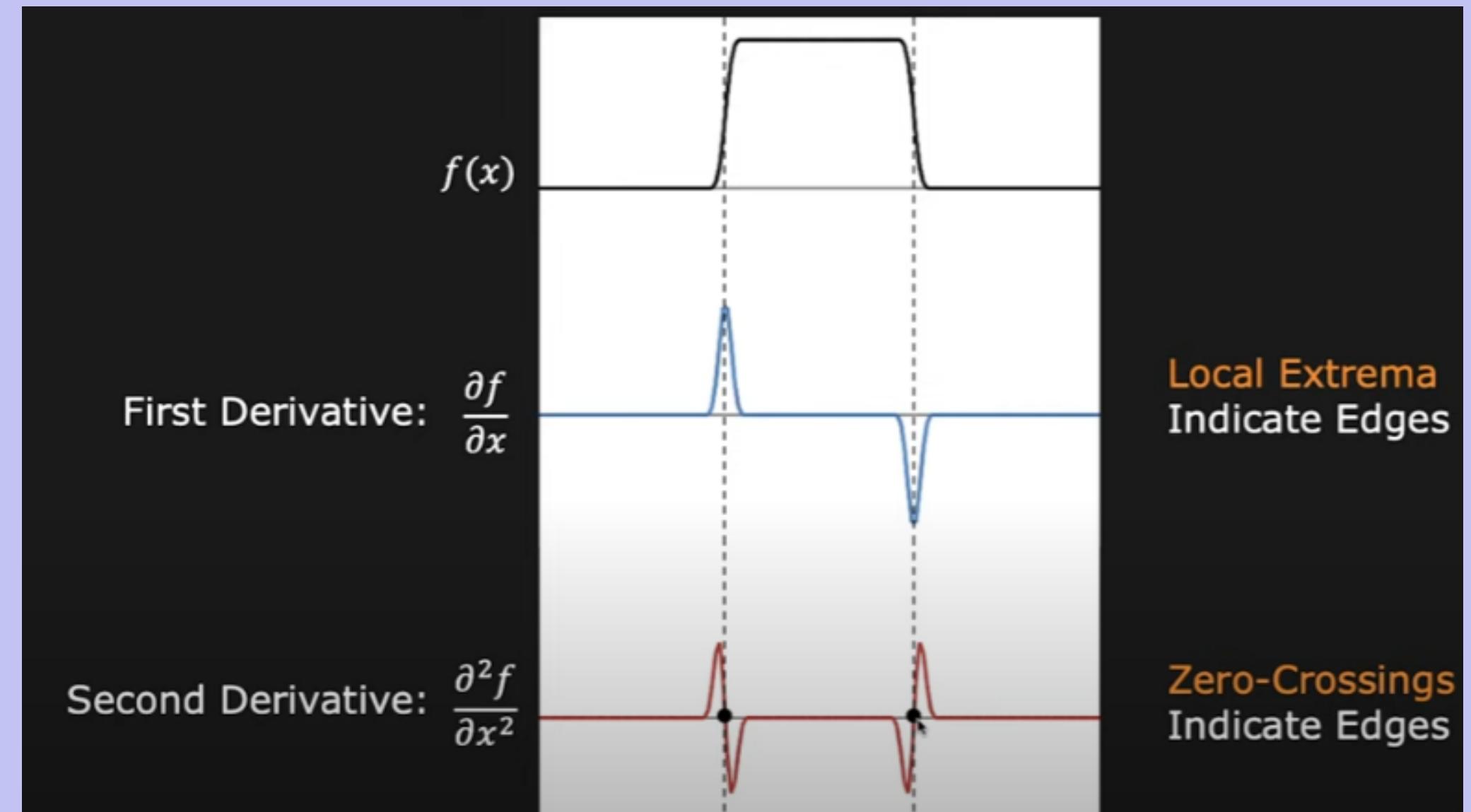


$$(f * g)(t) \stackrel{\text{def}}{=} \int_{-\infty}^{\infty} f(\tau)g(t - \tau) d\tau$$

To convolve a kernel with an input signal:
 flip the signal, move to the desired time,
 and accumulate every interaction with the kernel



GRADIENT

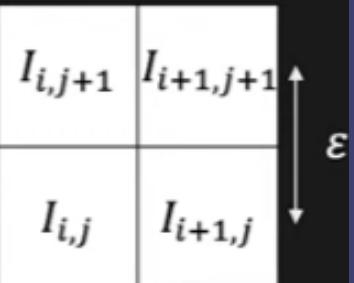


APPROXIMATIONS AND FILTERS

Finite difference approximations:

$$\frac{\partial I}{\partial x} \approx \frac{1}{2\varepsilon} \left((I_{i+1,j+1} - I_{i,j+1}) + (I_{i+1,j} - I_{i,j}) \right)$$

$$\frac{\partial I}{\partial y} \approx \frac{1}{2\varepsilon} \left((I_{i+1,j+1} - I_{i+1,j}) + (I_{i,j+1} - I_{i,j}) \right)$$



Can be implemented as Convolution!

$$\frac{\partial}{\partial x} \approx \frac{1}{2\varepsilon} \begin{bmatrix} -1 & 1 \\ -1 & 1 \end{bmatrix}$$

$$\frac{\partial}{\partial y} \approx \frac{1}{2\varepsilon} \begin{bmatrix} 1 & 1 \\ -1 & -1 \end{bmatrix}$$

Gradient	Roberts	Prewitt	Sobel (3x3)	Sobel (5x5)
$\frac{\partial I}{\partial x}$	$\begin{bmatrix} 0 & 1 \\ -1 & 0 \end{bmatrix}$	$\begin{bmatrix} -1 & 0 & 1 \\ -1 & 0 & 1 \\ -1 & 0 & 1 \end{bmatrix}$	$\begin{bmatrix} -1 & 0 & 1 \\ -2 & 0 & 2 \\ -1 & 0 & 1 \end{bmatrix}$	$\begin{bmatrix} -1 & -2 & 0 & 2 & 1 \\ -2 & -3 & 0 & 3 & 2 \\ -3 & -5 & 0 & 5 & 3 \\ -2 & -3 & 0 & 3 & 2 \\ -1 & -2 & 0 & 2 & 1 \end{bmatrix}$
$\frac{\partial I}{\partial y}$	$\begin{bmatrix} 1 & 0 \\ 0 & -1 \end{bmatrix}$	$\begin{bmatrix} 1 & 1 & 1 \\ 0 & 0 & 0 \\ -1 & -1 & -1 \end{bmatrix}$	$\begin{bmatrix} 1 & 2 & 1 \\ 0 & 0 & 0 \\ -1 & -2 & -1 \end{bmatrix}$	$\begin{bmatrix} 1 & 2 & 3 & 2 & 1 \\ 2 & 3 & 5 & 3 & 2 \\ 0 & 0 & 0 & 0 & 0 \\ -2 & -3 & -5 & -3 & -2 \\ -1 & -2 & -3 & -2 & -1 \end{bmatrix}$

$\frac{m}{n}$	-1	0	1
-1	-1	-2	-1
0	0	0	0
1	1	2	1

Input Kernel Output

1	2	1			
0	0	0	2	3	
-1	1	2	3		
	-2	5	4	5	6
			7	8	9

1	2	1			
0	0	0	2	3	
-1	1	2	3		
	-2	5	4	5	6
			7	8	9

1	1	2	1			
0	0	0	2	3		
-1	1	2	3			
	-2	5	4	5	6	
			7	8	9	

1	2	1	2	3		
0	0	0	5	6		
-1	1	2	4	5	6	
	-2	5	7	8	9	

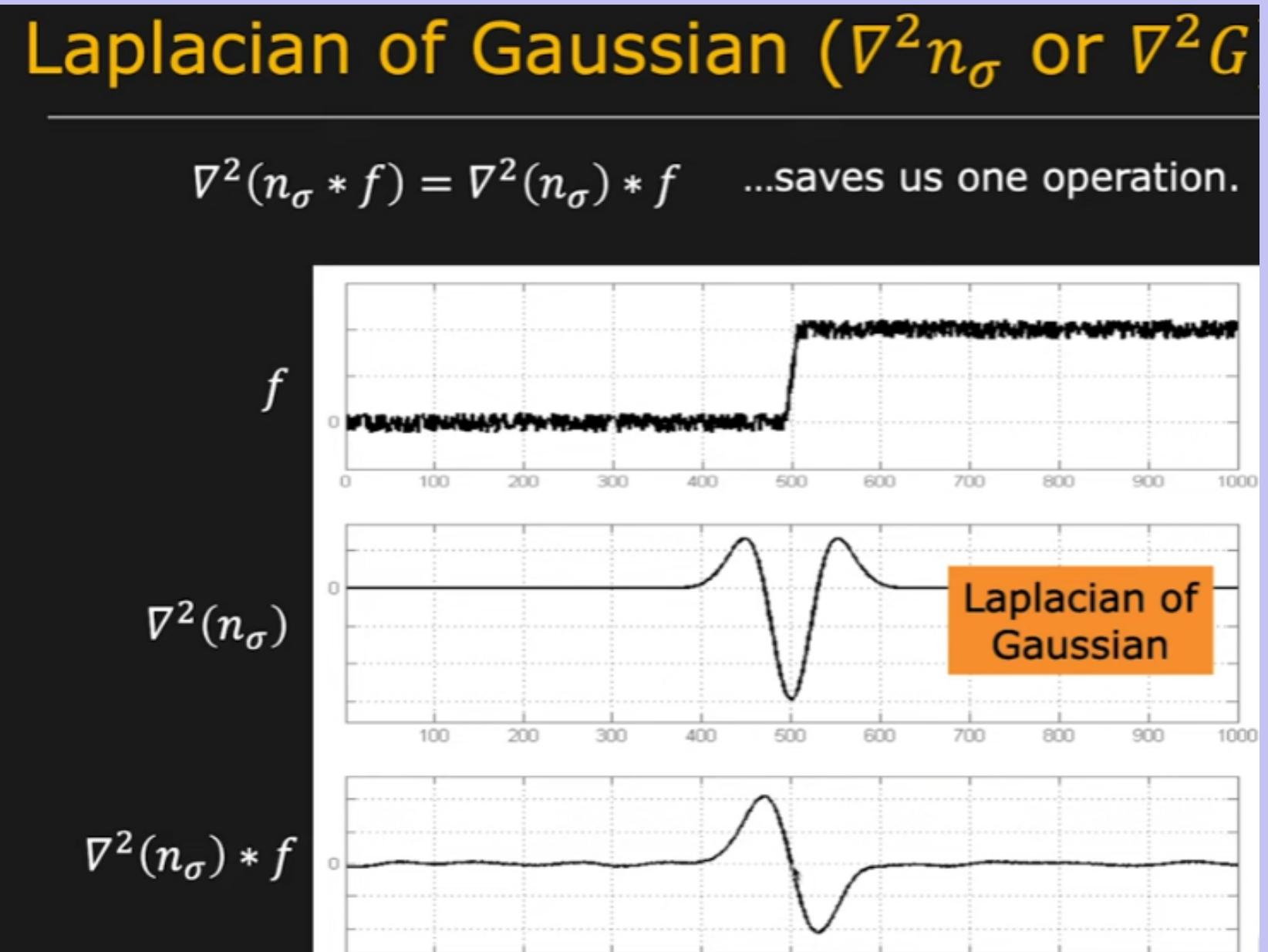
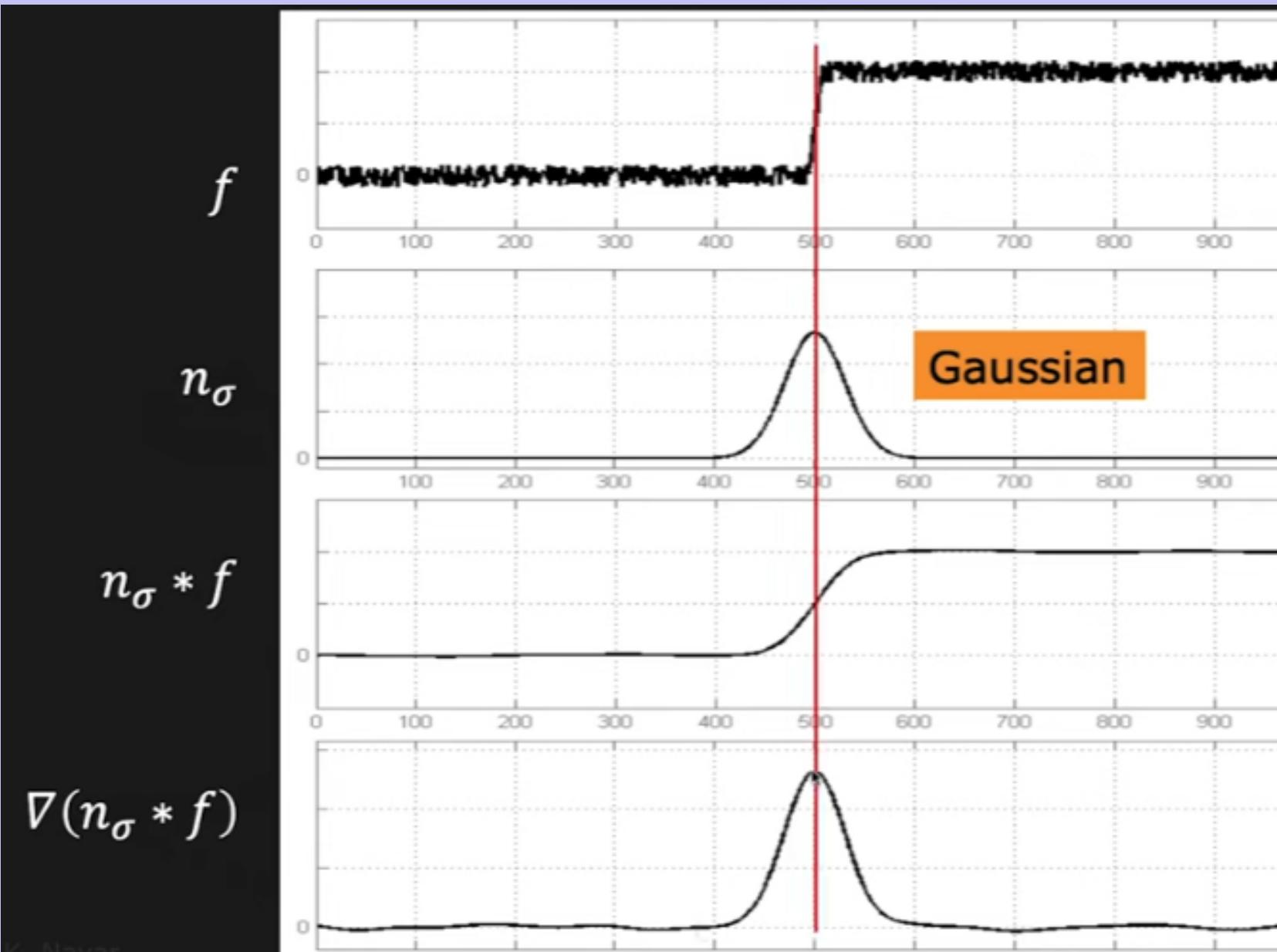
10	10	10	10	0	0	0	0
10	10	10	10	0	0	0	0
10	10	10	10	0	0	0	0
10	10	10	10	0	0	0	0
10	10	10	10	0	0	0	0
10	10	10	10	0	0	0	0
10	10	10	10	0	0	0	0
10	10	10	10	0	0	0	0

*

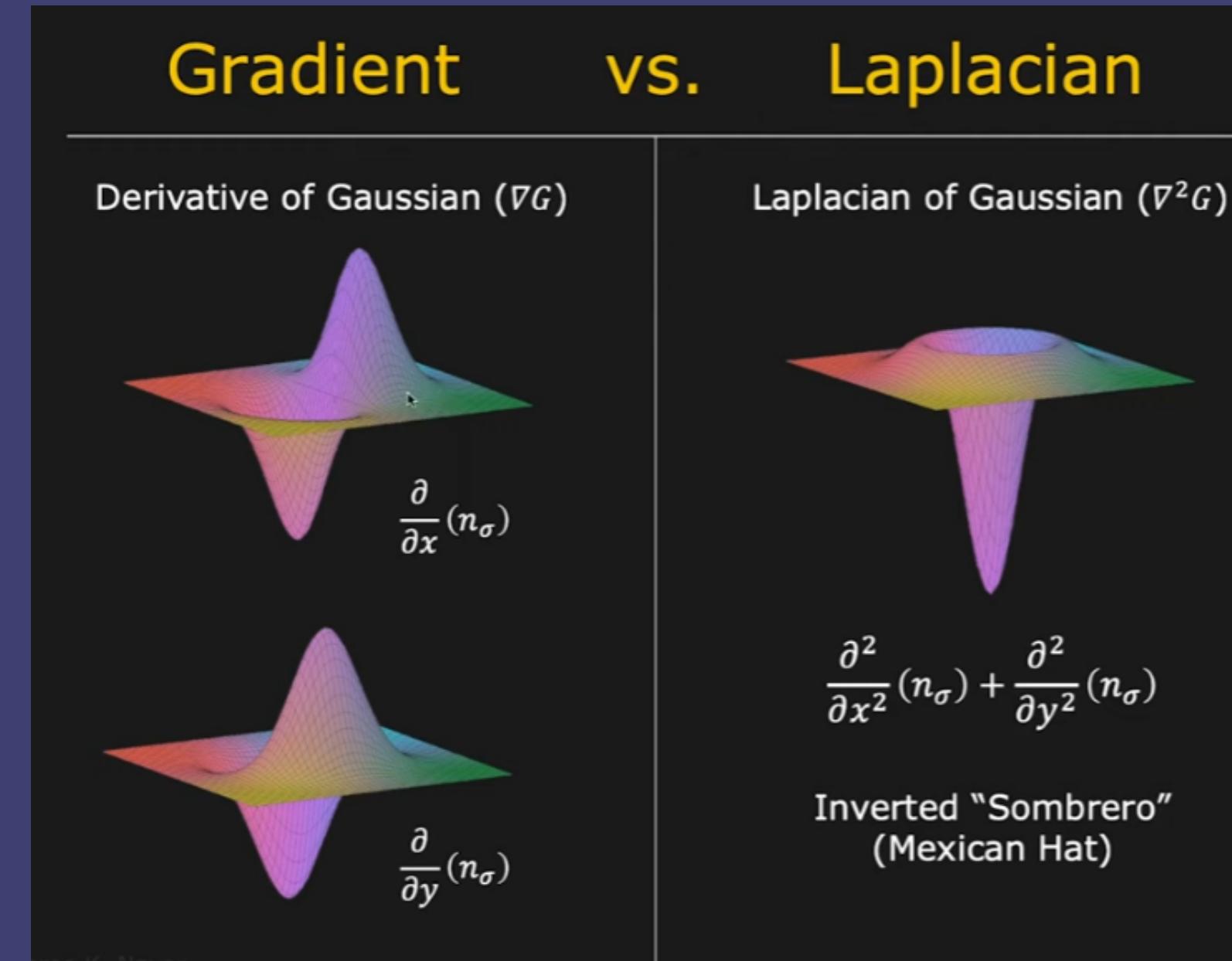
1	0	-1
1	0	-1
1	0	-1

Vertical

0	0	30	30	0	0
0	0	30	30	0	0
0	0	30	30	0	0
0	0	30	30	0	0
0	0	30	30	0	0



EXTENDING THE CONCEPTS TO 3D FUNCTIONS



GAUSSIAN FUNCTION

Derived from 2D gaussian function

$$h(u, v) = \frac{1}{2\pi\sigma^2} e^{(-\frac{u^2+v^2}{\sigma^2})}$$

Example: This kernel is approximation of gaussian function

$$\frac{1}{16} \begin{bmatrix} 1 & 2 & 1 \\ 2 & 4 & 2 \\ 1 & 2 & 1 \end{bmatrix}$$

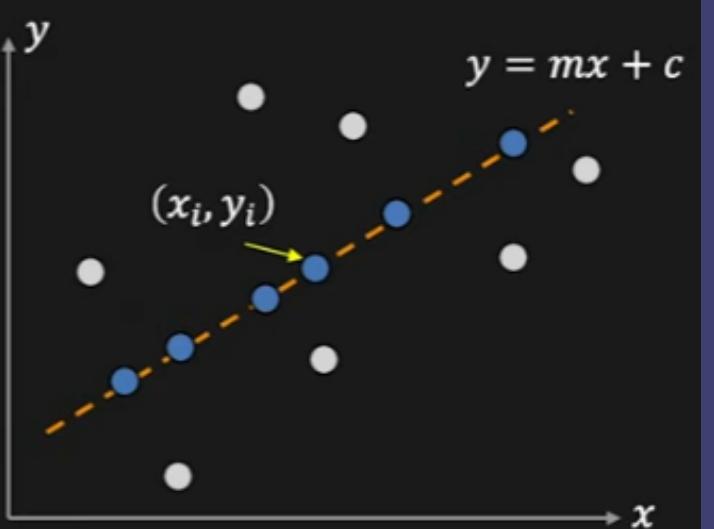
COD1NG T1ME!

HOUGH TRANSFORM

Given: Edge Points (x_i, y_i)

Task: Detect line

$$y = mx + c$$



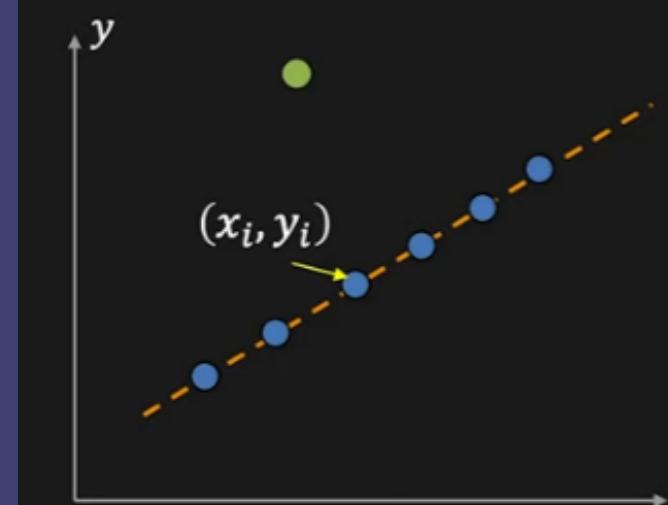
Consider point (x_i, y_i)

$$y_i = mx_i + c$$



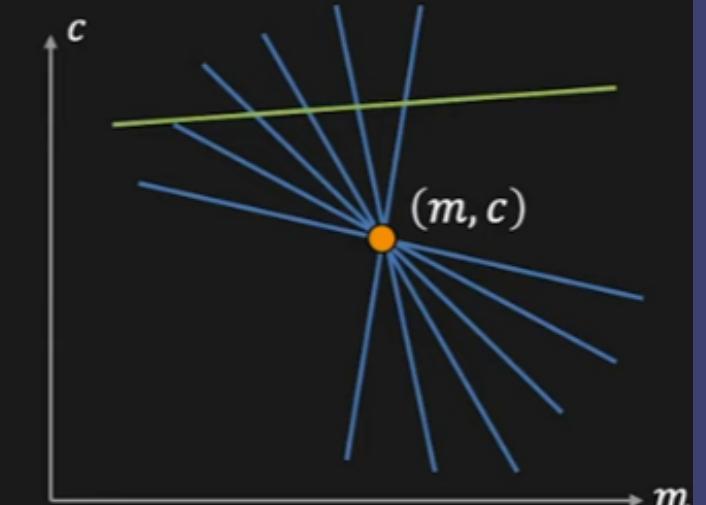
$$c = -mx_i + y_i$$

Image Space



$$y_i = mx_i + c$$

Parameter Space



$$c = -mx_i + y_i$$

Point

Line

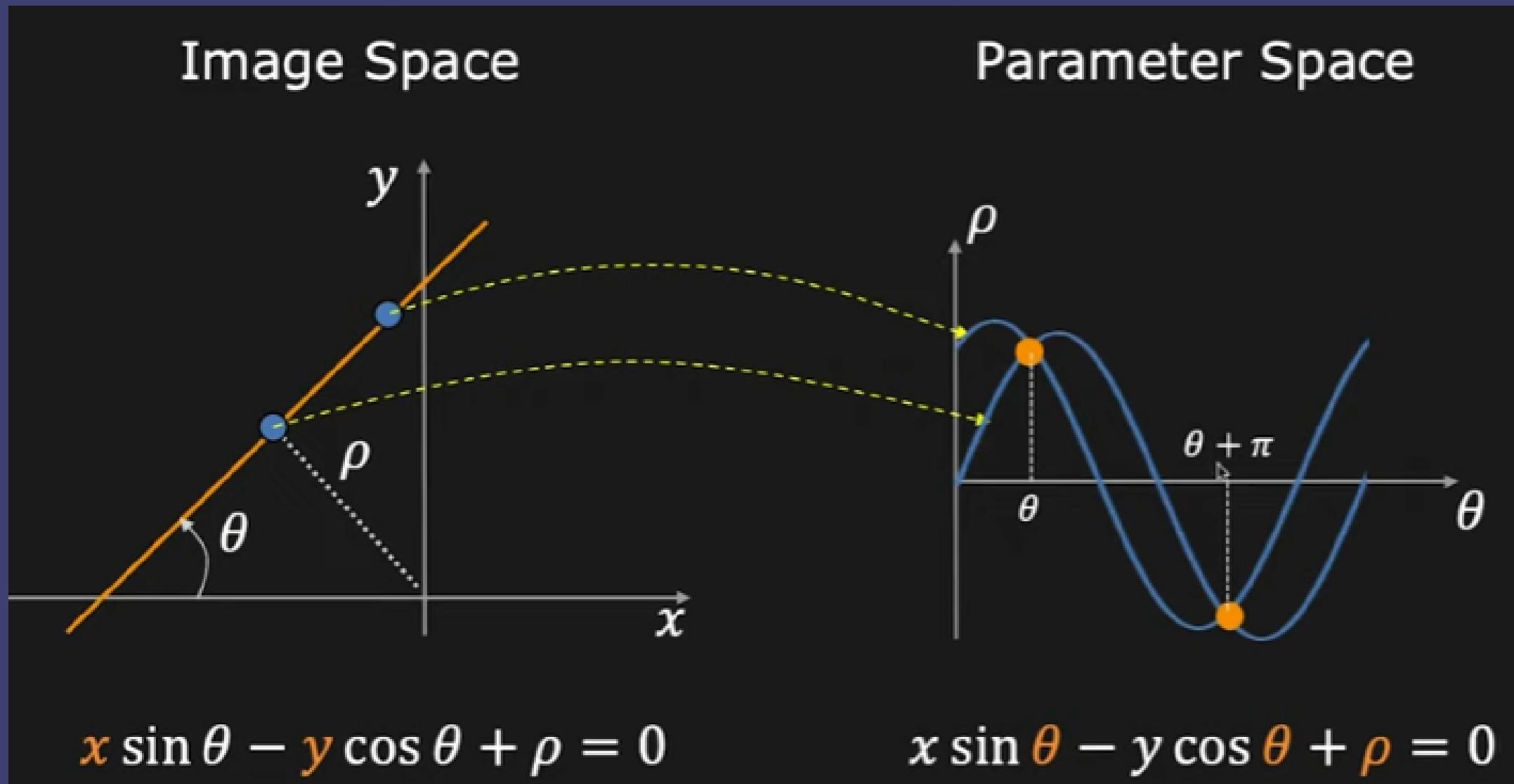
PROBLEMS WITH OUR CURRENT APPROACH :-

- *Slope of the line can with from $-\infty < m < \infty$*
- *Heavy computation*
- *More memory*

SOLUTION:-

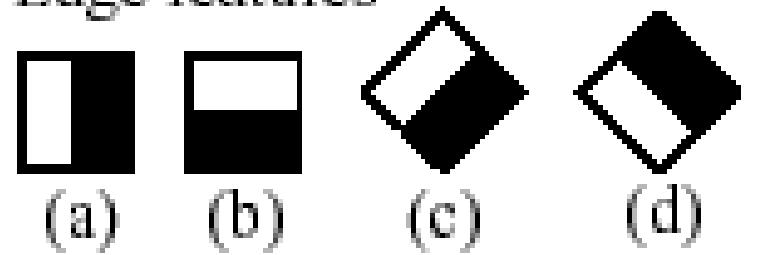
- *Use parameterization $x\sin\theta - y\cos\theta + \rho = 0$*
- *Both orientation and distance are finite*

PARAMETRIC APPROACH:-

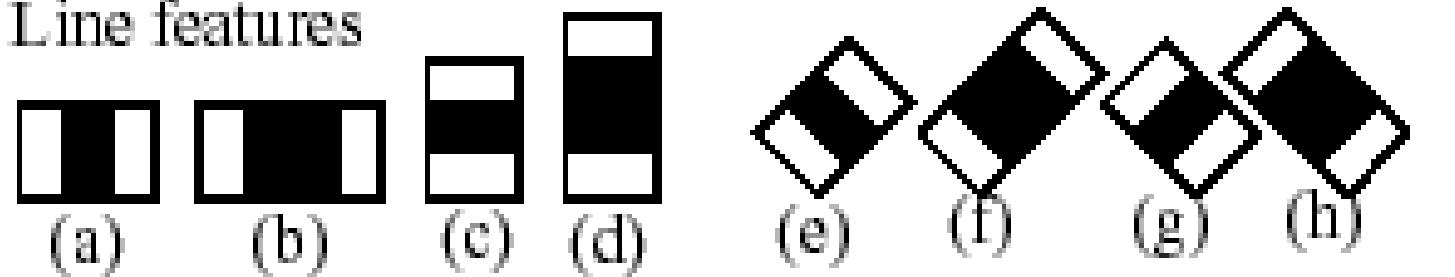


FACE DETECTION USING HAAR FEATURES

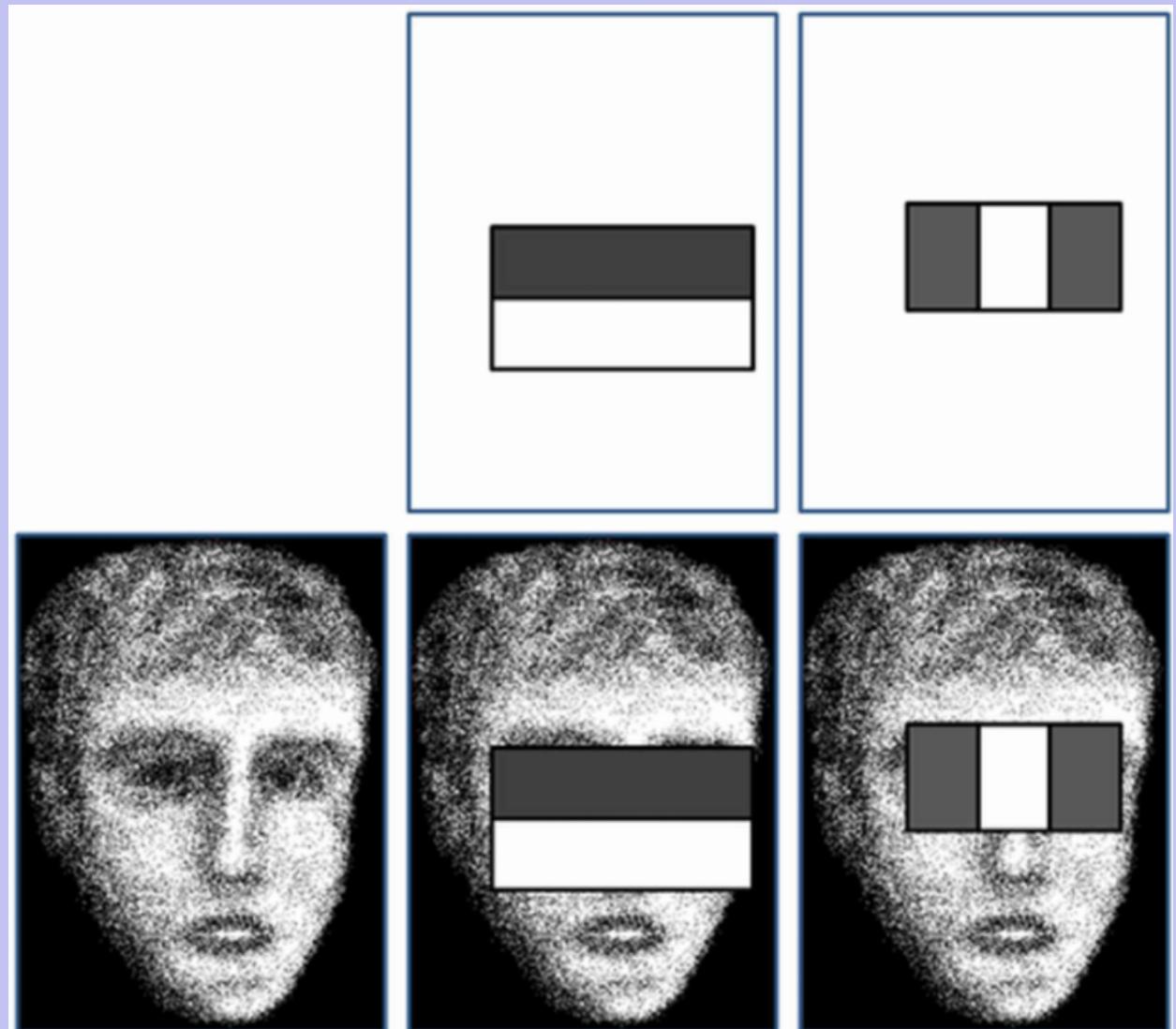
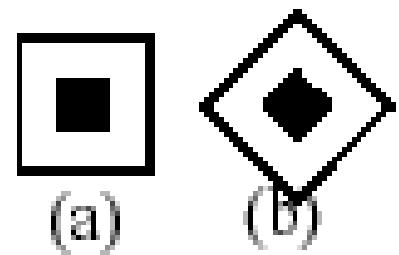
1. Edge features



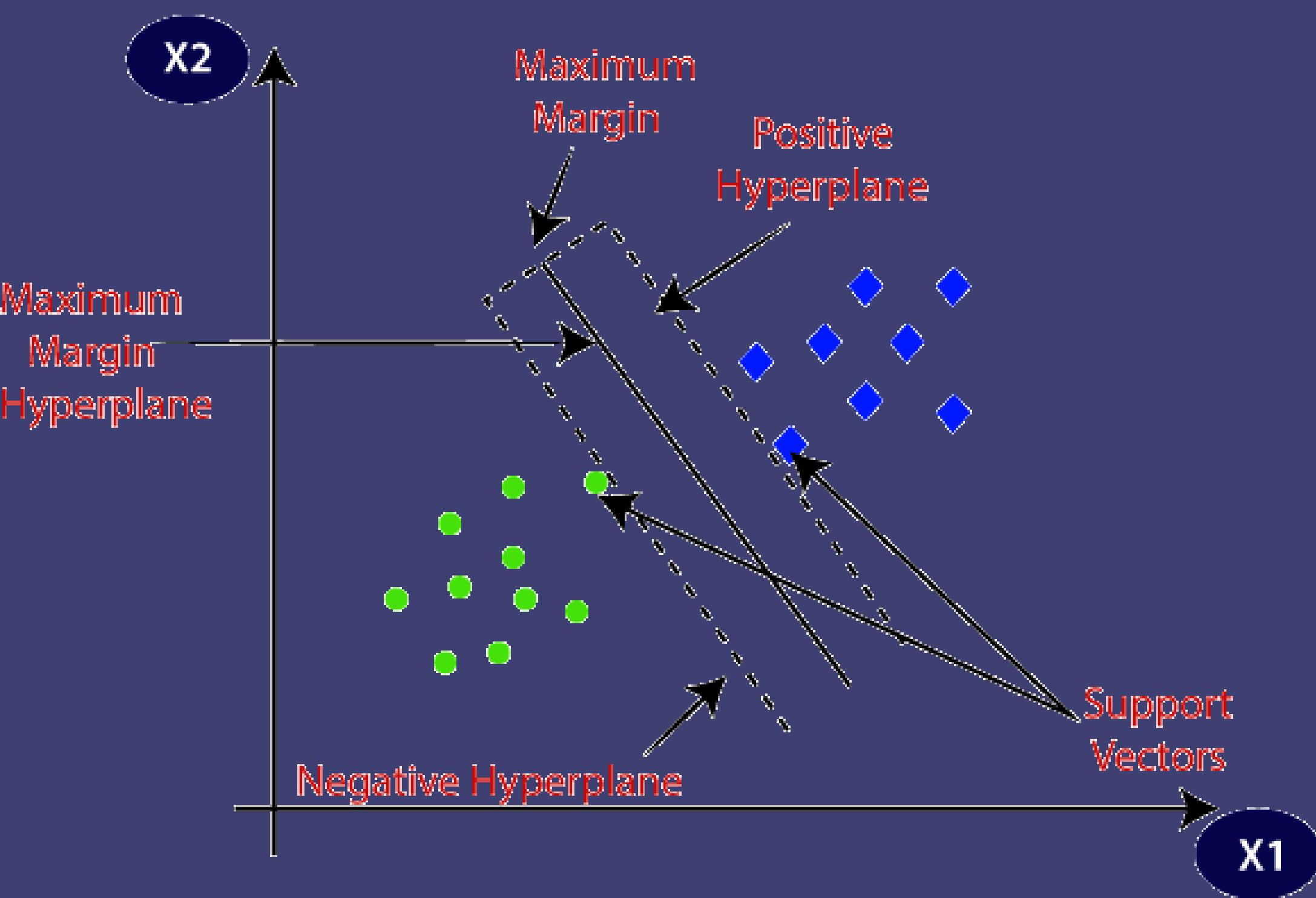
2. Line features



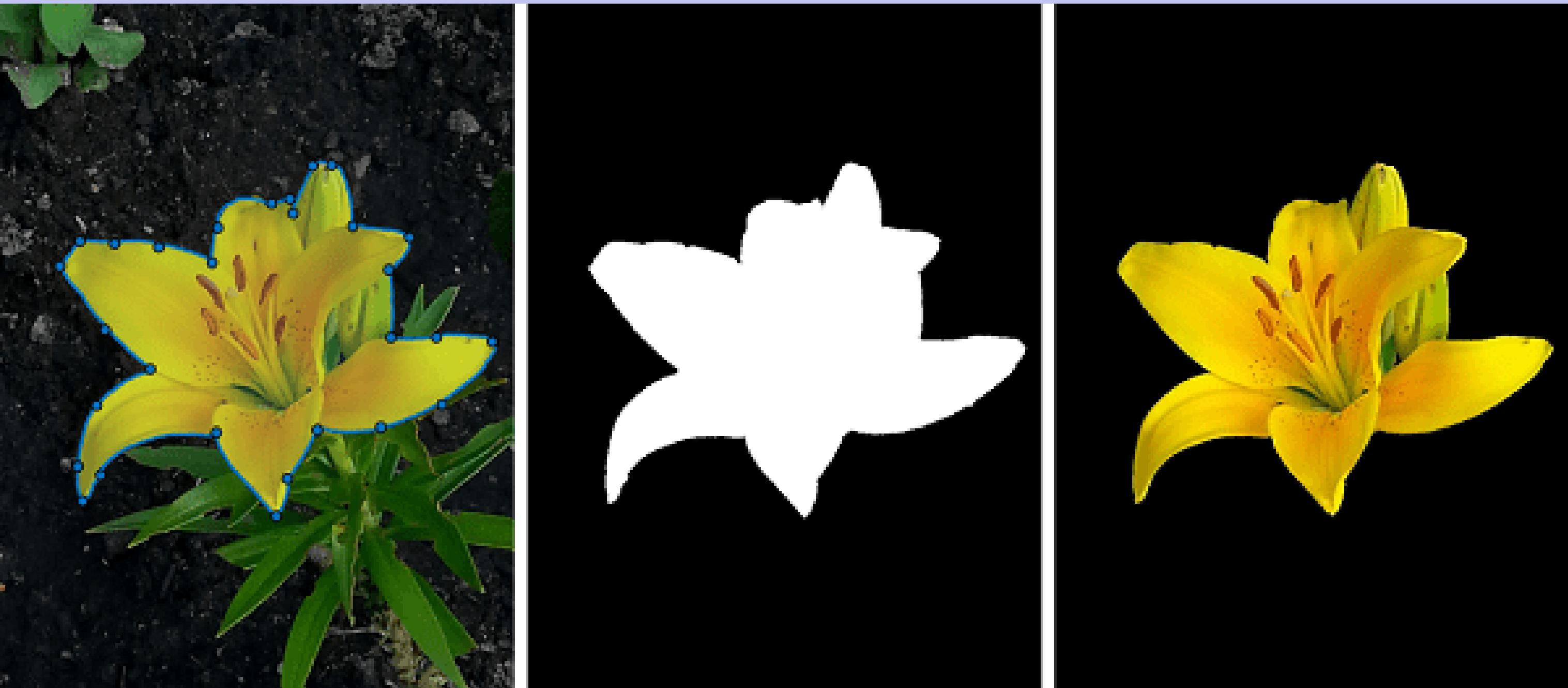
3. Center-surround features



SUPPORT VECTOR MACHINE



MASKING



YOLO - YOU ONLY LOOK ONCE

Yolo is state-of-the-Art, real-time object detection system

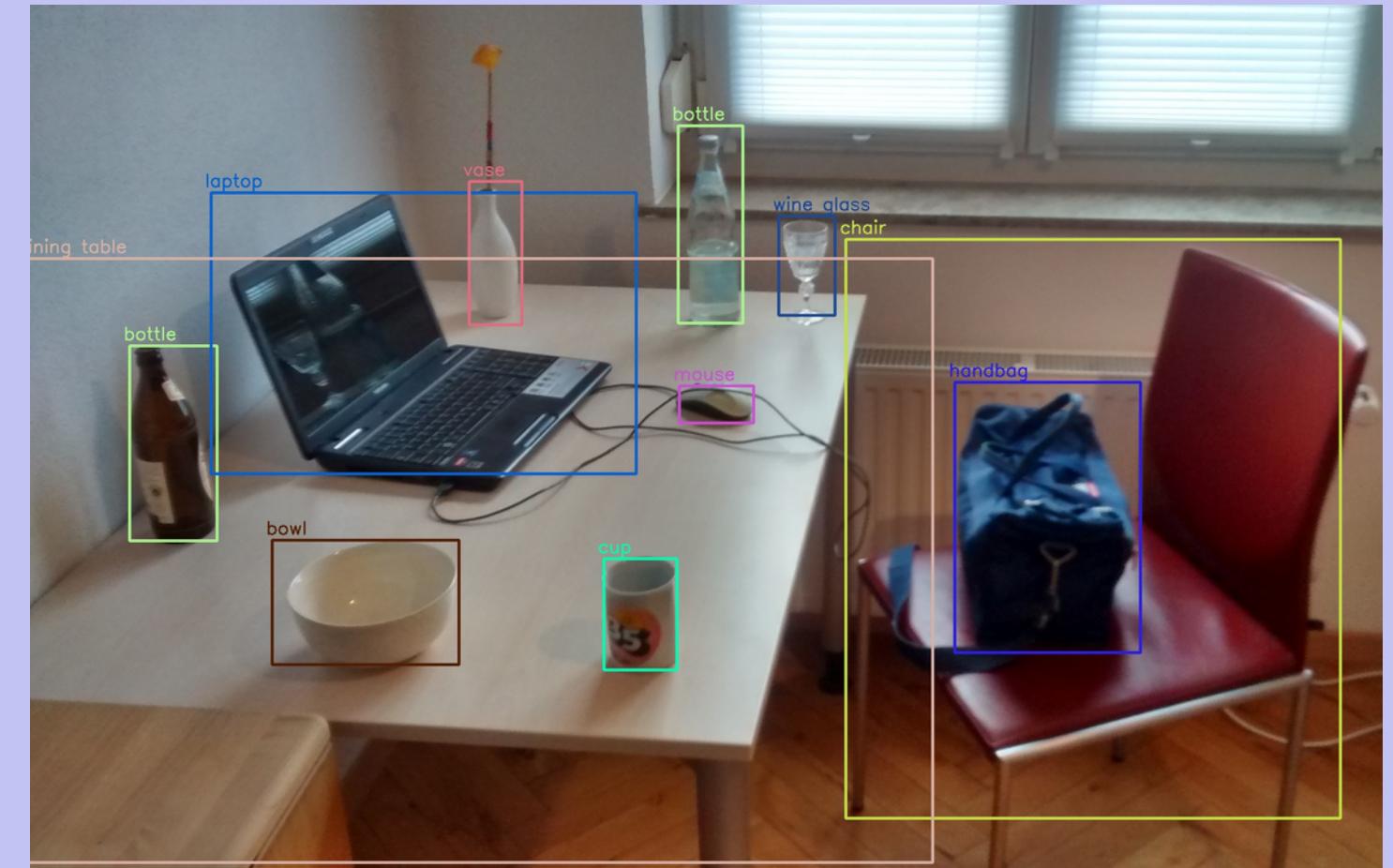
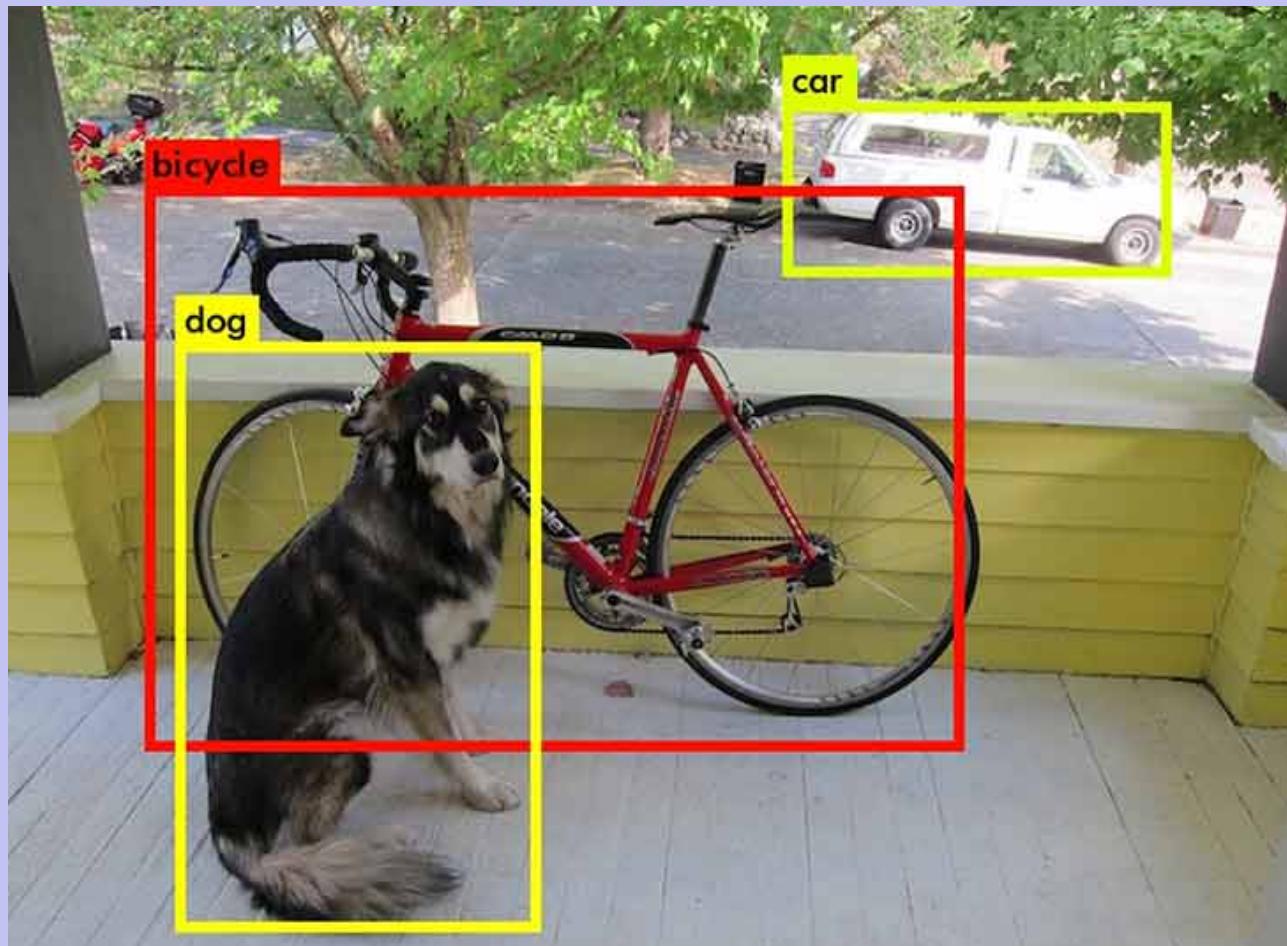
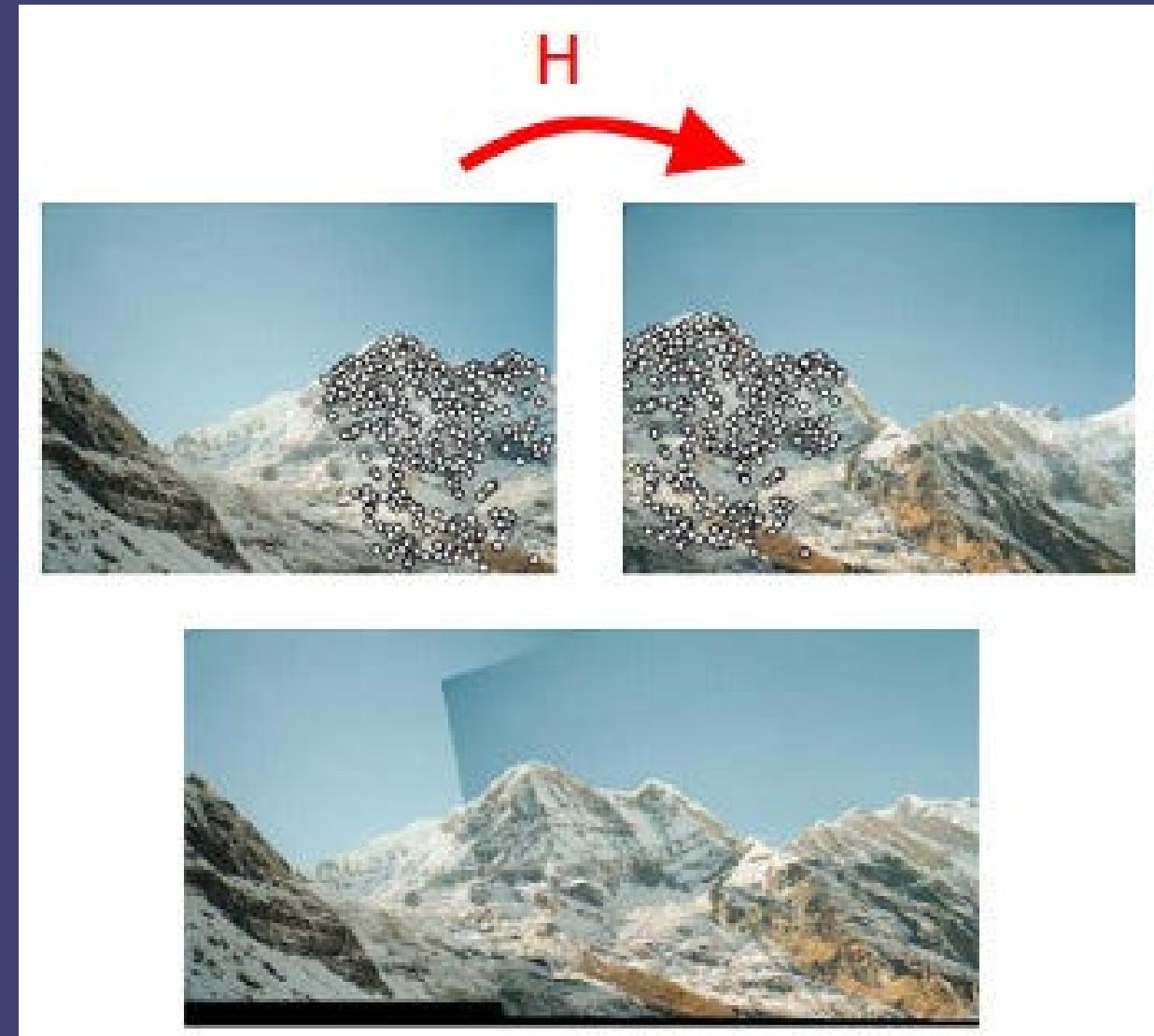
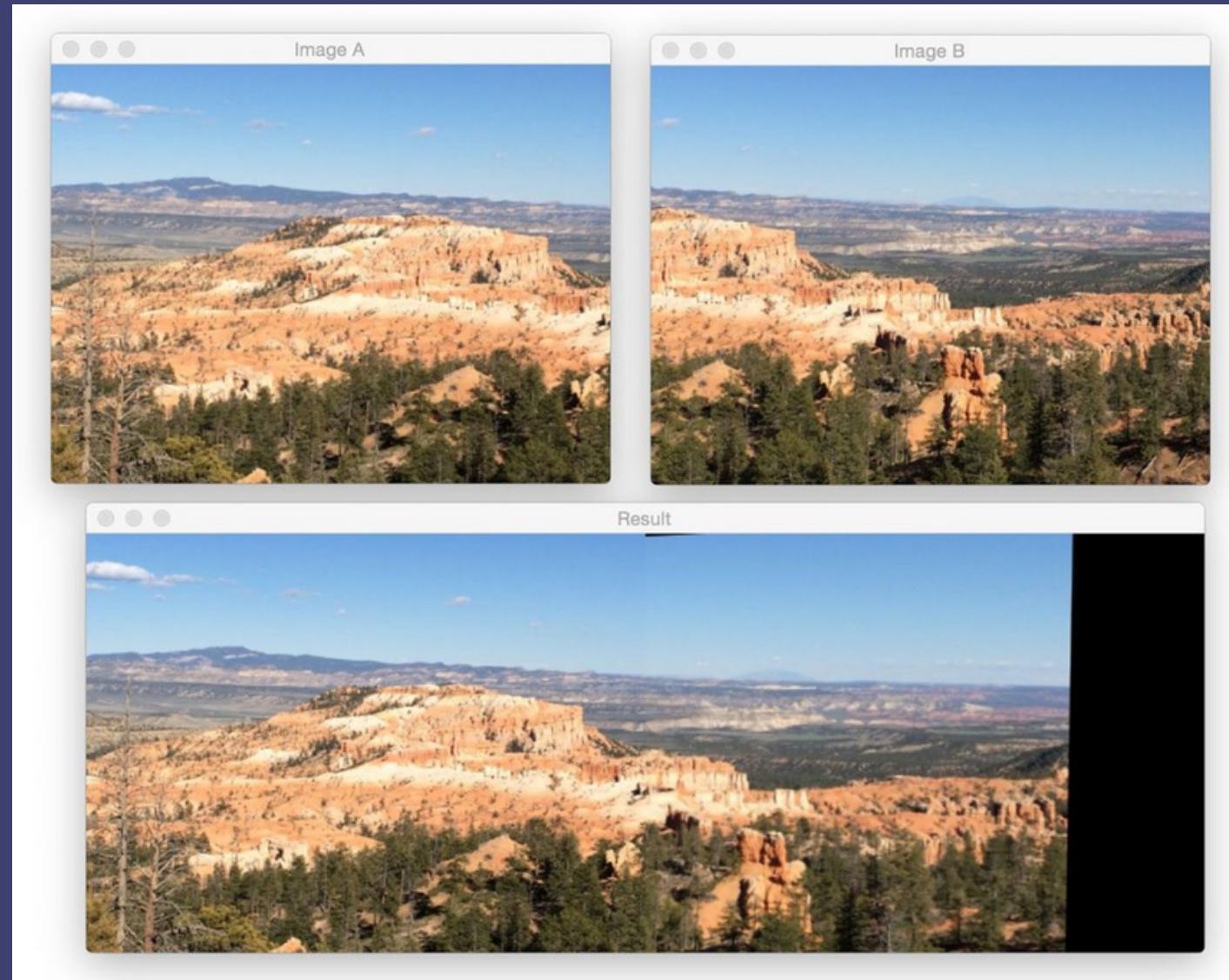
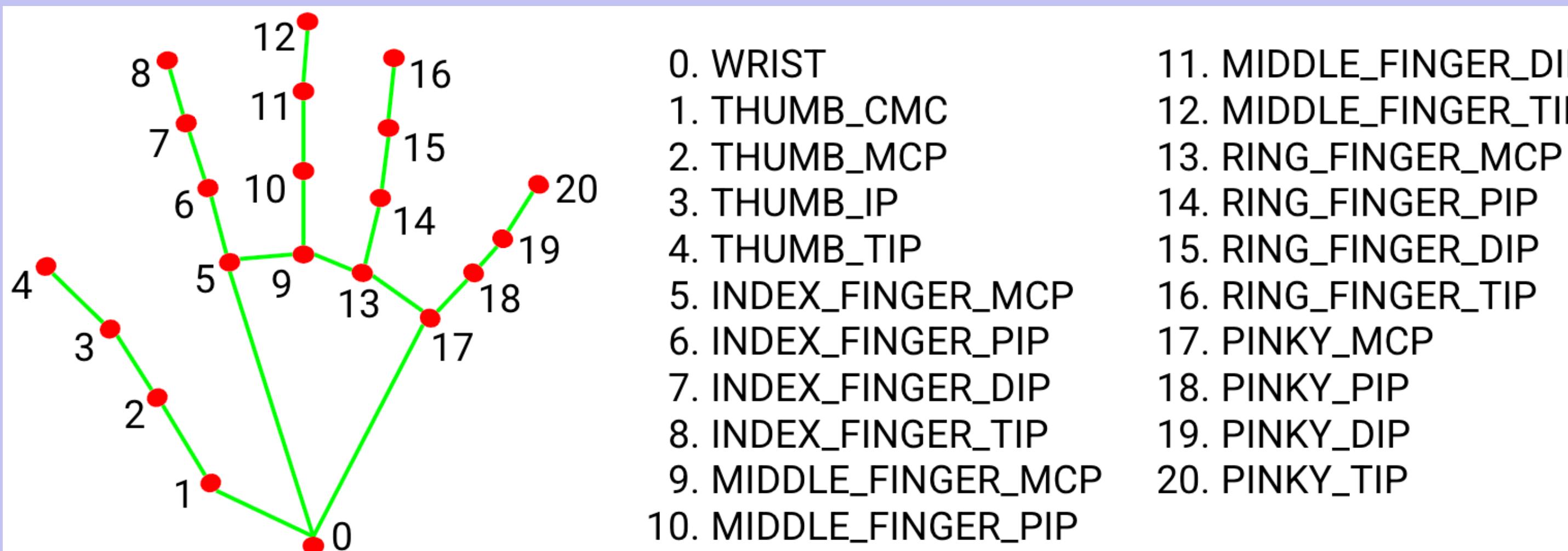


IMAGE STITCHING

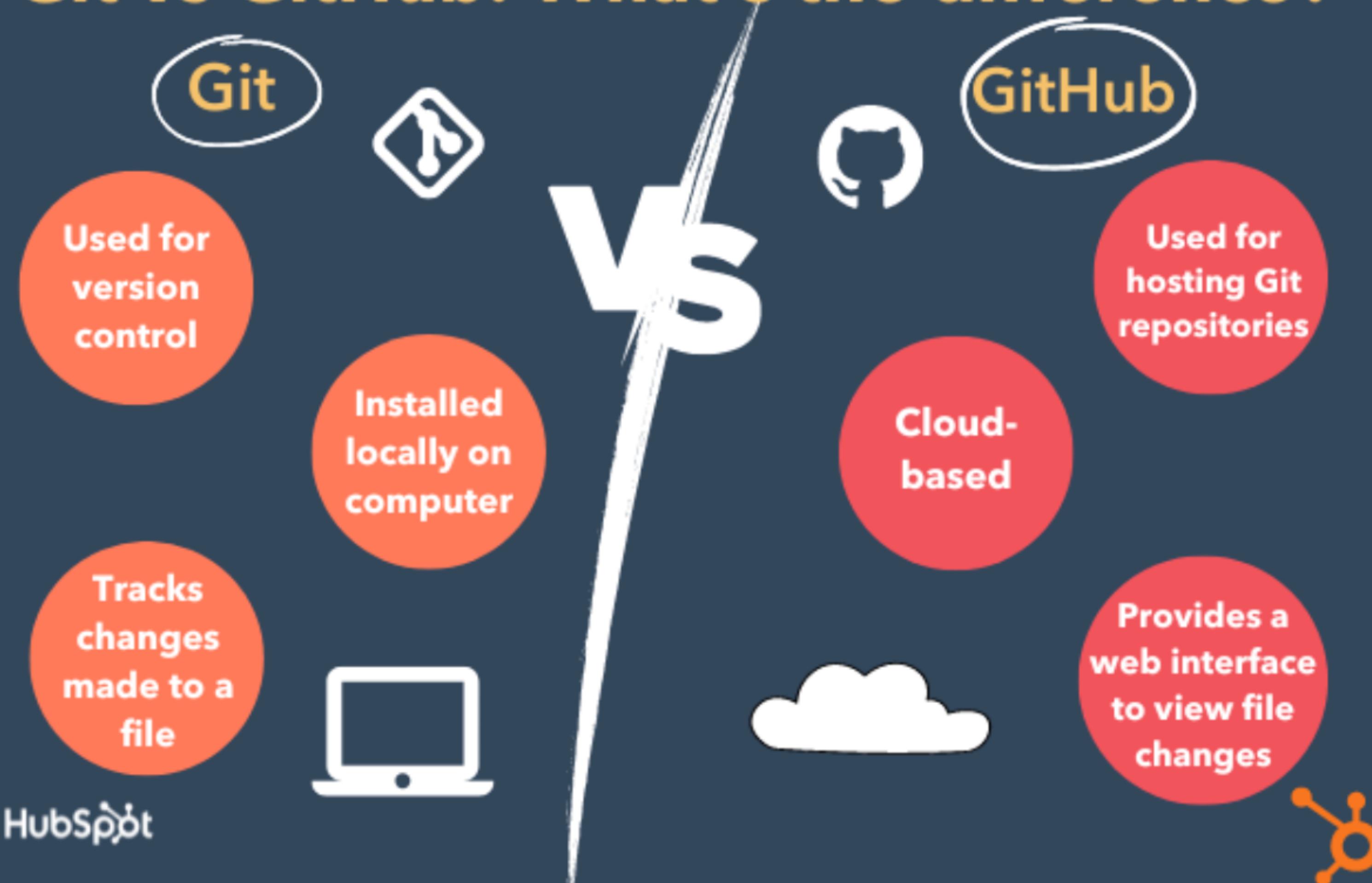
Image stitching or photo stitching is the process of combining multiple photographic images with overlapping fields of view to produce a segmented panorama or high-resolution image



HAND GESTURE RECOGNITION USING MEDIAPIPE



Git vs GitHub: What's the difference?



Thank
you!