
Table of Contents

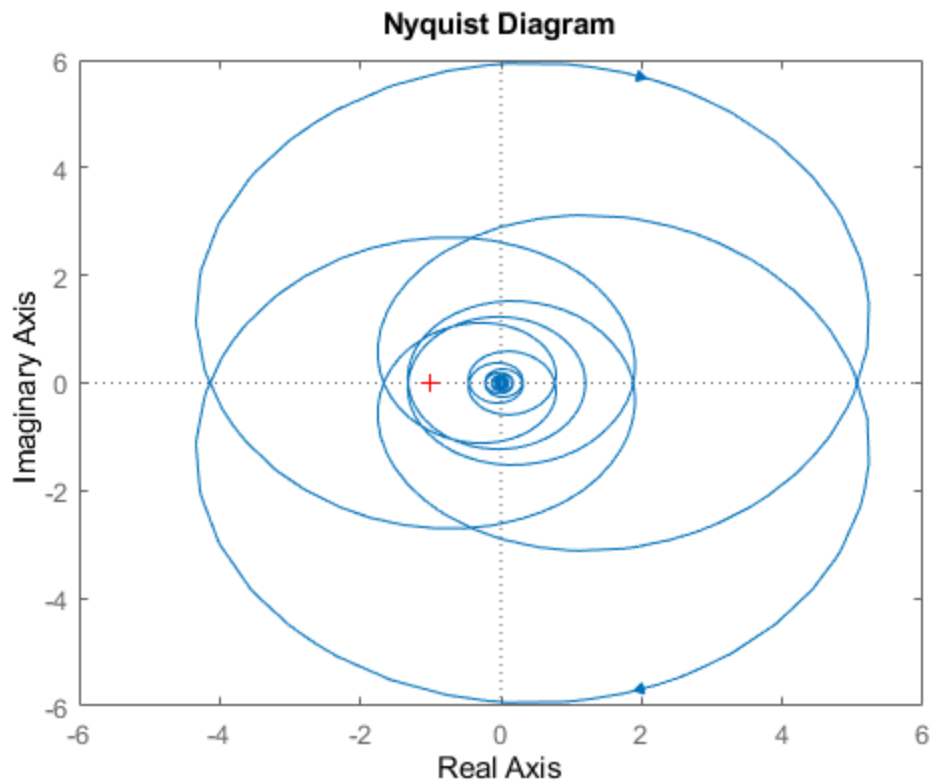
.....	1
Exercise a	3
Exercise b	4
Exercise c	5
Exercise d	6
Exercise e	7
Exercise f	8
Exercise g	9

```
K = 1;
Hol = K * tf(30,[1 1 25],'IODelay',2)
w = logspace(-2,2,1e3);
nyquist(Hol)
% closed loop unstable for k = 1
```

Hol =

$$\exp(-2s) * \frac{30}{s^2 + s + 25}$$

Continuous-time transfer function.



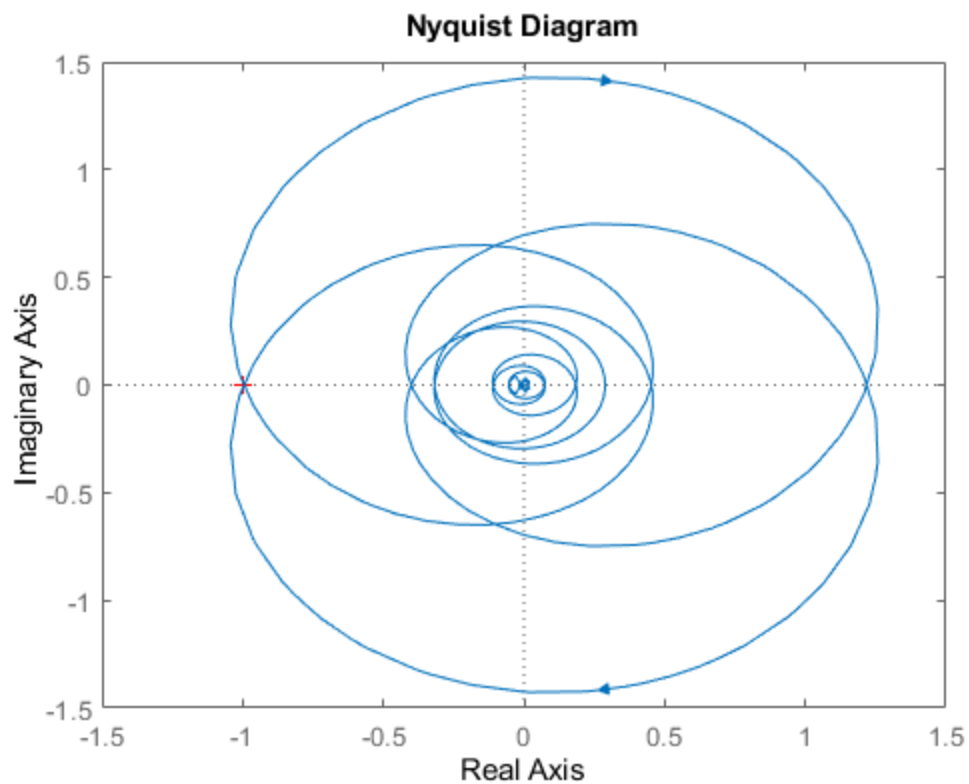
```
%Stable CL for k < 1/Re(H(jw)) adica -4.14
K = 1/4.16;
Hol = K * tf(30,[1 1 25], 'IODelay',2)
w = logspace(-2,2,1e3);
nyquist(Hol)
```

```
%Homework find all the k such that is stable in cl
```

Hol =

$$\exp(-2*s) * \frac{7.212}{s^2 + s + 25}$$

Continuous-time transfer function.



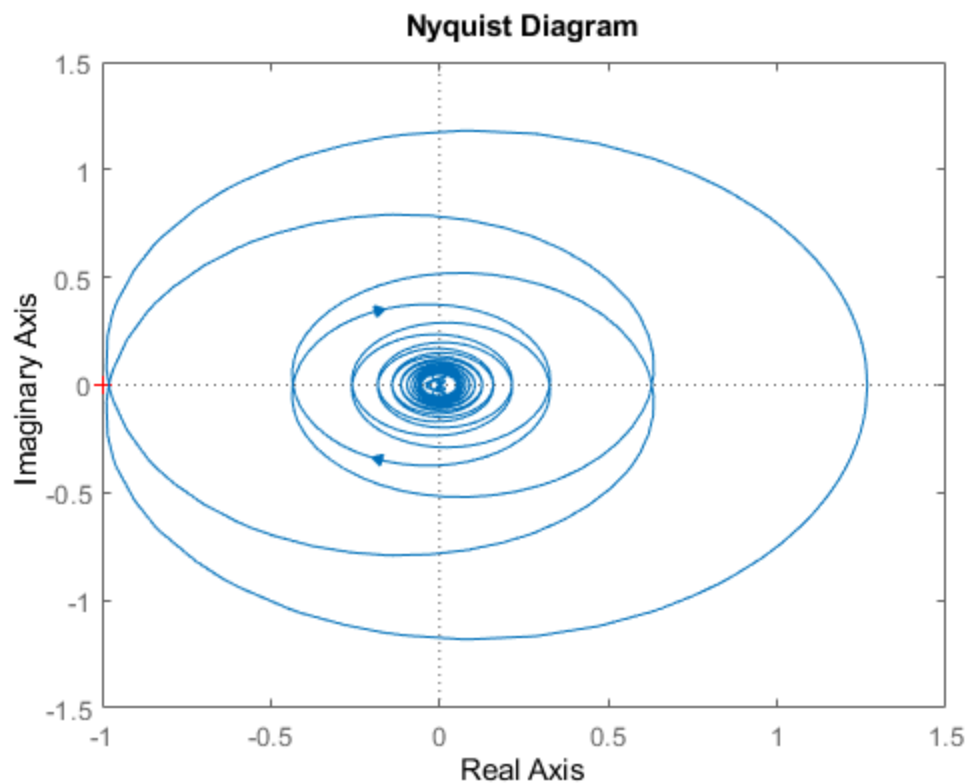
Exercise a

```
k = 0.38;
Hol = tf(k*10, [1 3], 'IODELAY',1)
w = logspace(2,2,1e3);
nyquist(Hol)
% closed loop is stable for k < 1/abs(-2.58)
```

Hol =

$$\exp(-1*s) * \frac{3.8}{s + 3}$$

Continuous-time transfer function.



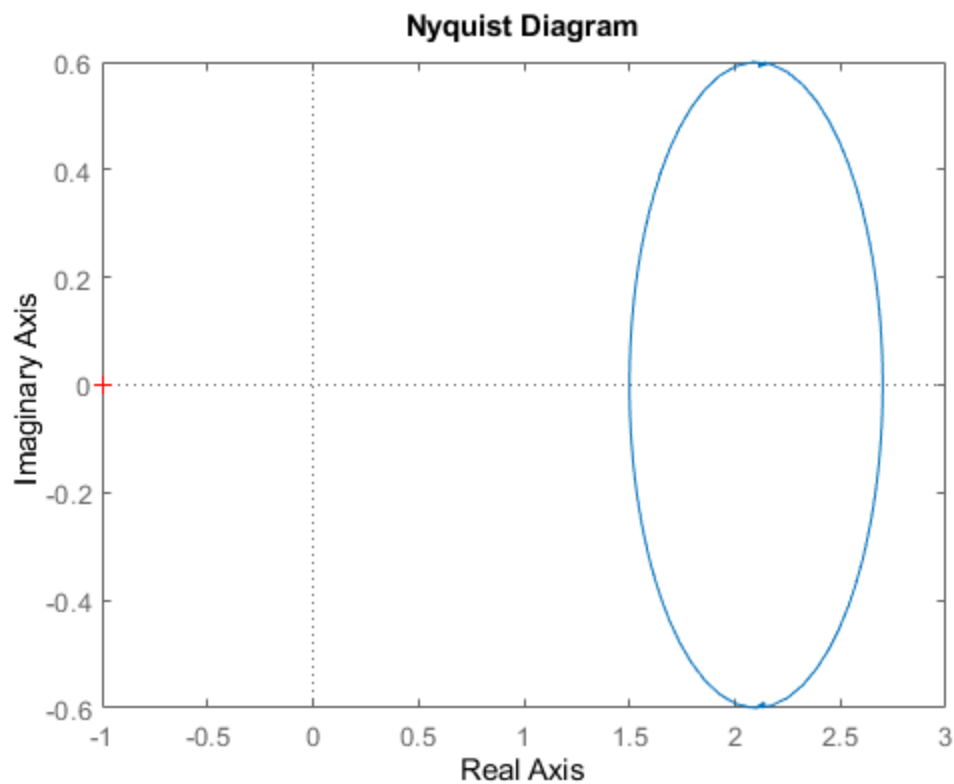
Exercise b

```
k = 1.5;  
Hol = tf(k*[1 900], [1 500])  
w = logspace(2,2,1e3);  
nyquist(Hol)  
% for k =1.5 the cl is stable
```

Hol =

$$\frac{1.5 s + 1350}{s + 500}$$

Continuous-time transfer function.



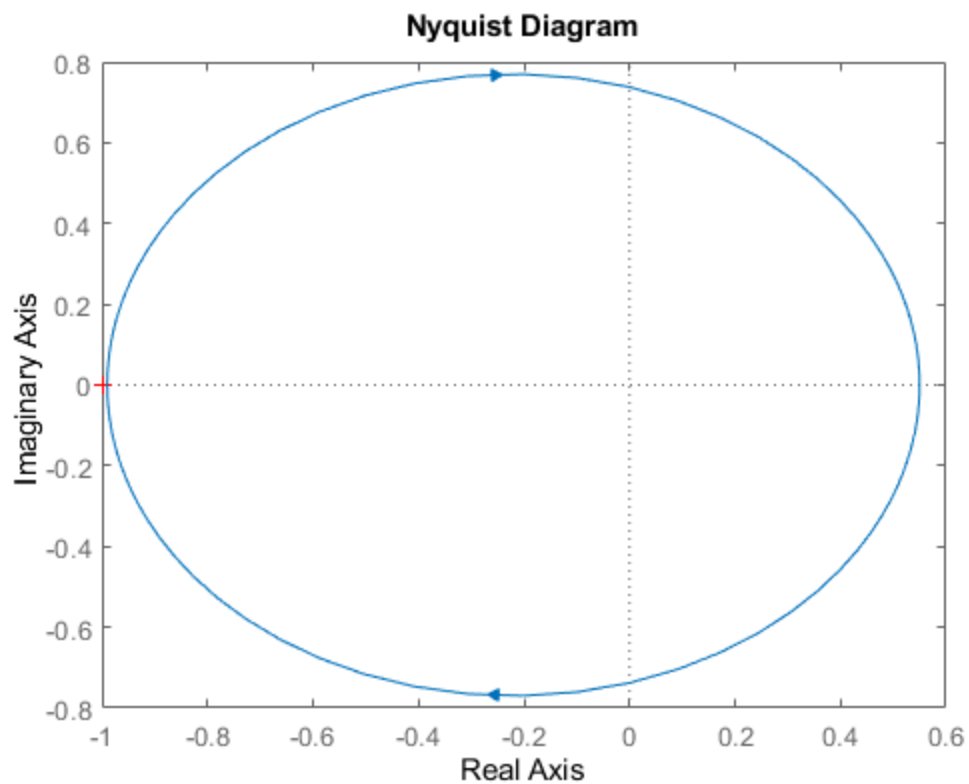
Exercise c

```
k = 0.55;
Hol = tf(k*[1 -9e6], [1 5e6])
w = logspace(2,2,1e3);
nyquist(Hol)
% CL stable for k < 1/abs(-1.8)
```

Hol =

$$\frac{0.55 s - 4.95e06}{s + 5e06}$$

Continuous-time transfer function.



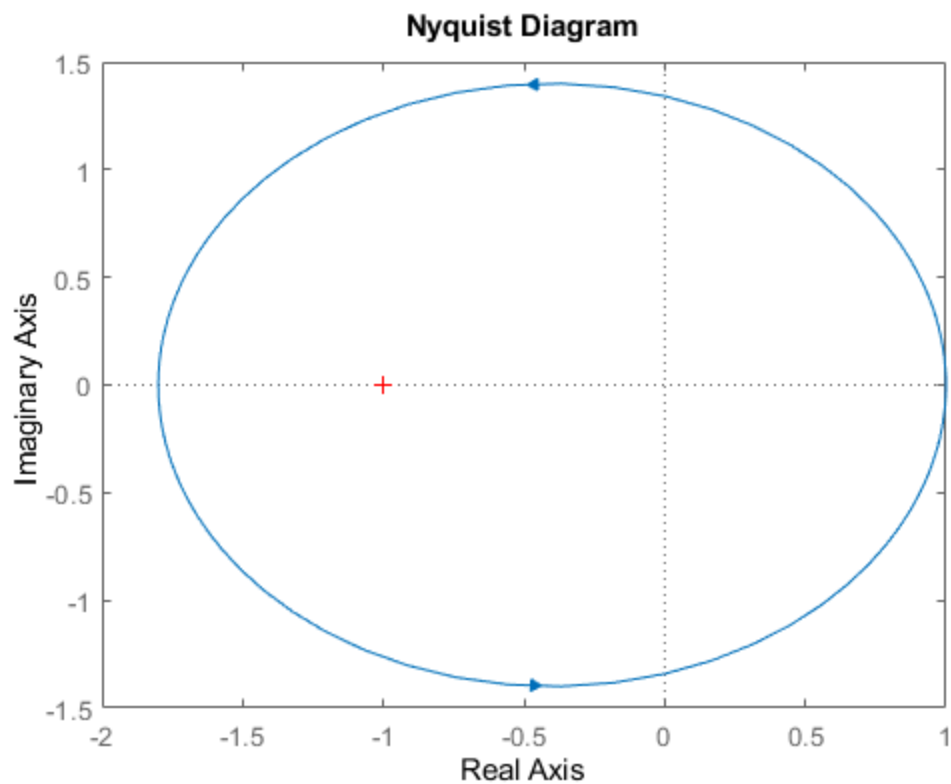
Exercise d

```
k = 1;
Hol = tf(k*[1 9], [1 -5])
w = logspace(2,2,1e3);
nyquist(Hol)
% for k from (5/9, infinity) CL stable
```

Hol =

$$\frac{s + 9}{s - 5}$$

Continuous-time transfer function.



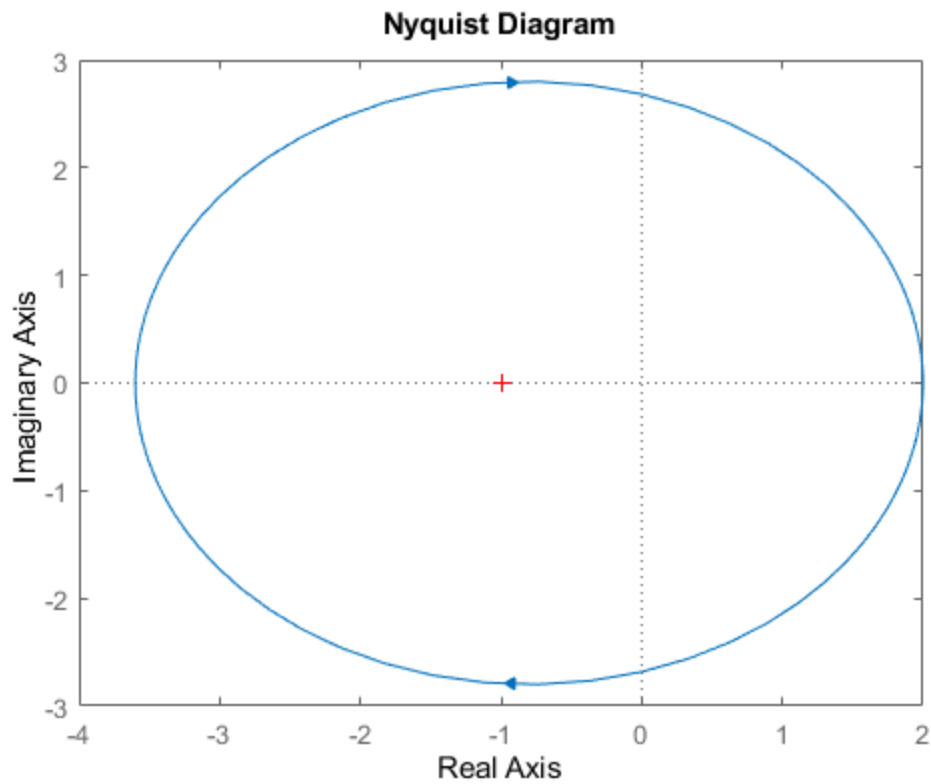
Exercise e

```
k = -2;  
Hol = tf(k*[-1 9], [1 5])  
w = logspace(2,2,1e3);  
nyquist(Hol)  
% CL stable for k = 1
```

Hol =

$$\frac{2s - 18}{s + 5}$$

Continuous-time transfer function.



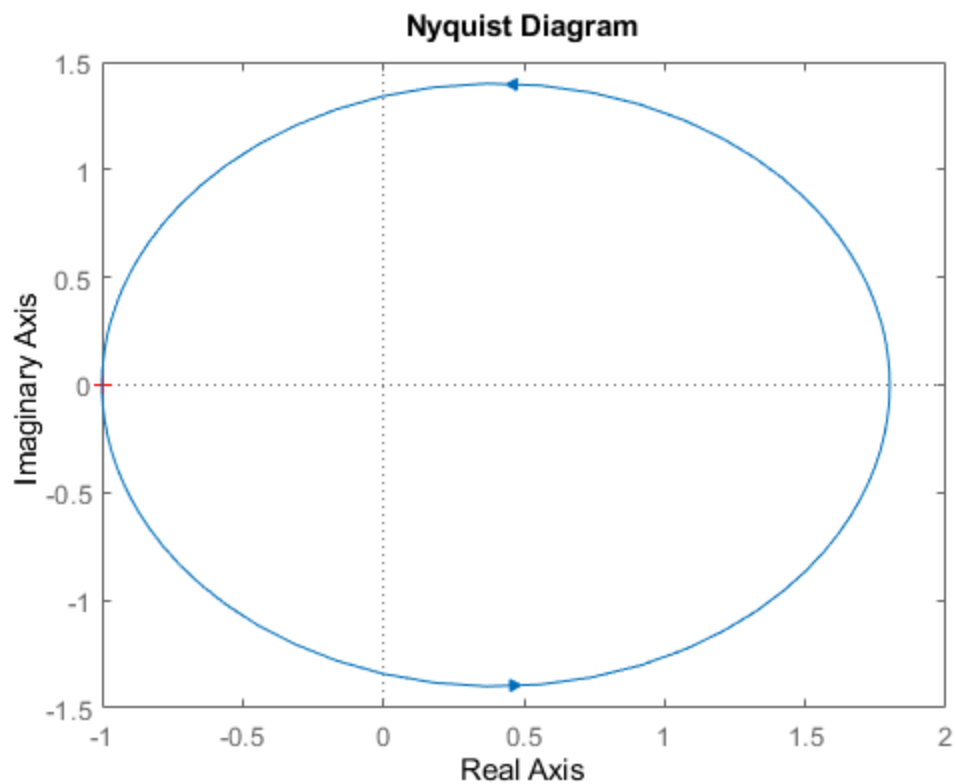
Exercise f

```
k = 1;  
Hol = tf(k*[1 9], [-1 5])  
w = logspace(2,2,1e3);  
nyquist(Hol)  
% CL stable for k = 1
```

Hol =

$$\frac{-s - 9}{s - 5}$$

Continuous-time transfer function.



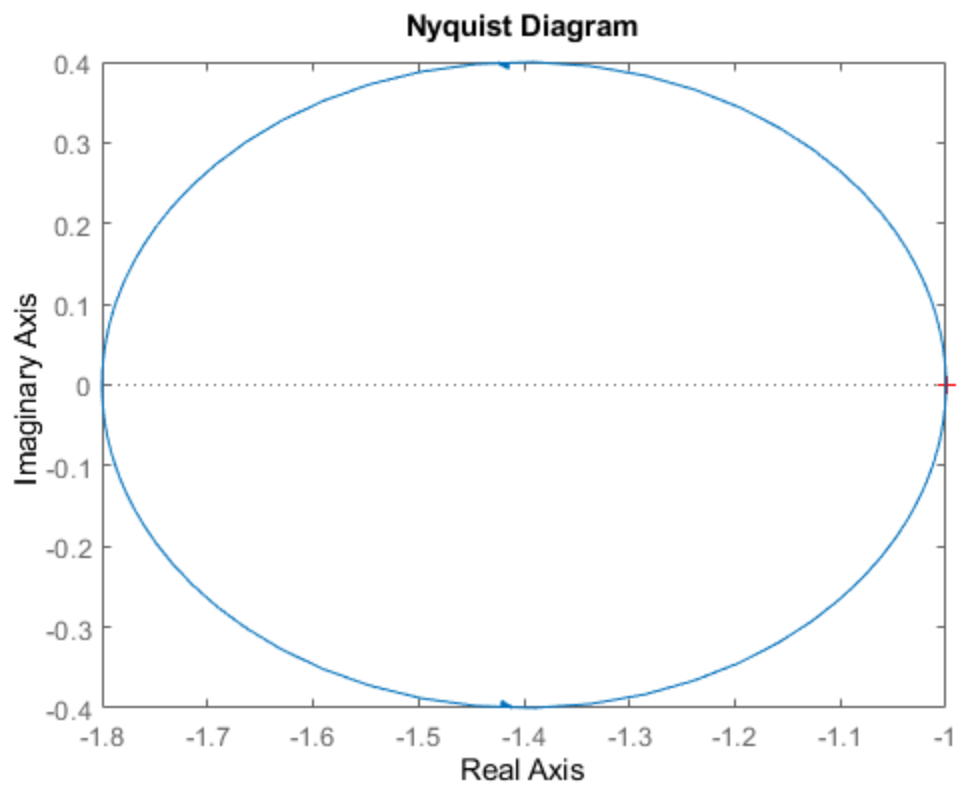
Exercise g

```
k = 1;  
Hol = tf(k*[-1 9], [1 -5])  
w = logspace(2,2,1e3);  
nyquist(Hol)  
% CL stable for k = 1;
```

Hol =

$$\frac{-s + 9}{s - 5}$$

Continuous-time transfer function.



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