

Artificial Intelligence

Unification

We can get the inference immediately if we can ~~at~~ find a substitution θ such that $\text{king}(x)$ and $\text{greedy}(y)$ match $\text{king}(\text{John})$ and $\text{greedy}(\text{John})$

$\theta = \{x/\text{John}, y/\text{John}\}$ works

$\text{Unify}(\alpha, \beta) = \theta$ if $\alpha\theta = \beta\theta$

P			
	\downarrow	\downarrow	\downarrow
	θ	θ	θ
$\text{knows}(\text{John}, x)$	\downarrow	$\text{knows}(\text{John}, \text{Jane})$	\downarrow
$\text{knows}(\text{John}, x)$	\downarrow	$\text{knows}(\text{John}, \text{John})$	\downarrow
$\text{knows}(\text{John}, x)$	\downarrow	$\text{knows}(y, \text{Mother}(y))$	\downarrow
$\text{knows}(\text{John}, x)$	\downarrow	$\text{knows}(x, \text{John})$	\downarrow

$\{x/\text{Jane}\}$
 $\{x/\text{John}, y/\text{John}\}$
 $\{y/\text{John}, x/\text{Mother}(\text{John})\}$
 $\{\text{Fail}\}$

First order inference Rule

$$\forall x \text{ King}(x) \wedge \text{Greedy}(x) \Rightarrow \text{Evil}(x)$$

King(John)

Greedy(John)

The inference ~~E~~vil(John) from the sentence is obvious

If there is some substitution θ that makes each of the conjuncts of the premise of the implication identical to sentences already in the knowledge base, then we can assert the conclusion of the implication after applying θ .