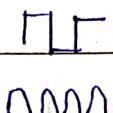


CN:

Notes

1) Transmission Impairments, Channel Capacity

Impairments: (In the Signal)

Signal \rightarrow  \rightarrow Transmission Medium

- i) Attenuation
- ii) Distortion
- iii) Noise

Attenuation: Loss of Signal Energy (in Decibal)

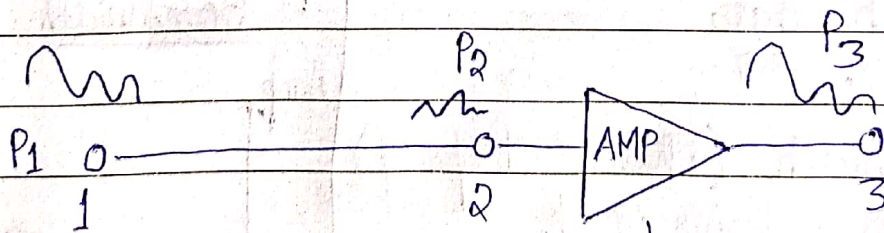
dB

$$= 10 \log_{10} (P_2/P_1)$$

P_1 : Transmission Energy

P_2 : Receiving Energy

* Amplification



\downarrow Compensate the attenuation of the medium.

$$dB = 10 \log_{10} (P_2/P_1)$$

Ex: Energy Strength at P_0
 $= 1/10^{-th}$ (with respect to point P_1)

∴ Attenuation:

$$dB = 10 \log_{10}(1/10) = \boxed{-10 \text{ dB}}$$

-ve Sign: Loss of Power

At

Point P_3 : Energy gain = 100 times
(With respect to Point 2)

$$\therefore dB = 10 \log_{10}(100/1) = \boxed{20 \text{ dB}}$$

↳ gain +ve.

∴ The Signal Strength at point 3 (P_3), with respect to '1' can be obtained by —

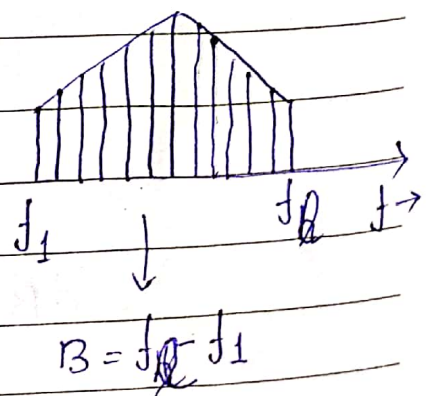
$$\boxed{(-10) + 20 = 10 \text{ dB}}$$

2) How Fast the data
Can be Sent?

- i) Bandwidth (Channel Property)
- ii) Number of levels in the
Signal
- iii) Noise level.
(Channel Parameter)

i) Bandwidth:

Amp



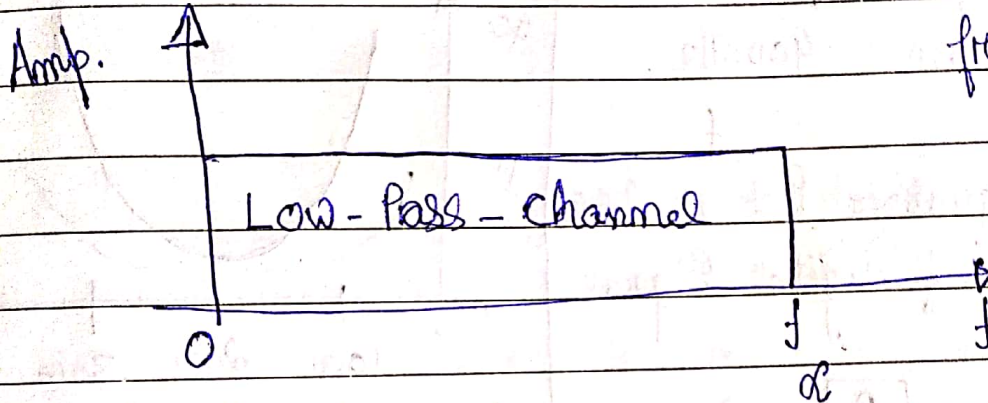
Notes

Defn: Range of frequencies that a medium can pass without a loss of one half of the power (-3dB) in the signal.

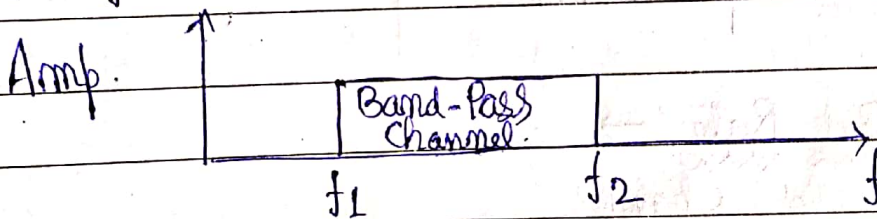
Digital Signal:

↓
Low-Pass-Channel

↓
Requires a bandwidth from 0 to infinity



Analog Signal:

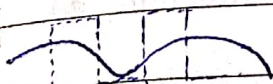
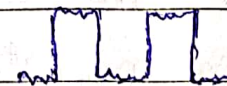
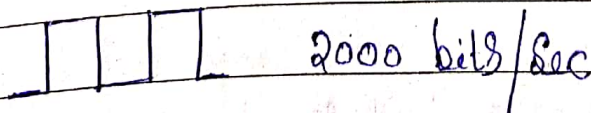


Distortion: of all the freqⁿ components

↳ Attenuations not Same.

- i) No attenuation
- ii) Signal gets weaker
- iii) Blocked.

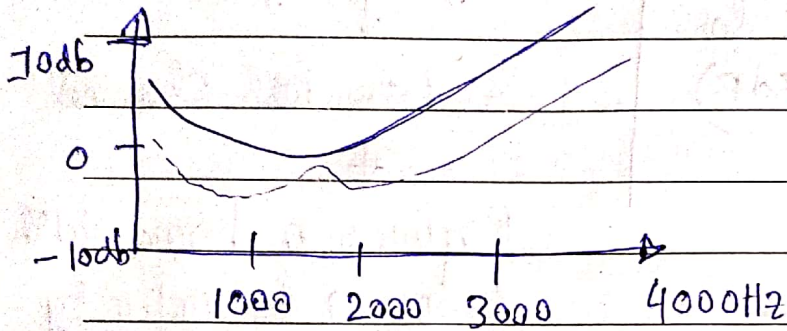
16000 Hz.



Passed through a channel
With B.W = 2000 Hz.

Notes

* Attenuation Distortion:



Equalizer:

→ With Equalizer Bob. is less in case of digital signal.

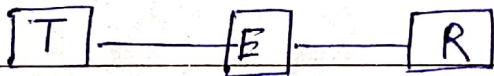
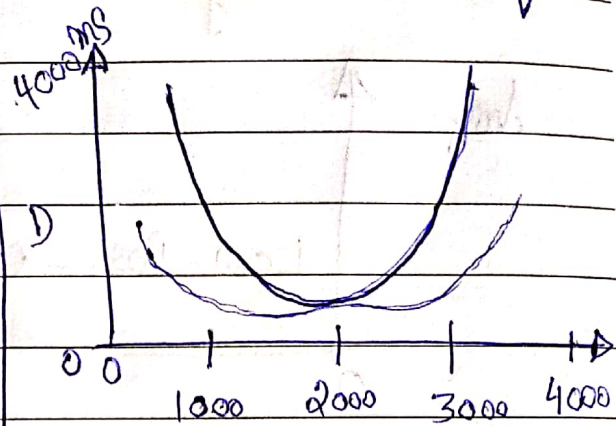


Fig. Voice grade telephone line.

Delay Distortion: →

- i) For Guided Medium
- ii) Velocity of Propagation Varies With Freqⁿ



i) Equalizer.

Imp: Nyquist Bit Rate: →

Assume Noiseless Channel

Max^m bit Rate (Nyquist Bit Rate)

$$C = 2.B.\log_2 L$$

C: Channel capacity

B: Band width

L: No. of Signal levels used in a signal.

*

Baud Rate: → Bit interval.

(Signalling Rate)

→ No. of distinct symbols transmitted per sec

Ex: Baseband Digital transmission =

$$L = 2 \quad 0V \quad 0V$$

MAX Band Rate =

$$1V \quad 0.5V$$

$$1.0V$$

$$2.0V$$

Element Width (in Sec)

$$= 2B$$

* Bit Rate / Info Rate:
(L)

Actual equivalent no. of bits transmitted per Sec

$$l = \text{Baud Rate} \times \text{Bits per Baud}$$

$$= \text{Baud Rate} \times N$$

$$= \text{Baud Rate} \times \log M$$

Note: For binary

Encoding Bit-Rate / Baud Rate Same;

$$l = \text{Baud Rate}$$

Ex: telephone channel having bandwidth = 4 kHz. Assuming there is no noise determine the ch. Capacity for—

- i) 2 ii) 128

Ans:

$$\begin{aligned} \text{i) } C &= 2B \cdot \log 2 = 2B = 2 \times 4000 \\ &= 8000 \text{ bits/s} \\ &= 8 \text{ Kbits/s} \end{aligned}$$

ii) For you to solve.

Notes

Noise: B + Noise



↳ Limitation due to noise

Characteristics of channel.

0.5V \Rightarrow Send.

+0.5V \Rightarrow Noise

1V \Rightarrow Received.

Noise becomes more problematic if the no. of levels increases.

Signal-to-noise Ratio:

P: Average Signal Power

N: Average Noise Power

$$\frac{S}{N} = \frac{P}{N}$$

$$\left(\frac{S}{N}\right)_{dB} = 10 \log_{10} \left(\frac{S}{N}\right)$$

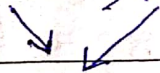
Shannon Capacity: (Noisy Ch.)

Highest Data rate for a noisy channel —

$$C = B \times \log_2 \left(1 + \frac{S}{N}\right)$$

$C=0$ Extremely noisy channel

* Nyquist Bit Rate, Shannon Capacity



The smallest one needs to be considered as Channel Capacity.

Ex1 A channel has $B = 4 \text{ KHz}$. Determine the channel capacity for each of the 'S' to 'N' ratios —

i) 20 dB ii) 30 dB iii) 40 dB

i)

$$C = B \log_2 \left(1 + \frac{S}{N} \right)$$

$$= 4 \times 10^3 \times \log_2 (1 + 100)$$

$$= 26.6 \text{ Kbits}$$

ii) For you

iii) For you.

Ex2: ^{Same} i) Determine the Max^m information rate for 4-level Encoding

$$B = 4 \text{ KHz}, L = 4, S/N = 30 \text{ dB}$$

$$\hookrightarrow \text{Nyquist Bit Rate} = 16 \text{ Kbps}$$

$$\hookrightarrow \text{Shannon Capacity} = 39.8 \text{ Kbps}$$

Smallest 1

$$\therefore \text{The Information Capacity} = \underline{16 \text{ Kbps}}$$

$$\text{ii) } L = 128$$

$$\text{Nyquist Bit Rate} = 56 \text{ Kbits/s}$$

$$\text{Shannon Capacity} = \underline{39.8 \text{ Kbps}}$$

H/W

Q: The digital signal is designed to permit 160 kbps for a bandwidth of 20 KHz.

a) No. of levels = ?

b) $S/N = ?$

Notes

* Types of Noise:

i) Thermal: $N = k.T.B$

Copper (Molecule levels)

Movement of Electrons)

ii) Intermodulation

↳ Signals of diff^m frequencies share the same Medium

iii) Crosstalk: Due to unwanted coupling of
- two Medium.

iv) Impulse Noise:

Lightning, Electrical Spark (Environment)