



Unit 14 - Week 10 - Power law (contd..) and Epidemics

Course outline

Course Trailer

FAQ

Things to Note

Accessing the Portal

Week 1 - Introduction

Week 2 - Handling Real-world Network Datasets

Week 3- Strength of Weak Ties

Week4 - - Strong and Weak Relationships (Continued) & Homophily

Week 5 - Homophily Continued and +Ve / -Ve Relationships

Week 6- Link Analysis

Week 7 - Cascading Behaviour in Networks

Week 8 : Link Analysis (Continued)

Week -9 : Power Laws and Rich-Get-Richer Phenomena

Week10- Assignment 1

1) In rich get richer phenomenon, a node having attracts more connections

1 point

- ☐ High degree
- ☐ Low degree
- ☐ Average degree
- ☐ Does not matter

Accepted Answers:

High degree

2) If we plot percentage usage of words versus words in English (where x-axis shows the words sorted as per their usage in English and y-axis shows that what is the percentage of the usage of that word in the language), what kind of curve this is? Answer based on the content covered in the nptel lecture video.:

1 point

- ☐ Normal Distribution
- ☐ Zipf's Law
- ☐ Gaussian Distribution
- ☐ Depends on the language

Accepted Answers:

Zipf's Law

3) As per the research, if your friend is obese your chances of being obese is increased by

1 point

- ☐ 12%
- ☐ 25%
- ☐ 33%
- ☐ 45%

Accepted Answers:

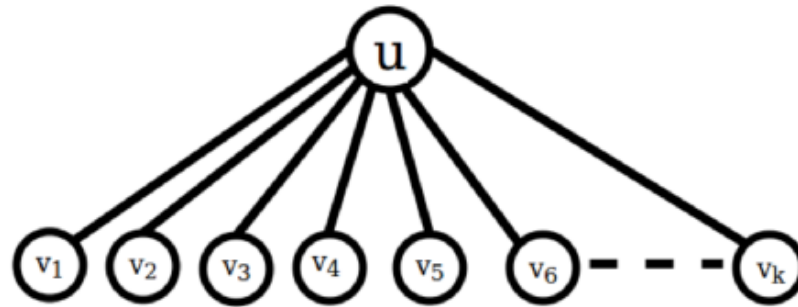
45%

4) In figure 1, the node u is infected and it has k children. The probability that the node u infects one of its neighbors is p. What is the expected number of neighbors infected in the next round? (Here we assume that in each round node u will try to infect each of its neighbor with the given probability.)

1 point

Week 10 - Power law (contd..) and Epidemics

- Lecture 126 - Rich Get Richer - A Possible Reason
- Lecture 127 - Rich Get Richer - The Long Tail
- Lecture 128 - Epidemics- An Introduction
- Lecture 129 - Introduction to epidemics (contd..)
- Lecture 130 - Simple Branching Process for Modeling Epidemics
- Lecture 131 - Simple Branching Process for Modeling Epidemics (contd..)
- Lecture 132- Basic reproductive number
- Lecture 133- Modeling epidemics on complex networks
- Lecture 134 - SIR and SIS spreading models
- Lecture 135 - Comparison between SIR and SIS spreading models
- Lecture 136 - Basic Reproductive Number Revisited for Complex Networks
- Lecture 137 - Percolation model
- Lecture 138 - Analysis of basic reproductive number in branching



- ☐ pk
- ☐ p
- ☐ $1/p$
- ☐ $1/(pk)$

Accepted Answers:

pk

5) What is the full name of SIR model?

1 point

- ☐ Susceptible-Infected-Reinfected
- ☐ Suspecious-Infected-Recovered
- ☐ Susceptible-Infected-Recovered
- ☐ Susceptible-Infection-Recovered

Accepted Answers:

Susceptible-Infected-Recovered

6) Let's assume, in the given network, the probability of a node infecting its neighbor is p . In the **1 point** SIR model, we see that the node u is recovered at time t_1 , what is the probability of it being infected again?

- ☐ p
- ☐ 0
- ☐ 1
- ☐ $1-p$

Accepted Answers:

0

7) There is an epidemic in Jordan city. In this infectious disease, once people are infected they **1 point** can take the drugs to overcome but they are again susceptible to get infected. Which spreading model should be used to model such scenario?

- ☐ SIR
- ☐ SI
- ☐ Linear threshold
- ☐ SIRS

Accepted Answers:

SI

8) In the Branching Process, what is the reproductive number (R_0) if the disease persists in the network with some positive probability ($p > 0$). **1 point**

model (The problem statement)

- ☐ Lecture 139 - Analyzing basic reproductive number 2
- ☐ Lecture 140 - Analyzing basic reproductive number (3)
- ☐ Lecture 141 - Analyzing basic reproductive number (4)
- ☒ Lecture 142 - Analyzing basic reproductive number (5)
- ☐ Quiz : Week10- Assignment 1
- ☐ Feedback for week 10
- ☐ Answers to week 10 assignment

Week 11- Small World Phenomenon

Week 12- Pseudocore (How to go viral on web?)

- ☐ $R_0 > 1$
- ☐ $R_0 = 1$
- ☐ $R_0 < 1$
- ☐ $R_0 = p$

Accepted Answers:

$R_0 > 1$

9) In the Branching Process, q_n represents the probability that the disease reaches at level n. If **1 point** each node has k children and the probability that a node infects its neighbor is p, then q_n is defined as

- ☐ $q_n = 1 - (1 - p \cdot q_{n-1})^k$
- ☐ $q_n = (1 - p \cdot q_{n-1})^k$
- ☐ $q_n = 1 - (1 - p \cdot q_{n-1})$
- ☐ $q_n = 1 - (p \cdot q_{n-1})^k$

Accepted Answers:

$q_n = 1 - (1 - p \cdot q_{n-1})^k$

10) In a network, the spread of an idea and the spread of a disease

1 point

- ☐ is similar
- ☐ is different
- ☐ depends on the network
- ☐ might be similar or different

Accepted Answers:

is different

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