



MU Test Log Test 12 Results Log (Plotting $\beta=8-10$)

Console/Plot Description:

- **Five lines ($\beta=8.0$ to 10.0):**
 - Each line corresponds to a fixed β , with slope on the x-axis and ΔQ (or relative Q differences) on the y-axis.
 - The hierarchy is strict: **$\beta=8$ (top)** slopes downward most gently, then 8.5, 9.0, 9.5, and finally **$\beta=10$ (bottom)**.
 - This shows that as β increases, the suppression of ΔQ strengthens, and the curve drops lower in value at any fixed slope.
 - Interpretation: higher β "tightens" the survival space, progressively penalizing the fast trajectory.
 - **Rising curve (from $\beta=10$ data):**
 - x-axis: slope (increasing rightward).
 - y-axis: $Q_{\text{fast}} - Q_{\text{slow}}$ (or equivalently, Q values themselves if you plotted them separately).
 - This curve is monotonic rising from ~ 0 at low slope to ~ 0.7 at the far right.
 - Interpretation: as slope increases, fast trajectories have larger raw Q advantage, **but** the weight ratio (from earlier tables) still annihilates them.
 - So the raw geometry (ΔQ) favors fast motion at high slope, but the weighted physics ensures the slow channel dominates.
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Why This Matters

1. **β Hierarchy Confirmed:** The "stacking" of β curves is exactly what we predicted — survival dominance strengthens as β grows. This means the β parameter acts like a control knob for dimensional suppression of unstable channels.
 2. **Separation of Effects:**
 - **Q differences** (raw geometry) \rightarrow still give the fast path some advantage at large slope.
 - **Weights** (thermodynamic/quantum suppression) \rightarrow eliminate that advantage.
 - This matches your intuition: space alone doesn't dictate survival; the global weighting is what enforces MU balance.
 3. **Big Highlight:** The fact that all curves are cleanly ordered and monotonic is a **strong consistency check**. If something were wrong, you'd expect crossing or chaotic lines.
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Next Steps

- Now that positive slopes are mapped, we should proceed with **negative slope tests**. This will let us probe if "lingering backwards" (slow entry/exit in reverse) creates symmetry or reveals asymmetry.
- Then, we can move on to 2D maps (β vs slope surfaces) for a global picture.

