

Search:

Ex: 8-puzzle Problem

7	2	4
5		6
8	3	1

Start State

	1	2
3	4	5
6	7	8

Goal State

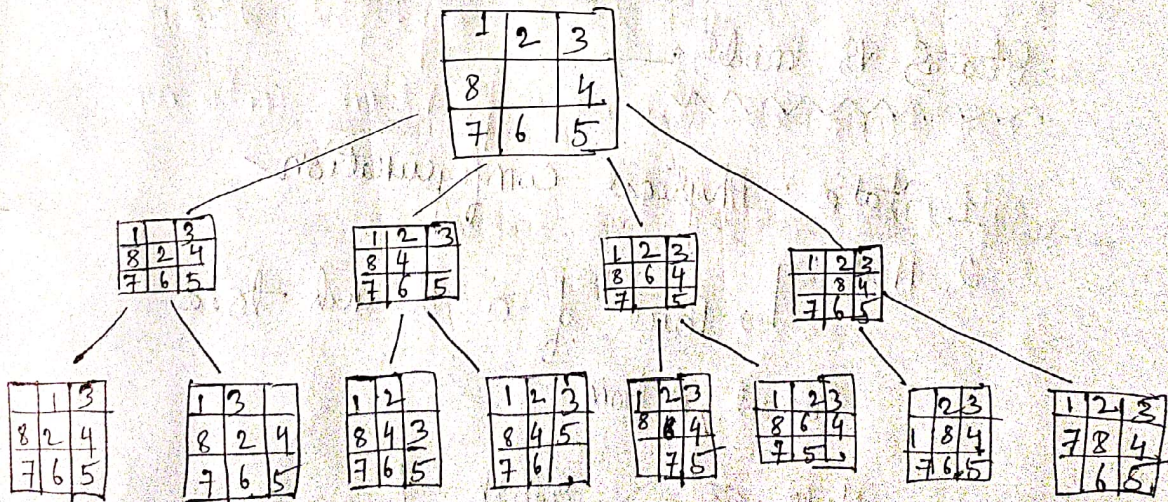
States: Locations tiles

Actions: Movement of the blank (left, right, up, down)

Goal state → Goal test:

Path cost:

→ 1 per move.



Search - Tree Example

8-puzzle - Problem Space

Example:

N-Queens Problem:

Input:

Set of States

Operators [and costs]

Start State

Goal State (test)

		Q	
Q			
			Q
	Q		

States vs nodes: →

1. State : Physical configuration

2. Node: → Part of a Search tree

Parent, Action:

Node

depth = 7

State

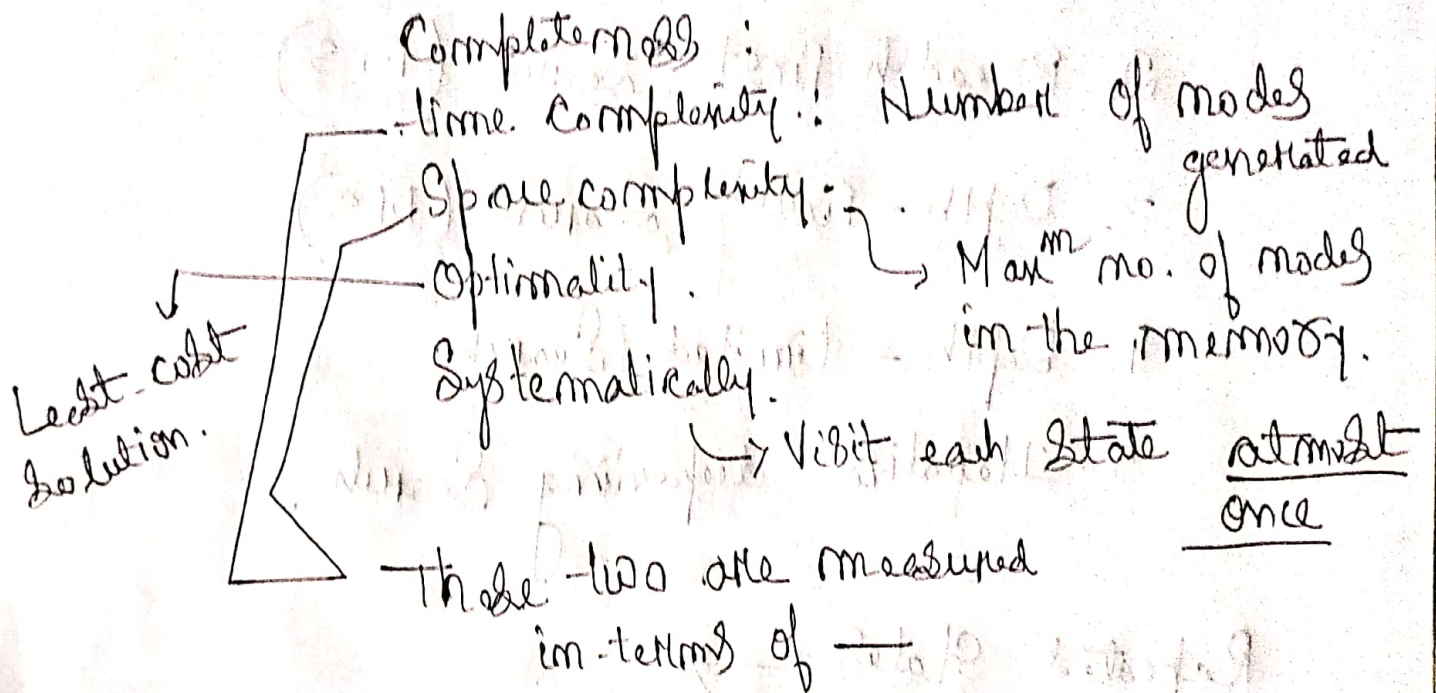
5	4	
6	1	8
7	3	2

$g = 6$ (Path Cost)

Search Strategies

1. Search Strategies are based on Order of node expansion.

2. Evaluation of the Strategies: \rightarrow



$\rightarrow b$: Max^m branching Factor of the search tree.

$\rightarrow d$: Depth of the least-cost solution.

$\rightarrow m$: Maximum depth of the state space

(∞)

\downarrow
Infinity.

Types of uninformed Search Strategy

1. Uninformed Search Strategies use only the information available in the problem definition.

2. Breadth First Search (BFS)

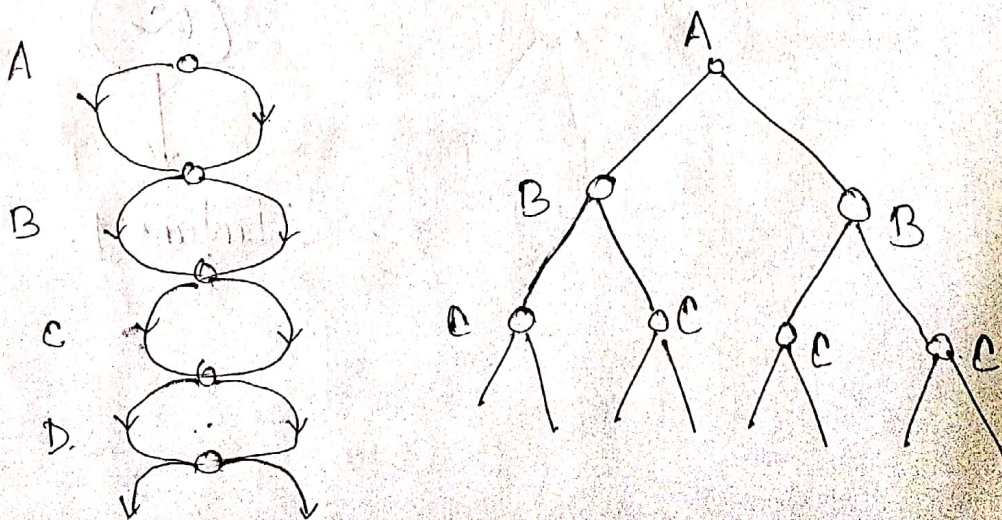
3. Depth - First Search (DFS)

4. Depth - Limited Search

5. Iterative deepening Search

Repeated States →

Failure to detect Repeated States can turn a linear - problem into an exponential one!



Depth First Search (DFS)

1. Data-Structure used : Stack

2. Evaluation:

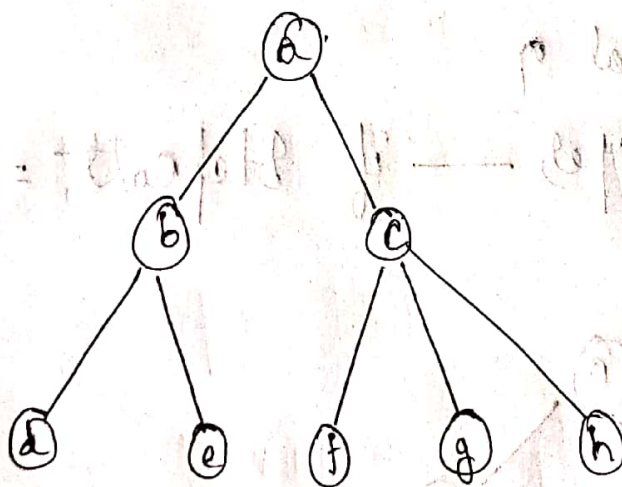
→ Complete ? (No)

→ Time Complexity

$$O(b^m)$$

→ Space Complexity

$$O(bm)$$



Breadth First Search (BFS)

(Shortest First)

1. Data Structure used : queue

2. Evaluation : \rightarrow

- Complete ? yes (b is finite)

- Time Complexity ?

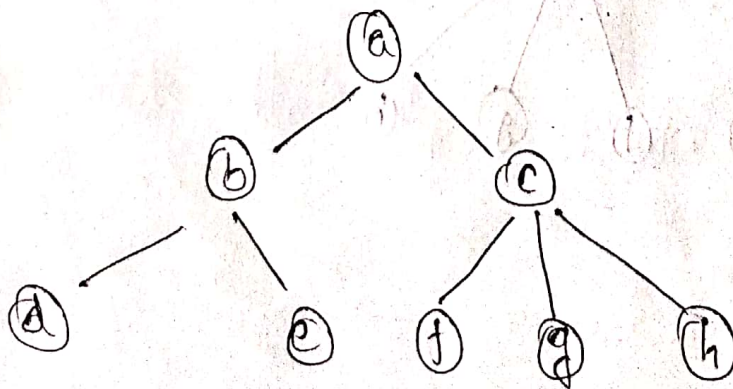
$$O(b^d)$$

- Space Complexity

$$O(b^d)$$

- Optimal ?

yes \rightarrow if stepcost = 1



Uniform Cost Search: Cheapest First

1. Data-Structure: Queue
2. Evaluation —

— Complete? yes (b is finite)

— Time Complexity?

$$O(b^{(c^*/e)})$$

— Space Complexity

$$O(b^{(c^*/e)})$$

— Optimal?

yes

