Lightweight compositional analysis of metagenomes with sourmash gather

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Abstract

The assignment of reference genomes and taxonomy to metagenome data underlies many microbiome studies. Here we describe two algorithms for compositional analysis of metagenome sequencing data. We first investigate the *FracMinHash* sketching technique, a derivative of modulo hash that supports Jaccard containment estimation between sets of different size. We implement *FracMinHash* in the sourmash software, evaluate its accuracy, and demonstrate large-scale containment searches of metagenomes using all 700,000 currently available microbial reference genomes. We next frame shotgun metagenome compositional analysis as the problem of finding a minimum collection of reference genomes that "cover" the known k-mers in a metagenome, a minimum set cover problem. We implement a greedy approximate solution using *FracMinHash* sketches, and evaluate its accuracy in taxonomic assignment using a CAMI community benchmark. Finally, we show that the minimum metagenome cover can be used to guide the select of reference genomes for read mapping. sourmash is available as open source under the BSD 3-Clause license at github.com/dib-lab/sourmash/.

Introduction

Shotgun DNA sequencing of microbial communities is an important technique for studying host-associated and environmental microbiomes [1,2]. By sampling the DNA sequence content of microbial communities, shotgun metagenomics enables the taxonomic and functional characterization of microbiomes [3,4]. However, this characterization relies critically on the methods and databases used to interpret the sequencing data [5,6,7,8].

Metagenome function and taxonomy is typically inferred from available reference genomes and gene catalogs, via direct genomic alignment [9,10], large-scale protein search [11,12], or k-mer matches [13,14]. For many of these methods, the substantial increase in the number of available microbial reference genomes (1.1m in GenBank as of November 2021) presents a significant practical obstacle to comprehensive compositional analyses, and most methods choose representative subsets of available genomic information to analyze; for example, bioBakery 3 provides a database containing 99.2k reference genomes [9].

Here, we describe a lightweight and scalable approach to compositional analysis of shotgun metagenome data based on finding the minimum set of reference genomes that accounts for all known k-mers in a metagenome - a "minimum metagenome cover". We use a mod-hash based sketching approach for k-mers to reduce memory requirements [15], and implement a polynomial-time greedy approximation algorithm for the minimum set cover analysis.

Our approach tackles the selection of appropriate reference genomes for downstream analysis and provides a computationally efficient method for taxonomic classification of metagenome data. Our implementation in the open source `sourmash` software works with reference databases containing a million or more microbial genomes and supports multiple taxonomies and private databases.

Results

We first describe *FracMinHash*, a sketching technique that supports containment estimation for metagenome datasets using k-mers. We next frame reference-based metagenome content analysis as the problem of finding a *minimum set cover* for a metagenome using a collection of reference genomes. We then evaluate the accuracy of this approach using a taxonomic classification

benchmark. Finally, we demonstrate the utility of this approach by using the genomes from the minimum metagenome cover as reference genomes for read mapping.

FracMinHash sketches support accurate containment operations

We define the *fractional MinHash*, or FracMinHash, on an input domain of hash values W, as follows:

$$\mathbf{FRAC}_s(W) = \left\{ \, w \leq \frac{H}{s} \mid \forall w \in W \, \right\}$$

where H is the largest possible value in the domain of $h(x)$ and $\frac{H}{s}$ is the *maximum hash value* allowed in the FracMinHash sketch.

The FracMinHash is a mix of MinHash and ModHash [15]. It keeps the selection of the smallest elements from MinHash, while using the dynamic size from ModHash to allow containment estimation. However, instead of taking $0 \mod m$ elements like $\mathbf{MOD}_m(W)$, a FracMinHash uses the parameter s to select a subset of W.

Given a uniform hash function h and $s = m$, the cardinalities of $\mathbf{FRAC}_s(W)$ and $\mathbf{MOD}_m(W)$ converge for large $|W|$. The main difference is the range of possible values in the hash space, since the FracMinHash range is contiguous and the ModHash range is not. This permits a variety of convenient operations on the sketches, including iterative downsampling of FracMinHash sketches as well as conversion to MinHash sketches.

A FracMinHash implementation accurately estimates containment between sets of different sizes

We compare the FracMinHash method to CMash (*Containment MinHash*) [16] and Mash Screen (*Containment Score*) [17] for containment queries in data from a mock bacterial and archaeal community where the reference genomes are largely known [18]. This data set has been used in several methods evaluations [17,19,20,21].
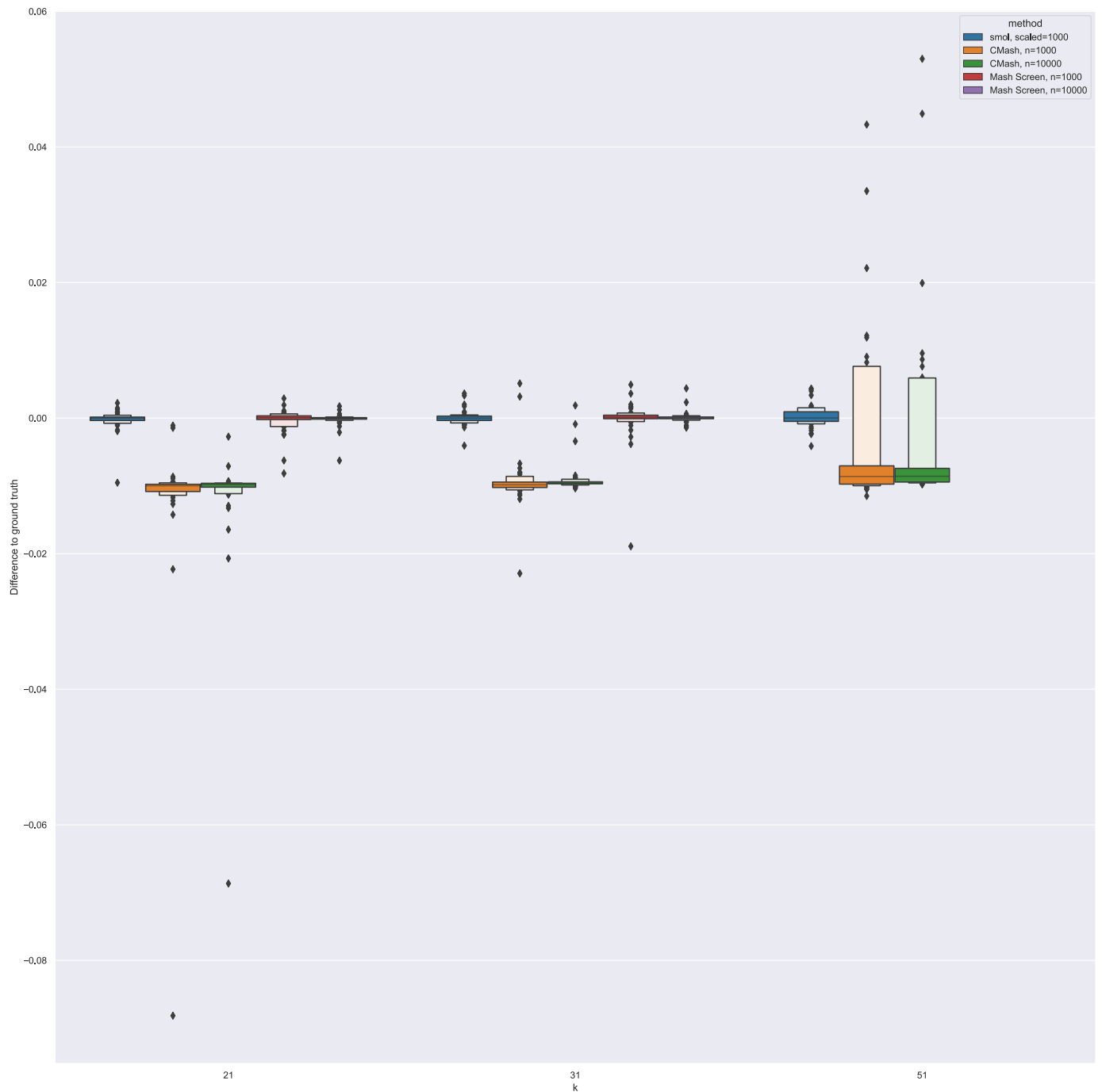
Figure 1: **Letter-value plot [22] of the differences from containment estimate to ground truth (exact).** Each method is evaluated for $k = \{21, 31, 51\}$, except for `Mash` with $k = 51$, which is unsupported.

Figure 1 shows containment analysis of genomes in this metagenome, with low-coverage and contaminant genomes (as described in [21] and [23]) removed from the database. All methods are within 1% of the exact containment on average (Figure 1), with `CMash` consistently underestimating the containment for large k and overestimating for small k. `Mash Screen` with $n = 10000$ has the smallest difference to ground truth for $k = \{21, 31\}$, followed by `FracMinHash` with `scaled=1000` and `Mash Screen` with $n = 1000$.

CTB TODO:

- switch figure to use sourmash; update description to reference sourmash.

We can use FracMinHash to construct a minimum set cover for metagenomes

We next ask: what is the smallest collection of genomes in a database that contains all of the known k-mers in a metagenome? Formally, for a given metagenome M and a reference database D, what is the minimum collection of genomes in D which contain all of the k-mers in the intersection of D and M? We wish to find the smallest set $\{G_n\}$ of genomes in D such that, for the k-mer decomposition $k()$,

$$k(M) \cap k(D) = \bigcup_n \{k(M) \cap k(G_n)\}$$

This is a *minimum set covering* problem, for which there is a polynomial-time approximation [24]:

1. Initialize $C \leftarrow \emptyset$
2. Define $f(C) = |\cup_{s \in C} \{s\}|$
3. Repeat until $f(C) = f(M \cap D)$:
   4. Choose $s \in G$ maximizing the contribution of the element $f(C \cup \{s\}) - f(C)$
   5. Let $C \leftarrow C \cup \{s\}$
4. Return C

This greedy algorithm iteratively chooses reference genomes from D in order of largest remaining overlap with M. This results in a progressive classification of the known k-mers in the metagenome to specific genomes.[1]

In Figure 2, we show an example of this iterative classification of k-mers by matching GenBank genome for the mock metagenome from [18], which we term `podar mock` (see Table 1, row 2). The matching genomes are provided in the order found by the greedy algorithm, i.e. by overlap with remaining k-mers in the metagenome. The high rank (early) matches reflect large and/or mostly-covered genomes with high containment, while later matches reflect genomes that share fewer k-mers with the remaining set of k-mers in the metagenome - smaller genomes, less-covered genomes, and/or genomes with substantial overlap with earlier matches. Where there are overlaps between genomes, shared common k-mers are "claimed" by higher rank matches and only k-mer content specific to the later genome is used to find lower rank matches.

As one example of metagenome k-mers shared with multiple matches, genomes from two strains of *Shewanella baltica* are present in the mock metagenome. These genomes have an approximately 50% overlap in k-mer content, and these shared k-mers are first claimed by *Shewanella baltica* OS223 – compare *S. baltica* OS223, rank 8, with *S. baltica* OS185, rank 33 in Figure 2. Here the difference between the red circles and green triangles for *S. baltica* OS185 represents the k-mers claimed by *S. baltica* OS223 .

For this mock metagenome, 205m (54.8%) of 375m k-mers were found in GenBank (see Table 1, row 2). The remaining 169m (45.2%) k-mers had no matches, and represent either k-mers introduced by sequencing errors or unknown k-mers from real community members.

Figure 2: K-mer decomposition of a metagenome into constituent genomes. A rank ordering by remaining containment for the first 36 genomes from the minimum metagenome cover of the `podar mock` synthetic metagenome [18], calculated using 700,000 genomes from GenBank. The Y axis is labeled with the NCBI-designed name of the genome. In the left plot, the X axis represents the estimated number of k-mers shared between each genome and the metagenome. The red circles indicate the number of matching k-mers that were not matched at previous ranks, while the green triangle symbols indicate all matching k-mers. In the right plot, the X axis represents the estimated k-mer coverage of that genome. The red circles indicate the percentage of the genome covered by k-mers remaining at that rank, while the green triangle symbols indicate overlap between the genome and the entire metagenome, including those already assigned at previous ranks.

Minimum metagenome covers can accurately estimate taxonomic composition

We evaluated the accuracy of min-set-cov for metagenome decomposition using benchmarks from the Critical Assessment of Metagenome Interpretation (CAMI) [25], a community-driven initiative for reproducibly benchmarking metagenomic methods. We used the mouse gut metagenome dataset [26], in which a simulated mouse gut metagenome (*MGM*) was derived from 791 bacterial and archaeal genomes, representing 8 phyla, 18 classes, 26 orders, 50 families, 157 genera, and 549 species. 64 samples were generated with *CAMISIM*, with 91.8 genomes present on each sample on average. Each sample is 5 GB in size, and both short-read (Illumina) and long-read (PacBio) simulated sequencing data is available. (CTB: check citations / content of latest actual CAMI pub, https://www.biorxiv.org/content/10.1101/2021.07.12.451567v1)

Since min-set-cov yields only a collection of genomes, it must be converted into a taxonomy for benchmarking with CAMI. We developed the following procedure for generating a taxonomic profile from a given metagenome cover. For each genome match, we note the species designation in the NCBI taxonomy for that genome. Then, we calculate the fraction of the genome remaining in the metagenome after k-mers belonging to higher-rank genomes have been removed (e.g. red circles in Figure 2 (a)). We use this fraction to weight the contribution of the genome's species designation to the metagenome taxonomy. This procedure produces an estimate of that species' taxonomic contribution to the metagenome, and normalizes by the genome size.

Figure 3: Comparison per taxonomic rank of methods in terms of completeness, purity (1% filtered), and L1 norm.

c	Completeness	Purity (1% filtered)	L1 norm error	Sum of scores
1st	sourmash (247)	sourmash (179)	mOTUs 2.5.1 (789)	sourmash (1262)
2nd	mOTUs 2.5.1 (416)	MetaPhlAn 2.2.0 (241)	sourmash (836)	mOTUs 2.5.1 (1887)
3rd	Bracken 2.5 (1008)	mOTUs 1.1 (631)	MetaPhlAn 2.9.21 (1401)	MetaPhlAn 2.2.0 (3527)
4th	MetaPhyler 1.25 (1298)	mOTUs 2.5.1 (682)	MetaPhlAn 2.2.0 (1497)	MetaPhlAn 2.9.21 (4349)
5th	TIPP 2.0.0 (1424)	MetaPhlAn 2.9.21 (789)	MetaPhyler 1.25 (1586)	MetaPhyler 1.25 (5148)
6th	MetaPhlAn 2.2.0 (1789)	MetaPalette 1.0.0 (1182)	mOTUs 1.1 (2317)	mOTUs 1.1 (5253)
7th	MetaPhlAn 2.9.21 (2159)	MetaPhyler 1.25 (2264)	TIPP 2.0.0 (2361)	MetaPalette 1.0.0 (5989)
8th	mOTUs 1.1 (2305)	Bracken 2.5 (2881)	MetaPalette 1.0.0 (2390)	Bracken 2.5 (6574)
9th	MetaPalette 1.0.0 (2417)	TIPP 2.0.0 (3361)	Bracken 2.5 (2685)	TIPP 2.0.0 (7146)
10th	FOCUS 0.31 (3424)	FOCUS 0.31 (3764)	FOCUS 0.31 (3894)	FOCUS 0.31 (11082)

Figure 4: Methods rankings and scores obtained for the different metrics over all samples and taxonomic ranks. For score calculation, all metrics were weighted equally.

In Figures 3 and 4 we show an updated version of Figure 6 from [26] that includes our method, implemented in the `sourmash` software (CTB: what databases are used?). Here we compare 10 different methods for taxonomic profiling and their characteristics at each taxonomic rank. While previous methods show reduced completeness – the ratio of taxa correctly identified in the ground truth – below the genus level, `sourmash` can reach 88.7% completeness at the species level with the highest purity (the ratio of correctly predicted taxa over all predicted taxa) across all methods: 95.9% when filtering predictions below 1% abundance, and 97% for unfiltered results. `sourmash` also has the second lowest L1-norm error, the highest number of true positives and the lowest number of false positives.

Minimum metagenome covers select small subsets of large databases

Table 1: Four metagenomes and the number of genomes in the estimated minimum metagenome cover from GenBank.

data set	genomes >= 100k overlap	min-set-cov	% k-mers identified
`zymo mock` (SRR12324253)	405,839	19	47.1%
`podar mock` (SRR606249)	5800	74	54.8%
`gut real` (SRR5650070)	96,423	99	36.0%
`oil well real` (SRR1976948)	1235	135	14.9%

In Table [1](#), we show the minimum metagenome cover for four metagenomes against GenBank - two mock communities [18,27], a human gut microbiome data set from iHMP [3], and an oil well sample [28]. Our implementation provides estimates for both the *total* number of genomes with substantial overlap to a query genome, and the minimum set of genomes that account for k-mers with overlap in the query metagenome. Note that only matches estimated to have more than 100,000 overlapping k-mers are shown (see Methods for details).

We find many genomes with overlaps for each metagenome, due to the redundancy of the reference database. For example, `zymo mock` contains a *Salmonella* genome, and there are over 200,000 *Salmonella* genomes that match to it in GenBank. Likewise, `gut real` matches to over 75,000 *E. coli* genomes in GenBank. Since neither `podar mock` nor `oil well real` contain genomes from species with substantial representation in GenBank, they yield many fewer total overlapping genomes.

Regardless of the number of genomes in the database with substantial overlap, the estimated *minimum* collection of genomes is always much smaller than the number of genomes with overlaps. In the cases where the k-mers in the metagenome are mostly identified, this is because of database redundancy: e.g. in the case of `zymo mock`, the min-set-cov algorithm chooses precisely one *Salmonella* genome from the 200,000+ available. Conversely, in the case of `oil well real`, much of the sample is not identified, suggesting that the small size of the covering set is because much of the sample is not represented in the database.

Minimum metagenome covers provide representative genomes for mapping

Mapping metagenome reads to representative genomes is an important step in many microbiome analysis pipelines, but mapping approaches struggle with large, redundant databases. One specific use for a minimum metagenome cover could be to select a small set of representative genomes for mapping. We therefore developed a hybrid selection and mapping pipeline that uses the rank-ordered min-set-cov results to map reads to candidate genomes.

We first map all metagenome reads to the first ranked genome in the minimum metagenome cover, and then remove successfully mapped reads from the metagenome. Remaining unmapped reads are then mapped to the second rank genome, and this then continues until all genomes have been used. That is, all reads mapped to the rank-1 genome in Figure [2](#) are removed from the rank-2 genome mapping, and all reads mapping to rank-1 and rank-2 genomes are removed from the rank-3 genome

mapping, and so on. This produces results directly analogous to those presented in Figure [2], but for reads rather than k-mers.

Figure [5] compares hash assignment rates and mapping rates for the four evaluation metagenomes in Table [1]. Broadly speaking, we see that k-mer-based estimates of metagenome composition agree closely with the number of bases covered by mapped reads: the y axis has not been re-scaled, so hash matches and read mapping coverage correspond well. This suggests that the k-mer-based min-set-cov approach effectively selects reference genomes for metagenome read mapping.

For mock metagenomes (panels X and Y), there appears to be a close correspondence between mapping and hash assignment rates, while for actual metagenomes, there is more variation between mapping and hash assignments. Further work is needed to evaluate rates of variation across a larger number of metagenomes.

CTB: update figure to contain all four metagenomes! Fix axis labels, symbols.
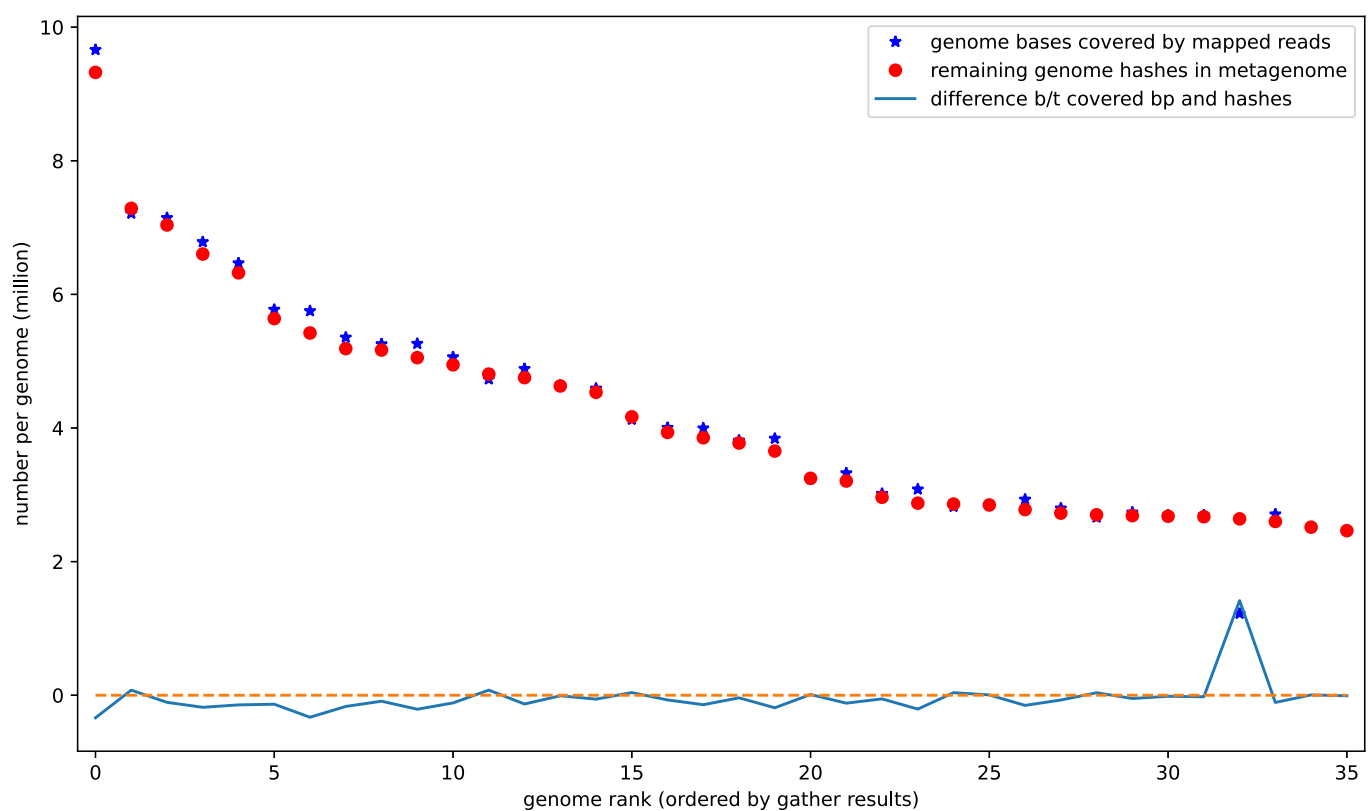
Figure 5: Hash-based k-mer decomposition of a metagenome into constituent genomes compares well to bases covered by read mapping. (CTB: add more description here.) Plots for each of four metagenomes showing estimated k-mer overlap per genome, along with bases covered by read mapping. The reference genomes are rank ordered along the x axis (as in Figure [2]), based on the largest number of hashes from the metagenome specific to that genome; hence the number of hashes classified for each genome (red circles) is monotonically decreasing. The y axis shows number of hashes (k-mers) classified to this genome (red circles) or total number of bases in the reference covered by mapped reads (blue stars); the numbers have not been rescaled. Decreases in mapping (green peaks) occur for genomes which are not exact matches to the genomes of the organisms used to build the mock community; for example, in plot (a), the peak at rank 33, *S. baltica OS185* represents reads that were preferentially mapped to *S. baltica OS223*, rank 8. [[21],[23]].

Discussion

Below, we discuss the features and drawbacks of using FracMinHash and minimum metagenome covers to analyze metagenome datasets.

(CTB: probably want to talk a bit about long reads below, too.)

FracMinHash provides efficient containment queries for large data sets.

FracMinHash is a derivative of ModHash that uses the bottom hashing concept from MinHash to support containment operations: all elements in the set to be sketched are hashed, and any hash values below a certain fixed boundary value are kept for the sketch. This fixed boundary value is determined by the desired accuracy for the sketch operations, with clear space/time constraint tradeoffs.

(CTB: re-evaluate this claim.)

Intuitively, FracMinHash can be viewed as performing density sampling at a rate of 1 k-mer per s distinct k-mers seen, where s is used to define define a boundary value $\frac{H}{s}$ for the bottom sketch. FracMinHash can also be viewed as a type of lossy compression, with a fixed compression ratio of s: for values of s used here ($s \approx 1000$), k-mer sets are reduced in cardinality by 1000-fold.

Unlike MinHash, FracMinHash supports containment estimation between sets of very different sizes, and here we demonstrate that it can be used efficiently and effectively for compositional analysis of shotgun metagenome data sets with k-mers. In particular, FracMinHash is competitive in accuracy with extant MinHash-based techniques for containment analysis, while also supporting Jaccard similarity.

We note that the FracMinHash technique has been used under a number of different names, including FracMinHash [29]) (cite Luiz thesis), universe minimizers [30], Shasta markers [31], and mincode syncmers [32]. The name FracMinHash was coined by Kristoffer Sahlin in an online discussion on Twitter [33] and chosen by discussants as the least ambiguous option. We use it here accordingly.

FracMinHash offers several conveniences over MinHash. No hash is ever removed from a FracMinHash sketch during construction; thus sketches grow proportionally to the number of distinct k-mers in the sampled data set, but *also* support many operations - including all of the operations used here - without needing to revisit the original data set. This is in contrast to MinHash, which requires auxiliary data structures for many operations - most especially, containment operations [16,17]. Thus FracMinHash sketches serve as compressed indices for the original content for a much broader range of operations than MinHash.

Because FracMinHash sketches collect all hash values below a fixed threshold, they also support streaming analysis of sketches: any operations that used a previously selected value can be cached and updated with newly arriving values. ModHash has similar properties, but this is not the case for MinHash: after n values are selected any displacement caused by new data can invalidate previous calculations.

FracMinHash also directly supports the addition and subtraction of hash values from a sketch, allowing for limited types of post-processing and filtering without revisiting the original data set. This includes unions and intersections. Although possible for MinHash, in practice this requires oversampling (using a larger n) to account for possibly having fewer than n values after filtering, e.g. see the approach taken in Finch [34].

When the multiplicity of hashes in the original data is retained, FracMinHash sketches can be filtered on abundance. This allows removing low-abundance values, as implemented in Finch [34]. Filtering values that only appear once was implemented in Mash by using a Bloom filter and only adding values after they were seen once; later versions also implemented an extra counter array to keep track of counts for each value in the MinHash. These operations can be done in FracMinHash without auxiliary data structures.

Another useful operation available on FracMinHash sketches is *downsampling*: the contiguous value range for FracMinHash sketches means that MinHash sketches can be extracted from FracMinHash sketches whenever the size of the requested MinHash is less than the size of the FracMinHash sketch. Likewise, MinHash sketches can be losslessly converted to FracMinHash sketches when the maximum hash value in the MinHash sketch is larger than H/s.

Finally, because FracMinHash sketches are simply collections of hashes, existing k-mer indexing approaches can be applied to sketches to support fast search with both similarity and containment estimators; several index types, including Sequence Bloom Trees (CTB: cite) and reverse indices, are provided in the sourmash software.

In exchange for these many conveniences, FracMinHash sketches have limited sensitivity for small data sets where the k-mer cardinality of the data set $\approx s$, and are only bounded in size by H/s, which is typically quite large $\approx 2e16$. The limited sensitivity of sketches may affect the sensitivity of gene- and viral genome-sized queries, but at $s = 1000$ we see comparable accuracy and sketch size to MinHash for bacterial genome comparisons (Figure 1).

Minimum set covers can be used for accurate compositional analysis of metagenomes.

Many metagenome content analysis approaches use reference genomes to interpret the metagenome content, but most such approaches rely on choosing a list of reduced-redundancy genomes from a much larger database (e.g. bioBakery 3 selects approximately 100,000 genomes [9]). Here, we do this reduction automatically by searching the complete database for a *minimum* set of reference genomes necessary to account for all k-mers shared between the metagenome and the database. We show that this can be resolved efficiently for real-world data sets; implementing a greedy min-set-cov approximation algorithm on top of FracMinHash, we provide an approach that readily scales to 700,000 genomes on current hardware (performance in appendix: CTB). We show that in practice this procedure reduces the number of genomes under consideration to ≈ 100 for several mock and real metagenomes.

The development of a small list of relevant genomes is particularly useful for large reference databases containing many redundant genomes; for example, in Table 1, we show that for one mock and one real community, we select minimum metagenome covers of 19 and 99 genomes for metagenomes that contain matches to 406k and 96k GenBank genomes total.

The min-set-cov approach for assigning genomes to metagenomes using k-mers differs substantially from extant k-mer and mapping-based approaches for identifying relevant genomes. LCA-based approaches such as Kraken label individual k-mers based on taxonomic lineages in a database, and then use the resulting database of annotated k-mers to assign taxonomy to reads. Mapping- and homology-based approaches such as Diamond use read mapping to genomes or read alignment to gene sequences in order to assign taxonomy and function (cite). These approaches typically focus on assigning *individual* k-mers or reads. In contrast, here we analyze the entire collection of k-mers and assign them *in aggregate* to the *best* genome match, and then repeat until no matches remain.

The resulting minimum metagenome cover can then be used as part of further analyses, including both taxonomic content analysis and read mapping. For taxonomic analyses, we find that this approach is competitive with other current approaches and has several additional conveniences (discussed in detail below). The comparison of hash-based estimation of containment to mapping results in Figure 5 suggests that this approach is an accurate proxy for systematic mapping.

Our implementation of the min-set-cov algorithm in sourmash also readily supports using custom reference databases as well as updating minimum metagenome covers with the addition of new reference genomes. When updating metagenome covers with new reference genomes, the first stage of calculating overlaps can be updated with the new genomes (Column 2 of Table 1), while the actual calculation of the *minimum* set cover must be redone each time.

Minimum set cover approaches may provide opportunities beyond those discussed here. For example, read- and contig-based analysis, and analysis and presentation of alignments, can be potentially simplified with this approach.

Minimum metagenome covers support accurate and flexible taxonomic assignment

We can build a taxonomic classifier on top of minimum metagenome covers by reporting the taxonomies of the constituent genomes, weighted by distinct overlap and aggregated at the relevant taxonomic level using an LCA approach. Our CAMI-based taxonomic benchmarking shows that this approach is competitive for all metrics across all taxonomic levels (Figures 3 and 4).

One convenient feature of this approach to taxonomic analysis is that new or changed taxonomies can be readily incorporated by assigning them directly to genome identifiers; the majority of the computational work is involved in finding the reference genomes, which can have assignments in multiple taxonomic frameworks. For example, sourmash already supports GTDB [35] natively, and will also support the emerging LINS framework [36]. sourmash can also readily incorporate updates to taxonomies, e.g. the frequent updates to the NCBI taxonomy, without requiring expensive reanalysis of the primary metagenome data or even regenerating the minimum metagenome cover.

Interestingly, this framing of taxonomic classification as a minimum set cover problem may also avoid the loss of taxonomic resolution that affects k-mer- and read-based approaches on large databases [37]; this is because we apply LCA *after* reads and k-mers have been assigned to individual genomes, and choose entire *genomes* based on a greedy best-match-first approach. This minimizes the impact of individual k-mers that may be common to a genus or family, or were mis-assigned as a result of contamination.

Finally, as the underlying min-set-cov implementation supports custom databases, it is straightforward to support taxonomic analysis using *custom* databases and/or custom taxonomic assignments. This is potentially useful for projects that are generating many new genomes and wish to use them for metagenome analysis. sourmash natively supports this functionality.

The minimum set cover approach is reference dependent

The min-set-cov approach is reference-based, and hence is entirely dependent on the reference database. This may present challenges: for example, in many cases the exact reference strains present in the metagenome will not be present in the database. This manifests in two ways in Figure 5. First, for real metagenomes, there is a systematic mismatch between the hash content and the mapping content (green line), because mapping software is more permissive in the face of small

variants than k-mer-based exact matching. Moreover, many of the lower rank genomes in the plot are from the same species but different *strains* as the higher ranked genomes, suggesting that strain-specific portions of the reference are being utilized for matching at lower ranks. In reality, there will usually be a different mixture of strains in the metagenome than is present in the reference database. Methods for updating references from metagenome data sets may provide an opportunity for generating metagenome-specific references [38].

The approach presented here chooses arbitrarily between matches with equivalent numbers of contained k-mers. There are specific genomic circumstances where this approach could usefully be refined with additional criteria. For example, if a phage genome is present in the reference database, and is also present within one or more genomes in the database, it may desirable to select the match with the highest Jaccard *similarity* in order to choose the phage genome. This is algorithmically straightforward to implement when desired.

In light of the strong reference dependence of the min-set-cov approach together with the insensitivity of the FracMinHash technique, it may be useful to explore alternate methods of summarizing the list of overlapping genomes, that is, summarizing *all* the genomes in column 2 of Table 1. For example, a hierarchical approach could be taken to first identify the full list of overlapping genomes using FracMinHash at a low resolution, followed by a higher resolution approach to identify the best matching genomes.

Opportunities for future improvement of min-set-cov

There are a number of immediate opportunities for future improvement of the min-set-cov approach.

Implementing min-set-cov on top of FracMinHash means our approach may incorrectly choose between very closely related genomes, because the set of subsampled hashes chosen may not discriminate between them. Likewise, the potentially very large size of the sketches may inhibit the application of this approach to very large metagenomes.

These limitations are not intrinsic to min-set-cov, however; any data structure supporting both the *containment* $C(A, B) = \frac{|A \cap B|}{|A|}$ and *remove elements* operations can be used to implement the greedy approximation algorithm. For example, a simple *set* of the k-mer composition of the query supports element removal, and calculating containment can be done with regular set operations. Approximate membership query (AMQ) sketches like the Counting Quotient Filter [39] can also be used, with the benefit of reduced storage and memory usage.

In turn, this means that limitations of our current implementation, such as insensitivity to small genomes when s is approximately the same as the genome size, may be readily solvable with other sketch types.

There are other opportunities for improving on these initial explorations. The availability of abundance counts for each element in the FracMinHash is not well explored, since the process of *removing elements* from the query does not use them. This may be important for genomes with more repetitive content such as eukaryotic genomes.

Both the multiple match as well as the abundance counts issues can benefit from existing solutions taken by other methods, like the *species score* (for disambiguation) and *Expectation-Maximization* (for abundance analysis) approaches from Centrifuge [40].

Conclusion

The FracMinHash and min-set-cov approaches explored here provide powerful and accurate techniques for analyzing metagenomes, with well defined limitations. We show that several immediate applications for both taxonomic and mapping-based analysis of metagenomes are already effective. We provide an implementation of these approaches in robust open-source software, together with workflows to enable their practical use on large data sets. The approaches also offer many opportunities for further exploration and improvement with different data structures, alternative approximation algorithms, and additional summarization approaches.

Methods

Implementation of FracMinHash and min-set-cov

We provide implementations of FracMinHash and min-set-cov in the software package `sourmash`, which is implemented in Python and Rust and developed under the BSD license [41] (cite joss, zenodo latest version, github URL). FracMinHash sketches are created for DNA sequence inputs using the `sourmash sketch dna` command with the `scaled` parameter. Minimum metagenome covers are generated using `sourmash gather` with the sketched metagenome as query against a collection of one or more sketched genomes.

Comparison between CMash, mash screen, and Scaled MinHash.

Experiments use $k = \{21, 31, 51\}$ (except for Mash, which only supports $k \leq 32$). For Mash and CMash they were run with $n = \{1000, 10000\}$ to evaluate the containment estimates when using larger sketches with sizes comparable to the FracMinHash sketches with $scaled = 1000$. The truth set is calculated using an exact k-mer counter implemented with a *HashSet* data structure in the Rust programming language [**matsakis_rust_2014?**].

For *Mash Screen* the ratio of hashes matched by total hashes is used instead of the *Containment Score*, since the latter uses a k-mer survival process modeled as a Poisson process first introduced in [**fan_assembly_2015?**] and later used in the *Mash distance* [**ondov_mash: 2016?**] and *Containment score* [**ondov_mash 2019?**] formulations.

GenBank database sketching and searches

Minimum metagenome covers were calculated using a microbial genome subset of GenBank (date XYZ, number of genomes ZZZ) using a scaled factor of 2000 and a k-mer size of 31. Sketches for all genomes and metagenomes were calculated with `sourmash sketch dna -p scaled=2000,k=31`. The minimum metagenome covers were calculated using all genomes sharing 100 hashes with the metagenome (that is, an estimated overlap of 100,000 k-mers) with `sourmash gather --threshold-bp 1e5`. Overlapping sketches were saved with `--save-prefetch` and matches were saved with `--save-matches`.

The GenBank database used is XYZ GB in size and is available for download at ZZZ.

Taxonomy

Genome retrieval and mapping workflow

mapping

The complete workflow, from metagenome download to taxonomic analysis and iterative mapping, is implemented in the genome-grist package (version, doi, etc.). genome-grist uses snakemake (cite) to implement a workflow that combines sourmash sketching, metagenome cover calculation, and taxonomic analysis with metagenome download from the SRA, genome download from GenBank, and read mapping.

The summary results from genome-grist for this paper are available HERE.

Figures and notebooks for this paper.

Revised theoretical analysis of FracMinHash

Given two arbitrary sets A and B which are subsets of a domain Ω, the containment index $C(A, B)$ is defined as $C(A, B) := \frac{|A \cap B|}{|A|}$. Let h be a perfect hash function $h : \Omega \to [0, H]$ for some $H \in \mathbb{R}$. For a *scale factor* s where $0 \leq s \leq 1$, a FracMinHash sketch of a set A is defined as follows:

$$\mathbf{FRAC}_S(A) = \left\{ h(a) \mid \forall a \in A \text{ s.\,t. } h(a) \leq Hs \right\}.$$

The scale factor s is a tunable parameter that can modify the size of the sketch. Using this FracMinHash sketch, we define the FracMinHash estimate of the containment index $\hat{C}_{\text{frac}}(A, B)$ as follows:

$$\hat{C}_{\text{scale}}(A, B) := \frac{|\mathbf{FRAC}_S(A) \cap \mathbf{FRAC}_S(B)|}{|\mathbf{FRAC}_S(A)|}.$$

For notational simplicity, we define $X_A := |\mathbf{FRAC}_S(A)|$. Observe that if one views h as a uniformly distributed random variable, we have that X_A is distributed as a binomial random variable: $X_A \sim \text{Binom}(|A|, s)$. Furthermore, if $A \cap B = \emptyset$ where both A and B are non-empty sets, then X_A and X_B are independent when the probability of success is strictly smaller than 1. Using these notations, we compute the expectation of (equation).

For $0 < s < 1$, if A and B are two distinct sets such that $A \cap B$ is non-empty,

$$\color{red}{\E\left[\scaleb\mathbbm1_{|\mathbf{FRAC}_S(A)|>0}\right]} = \frac{|A \cap B|}{|A|}\left(1 - (1 - s)^{|A|}\right).$$

Using the notation introduced previously, observe that

$$\color{red}{\scaleb\mathbbm1_{|\mathbf{FRAC}_S(A)|>0}} = \frac{\color{red}{\X}}{\color{red}{\X + \Y}}\color{red}{\mathbbm1_{\X+\Y>0}},$$

and that the random variables $\X$ and $\Y$ are independent (which follows directly from the fact that $A \cap B$ is non-empty, and because A and B are distinct, $A \setminus B$ is also non-empty). We will use the following fact from standard calculus:

$$\int_0^1 xt^{x+y-1}\, dt = \frac{x}{x+y}\mathbbm{1}_{x+y>0}.$$

Then using the moment generating function of the binomial distribution, we have

```
\begin{align}
   \E\left[t^\X\right] &= (1-s+st)^{\vert A \cap B \vert}\\
   \E\left[t^\Y\right] &= (1-s+st)^{\vert A \setminus B \vert}.
\end{align}
We also know by continuity that
\begin{align}
   \E\left[\X \, t^{\X-1}\right] &= \frac{d}{dt} (1-s+st)^{\vert A \cap B \vert}\\
   &= \vert A\cap B \vert s (1-s+st)^{\vert A\cap B\vert-1}.
\end{align}
```

Using these observations, we can then finally calculate that

$$
\begin{aligned}
\E\left[\frac{\X}{\X + \Y}\mathbbm{1}_{\X+\Y>0},\right] &= \E\left[\int_0^1 \X\, t^{\X+\Y-1}\, dt\right]\\
&= \int_0^1 \E\left[\X\, t^{\X+\Y-1}\, dt\right]\\
&= \int_0^1 \E\left[\X\, t^{\X-1}\right]\E\left[t^{\Y}\right]\, dt\\
&= |A\cap B|\int_0^1 (1-s+st)^{|A\cap B|+|A\setminus B|-1}\, dt\\
&= \left.\frac{|A\cap B|(1-s+st)^{|A|}}{|A|}\right|_{t=0}^{t=1}\\
&= \frac{|A\cap B|}{|A|}\left(1-(1-s)^{|A|}\right),
\end{aligned}
$$

where Fubini's theorem is used in and independence in .

In light of (theorem), we note that is *not* an unbiased estimate of $C(A,B)$. This may explain the observations in (Luiz thesis) that showed the uncorrected version in (eqn) leads to suboptimal performance for short sequences (e.g viruses). However, for sufficiently large $|A|$ and s, the bias factor $\left(1-(1-s)^{|A|}\right)$ is sufficiently close to 1.

The expectation of $\scale$ follows directly from (equation) and (theorem).

For $0 < s < 1$, if A and B are two distinct sets such that $A \cap B$ is non-empty, the expectation of $\scale$ is given by

$$\E[\scale] = \frac{|A \cap B|}{|A|}.$$

Theoretical analysis of Scaled MinHash

Expectation

In this section, we aim to study how well

$$\scaleb := \frac{|\mathbf{SCALED}_s(A) \cap \mathbf{SCALED}_s(B)|}{|\mathbf{SCALED}_s(A)|}$$

approximates the containment index

$$C(A, B) := \frac{|A \cap B|}{|A|},$$

for two arbitrary sets A, B which are subsets of the domain Ω of the uniform hash function $h : \Omega \to [0, H]$. By rescaling, we can assume without loss of generality that $H = 1$ and $0 < s \le H$ in the definition

$$\mathbf{SCALED}_s(A) = \left\{ h(a) \mid \forall a \in A \text{ s.t. } h(a) \le \frac{H}{s} \right\}.$$

For notational simplicity, we define $X_A := |\mathbf{SCALED}_s(A)|$. Observe that if one views h as a uniformly distributed random variable, we have that X_A is distributed as a binomial random variable: $\mathrm{Binom}(|A|, s)$. Furthermore, if $A \cap B = \emptyset$, then X_A and X_B are independent. We then compute the expectation of .

Using these observations, we can then finally calculate that

[Math Processing Error]

In light of , we note that is not an unbiased estimate of , but for $|A|$ sufficiently large, the bias factor $\left(1 - (1 - s)^{|A|}\right)$ is sufficiently close to 1. Alternatively, if $|A|$ is known (or estimated, eg. by using HyperLogLog), then

$$\scale := \frac{|\mathbf{SCALED}_s(A) \cap \mathbf{SCALED}_s(B)|}{|\mathbf{SCALED}_s(A)| \left(1 - (1 - s)^{|A|}\right)} \mathbbm{1}_{|\mathbf{SCALED}_s(A)| > 0}$$

is an unbiased estimate of the containment index.

Variance

We can calculate the variance of $\scale$ directly from the associated multivariate probability mass function. Indeed, if we let $n = |A \cap B|$ and $m = |A \setminus B|$, since $X_{A \cap B} \sim \mathrm{Binom}(n, s)$ and $X_{A \setminus B} \sim \mathrm{Binom}(m, s)$ are independent, the probability mass function is:

$$f_{C_{\mathrm{scale}}}(k, l) = \binom{n}{k} \binom{m}{l} s^{p+k} (1 - s)^{m+n-k-l} \quad \text{for } k = 0, \dots, n, \text{ and } l = 0, \dots, m.$$

The variance of the unbiased estimator is then computed as:

$$\Var[\scale] = \E[\scale]^2 - \E\left[\scale^2\right]$$

$$= \frac{|A \cap B|^2}{|A|^2} - \left(1 - (1-s)^{|A|}\right)^{-2} \sum_{k=1}^{n} \sum_{l=0}^{m} \frac{k^2}{(k+l)^2} \binom{n}{k} \binom{m}{l} s^{k+l} (1-s)^{n+m-k-l}$$

Unfortunately, the double sum in appears to have no closed form representation. However, in practice, it is easily computed numerically when given particular values of m, n and s. A first order Taylor series approximation of the variance can be computed.

Proceeding in the same fashion, we can obtain second and third order approximations to the variance. Indeed, series approximations can be had to arbitrarily high order due to the binomial distribution having finite central moments of arbitrary order.

Asymptotic normality

To show asymptotic normality of $\scale$, we utilize the delta method combined with the De Moivre-Laplace theorem. Indeed, since

Confidence intervals and hypothesis tests

Recall that an {} of a distribution parameter s, is an interval which contains s with limiting probability $1 - \alpha$. Closely related, an {} is an interval that contains a limiting random variable with probability $1 - \alpha$. We will omit the word approximate" in the rest of the paper, for brevity and also use the notation $X \in x \pm y$ to mean $X \in [x - y, x + y]$. Finally, for $0 < \alpha < 1$, we let $z_\alpha = \Phi^{-1}(1 - \alpha/2)$, where Φ^{-1} is the inverse of the cumulative distribution function of the standard normal distribution.

Other stuff

This section is a collection of other observations that might be useful.

First, there is a lot of theory about ratios of independent random variables. Here, however, we have a ratio of correlated random variables, but we do know their covariance.

Interestingly, this means that the covariance doesn't depend on $\Y$ at all, but rather $\Cov(\X, \X + \Y) = \Cov(\X, \X) = \Var(\X)$.

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Scaled MinHash sketches support efficient indexing for large-scale containment queries

CTB: Additional points to raise:

- in-memory representation of sketches may be too big (!!), goal here is on disk storage/low minimum memory for "extremely large data" situation.
- Also/in addition, want ability to do incremental loading of things.
- Note we are not talking here about situations where the indices themselves are too big to download.
- I think rename LCA to revindex. Or make up a new name.

We provide two index data structures for rapid estimation of containment in large databases. The first, the MinHash Bloom Tree (MHBT), is a specialization of the Sequence Bloom Tree [**solomon_fast_2016?**], and implements a k-mer aggregative method with explicit representation of datasets based on hierarchical indices. The second is LCA, an inverted index into sketches, a color-aggregative method with implicit representation of the sketches.

We evaluated the MHBT and LCA databases by constructing and searching a GenBank snapshot from July 18, 2020, containing 725,331 assembled genomes (5,282 Archaea, 673,414 Bacteria, 6,601 Fungi 933 Protozoa and 39,101 Viral). MHBT indices were built with $scaled = 1000$, and LCA indices used $scaled = 10000$. Table 2 shows the indexing results for the LCA index, and Table 3 for the MHBT index.

Table 2: Results for LCA indexing, with $scaled = 10000$ and $k = 21$.

Domain	Runtime (s)	Memory (MB)	Size (MB)
Viral	57	33	2
Archaea	58	30	5
Protozoa	231	3	17
Fungi	999	3	65
Bacteria	12,717	857	446

Table 3: Results for MHBT indexing, with $scaled = 1000$, $k = 21$ and internal nodes (Bloom Filters) using 10000 slots for storage.

Domain	Runtime (s)	Memory (MB)	Size (MB)
Viral	126	326	77
Archaea	111	217	100
Protozoa	206	753	302
Fungi	1,161	3,364	1,585
Bacteria	32,576	47,445	24,639

Index sizes are more affected by the number of genomes inserted than the individual *Scaled MinHash* sizes. Despite Protozoan and Fungal *Scaled MinHash* sketches being larger individually, the Bacterial indices are an order of magnitude larger for both indices since they contain two orders of magnitude more genomes.

Comparing between LCA and MHBT index sizes must account for their different scaled parameters, but as shown in Chapter [1] a *Scaled MinHash* with $scaled = 1000$ when downsampled to $scaled = 10000$ is expected to be ten times smaller. Even so, MHBT indices are more than ten times larger than their LCA counterparts, since they store extra caching information (the internal nodes) to avoid loading all the data to memory during search. LCA indices also contain extra data (the list of datasets containing a hash), but this is lower than the storage requirements for the MHBT internal nodes.

We next executed similarity searches on each database using appropriate queries for each domain. All queries were selected from the relevant domain and queried against both MHBT ($scaled = 1000$) and LCA ($scaled = 10000$), for $k = 21$.

Table 4: Running time in seconds for similarity search using LCA ($scaled = 10000$) and MHBT ($scaled = 1000$) indices.

	Viral	Archaea	Protozoa	Fungi	Bacteria
LCA	1.06	1.42	5.40	26.92	231.26
SBT	1.32	3.77	43.51	244.77	3,185.88

Table 5: Memory consumption in megabytes for similarity search using LCA ($scaled = 10000$) and MHBT ($scaled = 1000$) indices.

	Viral	Archaea	Protozoa	Fungi	Bacteria
LCA	223	240	798	3,274	20,926
SBT	163	125	332	1,656	2,290

Table [4] shows running time for both indices. For small indices (Viral and Archaea) the LCA running time is dominated by loading the index in memory, but for larger indices the cost is amortized due to the faster running times. This situation is clearer for the Bacteria indices, where the LCA search completes in 3 minutes and 51 seconds, while the SBT search takes 54 minutes.

When comparing memory consumption, the situation is reversed. Table [5] shows how the LCA index consistently uses twice the memory for all domains, but for larger indices like Bacteria it uses as much as 10 times the memory as the MHBT index for the same data.

For both runtime and memory consumption, it is worth pointing that the LCA index is a tenth of the data indexed by the MHBT. This highlights the trade-off between speed and memory consumption for both approaches, especially for larger indices.

Notes: * new genomes can be added quickly to SBT.

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1. In our current implementation in `sourmash`, when equivalent matches are available for a given rank, a match is chosen at random. This is an implementation decision that is not intrinsic to the algorithm itself.↩