

Syntax-Directed Translation

Md Shad Akhtar
Assistant Professor
IIIT Dharwad

Compiler Design: Journey so far!!

- Lexical Analysis: Scanning input and generating tokens -- Done
- Syntax Analysis: Validating the input -- Done
- Semantic Analysis: Validating the meaning
 - Issues deeper than the syntax
 - E.g.

```
int func (int x, int y);  
int main ()  
{  
    int list[5], i, j;  
    char *str;  
    j = 10 + 'b';  
    str = 8;  
    m = func ("aa", j, list[12]);  
    return 0;  
}
```

What are the issues
with this code snippet?

Beyond Syntax Analysis

- An identifier named x has been recognized
 - Is x a *scalar*, *array* or *function*?
 - What is the *size* of x ?
 - If x is a function, *how many* and what *type of arguments* does it take?
 - Is x *declared before being used*?
 - Is the expression $x+y$ *type-consistent*?
- Semantic Analysis is the phase where we collect information about the *types of expressions* and check for *type related errors*
- The more information we can collect at compile time, the less overhead we have at run time

Syntax-Directed Translation (SDT)

- We attach *program fragments* or *rules* to the productions of a grammar that facilitates the semantic analysis.
- These rules get executed when the associated productions are used in the derivation during syntax analysis
 - Therefore, the name syntax-directed translation
- Attributes
 - Any quantity associated with the symbols, e.g., data type, value, count, location, etc.

$E \rightarrow E_1 + T$ $\{E.val = E_1.val + T.val;\}$

Production

Program fragment

- *val* is an attribute of the symbols *E* and *T*

What program fragments can do?

- May perform type checking
- May generate intermediate codes
- May put information into the symbol table
- May issue error messages
- May perform some other activities
- In fact, *they may perform almost any activities!*

Notations for translation

- **Syntax-Directed Definition (SDD)**

- Production is associated with a set of *semantic rules*, but do not have any prior information about when they will be evaluated
 - Hide many implementation details such as order of evaluation of semantic actions
- Useful for specification

- **Syntax-Directed Translation schemes**

- Translation schemes give a little bit information about implementation details
 - Indicate the order of evaluation of *semantic actions* associated with a production rule
- Useful for implementation

$$E \rightarrow E_1 \{\text{print}(E_1);\} + T$$

SDD

Input: 5+2*6

- A CFG with attributes and rules
 - Attributes are associated with grammar symbols
 - Rules are associated with productions

Production

$E \rightarrow E_1 + T$

$E \rightarrow T$

$T \rightarrow T_1 * F$

$T \rightarrow F$

$F \rightarrow \text{digit}$

Semantic Rules

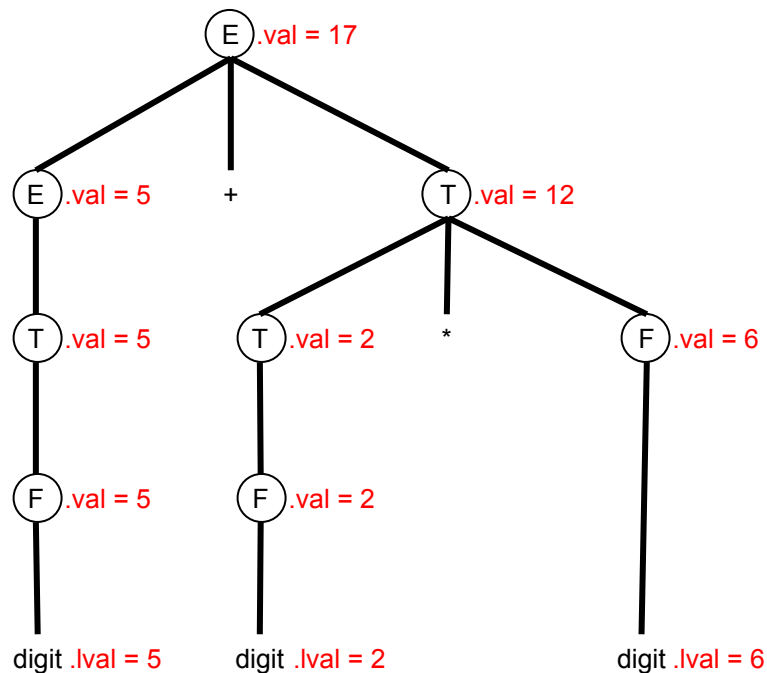
$E.\text{val} = E_1.\text{val} + T.\text{val}$

$E.\text{val} = T.\text{val}$

$T.\text{val} = T_1.\text{val} * F.\text{val}$

$T.\text{val} = F.\text{val}$

$F.\text{val} = \text{digit.lval}$



Attributes

- Two types of attributes
 - **Synthesized**
 - A synthesized attribute at node node N is defined only in terms of attribute values of its *children* and *N itself*
 - **Inherited**
 - An inherited attribute at node node N is defined only in terms of attribute values of its *parent*, its *sibling* and *N itself*

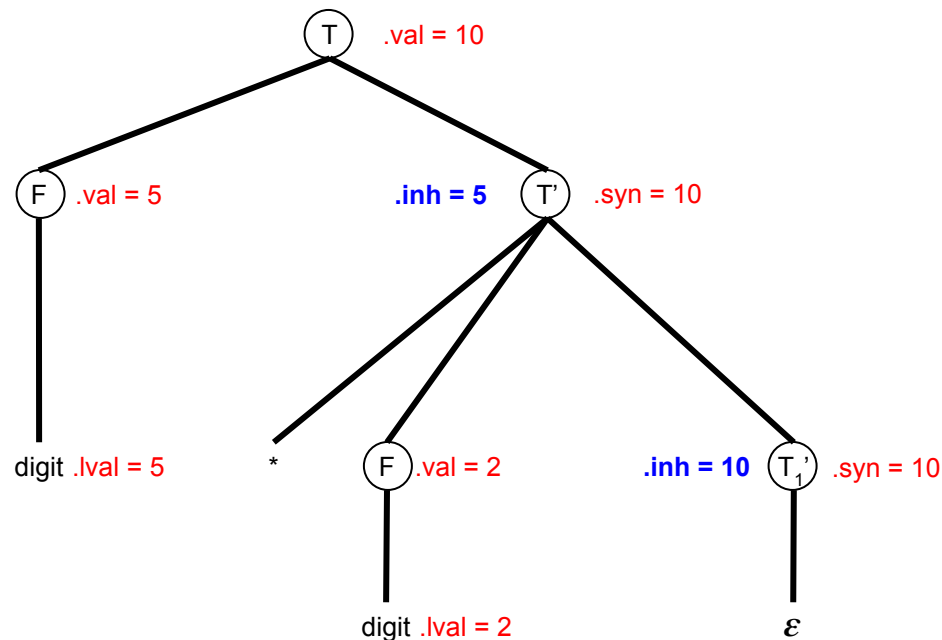
Attributes

- Let, $b = f(c_1, c_2, \dots, c_n)$ is a semantic rule for a production $A \rightarrow \alpha_1 \alpha_2 \dots \alpha_n$
 - b is a **synthesize attribute of A** , and c_1, c_2, \dots, c_n are the attributes of grammar symbols of $A \rightarrow \alpha_1 \alpha_2 \dots \alpha_n$
 - b is an **inherited attribute of α_i** , and c_1, c_2, \dots, c_n are the attributes of grammar symbols of $A \rightarrow \alpha_1 \alpha_2 \dots \alpha_n$
- Non-terminals can have both synthesized and inherited attributes
- Terminals can have only synthesized attributes
 - Lexical values supplied by the lexical analyser

SDD with inherited attributes

<u>Production</u>	<u>Semantic Rules</u>
$T \rightarrow FT'$	$T'.inh = F.val;$
$T' \rightarrow * F T_1'$	$T.val = T'.syn$
$T' \rightarrow \varepsilon$	$T_1'.inh = T'.inh * F.val$
$F \rightarrow digit$	$T'.syn = T_1'.syn$
	$T'.syn = T'.inh$
	$F.val = digit.lval$

Input: 5×2



Annotated Parse Tree

- A parse tree showing values of its attributes is called *annotated parse tree*
- Evaluation of an SDD in the parse tree
 - If all the attributes are synthesized, order of evaluation of attributes is straight-forward
 - Evaluate the attributes of all children before evaluating the attribute of the parent node
 - We can evaluate attributes in *bottom-up order*, i.e., post-order traversal of parse tree
 - If there are both synthesized and inherited attributes, order of evaluation is not fixed
 - There may not even exist any order
 - E.g., $A \rightarrow B$ $\{A.s = B.i; B.i = A.s + 1\}$

Dependency Graph

- Flow of information among the attributes in a parse tree
 - An edge from an attribute to another implying that the first attribute is needed to compute the second
- Annotated parse tree vs. dependency graph
 - Annotated parse tree shows the values of attributes
 - Dependency graph help us determine how the values can be computed
- Gives the order of evaluation of the attributes in a parse-tree
 - If no cycle exists, we have a *topological sort* of the graph
 - A linear ordering of all its node such that if there is an edge (u, v) , then u appears before v in the ordering.

Dependency graph: Example 1

Production

$E \rightarrow E_1 + T$

$E \rightarrow T$

$T \rightarrow T_1 * F$

$T \rightarrow F$

$F \rightarrow \text{digit}$

Semantic Rules

$E.\text{val} = E_1.\text{val} + T.\text{val}$

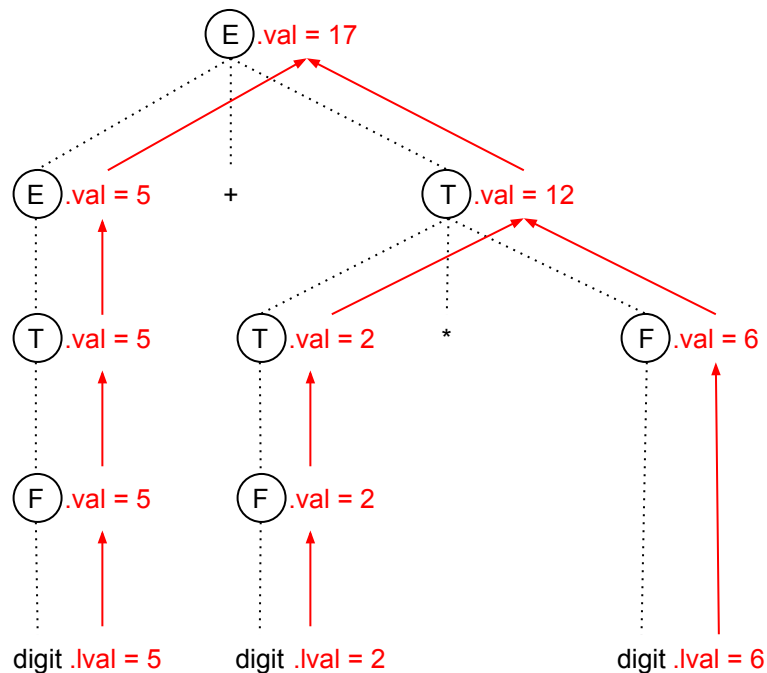
$E.\text{val} = T.\text{val}$

$T.\text{val} = T_1.\text{val} * F.\text{val}$

$T.\text{val} = F.\text{val}$

$F.\text{val} = \text{digit}.\text{lval}$

Input: 5+2*6



Dependency graph: Example 2

Production

$T \rightarrow FT'$

$T' \rightarrow * F T_1'$

$T' \rightarrow \varepsilon$

$F \rightarrow \text{digit}$

Semantic Rules

$T'.inh = F.val$

$T.val = T'.syn$

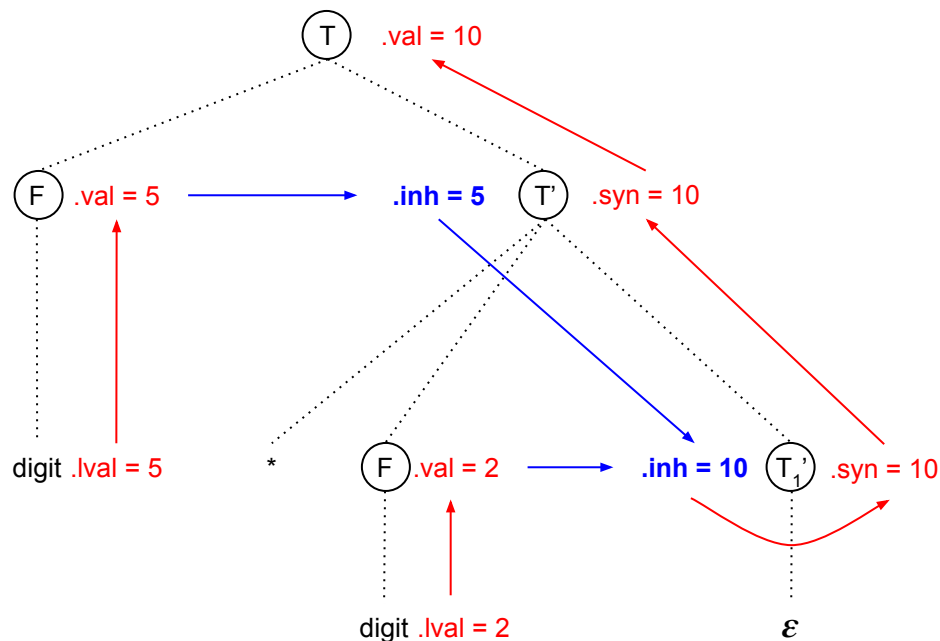
$T_1'.inh = T'.inh * F.val$

$T'.syn = T_1'.syn$

$T'.syn = T'.inh$

$F.val = \text{digit}.lval$

Input: 5*2



Applications of SDD

Input: 5+2*6

Output: 526*+

- Infix-to-postfix conversion

Production

$E \rightarrow E_1 + T$

$E \rightarrow T$

$T \rightarrow T_1 * F$

$T \rightarrow F$

$F \rightarrow \text{digit}$

Semantic Rules

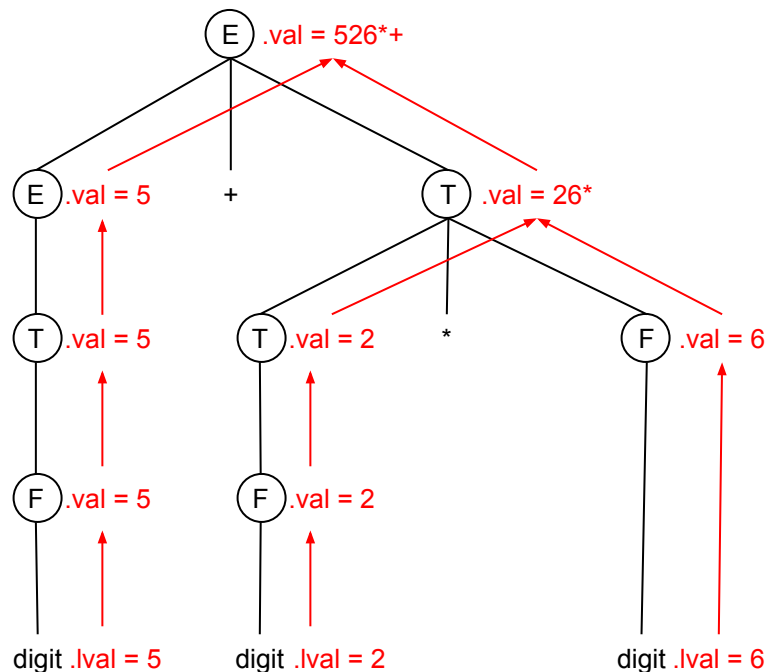
$E.\text{val} = \text{strcat}(E_1.\text{val}, T.\text{val}, +)$

$E.\text{val} = T.\text{val}$

$T.\text{val} = \text{strcat}(T_1.\text{val}, F.\text{val}, *)$

$T.\text{val} = F.\text{val}$

$F.\text{val} = \text{digit.lval}$



Input: 5+2*6

Applications of SDD

- Syntax Tree

Production

$E \rightarrow E_1 + T$

$E \rightarrow T$

$T \rightarrow T_1 * F$

$T \rightarrow F$

$F \rightarrow \text{digit}$

Semantic Rules

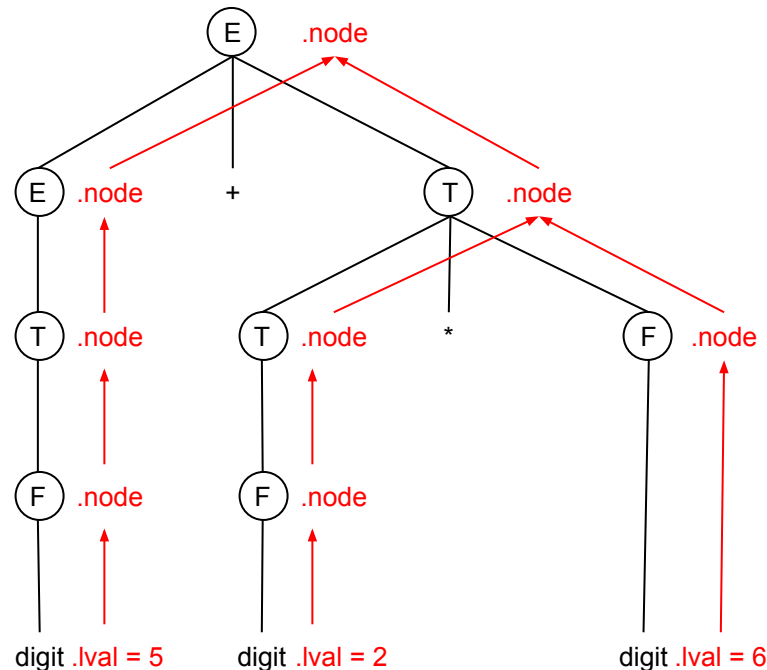
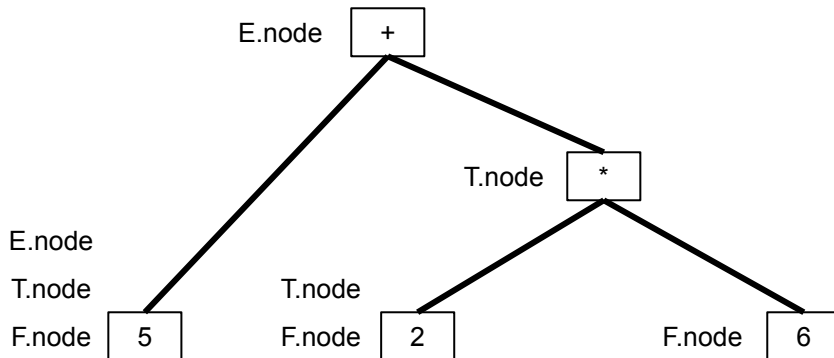
$E.\text{node} = \text{new Node}('+', E_1.\text{node}, T.\text{node})$

$E.\text{node} = T.\text{node}$

$T.\text{node} = \text{new Node}('*', T_1.\text{node}, F.\text{node})$

$T.\text{node} = F.\text{node}$

$F.\text{node} = \text{new Leaf}(\text{digit}.\text{lval})$



Applications of SDD

- Update the type of variable in symbol table

- Variable declaration

int id₁, id₂
float id₃

Production

$D \rightarrow T L$

$T \rightarrow \text{int}$

$T \rightarrow \text{float}$

$L \rightarrow L_1, \text{id}$

$L \rightarrow \text{id}$

Semantic Rules

$L.\text{inh} = T.\text{type}$

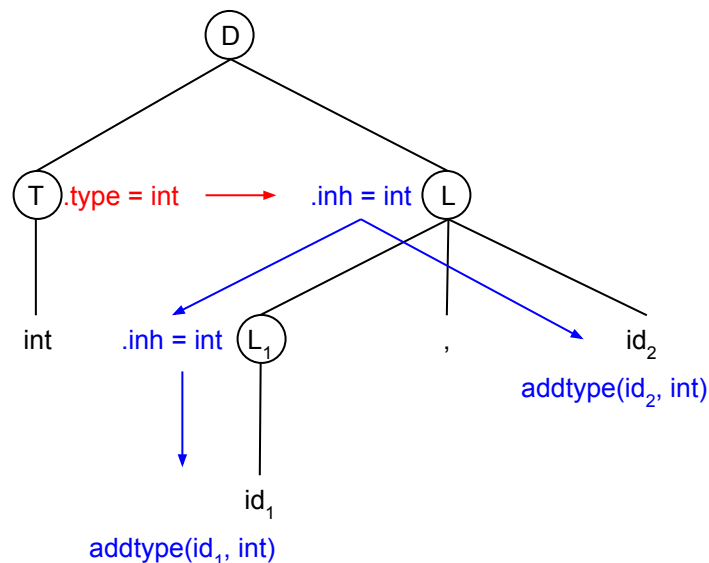
$T.\text{type} = \text{integer}$

$T.\text{type} = \text{float}$

$L_1.\text{inh} = L.\text{inh}$

$\text{addtype}(\text{id.entry}, L.\text{inh})$

$\text{addtype}(\text{id.entry}, L.\text{inh})$



Evaluation of Semantic rules

- In SDD, the semantic rules can evaluate
 - The values of an attribute, OR
 - May have side-effects, such printing a value
 - E.g., SDD for infix-to-postfix

<u>Production</u>	<u>Semantic rules</u>
$E \rightarrow E_1 + T$	print ('+')
$E \rightarrow T$	
$T \rightarrow T_1 * F$	print ('*')
$T \rightarrow F$	
$F \rightarrow \text{digit}$	print (digit.lval)

- An SDD without side-effects is called *attribute grammar*

Classes of SDDs

- Given an SDD, can we detect whether there exists any parse tree whose dependency graphs have cycle?
 - While the problem is *decidable*, it is an *NP-hard* problem!
- Classes of SDDs that guarantees no cycle
 - S-Attributed Definitions
 - If every attribute is synthesized
 - L-Attributed Definitions
 - The edges between the sibling in the dependency-graph can only go from *left-to-right*
 - Formally, each attribute must be
 - Synthesized, OR
 - Inherited with the following constraints
 - If $A \rightarrow \alpha_1 \alpha_2 \dots \alpha_n$ is a production
 - Inherited attribute of $\alpha_i = f(A, \alpha_1, \alpha_2, \dots, \alpha_{i-1})$

Syntax-Directed Translation Schemes

- A CFG with program construct embedded within the production bodies
- Program fragments is called *semantic actions*, and can appear at any position within a production body
 - Convention is to enclosed the semantic actions within a pair of braces to separate it with the grammar symbols
 - $A \rightarrow B \{\text{semantic actions}\} C$
- Syntax-Directed Translation schemes are complementary notations of SDD
 - All applications of SDD can be implemented using SDT

Postfix Translation Schemes

- An SDT with all actions at the right end of the production bodies are called *postfix*-SDT
- An S-attributed SDD for evaluating the expression can be converted into an equivalent postfix-SDT

Production + Semantic Actions

$L \rightarrow E \text{ \texttt{\textbackslash n}} \{ \texttt{print(E.val)} \}$

$E \rightarrow E_1 + T \{ E.val = E_1.val + T.val \}$

$E \rightarrow T \{ E.val = T.val \}$

$T \rightarrow T_1 * F \{ T.val = T_1.val * F.val \}$

$T \rightarrow F \{ T.val = F.val \}$

$F \rightarrow \texttt{digit} \{ F.val = \texttt{digit.lval} \}$

- Since the grammar is LR and the SDD is S-attributed, these actions can be correctly performed along with the reduction steps in the parser.

Stack implementation of *postfix* SDT

- Shift the attributes of the grammar symbols along with the symbol itself onto the stack

Symbol stack	\$	X	Y	Z		
Attribute stack	\$	$X.x$	$Y.y$	$Z.z$		

- If the attributes are all synthesized in the postfix-SDT,
 - We can compute the attribute of the head when we reduce the body with the head
 - $A \rightarrow XYZ$

Symbol stack	\$	A				
Attribute stack	\$	$A.a$				

Explicit stack implementation of *postfix* SDT

Production + Semantic Actions

$L \rightarrow E \backslash n$	{	print(stack[top-1].val);	top = top - 1;	}
$E \rightarrow E_1 + T$	{	stack[top-2].val = stack[top-2].val + stack[top].val ;	top = top - 2;	}
$E \rightarrow T$				
$T \rightarrow T_1 * F$	{	stack[top-2].val = stack[top-2].val * stack[top].val ;	top = top - 2;	}
$T \rightarrow F$				
$F \rightarrow \text{digit}$				

Input: 2*5 \n

Output: 10

Stack	Stack (Attribute)	Input	Action
\$	\$	id ₁ * id ₂ \n \$	Shift
\$ id ₁	\$ 2	* id ₂ \n \$	Reduce by F → digit
\$ F	\$ 2	* id ₂ \n \$	Reduce by T → F
\$ T	\$ 2	* id ₂ \n \$	Shift
\$ T *	\$ 2 *	id ₂ \n \$	Shift
\$ T * id ₂	\$ 2 * 5	\n \$	Reduce by F → digit
\$ T * F	\$ 2 * 5	\n \$	Reduce by T → T * F
\$ T	\$ 10	\n \$	Reduce by E → T
\$ E	\$ 10	\n \$	Shift
\$ E \n	\$ 10	\$	Reduce by L → E \n
\$ L	\$	\$	Accept

SDT with actions inside production

- An action may be placed at any position within the body of a production.
- The action is performed after all symbols to its left are processed.
 - For the production $A \rightarrow X \{a\} Y$, action a is performed after
 - Symbol X is recognized, if X is a terminal, OR
 - All the terminals derived from X is recognized, if X is a non-terminal.
 - More precisely,
 - In bottom-up parsing, we perform a as soon as X appears on top of the stack
 - In top-down parsing, we perform a before we attempt to expand Y (for non-terminal) or check for Y on input(for a terminal).

SDTs implementation during parsing

- Classes of SDT that can be implemented during parsing
 - Postfix SDT
 - SDT that implements L-attributed definitions (We will see it soon!)
- Not all SDTs can be implemented during parsing!!
 - E.g., following SDT for infix-to-prefix conversion

Production + Semantic Actions

$E \rightarrow \{\text{print('+');}\} E_1 + T$

$E \rightarrow T$

$T \rightarrow \{\text{print('*') ;}\} T_1 * F$

$T \rightarrow F$

$F \rightarrow \text{digit } \{\text{print(digit.lval);}\}$

- Not possible to implement this SDT during either top-down or bottom-up
 - Because, it has to print the operators '+' or '*' long before it knows whether these symbols will appear on in its input.

General implementation of SDT

- Any SDT can be implemented as follows
 - Ignore the actions during the construction of parse tree (i.e., during parsing)
 - For each interior node N in the parse tree (interior node represents a production $A \rightarrow \alpha$)
 - Add actions of α as the children of node N .
 - Perform a pre-order traversal of the tree and perform the action as soon as it is visited

Production + Semantic Actions

$E \rightarrow \{\text{print('+');}\} E_1 + T$

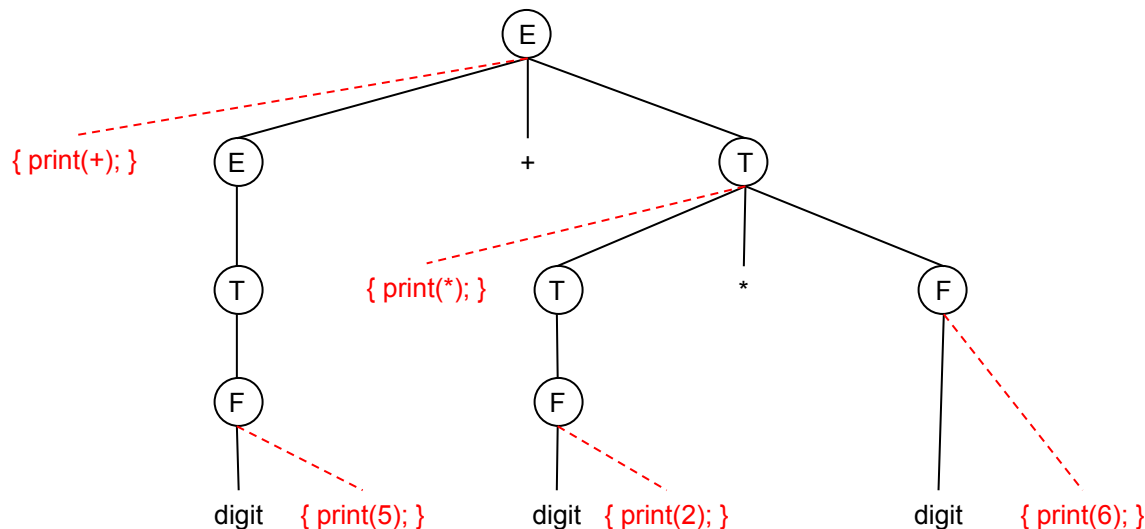
$E \rightarrow T$

$T \rightarrow \{\text{print('*') ;}\} T_1 * F$

$T \rightarrow F$

$F \rightarrow \text{digit } \{\text{print(digit.lval);}\}$

Input: 5+2*6



SDT with left-recursive grammar

- A left-recursive grammar can not be parsed by top-down (LL) parser.
- Removing left-recursion in an SDT also requires to handle the actions
- A simple case
 - Assume, we care about the order in which actions are performed
 - E.g., if each action simply prints a string, we care about the order of strings

$E \rightarrow E + T \{ \text{print}(' + '); \}$

$E \rightarrow T$

- While removing left-recursion, we treat the actions as the grammar symbols

- E.g., $\alpha = + T \{ \text{print}(' + '); \}$

$E \rightarrow T E'$

$E' \rightarrow + T \{ \text{print}(' + '); \} E'$

$E' \rightarrow \varepsilon$

Elimination of left-recursion from an SDT

- Eliminating left-recursion from an SDT that compute attributes is not straightforward.
- E.g., a left-recursive S-attributed SDT

$$A \rightarrow A_1 Y \{A.a = A_1.a + Y.y\}$$

$$A \rightarrow X \{A.a = (X.x)^2\}$$

- On applying left-recursion removal technique

$$A \rightarrow X \{A.a = (X.x)^2\} R$$

$$R \rightarrow Y \{A.a = A_1.a + Y.y\} R_1$$

$$R \rightarrow \varepsilon$$

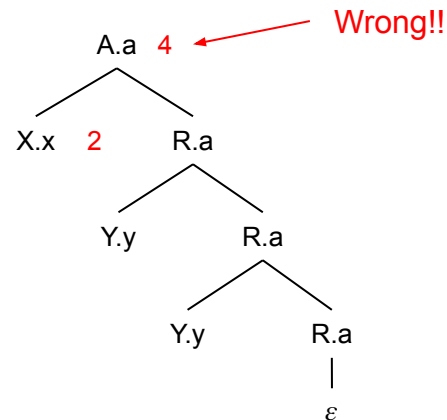
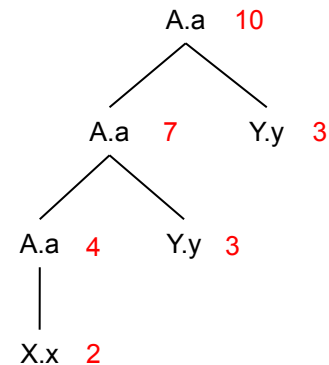
- Observe that new symbol has been introduced, so needs adjustments in the actions as well.

$$A \rightarrow X \{A.a = (X.x)^2\} R$$

$$R \rightarrow Y \{R.a = R_1.a + Y.y\} R_1$$

$$R \rightarrow \varepsilon$$

- Now, for the same input



Elimination of left-recursion from an SDT

- A left-recursive S-attributed SDT

$$A \rightarrow A_1 Y \{A.a = A_1.a + Y.y\}$$

$$A \rightarrow X \{A.a = (X.x)^2\}$$

- Left-recursion removal

$$A \rightarrow X \{A.a = (X.x)^2\} R$$

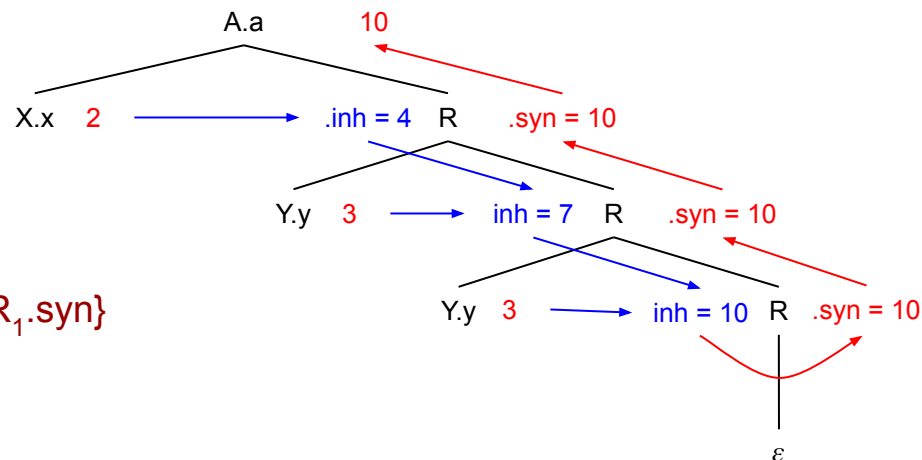
$$R \rightarrow Y \{R.a = R_1.a + Y.y\} R_1$$

$$R \rightarrow \varepsilon$$

- Correcting actions

$$A \rightarrow X \{R.inh = (X.x)^2\} R \{A.a = R.syn\}$$

$$R \rightarrow Y \{R_1.inh = R.inh + Y.y\} R_1 \{R.syn = R_1.syn\}$$

$$R \rightarrow \varepsilon \{R.syn = R.inh\}$$


SDT for L-attributed Definitions

- An L-attributed SDD can be parsed in top-down fashion
 - If not, it is almost impossible to perform the translation by either LL or LR parsers
- A general rule to convert an L-attributed SDD into SDT
 1. Embed the action that computes the inherited attributes for a non-terminal A immediately before that occurrence of A in the body of the production
 - E.g., $A \rightarrow B \{C.inh = f(B.syn)\} C$
 2. Place the actions that compute a synthesized attribute for the head of a production at the end of the body of the production
 - E.g., $A \rightarrow B \{C.inh = f(B.syn)\} C \{A.syn = f(B.syn)\}$

SDT for L-attributed Definitions: Example

- SDT for intermediate code generation for a simple `while` loop
 - Generate an intermediate code for facilitating the control flow
- Grammar G:

$S \rightarrow \text{while } (C) \ S_1$

where

S can generate all kinds of statements

C is a conditional expression that evaluates to true or false

Control-flow for a `while` statement - Conceptual

- Evaluate C and if C is `true`
 - The next statement to be executed $\Rightarrow S_1$
 - After S_1 , the next statement to be executed $\Rightarrow S_{\text{next}} = C$
- Else
 - The next statement to be executed \Rightarrow whatever comes after the symbol S i.e. S_{next}

Actual implementation

Label **L1**: Evaluate C
if C is `false`, goto S_{next} , else goto **L2**

Label **L2**: Execute S_1
goto **L1**

SDT for L-attributed Definitions: Example

- SDD for intermediate code generation for a simple `while` loop

$$S \rightarrow \text{while } (C) \ S_1$$

```

L1 = new Label();
L2 = new Label();
S1.next = L1;
C.false = S.next;
C.true = L2;
S.code = Label || L1 || C.code || Label || L2 || S1.code;

```

Rules for SDD to SDT:

Inherited attributes immediately before the non-terminal

Synthesized attributes at the end of the production

- Corresponding SDT

$$S \rightarrow \text{while } (\{L1 = \text{new Label}(); L2 = \text{new Label}(); C.\text{false} = S.\text{next}; C.\text{true} = L2;\} \ C)$$

$$\{S_1.\text{next} = L1;\} \ S_1 \ \{ \ S.\text{code} = \text{Label} || L1 || C.\text{code} || \text{Label} || L2 || S_1.\text{code}; \}$$

Implementing L-attributed SDD

- Generic approach
 - Build the parse tree, add actions, and execute the actions in pre-order.
- Specific approach
 - Translation during recursive-descent parsing
 - Translation during LL parsing
 - Translation during LR parsing

Translation during recursive-descent parsing

- Recall, in recursive-descent parsing, we have one function for each non-terminal
- Translation steps
 - The *inherited attributes* of the non-terminal A needs to be passed as argument to the associated function
 - The return value of the function A is the collection of *synthesized attributes* of non-terminal A
 - The body of the function needs to both parse and handle attributes
 - Preserve the values of all attributes in local variables that will be needed to compute
 - The *inherited attributes* of non-terminals in body, OR
 - The *synthesized attribute* of the non-terminal head, i.e., A .
 - Call functions associated with the non-terminals in body and provide them with the proper attributes.
 - Since, its an L-attributed SDD, all the required attributes should have been already computed. (We are doing left-to-right processing!)

Translation during recursive-descent parsing

$S \rightarrow \text{while} (\{L1 = \text{new Label}(); L2 = \text{new Label}(); C.\text{false} = S.\text{next}; C.\text{true} = L2;\} C)$
 $\{S_1.\text{next} = L1;\} S_I \{ S.\text{code} = \text{Label} \parallel L1 \parallel C.\text{code} \parallel \text{Label} \parallel L2 \parallel S_1.\text{code}; \}$

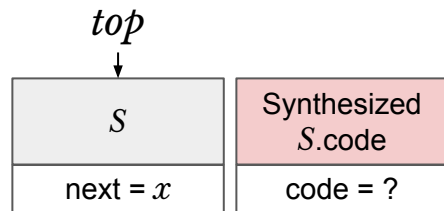
```
string S (Label next)
{
    string Scode, Ccode; /*local variables*/
    Label L1, L2; /*local variables*/
    if (current_input == 'while')
    {
        ReadNextInput();
        Match('(') and ReadNextInput();
        L1 = new Label();
        L2 = new Label();
        Ccode = C(next, L2);
        Match(')') and ReadNextInput();
        Scode = S(L1);
        return ("label" || L1 || Ccode || "label" || L2 || Scode);
    }
    else /*Other Statements*/
}
```

Translation during LL parsing

- In addition to the terminals and non-terminals, the LL(1) parser stack will hold
 - Action-record:
 - Actions to be executed
 - Synthesized-record:
 - Holds the synthesized attributes of the non-terminal
- Each non-terminal record will hold its associated inherited attributes
- Action-record for a non-terminal will be placed just above the non-terminal record
 - It will compute the inherited attributes of the non-terminals
 - It contains a pointer to *code to be executed*
- Synthesized attributes for a non-terminal are placed in a separate record immediately below the non-terminal record
 - Synthesized-record can also have *action/code* part, usually, to copy the values

Translation during LL parsing

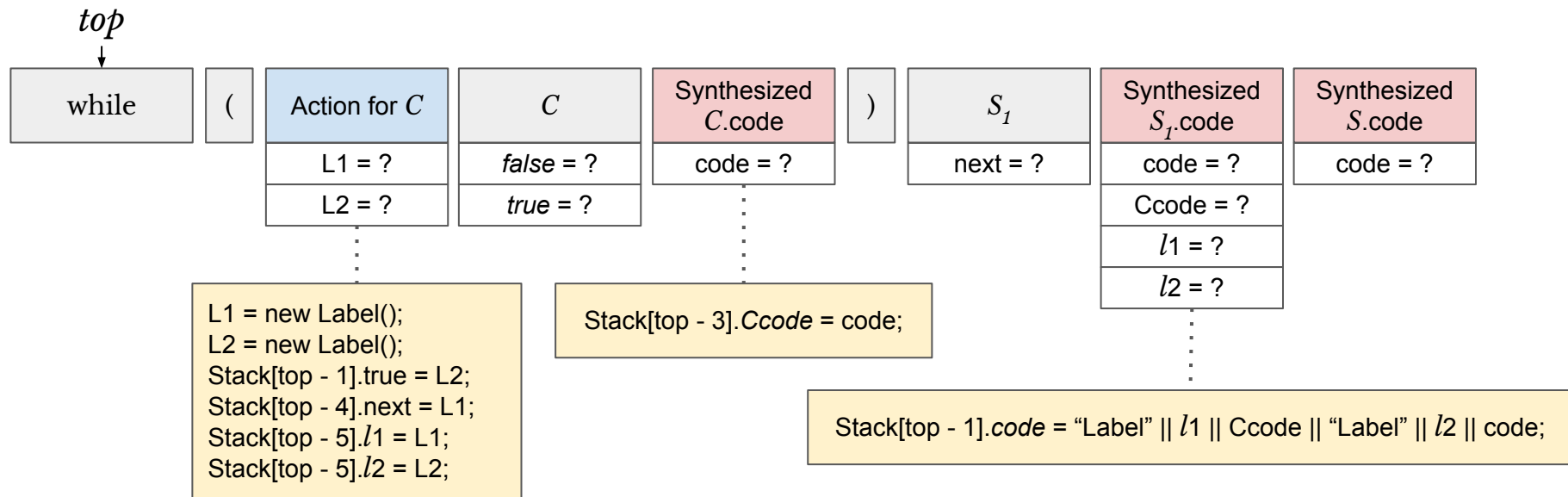
$S \rightarrow \text{while } (\{L1 = \text{new Label}(); L2 = \text{new Label}(); C.\text{false} = S.\text{next}; C.\text{true} = L2;\} C)$
 $\{S_1.\text{next} = L1;\} S_1 \{ S.\text{code} = \text{Label} \parallel L1 \parallel C.\text{code} \parallel \text{Label} \parallel L2 \parallel S_1.\text{code}; \}$



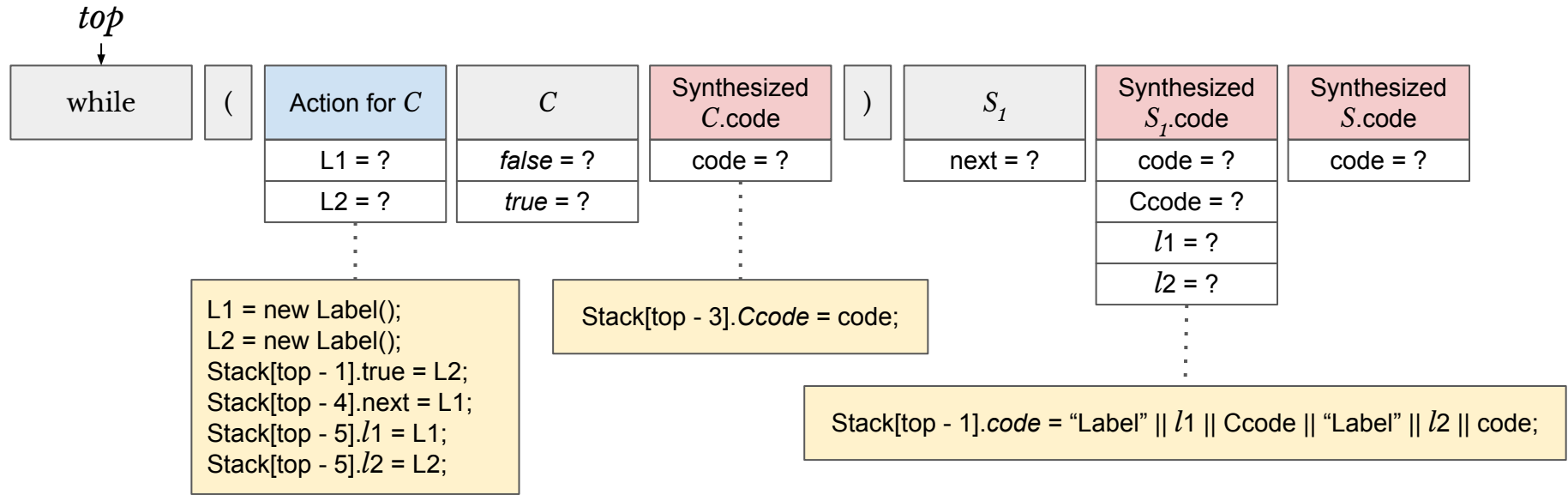
S on “while”

Pop *S*

Push the right-side of the production onto stack

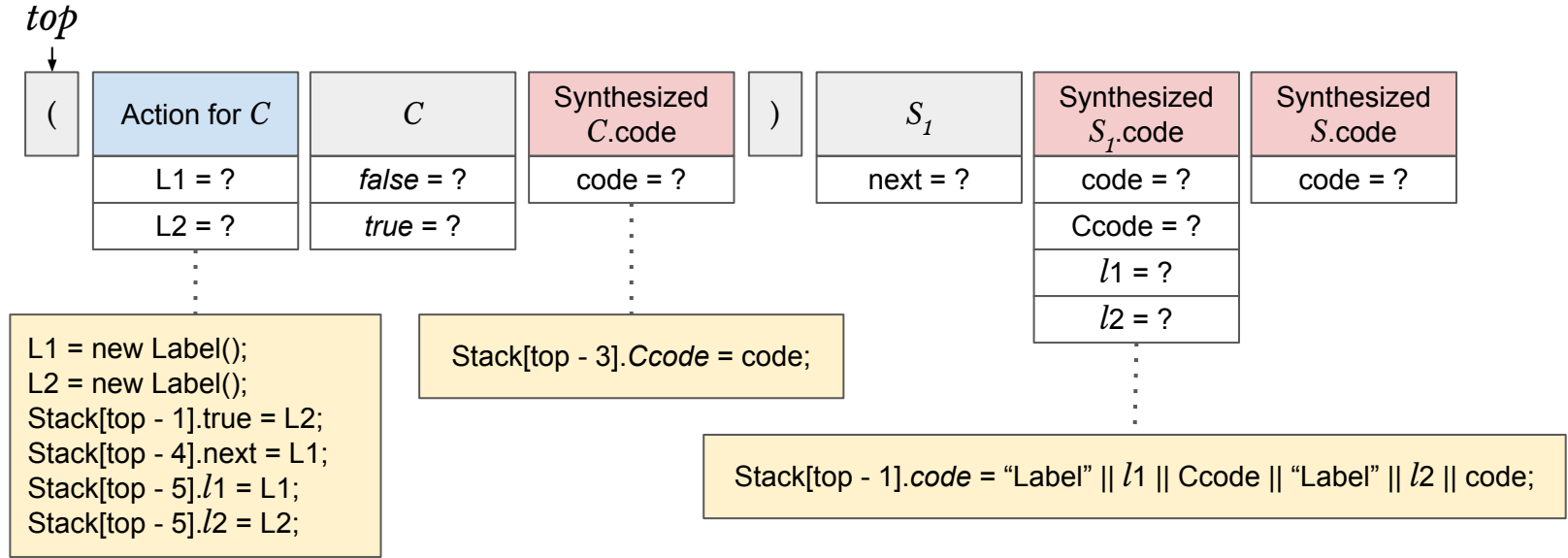


Translation during LL parsing



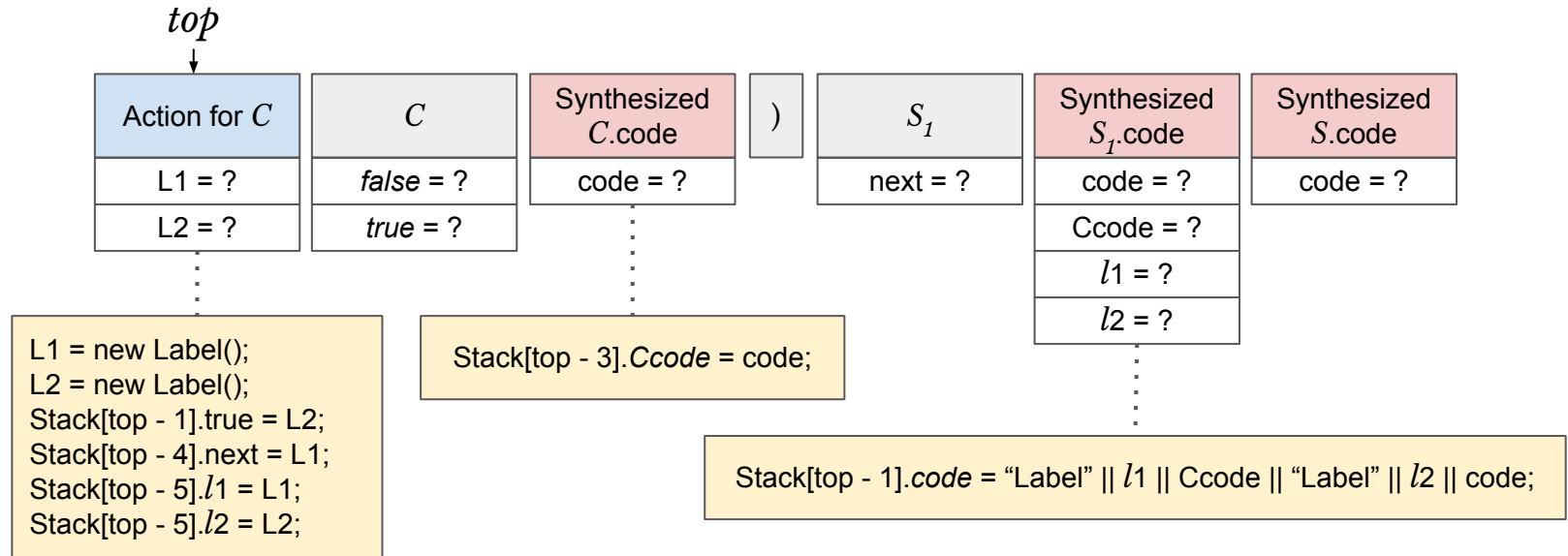
If *top* matched the next input symbol (i.e., "while")
 Pop it

Translation during LL parsing



If *top* matched the next input symbol (i.e., "(")
Pop it

Translation during LL parsing

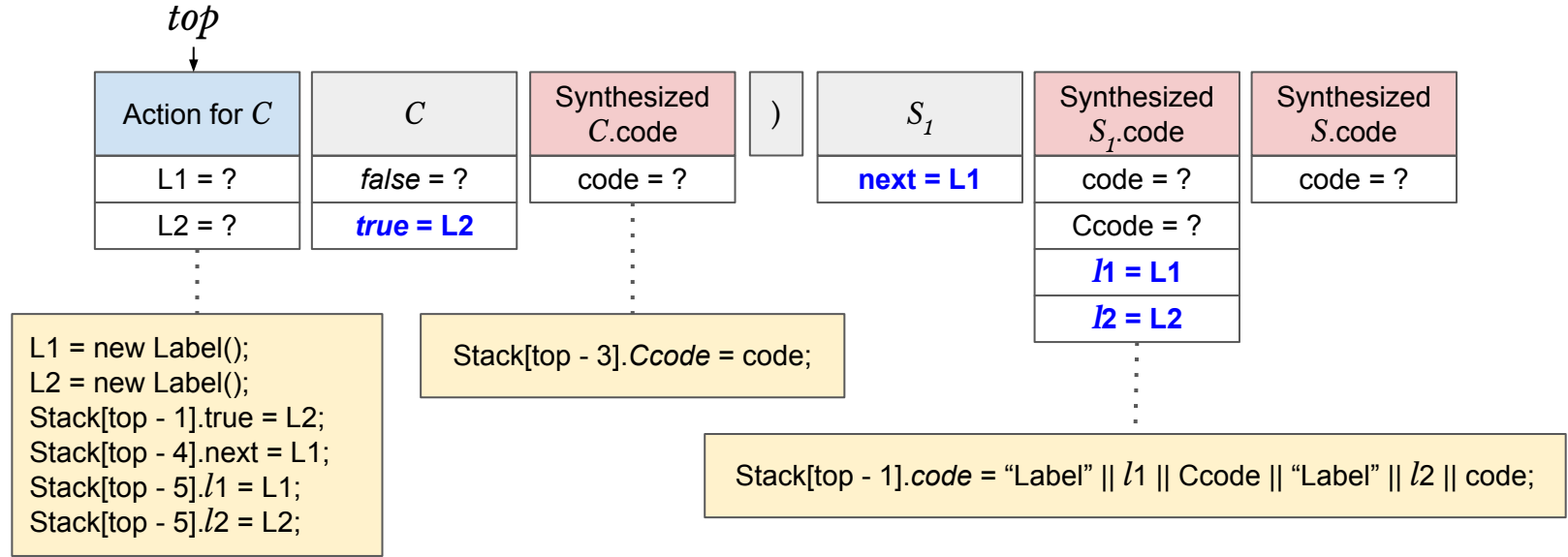


If *top* is Action,

Execute the code

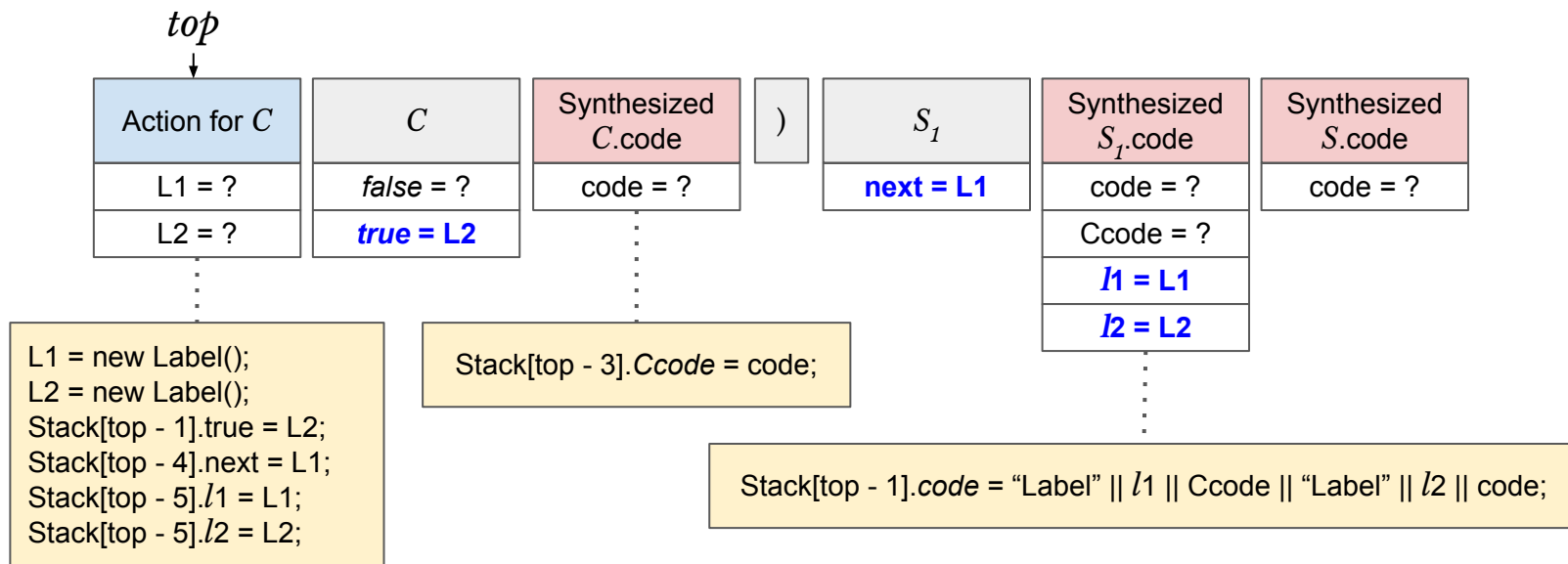
Pop

Translation during LL parsing



If *top* is Action,
 Execute the code
 Pop

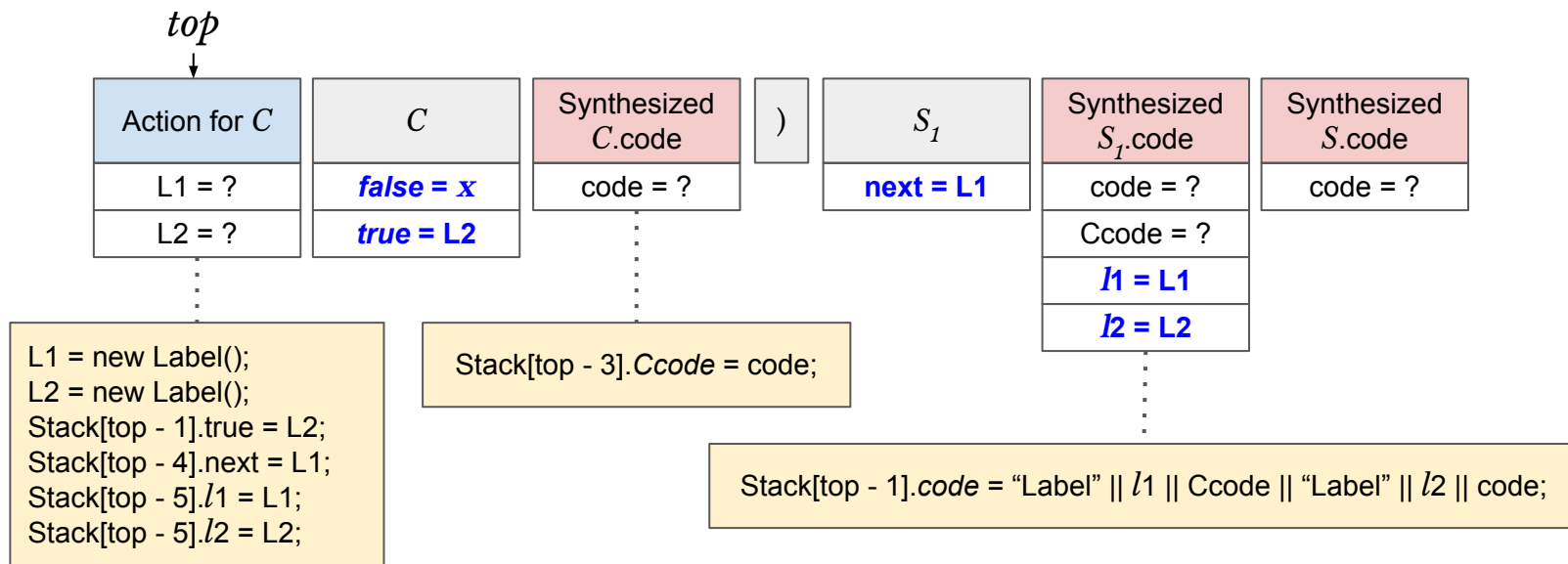
Translation during LL parsing



- Observe, we have computed the inherited attribute of S_1 .next in the Action for C
- In the same way, the inherited attribute of C.false was computed during the Action for S
 - C.false = S.next

If *top* is Action,
Execute the code
Pop

Translation during LL parsing



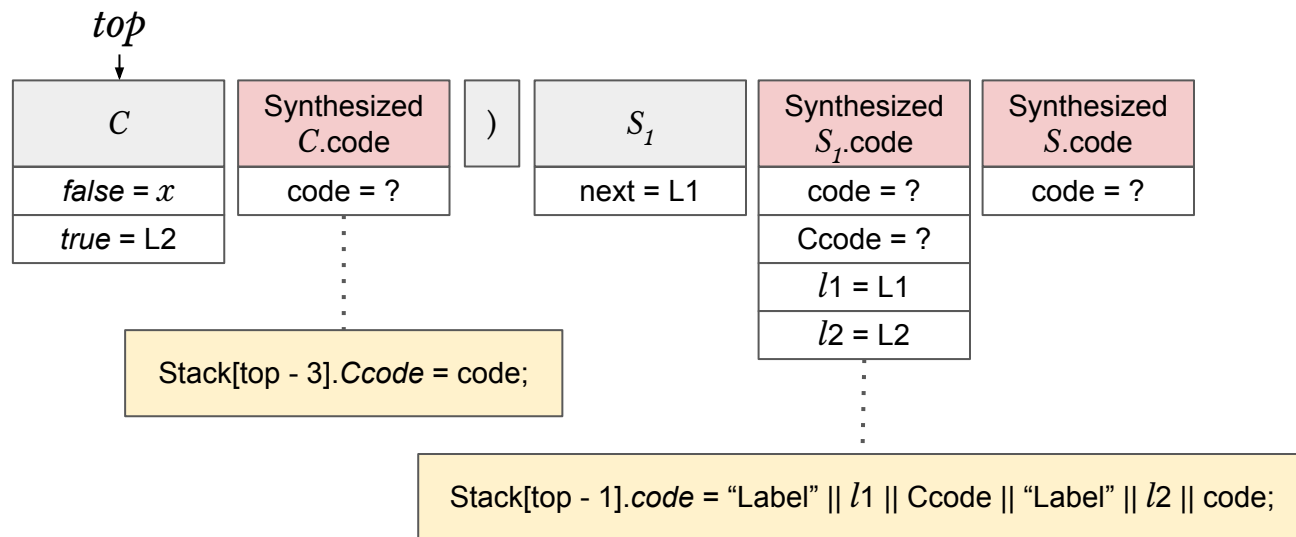
- Observe, we have computed the inherited attribute of *S*₁.next in the Action for *C*
- In the same way, the inherited attribute of *C*.false was computed during the Action for *S*
 - *C*.false = *S*.next

If *top* is Action,

Execute the code

Pop

Translation during LL parsing

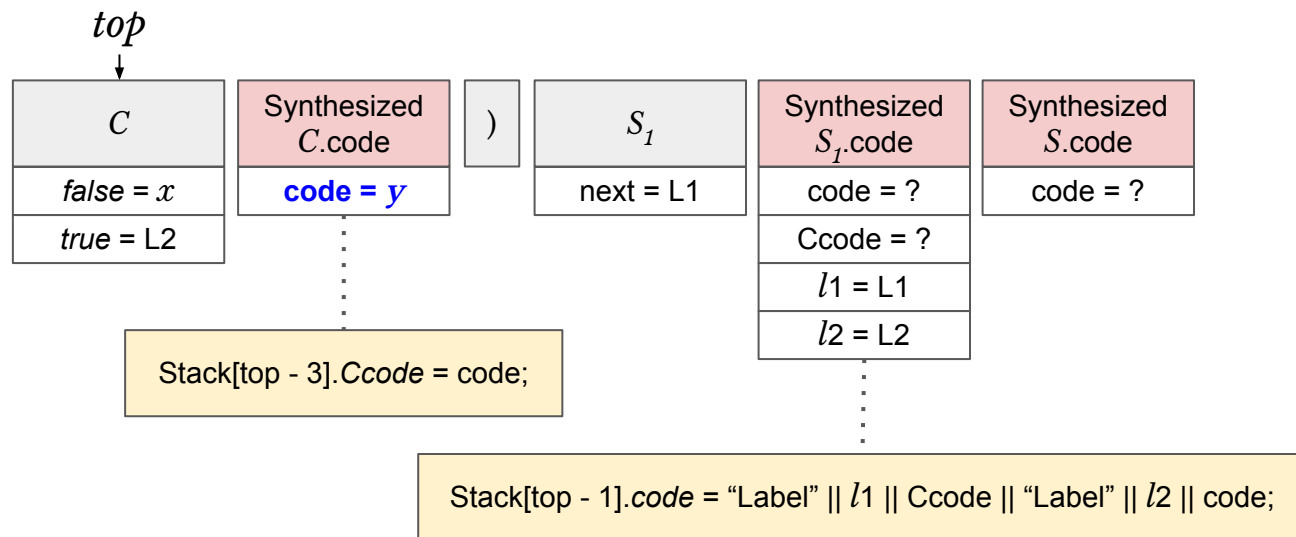


If top is a non-terminal, i.e., C ,

Expand C and match the condition expression with input.

While processing C , we can generate the synthesized attribute $C.code$

Translation during LL parsing

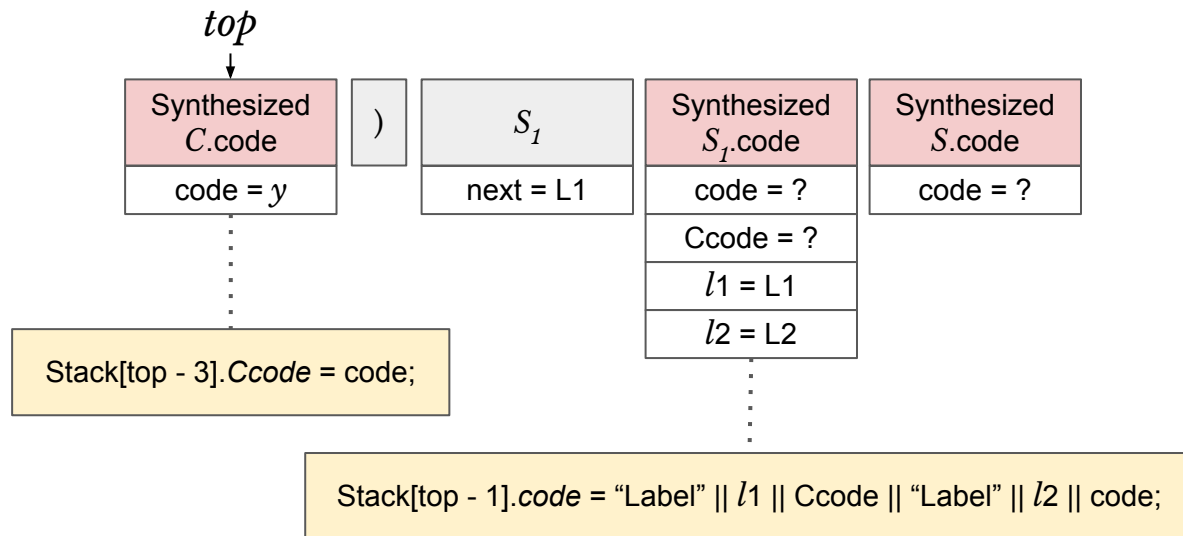


If *top* is a non-terminal, i.e., *C*,

Expand *C* and match the condition expression with input.

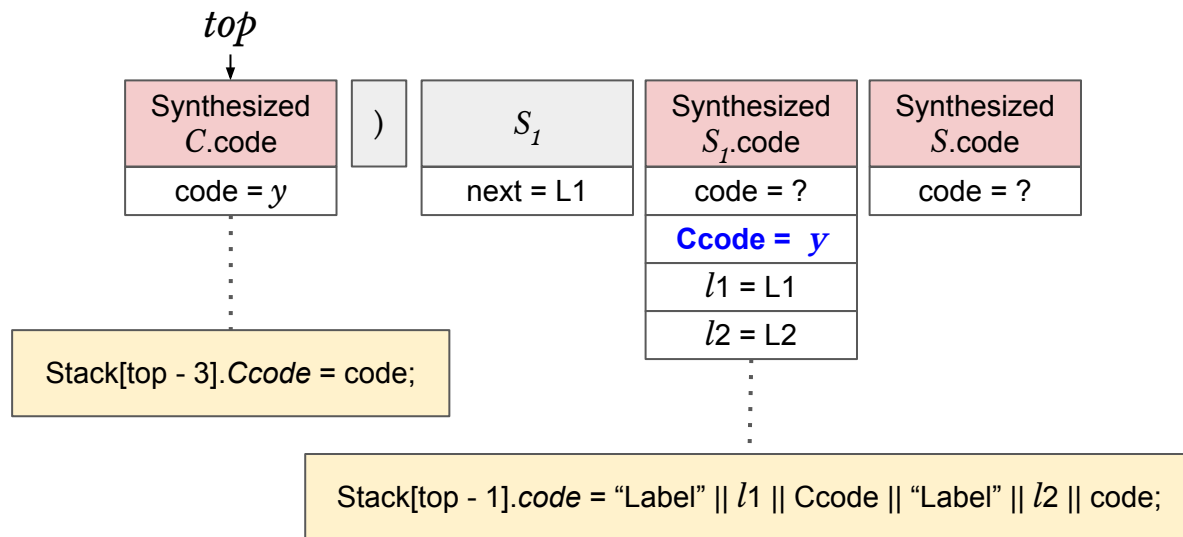
While processing *C*, we can generate the synthesized attribute *C.code*

Translation during LL parsing



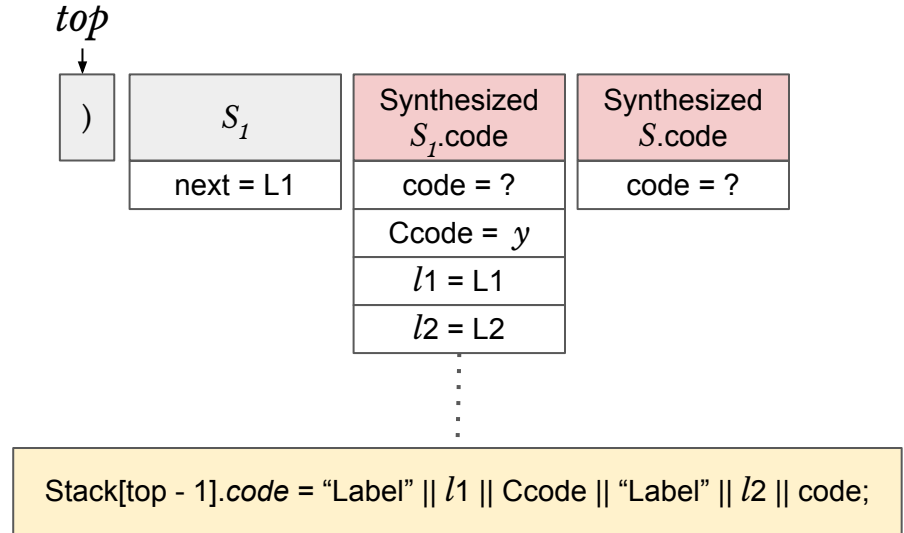
If top is synthesized-record
Execute the code, if any
Pop

Translation during LL parsing



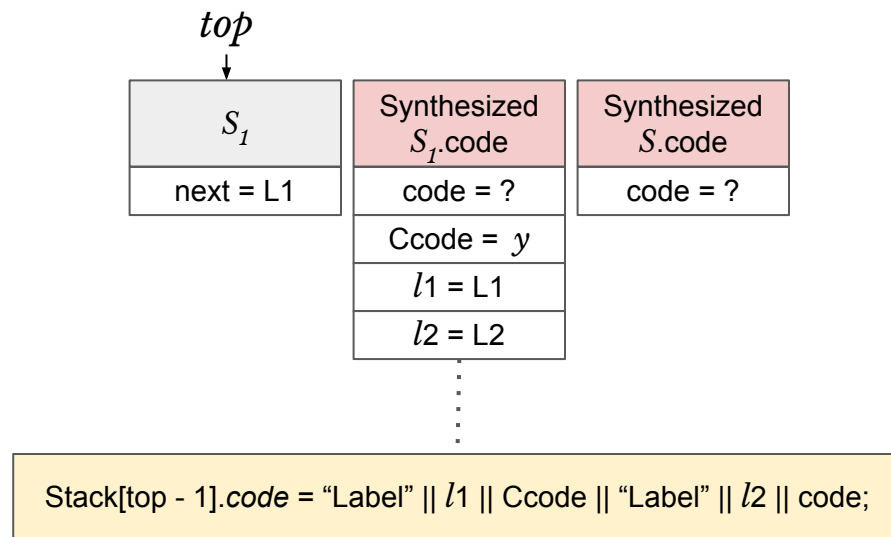
If top is synthesized-record
Execute the code, if any
Pop

Translation during LL parsing



If *top* is matched with the input, i.e., ')'
Pop

Translation during LL parsing

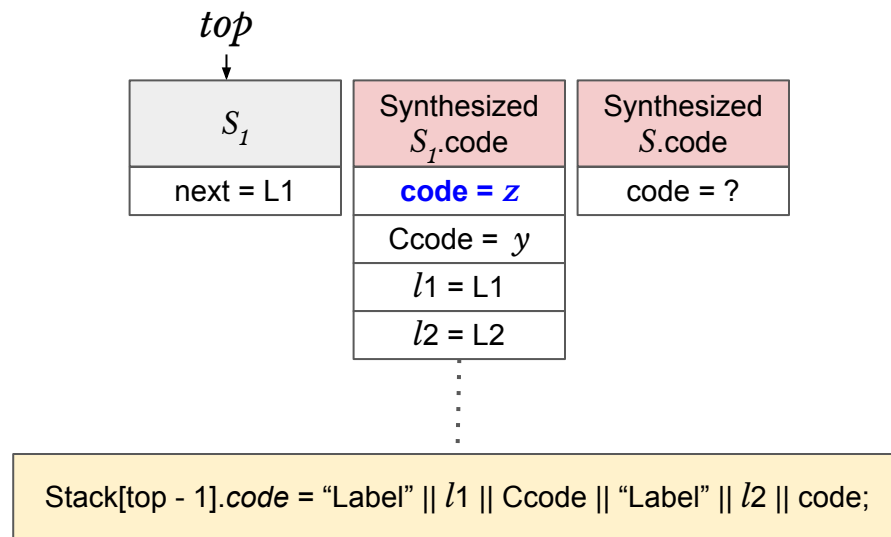


If *top* is a non-terminal, i.e., S_1 ,

Expand S_1 and process the children

While processing S_1 , we can generate the synthesized attribute $S_1.code$

Translation during LL parsing

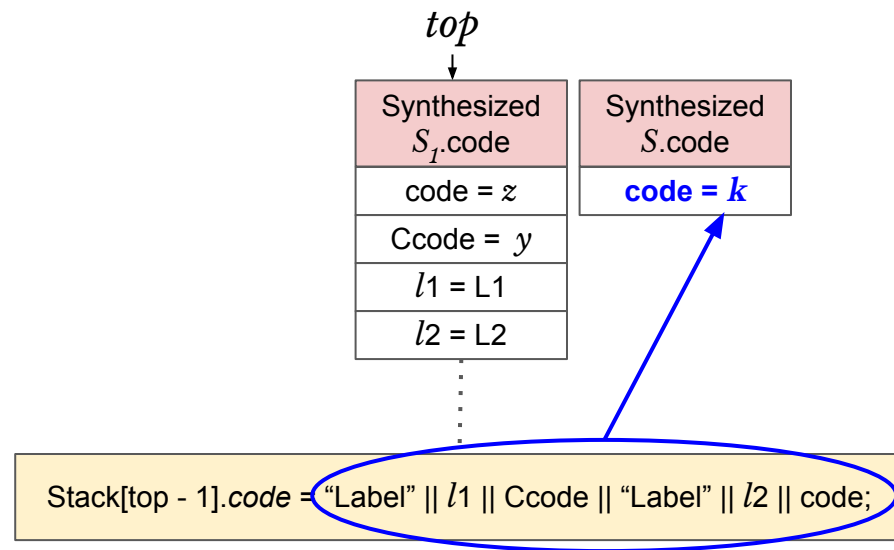


If top is a non-terminal, i.e., S_1 ,

Expand S_1 and process the children

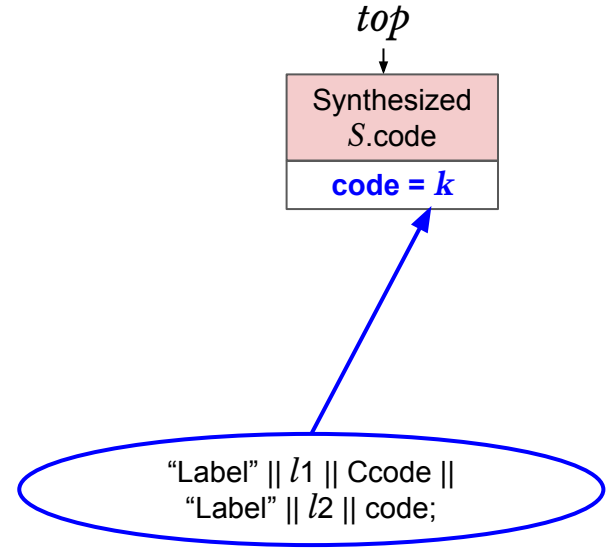
While processing S_1 , we can generate the synthesized attribute $S_1.code$

Translation during LL parsing



If *top* is synthesized-record
Execute the code, if any
Pop

Translation during LL parsing



If *top* is synthesized-record
Execute the code, if any
Pop

Translation during LR parsing

- Convert the L-attributed SDT into postfix-SDT
 - Move all embedding semantic actions in SDT to the end of the production rules
 - Introduce new non-terminals
 - Copy all inherited attributes into the synthesized attributes (most of the time synthesized attributes of new non-terminals)
- Evaluate all semantic actions during reductions
- Transformation
 - Remove an embedding semantic action S_i , put a new non-terminal M_i instead of that semantic action
 - Put the semantic action S_i into the end of a new production rule $M_i \rightarrow \epsilon$ for that non-terminal M_i
 - Semantic action S_i will be evaluated when the new production rule is reduced
 - Evaluation order of the semantic rules are not changed by this transformation
- All L-attributed definitions cannot be evaluated during bottom-up parsing
 - The modified grammar is not an LR grammar anymore

Topics Covered

- Syntax-Directed Definition (SDD) and Syntax-Directed Translation (SDT)
- Inherited and Synthesized Attributes
- Dependency graph, Annotated parse tree, Attributed SDD
- S-Attributed Definitions
- L-Attributed Definitions
- Syntax-Tree
- Implementation of S-Attributed SDD's
 - Postfix-SDT
- Elimination of left-recursion from SDT's
- Implementation of L-Attributed SDD's by Recursive-Descent Parsing
- Implementation of L-Attributed SDD's by LL Parsing
- Implementation of L-Attributed SDD's by LR Parsing

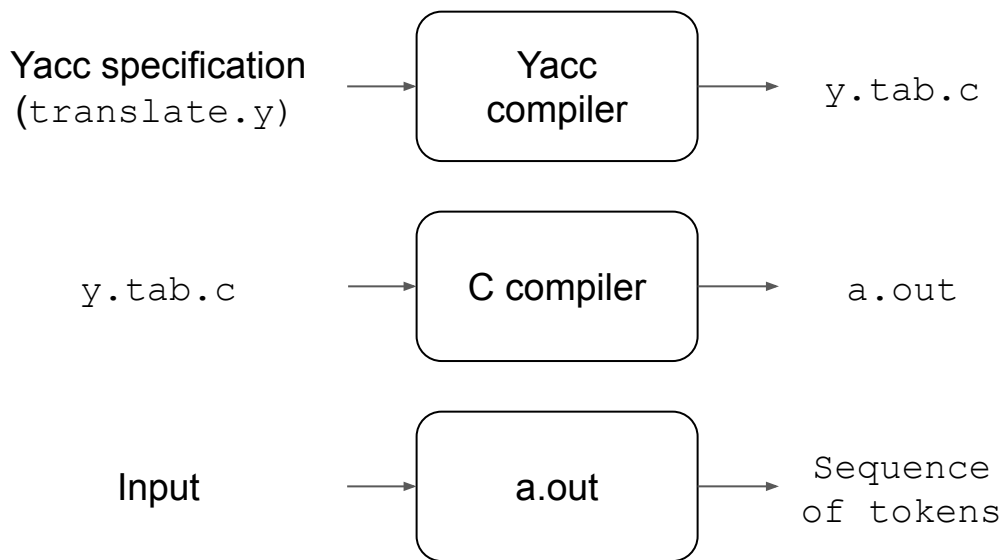
Parser Generator

YACC parser generator

- A tool to generate parse tree
- Yet-another-compiler-compiler

```
Declaration
%%
Transition rules
%%
Auxiliary functions
```

A typical yacc file: `translate.y`



YACC parser generator

```
%{  
#include <ctype.h>  
%}  
%token DIGIT  
%%  
line      :      expr '\n'                {printf("%d", $1);}  
          ;  
expr      :      expr '+' term            {$$ = $1 + $3;}  
          |      term  
          ;  
term      :      term '*' factor          {$$ = $1 * $3;}  
          |      factor  
          ;  
factor    :      '(' expr ')'             {$$ = $2;}  
          |      DIGIT  
          ;  
%%  
yylex()  
{  
    int c; c = getchar();  
    if (isdigit(c)) { yylval = c; return DIGIT;} else return c;  
}
```