

IEOR160 Project

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1 Introduction

In this project, we aim to create a linear regression model to calculate the disease progression for diabetes from patients' baseline measurements. We have 10 features to choose from, but restrict ourselves to 4 for a more interpretable model with better predictive value. In Part I, we optimize the selection of the best subset of 4 features, using statistics like the p-value and R^2 value. We compare different methods like heuristic-based selection, Lasso regularization and mixed-integer programming (for a subset of size 4) for this subset selection. In Part 2, we consider second-order interactions, and aim to choose 10 independent variables out of the 65 possible second-order variables. We use the same statistics (from Part 1) like the p-value and R^2 value, and also compare different methods like Lasso regularization and mixed-integer programming. The criterion we use to decide the better method in both parts is the out-of-sample accuracy.

2 Part 1

2a Four Most Significant Variables

The four most significant variables are BMI, S5, Sex, BP in order of increasing p-value. Each of these variables has a p-value below 0.05 which is a widely used significance level. This p-value is testing the null hypothesis that the coefficient is equal to 0 (there is no relation between the given variable and response variable). Thus, the smaller the p-value the more confidence we have in rejecting the null hypothesis, which indicates that there is a significant relationship between the given variable and response variable. The code for this part shows the coefficients and statistics with just these four variables used.

Error	R^2
772097	0.455053

2b Best Combination of Four Independent Variables

With the given heuristic of using the variables with the five lowest p-values and using a subset of size four, we find that the subset that uses Sex, BMI, BP and S5 has the highest R^2 value as shown in the table below. The coefficients, SSE and R^2 value are all shown in the second table. These are the four features with the least p-value so it makes sense that they have the minimum SSE and R^2 value.

Subset of Variables	Error	R^2
$\{BMI, BP, S5, S6\}$	778372	0.450624
$\{Sex, BP, S5, S6\}$	874717	0.382623
$\{Sex, BMI, S5, S6\}$	774756	0.453176
$\{Sex, BMI, BP, S6\}$	862701	0.391104
$\{Sex, BMI, BP, S5\}$	772097	0.455053

Best Subset	Error	R^2	B_{sex}	B_{BMI}	B_{BP}	B_{S5}
$\{Sex, BMI, BP, S5\}$	772097	0.455053	-155.447	597.687	213.927	600.31

2c Lasso Regularization

The Lasso Regularization employs an L1 penalty to penalize for large coefficient values and to select features (drives coefficient of insignificant features to zero). The first table shows the error and corresponding R^2 values for each of the different lambda values. As lambda increases, we penalize more and, thus, the error increases and R^2 decreases. This is because more weight is being placed on the penalty term in the loss function and less weight is being placed on minimizing the original least squares term. The tradeoff is that as the lambda term increases, the model becomes simpler as fewer variables are selected.

In this case, the minimum lambda value that yielded four features was 340 as shown in the first table. We would like the minimum lambda value because as lambda increases R^2 decreases, which results in a worse fit. In this case, BMI, BP, S5 and S6 were selected via lasso regularization. The coefficients are given in the second table.

The best value of lambda in terms of R^2 is obviously 200, the minimum lambda value but it results in five variables being selected when we want to restrict the model to encompassing four variables.

λ	Error	R^2	Number of Variables Selected
200	802793	0.433387	5
220	810566	0.427902	5
240	819078	0.421893	5
260	828331	0.415363	5
280	838324	0.40831	5
300	849057	0.400734	5
320	860531	0.392636	5
340	871720	0.384739	4
360	881977	0.377499	3
380	892820	0.369846	3
400	904250	0.361779	3

λ	340
Error	871720
R^2	0.384739
B_{AGE}	0
B_{sex}	0
B_{BMI}	405.494
B_{BP}	0.000540714
B_{S1}	0
B_{S2}	0
B_{S3}	0
B_{S4}	0
B_{S5}	414.866
B_{S6}	23.1162

2d Mixed-integer Optimization

Using Mixed-integer Optimization, the regression coefficients, error and R^2 are shown in the table below. This modeled as a mixed-integer optimization problem that uses at most 4 variables. In this case, BMI, BP, S1, and S5 are chosen. This subset did not appear under the heuristic method used in part b.

Error	755094
R^2	0.467054
B_{AGE}	0
B_{sex}	0
B_{BMI}	603.681
B_{BP}	200.878
B_{S1}	-267.699
B_{S2}	0
B_{S3}	0
B_{S4}	0
B_{S5}	711.644
B_{S6}	0

2e Comparison of Results

Looking at the accuracy of each method, using all 10 variables yielded the lowest out-of-sample error. This is likely because it gives the model better expressivity and captures the complexities of the linear relationship without overfitting the training data too much. However, the other methods result in a simpler model and do nearly as well. For example, the lowest four p-values and the heuristic selection

method are a very close second place to using all 10 variables. These methods both result in the same error since they ended up choosing the same variables and the same coefficient values. The mixed integer optimization method is the next best, while lasso does the worst in terms of out-of-sample accuracy. Thus, simplifying the model did result in almost the same out-of-sample accuracy as using all 10 variables in the case of heuristic selection and lowest four p-value selection.

Method	Error
All 10 Variables	574367.96703
Lowest Four p-values	579396.855961
Heuristic Selection	579396.855961
Lasso Regularization	693913.938847
Mixed Integer Optimization	583706.734175

3 Part 2

3a Lasso with Second Order Interactions

We used a regularization parameter of 9.57 while implementing lasso regression with second order interactions. Using 9.57 as the regularization parameter we obtained the following values of the coefficients :

Coefficients for linear terms(β_i) =

1. -46.3591,
2. -226.708
3. 534.415
4. 230.201,
5. 316.992
6. 0
7. 12.5382
8. 204.877
9. 582.585
10. 160.929

Coefficients for quadratic terms (β_{jk}) =

0	0	0	0	0	0	0	0	0	0	0
.	0	0	0	0	0	0	0	0	0	0
.	.	0	0	0	0	0	0	0	0	0
.	.	.	0	0	0	0	0	0	0	0
.	.	.	.	0	0	0	0	0	0	0
.	0	0	0	0	0	0
.	0	0	0	0	0
.	0	0	0	0
.	0	0	0
.	0	0
.	102.204

We used the value of regularization parameter 9.57 as that enables us to select 10 independent variables out of the 65 possible variables available to us.

The value of R^2 for this problem = 0.498677

3b Mixed Integer Optimization with Second Order Interactions

Linear regression coefficients (β_i) =

1. 0
2. -233.553
3. 595.908
4. 263.431
5. -327.887
6. 0
7. 0
8. 242.18
9. 561.239
10. 121.949

Coefficients for quadratic terms (β_{jk}) =

0	0	0	3540.81	0	0	0	0	0	0
.	0	4250.64	0	0	0	-3850.05	0	0	0
.	.	0	0	0	0	0	0	0	0
.	.	.	0	0	0	0	0	0	0
.	.	.	.	0	0	0	0	0	0
.	0	0	0	0	0
.	0	0	0	0
.	0	0	0
.	0	0
.	0

The value of R^2 for this problem = 0.523882

3c Comparison of Results with Second Order Interactions

Out of sample error in part (f) = 573404.8630648409

Out of sample error in part(g) = 573285.4410441783

We observe that the mixed integer programming method of regression gives us a higher accuracy than the Lasso regression method when 10 independent variables are considered.

4 Conclusion

We find that in Part 1, when we were dealing with solely first-order interactions, using the given heuristic, we find that the four features with the lowest p-values (BMI, S5, Sex, BP) are also the ones that have the lowest SSE and R^2 values. Lasso regularization, with the ideal lambda (340), chose a subset of 4 features - BMI, BP, S5 and S6. When we tried mixed-integer programming, it chose a different subset of 4 features - BMI, BP, S1, and S5. Heuristic selection performed the best, with mixed-integer programming at a very close second place. In part 2, when we are considering second-order interactions, mixed integer programming outperforms Lasso regularization in terms of the out-of-sample error. One insight we gained from this is that Lasso regularization has a trade-off between the number of features it selects and the R^2 value - as we increase lambda, the model becomes simpler with the number of features reducing, but the R^2 value decreases too. Overall, the result in both parts is similar - mixed-integer programming outperforms Lasso regularization in both parts.

5 Appendix: The Code

Listing 1: 1a Code

```
option solver minos; # No integer programming here

#####

reset;

data reg_data.dat;

print "Looking at the p-values, we should use BMI, S5, Sex, BP"; # Features from
    p-values

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] -
    mat[i, Y])^2; # We need to minimize sum of squared errors
subject to not_use_S1: coeffs[S1] = 0; # Use only the 4 features mentioned above
subject to not_use_S2: coeffs[S2] = 0; # Use only the 4 features mentioned above
subject to not_use_S3: coeffs[S3] = 0; # Use only the 4 features mentioned above
subject to not_use_S4: coeffs[S4] = 0; # Use only the 4 features mentioned above
subject to not_use_AGE: coeffs[AGE] = 0; # Use only the 4 features mentioned above
subject to not_use_S6: coeffs[S6] = 0; # Use only the 4 features mentioned above

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train} (mat[i,Y] - y_hat)^2; # Denominator in r-squared
    calculation
var r_sq = 1 - error/ss_tot; # Formula for r-squared

display sse, error, y_hat, ss_tot, r_sq, coeffs; # Displaying results
```

Listing 2: 1b Code

```

option solver minos;

#####

reset;

data reg_data.dat;

print "Leaving out SEX";

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features}coeffs[j]*mat[i,j] -
    mat[i, Y])^2; # We need to minimize the sum of squared errors
subject to not_use_S1: coeffs[S1] = 0; # Use only the features mentioned above
subject to not_use_S2: coeffs[S2] = 0; # Use only the features mentioned above
subject to not_use_S3: coeffs[S3] = 0; # Use only the features mentioned above
subject to not_use_S4: coeffs[S4] = 0; # Use only the features mentioned above
subject to not_use_AGE: coeffs[AGE] = 0; # Use only the features mentioned above
subject to not_use_SEX: coeffs[SEX] = 0; # Use only the features mentioned above

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features}coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train}(mat[i,Y] - y_hat)^2; # Denominator in r-squared
    calculation
var r_sq = 1 - error/ss_tot; # Formula for r-squared

display sse, error, y_hat, ss_tot, r_sq, coeffs; # Displaying results

#####

```

```

reset;

data reg_data.dat;

print "Leaving out BMI";

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features}coeffs[j]*mat[i,j] -
    mat[i, Y])^2; # We need to minimize the sum of squared errors
subject to not_use_S1: coeffs[S1] = 0; # Use only the features mentioned above
subject to not_use_S2: coeffs[S2] = 0; # Use only the features mentioned above
subject to not_use_S3: coeffs[S3] = 0; # Use only the features mentioned above
subject to not_use_S4: coeffs[S4] = 0; # Use only the features mentioned above
subject to not_use_AGE: coeffs[AGE] = 0; # Use only the features mentioned above
subject to not_use_BMI: coeffs[BMI] = 0; # Use only the features mentioned above

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features}coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train}(mat[i,Y] - y_hat)^2; # Denominator in r-squared
    calculation
var r_sq = 1 - error/ss_tot; # Formula for r-squared

display sse, error, y_hat, ss_tot, r_sq, coeffs; # Displaying results

#####

reset;

data reg_data.dat;

print "Leaving out BP";

```

```

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features}coeffs[j]*mat[i,j] -
    mat[i, Y])^2; # We need to minimize the sum of squared errors
subject to not_use_S1: coeffs[S1] = 0; # Use only the features mentioned above
subject to not_use_S2: coeffs[S2] = 0; # Use only the features mentioned above
subject to not_use_S3: coeffs[S3] = 0; # Use only the features mentioned above
subject to not_use_S4: coeffs[S4] = 0; # Use only the features mentioned above
subject to not_use_AGE: coeffs[AGE] = 0; # Use only the features mentioned above
subject to not_use_BP: coeffs[BP] = 0; # Use only the features mentioned above

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features}coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train}(mat[i,Y] - y_hat)^2; # Denominator in r-squared
    calculation
var r_sq = 1 - error/ss_tot; # Formula for r-squared

display sse, error, y_hat, ss_tot, r_sq, coeffs; # Displaying results

#####

reset;

data reg_data.dat;

print "Leaving out S5";

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features}coeffs[j]*mat[i,j] -

```

```

    mat[i, Y])^2; # We need to minimize the sum of squared errors
subject to not_use_S1: coeffs[S1] = 0; # Use only the features mentioned above
subject to not_use_S2: coeffs[S2] = 0; # Use only the features mentioned above
subject to not_use_S3: coeffs[S3] = 0; # Use only the features mentioned above
subject to not_use_S4: coeffs[S4] = 0; # Use only the features mentioned above
subject to not_use_AGE: coeffs[AGE] = 0; # Use only the features mentioned above
subject to not_use_S5: coeffs[S5] = 0; # Use only the features mentioned above

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train}(mat[i,Y] - y_hat)^2; # Denominator in r-squared
    calculation
var r_sq = 1 - error/ss_tot; # Formula for r-squared

display sse, error, y_hat, ss_tot, r_sq, coeffs; # Displaying results

#####

reset;

data reg_data.dat;

print "Leaving out S6";

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] -
    mat[i, Y])^2; # We need to minimize the sum of squared errors
subject to not_use_S1: coeffs[S1] = 0; # Use only the features mentioned above
subject to not_use_S2: coeffs[S2] = 0; # Use only the features mentioned above
subject to not_use_S3: coeffs[S3] = 0; # Use only the features mentioned above
subject to not_use_S4: coeffs[S4] = 0; # Use only the features mentioned above

```

```

subject to not_use_AGE: coeffs[AGE] = 0; # Use only the features mentioned above
subject to not_use_S6: coeffs[S6] = 0; # Use only the features mentioned above

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features}coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train}(mat[i,Y] - y_hat)^2; # Denominator in r-squared
    calculation
var r_sq = 1 - error/ss_tot; # Formula for r-squared

display sse, error, y_hat, ss_tot, r_sq, coeffs; # Displaying results

```

Listing 3: 1c Code

```

reset;
reset options;

option solver cplex;

data reg_data.dat;

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature
var z{1..n_features}; # z[i] is the absolute value of coeffs[i]

print "Lambda =", lambdas[1]; # Setting lambda

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features}coeffs[j]*mat[i,j] -
    mat[i, Y])^2 + sum{k in 1..n_features}lambdas[1]*z[k]; # We need to minimize the
    sum of squared errors + the regularization penalty
subject to abs_1 {j in 1..n_features}: z[j] >= coeffs[j]; # To implement the absolute
    value l1-penalty
subject to abs_2 {j in 1..n_features}: z[j] >= -coeffs[j]; # To implement the
    absolute value l1-penalty

```

```

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train}(mat[i,Y] - y_hat)^2; # Denominator in r-squared
    calculation
var r_sq = 1 - error/ss_tot; # Formula for r-squared

display sse, error, y_hat, ss_tot, r_sq, coeffs, z;

#####

reset;
reset options;

option solver cplex;

data reg_data.dat;

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature
var z{1..n_features}; # z[i] is the absolute value of coeffs[i]

print "Lambda =", lambdas[2]; # Setting lambda

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] -
    mat[i, Y])^2 + sum{k in 1..n_features} lambdas[2]*z[k]; # We need to minimize the
    sum of squared errors + the regularization penalty
subject to abs_1 {j in 1..n_features}: z[j] >= coeffs[j]; # To implement the absolute
    value l1-penalty
subject to abs_2 {j in 1..n_features}: z[j] >= -coeffs[j]; # To implement the
    absolute value l1-penalty

solve;

```

```

var error = sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train}(mat[i,Y] - y_hat)^2; # Denominator in r-squared
    calculation
var r_sq = 1 - error/ss_tot; # Formula for r-squared

display sse, error, y_hat, ss_tot, r_sq, coeffs, z;

#####

reset;
reset options;

option solver cplex;

data reg_data.dat;

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature
var z{1..n_features}; # z[i] is the absolute value of coeffs[i]

print "Lambda =", lambdas[3]; # Setting lambda

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] -
    mat[i, Y])^2 + sum{k in 1..n_features} lambdas[3]*z[k]; # We need to minimize the
    sum of squared errors + the regularization penalty
subject to abs_1 {j in 1..n_features}: z[j] >= coeffs[j]; # To implement the absolute
    value l1-penalty
subject to abs_2 {j in 1..n_features}: z[j] >= -coeffs[j]; # To implement the
    absolute value l1-penalty

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs

```



```

param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train}(mat[i,Y] - y_hat)^2; # Denominator in r-squared
    calculation
var r_sq = 1 - error/ss_tot; # Formula for r-squared

display sse, error, y_hat, ss_tot, r_sq, coeffs, z;

#####

reset;
reset options;

option solver cplex;

data reg_data.dat;

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature
var z{1..n_features}; # z[i] is the absolute value of coeffs[i]

print "Lambda =", lambdas[4]; # Setting lambda

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features}coeffs[j]*mat[i,j] -
    mat[i, Y])^2 + sum{k in 1..n_features}lambdas[4]*z[k]; # We need to minimize the
    sum of squared errors + the regularization penalty
subject to abs_1 {j in 1..n_features}: z[j] >= coeffs[j]; # To implement the absolute
    value l1-penalty
subject to abs_2 {j in 1..n_features}: z[j] >= -coeffs[j]; # To implement the
    absolute value l1-penalty

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features}coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y

```

```

param ss_tot = sum{i in 1..n_train}(mat[i,Y] - y_hat)^2; # Denominator in r-squared
               calculation
var r_sq = 1 - error/ss_tot; # Formula for r-squared

display sse, error, y_hat, ss_tot, r_sq, coeffs, z;

#####

reset;
reset options;

option solver cplex;

data reg_data.dat;

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
                             feature
var z{1..n_features}; # z[i] is the absolute value of coeffs[i]

print "Lambda =", lambdas[5]; # Setting lambda

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features}coeffs[j]*mat[i,j] -
    mat[i, Y])^2 + sum{k in 1..n_features}lambdas[5]*z[k]; # We need to minimize the
    sum of squared errors + the regularization penalty
subject to abs_1 {j in 1..n_features}: z[j] >= coeffs[j]; # To implement the absolute
    value l1-penalty
subject to abs_2 {j in 1..n_features}: z[j] >= -coeffs[j]; # To implement the
    absolute value l1-penalty

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features}coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train}(mat[i,Y] - y_hat)^2; # Denominator in r-squared
               calculation

```

```

var r_sq = 1 - error/ss_tot; # Formula for r-squared

display sse, error, y_hat, ss_tot, r_sq, coeffs, z;

#####

reset;
reset options;

option solver cplex;

data reg_data.dat;

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature
var z{1..n_features}; # z[i] is the absolute value of coeffs[i]

print "Lambda =", lambdas[6]; # Setting lambda

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] -
    mat[i, Y])^2 + sum{k in 1..n_features} lambdas[6]*z[k]; # We need to minimize the
    sum of squared errors + the regularization penalty
subject to abs_1 {j in 1..n_features}: z[j] >= coeffs[j]; # To implement the absolute
    value l1-penalty
subject to abs_2 {j in 1..n_features}: z[j] >= -coeffs[j]; # To implement the
    absolute value l1-penalty

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train} (mat[i,Y] - y_hat)^2; # Denominator in r-squared
    calculation
var r_sq = 1 - error/ss_tot; # Formula for r-squared

```

```

display sse, error, y_hat, ss_tot, r_sq, coeffs, z;

#####

reset;
reset options;

option solver cplex;

data reg_data.dat;

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature
var z{1..n_features}; # z[i] is the absolute value of coeffs[i]

print "Lambda =", lambdas[7]; # Setting lambda

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] -
    mat[i, Y])^2 + sum{k in 1..n_features} lambdas[7]*z[k]; # We need to minimize the
    sum of squared errors + the regularization penalty
subject to abs_1 {j in 1..n_features}: z[j] >= coeffs[j]; # To implement the absolute
    value l1-penalty
subject to abs_2 {j in 1..n_features}: z[j] >= -coeffs[j]; # To implement the
    absolute value l1-penalty

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train} (mat[i,Y] - y_hat)^2; # Denominator in r-squared
    calculation
var r_sq = 1 - error/ss_tot; # Formula for r-squared

display sse, error, y_hat, ss_tot, r_sq, coeffs, z;

```

```
#####

reset;
reset options;

option solver cplex;

data reg_data.dat;

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature
var z{1..n_features}; # z[i] is the absolute value of coeffs[i]

print "Lambda =", lambdas[8]; # Setting lambda

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] -
    mat[i, Y])^2 + sum{k in 1..n_features} lambdas[8]*z[k]; # We need to minimize the
    sum of squared errors + the regularization penalty
subject to abs_1 {j in 1..n_features}: z[j] >= coeffs[j]; # To implement the absolute
    value l1-penalty
subject to abs_2 {j in 1..n_features}: z[j] >= -coeffs[j]; # To implement the
    absolute value l1-penalty

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train} (mat[i,Y] - y_hat)^2; # Denominator in r-squared
    calculation
var r_sq = 1 - error/ss_tot; # Formula for r-squared

display sse, error, y_hat, ss_tot, r_sq, coeffs, z;

#####
```

```

reset;
reset options;

option solver cplex;

data reg_data.dat;

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature
var z{1..n_features}; # z[i] is the absolute value of coeffs[i]

print "Lambda =", lambdas[9]; # Setting lambda

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] -
    mat[i, Y])^2 + sum{k in 1..n_features} lambdas[9]*z[k]; # We need to minimize the
    sum of squared errors + the regularization penalty
subject to abs_1 {j in 1..n_features}: z[j] >= coeffs[j]; # To implement the absolute
    value l1-penalty
subject to abs_2 {j in 1..n_features}: z[j] >= -coeffs[j]; # To implement the
    absolute value l1-penalty

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train} (mat[i,Y] - y_hat)^2; # Denominator in r-squared
    calculation
var r_sq = 1 - error/ss_tot; # Formula for r-squared

display sse, error, y_hat, ss_tot, r_sq, coeffs, z;

#####

reset;
reset options;

```

```

option solver cplex;

data reg_data.dat;

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature
var z{1..n_features}; # z[i] is the absolute value of coeffs[i]

print "Lambda =", lambdas[n_features]; # Setting lambda

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] -
    mat[i, Y])^2 + sum{k in 1..n_features} lambdas[n_features]*z[k]; # We need to
    minimize the sum of squared errors + the regularization penalty
subject to abs_1 {j in 1..n_features}: z[j] >= coeffs[j]; # To implement the absolute
    value l1-penalty
subject to abs_2 {j in 1..n_features}: z[j] >= -coeffs[j]; # To implement the
    absolute value l1-penalty

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train} (mat[i,Y] - y_hat)^2; # Denominator in r-squared
    calculation
var r_sq = 1 - error/ss_tot; # Formula for r-squared

display sse, error, y_hat, ss_tot, r_sq, coeffs, z;

#####

reset;
reset options;

option solver cplex;

```

```

data reg_data.dat;

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature
var z{1..n_features}; # z[i] is the absolute value of coeffs[i]

print "Lambda =", lambdas[11]; # Setting lambda

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] -
    mat[i, Y])^2 + sum{k in 1..n_features} lambdas[11]*z[k]; # We need to minimize the
    sum of squared errors + the regularization penalty
subject to abs_1 {j in 1..n_features}: z[j] >= coeffs[j]; # To implement the absolute
    value l1-penalty
subject to abs_2 {j in 1..n_features}: z[j] >= -coeffs[j]; # To implement the
    absolute value l1-penalty

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features} coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train} (mat[i,Y] - y_hat)^2; # Denominator in r-squared
    calculation
var r_sq = 1 - error/ss_tot; # Formula for r-squared

display sse, error, y_hat, ss_tot, r_sq, coeffs, z;

#####

```

Listing 4: 1d Code

```

reset;
reset options;

data reg_data.dat;

```



```

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature
var used{1..n_features} binary; # used[i] is 1 if the ith feature is used, 0 otherwise

minimize sse: sum{i in 1..n_train}(mat[i,Y] - sum{j in
    1..n_features}(coeffs[j]*mat[i,j]))^2; # We need to minimize the sum of squared
    errors
subject to sum_of_coeffs_constraint: sum{j in 1..n_features}used[j] <= 4; # Can use
    at most 4 features
subject to binary1{j in 1..n_features}: coeffs[j] <= first_order_coeff_bound*used[j];
    # To make sure that coeffs[j] is not nonzero when used[j] is zero
subject to binary2{j in 1..n_features}: coeffs[j] >=
    -first_order_coeff_bound*used[j]; # To make sure that coeffs[j] is not nonzero
    when used[j] is zero

option solver cplex;

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features}coeffs[j]*mat[i,j] - mat[i,
    Y])^2; # The SSE with coeffs
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train}(mat[i,Y] - y_hat)^2; # Denominator in r-squared
    calculation
var r_sq = 1 - error/ss_tot; # Formula for r-squared

display r_sq, coeffs, used;

```

Listing 5: 1e Code

```

n_features = 10 # The number of features
n_train = 250 # The number of training samples

def get_predictions(beta, X):
    Y_pred = [] # List to store the predictions
    for x in X: # Going through all the data
        y_pred = 0

```

```

    for i in range(n_features):
        y_pred += beta[i] * x[i] # simulating the dot product
    Y_pred.append(y_pred) # Adding the prediction to the list
    return Y_pred # Returning the list

def sse(beta, X, Y_actual):
    Y_pred = get_predictions(beta, X) # Getting the predictions
    squared_differences = [(Y_actual[i] - Y_pred[i])**2 for i in range(len(Y_pred))] #
        Calculating the sum of squared errors
    return sum(squared_differences) # Returning the SSE

def read_data(filename):
    X = [] # List to store all the data points
    Y = [] # List to store all the target variables
    with open(filename) as f: # Opening the file containing the data (NOT necessarily
        .dat)
        lines = f.readlines() # Reading all the lines in the file
        lines = lines[n_train + 1:] # Skipping the first n_train + 1 lines since we
            need out-of-sample error and the first line is just feature names
        for line in lines: # Going through all lines
            if "AGE" in line: # Checking if the word "AGE" is in the line
                continue # Skipping if the word "AGE" is in the line because if it is, the
                    line is just feature names, not an actual sample
            numbers = line.split() # Splitting the string
            numbers = [float(number) for number in numbers] # Converting strings to
                numbers
            y = numbers[-1] # Extracting the target variable
            x = numbers[0:-1] # Extracting the features
            X.append(x) # Adding the sample
            Y.append(y) # Adding the target variable
    return X, Y # returning the data points and target variables

X, Y_actual = read_data('data.txt') # Getting the data points as X and target
    variables as Y
# X[i] is the ith sample. X[i][j] is the jth feature of the ith sample
# Y[i] is the ith target variable

```

```

coeffs_given = [-59.6, -241.6, 535.1, 241.7, -844.9, 407.4, -224.3, 285.2, 762.4,
    169.6] # The coefficients given to us
print("SSE All 10: {0}".format(sse(coeffs_given, X, Y_actual))) # The SSE using the
    coefficients given

coeffs_part_a = [0, -155.447, 597.687, 213.927, 0, 0, 0, 0, 600.31, 0] # The
    coefficients from part (a)
print("SSE Part 1A: {0}".format(sse(coeffs_part_a, X, Y_actual))) # The SSE using the
    coefficients from part (a)

coeffs_part_b = [0, -155.447, 597.687, 213.927, 0, 0, 0, 0, 600.31, 0] # The
    coefficients from part (b)
print("SSE Part 1B: {0}".format(sse(coeffs_part_b, X, Y_actual))) # The SSE using the
    coefficients from part (b)

coeffs_part_c = [0, 0, 405.494, 0.000540696, 0, 0, 0, 0, 414.866, 23.1162] # The
    coefficients from part (c)
print("SSE Part 1C: {0}".format(sse(coeffs_part_c, X, Y_actual))) # The SSE using the
    coefficients from part (c)

coeffs_part_d = [0, 0, 603.681, 200.878, -267.699, 0, 0, 0, 711.644, 0] # The
    coefficients from part (d)
print("SSE Part 1D: {0}".format(sse(coeffs_part_d, X, Y_actual))) # The SSE using the
    coefficients from part (d)

```

Listing 6: 2f Code

```

reset;
reset options;

option solver cplex;

data reg_data.dat;

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature
var coeffs_second_order{j in 1..n_features, k in j..n_features}; # coeffs[i,j] is the
    regression coefficient for the second order interaction between the ith and jth

```

```

feature
var z_coeffs{1..n_features}; # z[i] is the absolute value of coeffs[i]
var z_coeffs_second_order{j in 1..n_features, k in j..n_features}; # z[i,j] is the
    absolute value of coeffs_second_order[i,j]

print "Lambda =", lambda_part_2;

minimize sse: sum{i in 1..n_train} (sum{j in 1..n_features}(coeffs[j]*mat[i,j]) +
    sum{j in 1..n_features, k in j..n_features}(mat[i, j] * mat[i, k] *
    coeffs_second_order[j,k]) - mat[i, Y])**2 + sum{k in
    1..n_features}lambda_part_2*z_coeffs[k] + sum{j in 1..n_features, k in
    j..n_features} lambda_part_2*z_coeffs_second_order[j,k]; # We need to minimize
    the sum of the squared errors + the regularization penalty
subject to abs_1 {j in 1..n_features}: z_coeffs[j] >= coeffs[j]; # To implement
    absolute value function
subject to abs_2 {j in 1..n_features}: z_coeffs[j] >= -coeffs[j]; # To implement
    absolute value function
subject to abs_3{j in 1..n_features, k in j..n_features}: z_coeffs_second_order[j,k]
    >= coeffs_second_order[j,k]; # To implement absolute value function
subject to abs_4{j in 1..n_features, k in j..n_features}: z_coeffs_second_order[j,k]
    >= -coeffs_second_order[j,k]; # To implement absolute value function
solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features}(coeffs[j]*mat[i,j]) + sum{j
    in 1..n_features, k in j..n_features}(mat[i, j] * mat[i, k] *
    coeffs_second_order[j,k]) - mat[i, Y])**2; # The SSE with coeffs and
    coeffs_second_order
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train}(mat[i,Y] - y_hat)^2; # Denominator in r-squared
var r_sq = 1 - error/ss_tot; # r-squared
var adj_r_sq = r_sq - (1-r_sq)*(2/247);

display sse, error, y_hat, ss_tot, r_sq, coeffs, coeffs_second_order;

```

Listing 7: 2g Code

```

reset;

```

```

reset options;

data reg_data.dat;

var coeffs{1..n_features}; # coeffs[i] is the regression coefficient for the ith
    feature
var coeffs_second_order{j in 1..n_features, k in j..n_features}; # coeffs[i,j] is the
    regression coefficient for the second order interaction between the ith and jth
    feature
var used{1..n_features} binary; # used[i] is 1 if the ith feature is used, 0 otherwise
var used_second_order{j in 1..n_features, k in j..n_features} binary; #
    used_second_order[i,j] is 1 if the second order interaction between the ith and
    jth feature is used, 0 otherwise

minimize sse: sum{i in 1..n_train}(mat[i,Y] - sum{j in
    1..n_features}(coeffs[j]*mat[i,j]) - sum{j in 1..n_features, k in
    j..n_features}(mat[i,j]*mat[i,k]*coeffs_second_order[j,k]))^2; # We need to
    minimize the sum of squared errors
subject to sum_of_coeffs_constraint: sum{j in 1..n_features}used[j] + sum{j in
    1..n_features, k in j..n_features} used_second_order[j,k] = n_features; # Use at
    most n_features features
subject to binary1{j in 1..n_features}: coeffs[j] <= first_order_coeff_bound*used[j];
    # To make sure that coeffs[i] is not nonzero when used[i] is 0
subject to binary2{j in 1..n_features}: coeffs[j] >=
    -first_order_coeff_bound*used[j]; # To make sure that coeffs[i] is not nonzero
    when used[i] is 0
subject to binary3{j in 1..n_features, k in j..n_features}: coeffs_second_order[j,k]
    <= second_order_coeff_bound*used_second_order[j,k]; # To make sure that
    coeffs[i,j] is not nonzero when used[i,j] is 0
subject to binary4{j in 1..n_features, k in j..n_features}: coeffs_second_order[j,k]
    >= -second_order_coeff_bound*used_second_order[j,k];
option solver cplex; # To make sure that coeffs[i,j] is not nonzero when used[i,j] is
    0

solve;

var error = sum{i in 1..n_train} (sum{j in 1..n_features}(coeffs[j]*mat[i,j]) + sum{j

```

```

        in 1..n_features, k in j..n_features}(mat[i, j] * mat[i, k] *
        coeffs_second_order[j,k]) - mat[i, Y])^2; # The SSE with coeffs and
        coeffs_second_order
param y_tot = sum{i in 1..n_train} mat[i,Y]; # Sum of all y
param y_hat = y_tot/n_train; # Mean of all y
param ss_tot = sum{i in 1..n_train}(mat[i,Y] - y_hat)^2; # Denominator in r-squared
var r_sq = 1 - error/ss_tot; # r-squared
var adj_r_sq = r_sq - (1-r_sq)*(2/247);

display sse,r_sq, error, coeffs,coeffs_second_order, used, used_second_order;

```

Listing 8: 2h Code

```

n_features = 10 # The number of features (first order)
n_train = 250 # The number of training samples

def get_predictions(beta, beta_matrix, X):
    Y_pred = [] # List to store the predictions
    for x in X: # Going through all the data
        y_pred = 0
        for i in range(n_features):
            y_pred += beta[i] * x[i] # simulating the dot product
        for i in range(n_features):
            for j in range(i, n_features):
                y_pred += beta_matrix[i][j]*x[i]*x[j] # including second order interactions
        Y_pred.append(y_pred) # Adding the prediction to the list
    return Y_pred # Returning the list

def sse(beta, beta_matrix, X, Y_actual):
    Y_pred = get_predictions(beta, beta_matrix, X) # Getting the predictions
    squared_differences = [(Y_actual[i] - Y_pred[i])**2 for i in range(len(Y_pred))] #
        Calculating the sum of squared errors
    return sum(squared_differences) # Returning the SSE

def read_data(filename):
    X = [] # List to store all the data points
    Y = [] # List to store all the target variables
    with open(filename) as f: # Opening the file containing the data (NOT necessarily

```

```

.dat)
lines = f.readlines() # Reading all the lines in the file
lines = lines[n_train + 1:] # Skipping the first 251 lines since we need
    out-of-sample error and the first line is just feature names
for line in lines: # Going through all lines
    if "AGE" in line: # Checking if the word "AGE" is in the line
        continue # Skipping if the word "AGE" is in the line because if it is, the
            line is just feature names, not an actual sample
    numbers = line.split() # Splitting the string
    numbers = [float(number) for number in numbers] # Converting strings to numbers
    y = numbers[-1] # Extracting the target variable
    x = numbers[0:-1] # Extracting the features
    X.append(x) # Adding the sample
    Y.append(y) # Adding the target variable
return X, Y # returning the data points and target variables

X, Y_actual = read_data('data.txt') # Getting the data points as X and target
    variables as Y
# X[i] is the ith sample. X[i][j] is the jth feature of the ith sample
# Y[i] is the ith target variable

coeffs_part_a = [-46.3591,-226.708, 534.415, 230.201, -316.992, -4.3493e-08, 12.5382,
    204.877, 582.585, 160.929] # coefficients for first order features in Part 2f
coeffs_part_a_matrix= [[1.09417e-06, 0.000102456, 1.09665e-07, 4.80696e-07,
    1.91375e-08, -2.53955e-08, 1.98485e-08, 8.45594e-08, 3.59663e-07, 1.69066e-07],
[0,-1.80499e-08, 2.86425e-07, 4.22607e-07, 9.68603e-08, -2.63781e-10, -1.32483e-07,
    -3.07998e-08, 1.38711e-07, 7.5646e-08],
[0, 0, 1.46462e-07, 1.92339e-07, 6.51947e-08, 9.46737e-08, 7.90349e-08, 1.8639e-07,
    8.70322e-08, 4.95379e-07],
[0,0, 0, 7.47294e-08,-1.63143e-08, -4.19059e-09, 2.81844e-08, 5.16799e-08,
    5.4629e-08, 1.00506e-07],
[0,0,0,0,3.59483e-08,5.64592e-09, -6.18133e-08, -5.2328e-08, 5.35758e-08,7.07302e-08],
[0,0,0,0,0,-5.44664e-08, -8.03162e-09, -1.5056e-08, 1.33778e-07, 7.95601e-08],
[0,0,0,0,0,0,4.66955e-08, 3.47648e-08, -4.29466e-08, 8.84204e-08],
[0,0,0,0,0,0,0,4.1884e-08, -1.03307e-09, 2.61773e-07],
[0,0,0,0,0,0,0,0,-1.75994e-08, 2.13799e-07],
[0,0,0,0,0,0,0,0,0,102.204]] # coefficients for second order features in Part 2f

```

```

print("SSE Part 2F: {0}".format(sse(coeffs_part_a,coeffs_part_a_matrix, X, Y_actual)))

coeffs_part_b = [0,-233.553, 595.908, 263.431, -327.887 ,0, 0, 242.18 ,561.239,
    121.949] # coefficients for first order features in Part 2g
coeffs_part_b_matrix= [[0,0,0, 3540.81, 0, 0, 0, 0, 0, 0],
[0, 0, 4250.64, 0, 0, 0, -3850.05,0,0,0],
[0,0,0,0,0,0,0,0,0,0],
[0,0,0,0,0,0,0,0,0,0],
[0,0,0,0,0,0,0,0,0,0],
[0,0,0,0,0,0,0,0,0,0],
[0,0,0,0,0,0,0,0,0,0],
[0,0,0,0,0,0,0,0,0,0],
[0,0,0,0,0,0,0,0,0,0],
[0,0,0,0,0,0,0,0,0,0]] # coefficients for second order features in Part 2g
print("SSE Part 2G: {0}".format(sse(coeffs_part_b,coeffs_part_b_matrix, X, Y_actual)))

```

Listing 9: data file

```

reset;
param n_samples >= 0; # Total number of samples. In this case, 442
param n_features >= 0; # Total number of features. In this case, 10
param n_train >= 0; # Total number of training samples. In this case, 250
param first_order_coeff_bound; # Upper limit on any first order coefficient
param second_order_coeff_bound; # Upper limit on any second order coefficient
param mat{1..n_samples, 1..n_features+1}; # mat[i,j] is the jth feature of the ith
    sample. If j=11, it is the target variable of the ith sample
param AGE; # number to refer to AGE feature
param SEX; # number to refer to SEX feature
param BMI; # number to refer to BMI feature
param BP; # number to refer to BP feature
param S1; # number to refer to S1 feature
param S2; # number to refer to S2 feature
param S3; # number to refer to S3 feature
param S4; # number to refer to S4 feature
param S5; # number to refer to S5 feature
param S6; # number to refer to S6 feature
param Y; # number to refer to target variable
param lambdas{1..11}; # All possible lambda values for Part I as a list

```



```

param lambda_part_2; # Lambda value for Part II
data;
param n_samples := 442;
param n_train := 250;
param n_features := 10;
param first_order_coeff_bound := 1000;
param second_order_coeff_bound := 5000;
param AGE := 1;
param SEX := 2;
param BMI := 3;
param BP := 4;
param S1 := 5;
param S2 := 6;
param S3 := 7;
param S4 := 8;
param S5 := 9;
param S6 := 10;
param Y := 11;
param lambdas := 1 200 2 220 3 240 4 260 5 280 6 300 7 320 8 340 9 360 10 380 11 400;
param lambda_part_2 := 9.57;
param mat: 1 2 3 4 5 6 7 8 9 10 11 :=
1 0.038075906 0.05068012 0.0616962065 2.187235e-02 -0.044223498 -3.482076e-02
    0.043400846 -0.0025922620 0.0199084209 -0.017646125 -1.1334842
2 -0.001882017 -0.04464164 -0.0514740612 -2.632783e-02 -0.008448724 -1.916334e-02
    -0.074411564 -0.0394933829 -0.0683297436 -0.092204050 -77.1334842
3 0.085298906 0.05068012 0.0444512133 -5.670611e-03 -0.045599451 -3.419447e-02
    0.032355932 -0.0025922620 0.0028637705 -0.025930339 -11.1334842
4 -0.089062939 -0.04464164 -0.0115950145 -3.665645e-02 0.012190569 2.499059e-02
    0.036037570 0.0343088589 0.0226920226 -0.009361911 53.8665158
5 0.005383060 -0.04464164 -0.0363846922 2.187235e-02 0.003934852 1.559614e-02
    -0.008142084 -0.0025922620 -0.0319914449 -0.046640874 -17.1334842
6 -0.092695478 -0.04464164 -0.0406959405 -1.944209e-02 -0.068990650 -7.928784e-02
    -0.041276824 -0.0763945038 -0.0411803852 -0.096346157 -55.1334842
7 -0.045472478 0.05068012 -0.0471628129 -1.599922e-02 -0.040095640 -2.480001e-02
    -0.000778808 -0.0394933829 -0.0629129499 -0.038356660 -14.1334842
8 0.063503676 0.05068012 -0.0018947058 6.662967e-02 0.090619882 1.089144e-01
    -0.022868635 0.0177033545 -0.0358167281 0.003064409 -89.1334842

```

9 0.041708445 0.05068012 0.0616962065 -4.009932e-02 -0.013952536 6.201686e-03
 0.028674294 -0.0025922620 -0.0149564750 0.011348623 -42.1334842
 10 -0.070900247 -0.04464164 0.0390621530 -3.321358e-02 -0.012576583 -3.450761e-02
 0.024992657 -0.0025922620 0.0677363261 -0.013504018 157.8665158
 11 -0.096328016 -0.04464164 -0.0838084235 8.100872e-03 -0.103389471 -9.056119e-02
 0.013947743 -0.0763945038 -0.0629129499 -0.034214553 -51.1334842
 12 0.027178291 0.05068012 0.0175059115 -3.321358e-02 -0.007072771 4.597154e-02
 0.065490672 0.0712099798 -0.0964332229 -0.059067194 -83.1334842
 13 0.016280676 -0.04464164 -0.0288400077 -9.113481e-03 -0.004320866 -9.768886e-03
 -0.044958462 -0.0394933829 -0.0307512099 -0.042498767 26.8665158
 14 0.005383060 0.05068012 -0.0018947058 8.100872e-03 -0.004320866 -1.571871e-02
 0.002902830 -0.0025922620 0.0383932482 -0.013504018 32.8665158
 15 0.045340983 -0.04464164 -0.0256065715 -1.255635e-02 0.017694380 -6.128358e-05
 -0.081774840 -0.0394933829 -0.0319914449 -0.075635622 -34.1334842
 16 -0.052737555 0.05068012 -0.0180618869 8.040116e-02 0.089243929 1.076618e-01
 0.039719208 0.1081111006 0.0360557901 -0.042498767 18.8665158
 17 -0.005514555 -0.04464164 0.0422955892 4.941532e-02 0.024574144 -2.386057e-02
 -0.074411564 -0.0394933829 0.0522799998 0.027917051 13.8665158
 18 0.070768752 0.05068012 0.0121168511 5.630106e-02 0.034205814 4.941617e-02
 0.039719208 0.0343088589 0.0273677075 -0.001077698 -8.1334842
 19 -0.038207401 -0.04464164 -0.0105172024 -3.665645e-02 -0.037343734 -1.947649e-02
 0.028674294 -0.0025922620 -0.0181182673 -0.017646125 -55.1334842
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 -0.037595186 -0.0394933829 -0.0089440190 -0.054925087 15.8665158
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 -0.000778808 -0.0394933829 -0.0119006848 0.015490730 -84.1334842
 22 -0.085430401 0.05068012 -0.0223731352 1.215131e-03 -0.037343734 -2.636575e-02
 -0.015505359 -0.0394933829 -0.0721284546 -0.017646125 -103.1334842
 23 -0.085430401 -0.04464164 -0.0040503300 -9.113481e-03 -0.002944913 7.767428e-03
 -0.022868635 -0.0394933829 -0.0611765951 -0.013504018 -84.1334842
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 0.058127397 0.0343088589 0.0191990331 -0.034214553 49.8665158
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 59 0.041708445 -0.04464164 -0.0644078061 3.564384e-02 0.012190569 -5.799375e-02
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 63 -0.027309786 0.05068012 -0.0072837662 -4.009932e-02 -0.011200630 -1.383982e-02
 -0.059685013 -0.0394933829 -0.0823814833 -0.025930339 -100.1334842
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65 0.067136214 0.05068012 -0.0256065715 -4.009932e-02 -0.063486838 -5.987264e-02
0.002902830 -0.0394933829 -0.0191970476 0.011348623 -81.1334842

66 -0.045472478 0.05068012 -0.0245287594 5.974393e-02 0.005310804 1.496984e-02
0.054445759 0.0712099798 0.0423448954 0.015490730 10.8665158

67 -0.009147093 0.05068012 -0.0180618869 -3.321358e-02 -0.020832300 1.215151e-02
0.072853948 0.0712099798 0.0002714857 0.019632837 -2.1334842

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71 -0.001882017 -0.04464164 -0.0697968665 -1.255635e-02 -0.000193007 -9.142589e-03
-0.070729926 -0.0394933829 -0.0629129499 0.040343372 -104.1334842

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87 -0.070900247 0.05068012 -0.0751859269 -4.009932e-02 -0.051103263 -1.509241e-02
0.039719208 -0.0025922620 -0.0964332229 -0.034214553 -97.1334842

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89 -0.052737555 0.05068012 -0.0406959405 -6.764228e-02 -0.031839923 -3.701280e-02
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90 -0.045472478 -0.04464164 -0.0482406250 -1.944209e-02 -0.000193007 -1.603186e-02
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91 0.012648137 -0.04464164 -0.0256065715 -4.009932e-02 -0.030463970 -4.515466e-02
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