

EC2_Non_Recursive_FFT

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```
In [1]: import math
        from cmath import exp, pi
        import numpy as np

In [2]: def fft_fn( v ):
        n, h = len(v), len(v) >> 1
        previous = np.zeros((n,), dtype=np.complex128)
        previous = v[:]
        latest = np.zeros((n,), dtype=np.complex128)
        sublen, stride = 1, n

        while sublen < n:
            stride >>= 1
            for i in range( stride ):
                for k in range( 0, n, 2*stride ):
                    factor = exp(-2j*pi * k / n)
                    latest[i+(k>>1)] = previous[i+k] + factor * previous[i+k+stride]
                    latest[i+(k>>1)+h] = previous[i+k] - factor * previous[i+k+stride]
                previous, latest = latest, previous
            sublen <<= 1

        return previous

In [3]: X = np.random.rand(1024,)
```

0.1 Now Lets test our non-recursive FFT

```
In [4]: fft_fn(X)

Out[4]: array([523.03315668+0.j, 4.69304583-0.74800533j,
               5.73716514+5.57015994j, ..., 0.71648219-1.89630633j,
               5.73716514-5.57015994j, 4.69304583+0.74800533j])
```

0.2 Now lets see the Numpy's FFT result for comparison

```
In [5]: np.fft.fft(X)

Out[5]: array([523.03315668+0.j, 4.69304583-0.74800533j,
               5.73716514+5.57015994j, ..., 0.71648219-1.89630633j,
               5.73716514-5.57015994j, 4.69304583+0.74800533j])
```

0.3 Now lets see if our Implimentation of non-recursive FFT is same as the Numpy's FFT

```
In [6]: np.allclose(fft_fn(X), np.fft.fft(X))
```

```
Out[6]: True
```

0.4 Hurray!! yes, they both are same :)