1. The guestin's ambiguity in the interest rate of bank a) requires cace work. Compounded:

Monthly: If the rate provided is the yearly rate: $P_1 = P_0 (1+i)^n$ $P_2 = P_0 (1+i)^n$ $P_3 = P_0 e^{-t}$ $P_4 = P_0 (1+i)^n$ $P_5 = P_0 (1+i)^n$ $P_6 = P_0 (0.0315)^{2(1)}$ $P_7 = P_0 (1+0.0317)^{2(1)}$ $P_8 = P_0 e^{-t}$ $P_8 = P_0 e^{$

You should invest in the bank with the interest rate that results in the highest value for your investment after 2 years.

We compare this value by determining the companded interest by which your initial investment will increase. The bonk with the largest factor will be the best investment.

Bank a) has a factor of about 2.115, which is larger than the other to banks' factors. With banka), you would make 2.115Po - 1.065024Po 2 1.05Po more than an investment at bank b) and 2.115Po - 1.065240Po 2 1.05Po more than an investment at bank c.

If barka)'s provided rate is yearly, you would make 1.06536Po, which is 1.06586Po - 1.065024Po 2 0.000336Po more than an investment at bank b) and 1.06536Po - 1.065240Po 2 0.00012Po more than an investment at bank c. You should invest in banka).

$$\int_{h\to 0}^{1} \frac{f(x+h) - f(x)}{h}$$

$$= \lim_{h\to 0} \frac{e^{4x+4h} - e^{4x}}{h}$$

$$= \lim_{h\to 0} \frac{e^{4x}(e^{4h} - 1)}{h}$$

$$= \lim_{h\to 0} \frac{e^{4x}(e^{4x} - 1)}{h}$$

$$= \lim_{h$$

.. I'x) = 4e4x ... The dentative of f(x) = e4x is f(x)=4e4x.

$$\frac{P}{P_0} = e^{nt}$$

$$k = \left(\frac{1}{4}\right) \left(\ln \frac{P}{P_0}\right)$$

- We define on expression as

i. The amount of bacteria after I minutes is given by P(H = 2000 e 0.0289).

t=3.5 hours

7=210 minutes.

Sub J=210 into expression from a)

P(210)=2000 e 0.0289(210)

2 8 6 6,468 bacteria (Using k= 38)

in There will be about 866, 468 bacteria after 3.5 hours.

c) SUL P(+) = 10800 bactonia

10800 = 2000 e 0.028 + (Using h = \frac{\lambda \text{S}}{38})

1000 = e 0.028 +

 $\frac{27}{5} = e^{0.0263}$

. After about 58.33 minutes (or 58 min and 20 seconds), there will be 10,800 bacteria. 1) P/(+)= k(+(+)) = 0.028 (2000e 0.028 t) (Veing h= \frac{\lambda{3}}{36}) = 57.620.026+ J=4 hours = 240 minutes. Sub += 240 min: P (240) = 57.82 e 0.028 (24d) = 59,633.22 bacteria/min

instantaneous growth rate at 124 hours is about 57,633. 22 bacterial minute.

4.

From the graph, we track the instantaneous slope at select points.
The function completes 2.5 cycles at re and this 5 cycles at 2re.
We estimate the period of the function as $\frac{2}{5}$.

× 0 × 10	1'(+) -10
بوالح	10
3/2	D
2/5 42 3/5	-10 0
7×10 4/2	D -10

From the points and the amplitude of 2, we estimate $f(x) = -2\sin(5x)$. The deviative of f(x) is $f'(x) = -10\cos(5x)$.

From the graph, we track the instantancous slope at saket points.

The function completes I cycle out or and this 2 cycles at 2re.

We estimate the period of the function as re.