

# CSO351 : COMPUTER GRAPHICS

## ASSIGNMENT - 4

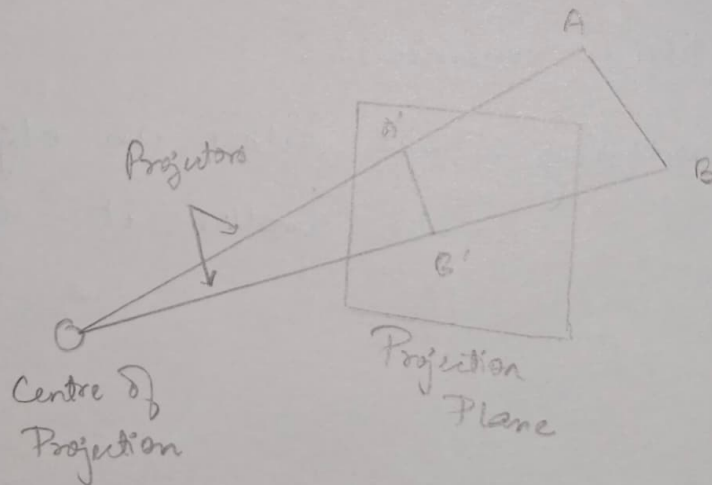
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### ① Perspective Projections :

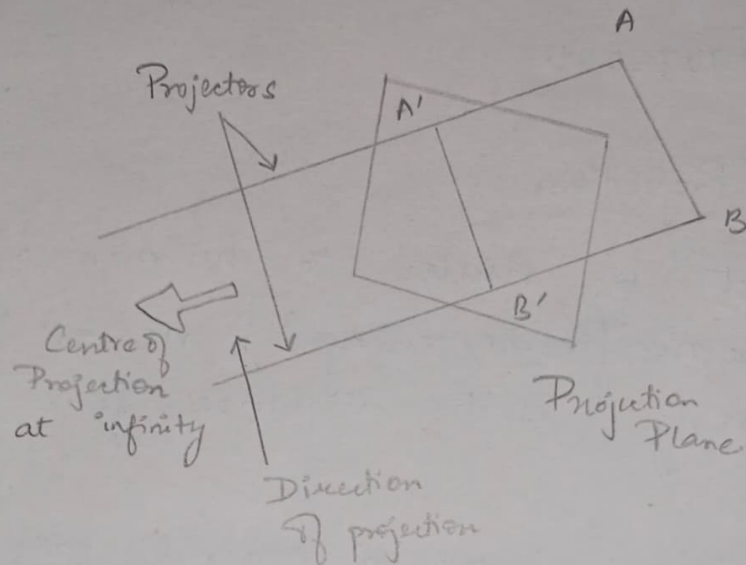
- Visual effect is similar to human visual system.
- Has 'perspective foreshortening' means size of object varies inversely with distance from the centre of projection.
- Parallel lines do not in general project to parallel lines.
- Angles only remain intact for faces parallel to projection plane.



Perspective Projection

## ➤ Parallel Projection :

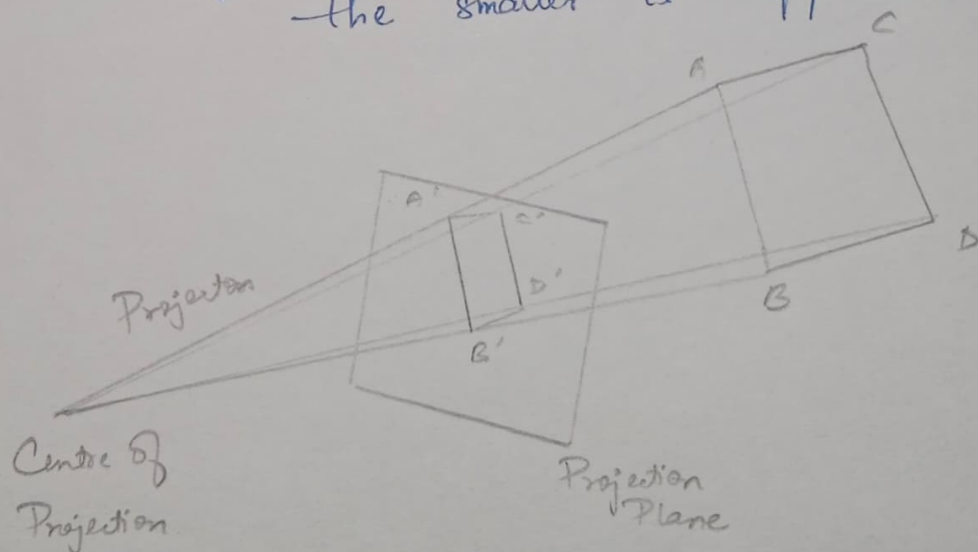
- Less realistic view because of no foreshortening.
- Parallel lines remain parallel.
- Angles only remain intact for faces parallel to projection plane.



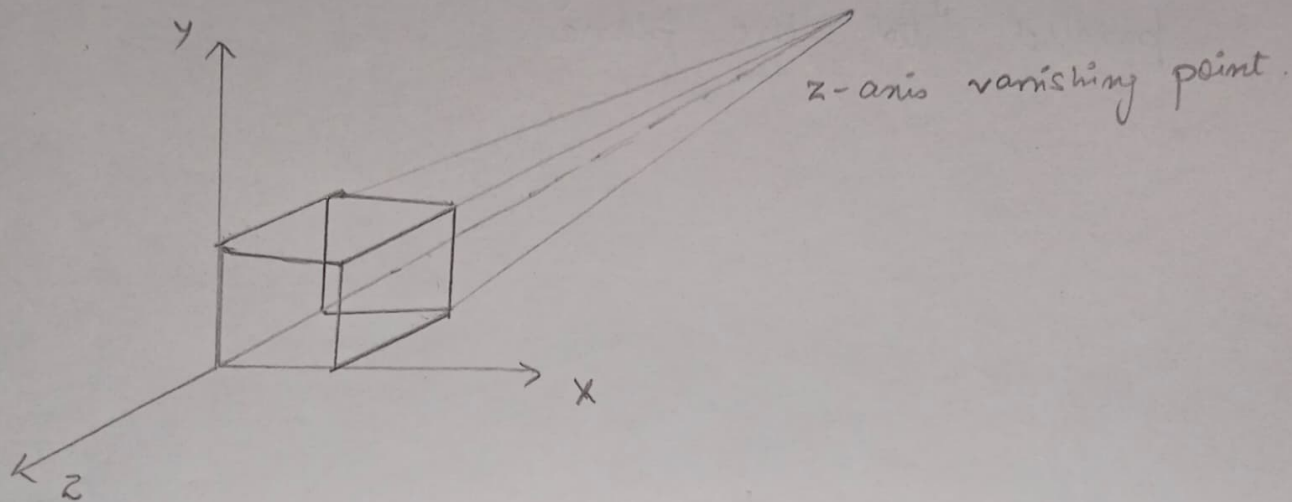
## Parallel Projection

## ➤ Perspective projection - anomalies :

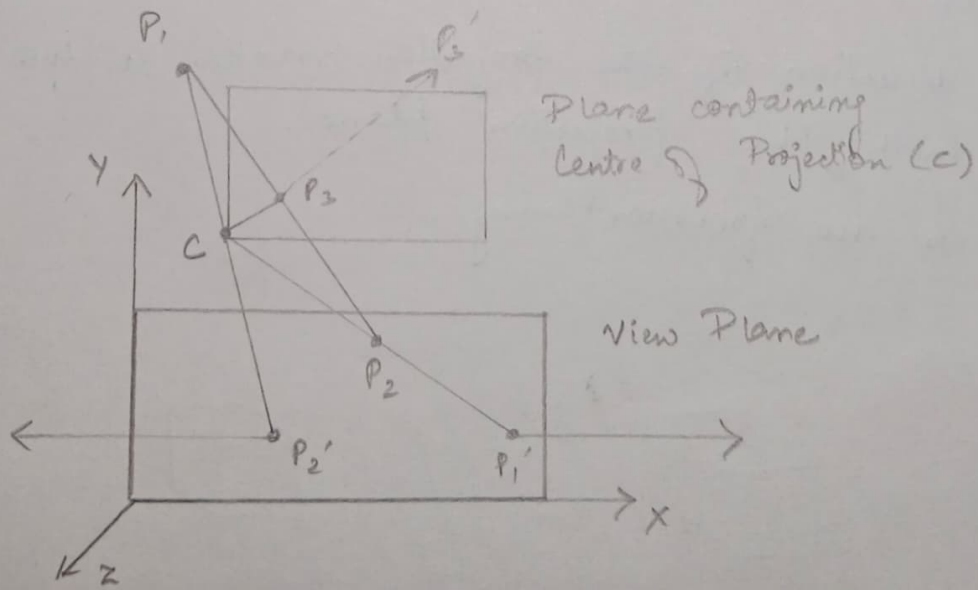
- Perspective foreshortening ➤ The farther an object is from COP the smaller it appears.



- **Vanishing Points** > Any set of parallel lines not parallel to the view plane appear to meet at some point.
  - There are infinite number of these, 1 for each of the infinite amount of directions line can be oriented.



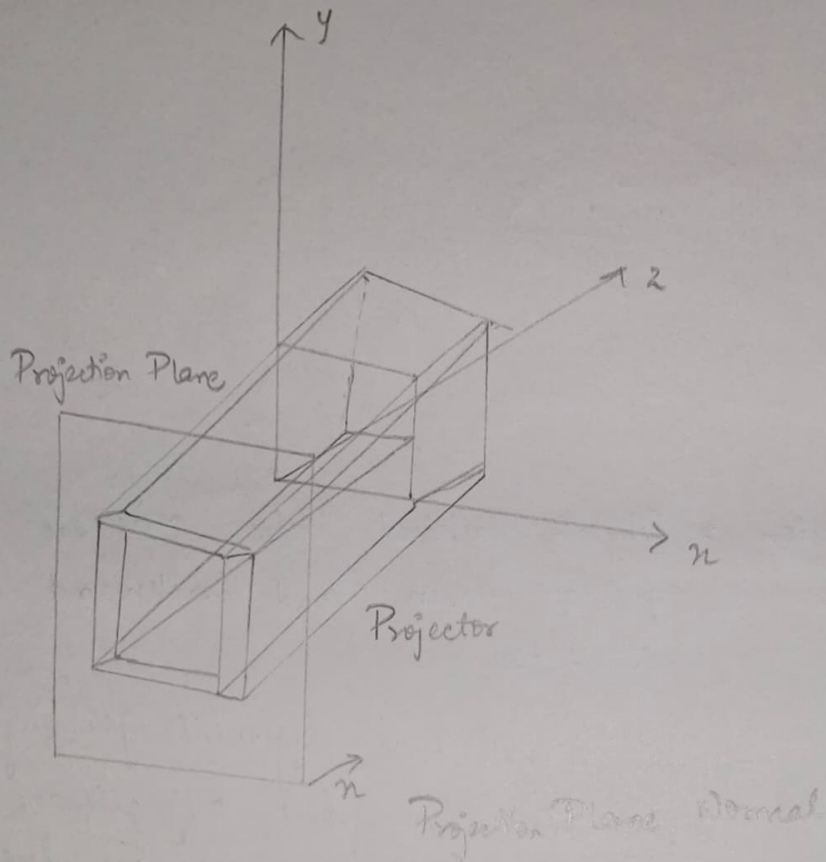
- **View Confusion** > Objects behind the COP are projected upside down and backward onto the view-plane.
- **Topological distortion** > A line segment joining a point which lies in front of viewer to a point in back of the viewer is projected to a broken line of infinite extent.





#### ④. Oblique Parallel Projection

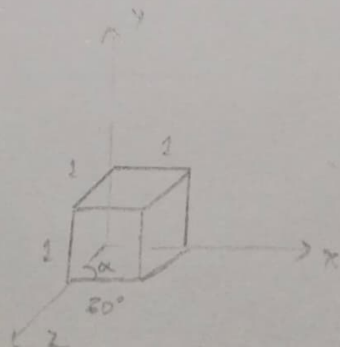
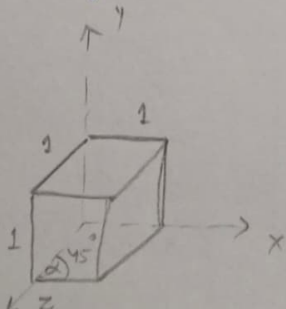
- Objects can be visualized better than with orthographic projections.
- Can measure distances, but not angles.
- \* can only measure angles for faces of objects parallel to the plane.



→ 2 common oblique parallel projections :-

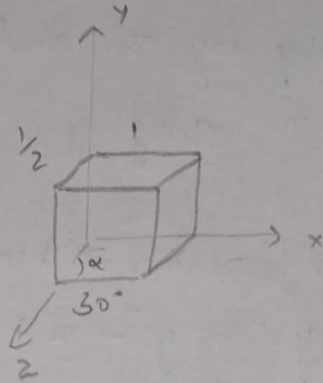
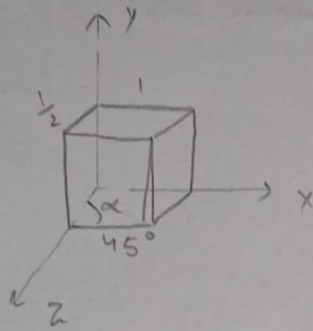
i) Cavalier

- The direction of the projection makes a  $45^\circ$  angle with the projection plane.
- There is no foreshortening.



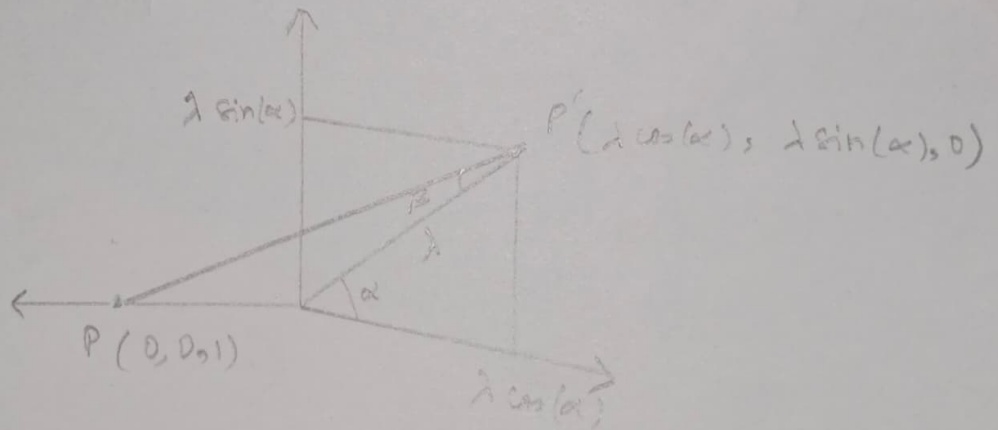
## ii) Cabinet

→ The direction of the projection makes a  $63.4$  degree angle with the projection plane. This results in foreshortening of the  $z$ -axis, and provides a more "realistic" view.



→ Cavalier, cabinet and orthogonal projections can all be specified in terms of  $(\alpha, \beta)$  or  $(\alpha, \lambda)$  since

$$-\tan(\beta) = \frac{1}{\lambda}$$



$\lambda = 1$	$\beta = 45$	Cavalier Projection	$\alpha = 0 - 360$
$\lambda = 0.5$	$\beta = 63.4$	Cabinet Projection	$\alpha = 0 - 360$
$\lambda = 0$	$\beta = 90$	Orthogonal Projection	$\alpha = 360$

$$PP' = (\lambda \cos(\alpha), \lambda \sin(\alpha) - 1) = \text{DOP}$$

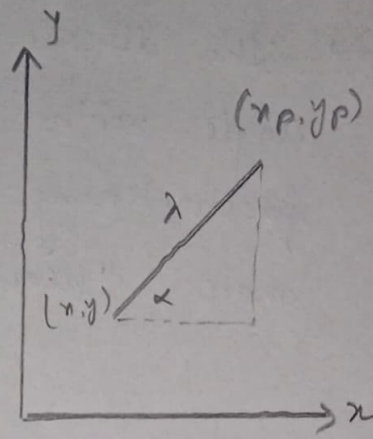
$$\text{Proj}(P) = (\lambda \cos(\alpha), \lambda \sin(\alpha), 0)$$

Generally,

→ multiply by  $z$  and <sup>allow</sup>  $\lambda$  for (non-zero)  
 $n$  and  $y$

$$x' = x + z \lambda \cos \alpha$$

$$y' = y + z \lambda \sin \alpha$$



$$\therefore x_p = x + \lambda \cos \alpha$$

$$y_p = y + \lambda \sin \alpha$$

$$\begin{pmatrix} x' \\ y' \\ 0 \\ 1 \end{pmatrix} = \begin{pmatrix} 1 & 0 & \lambda \cos \alpha & 0 \\ 0 & 1 & \lambda \sin \alpha & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} x \\ y \\ z \\ 1 \end{pmatrix}$$