# Experiments

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### 1 Datasets

I define the following set of languages:

Name	$Numeric\ leaves$	Example
$L_2$	2	$(x_1 \ op \ x_1)$
$L_3$	3	$((x_1 op x_2) op x_3)$
$L_4$	4	$((x_1 \ op \ x_2) \ op \ (x_3 \ op \ x_4))$

Where  $x_i \in \{-19, 19\}$ , and  $op \in \{+, -\}$ . The meaning y of e sentences is the result of the arithmetic expression expressed by the language. We restrict the languages to include only expressions such that  $y \in \{-60, 60\}$ .

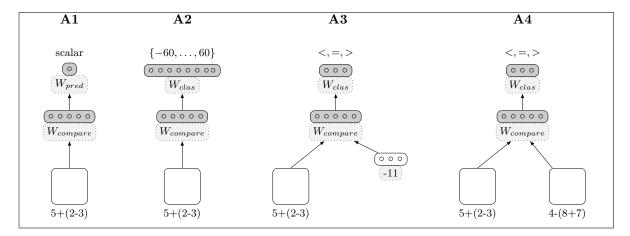
We define the following subsets of the languages defined above:

Name	Restriction	Example	
$L_i$ +	op == +	$(.(.(x_1+x_2)+\ldots x_i)$	Structurally non ambiguous
$L_i$	op == -	$(.(.(x_1-x_2)-\ldots x_i)$	
$L_i$ rb	only right branching trees	$(.(.(x_1 op x_2) op x_3) op \ldots x_i)$	Structurally non ambiguous
$L_i$ lb	only left branching trees	$(x_1 \ op \ (x_2 \ op \ (\dots \ op \ (x_{i-1} \ op \ x_i))))$	Structurally non ambiguous

The datasets that the networks will be trained and tested on are (subsets of) unions of the languages described above.

### 2 Architectures

I use four different architectures (explanation?):



### 3 Experiments

I will start by running a sequence of experiments to determine if the networks can learn to compose the meaning of sentences from the structurally non ambiguous languages  $L_2$ ,  $L_3+$ ,  $L_3lb$  and  $L_3rb$ . Depending on the results I will move on to more complicated languages In principle, I would like to do all (possible) combinations that can be made by combining elements from the following table, <sup>1</sup> starting with architectures A1 and A2 and then expanding to A3 and A4.

Network	Language	Architecture	Dimensionality	Initialisation	Embeddings
SRN	$L_2$	A1	10	Random	fixed
GRU	$L_3+$	A2	6	Gray	trained
LSTM		A3	2	one-hot?	
	$L_3rb$	A4			
	$L_3lb$				

## 4 More concrete plan

Wat moet ik doen?

- Generate datasets (or think of how to do that on the fly)
- Implement architectures
- $\bullet\,$  Train networks and plot results

 $<sup>^{1}\</sup>mathrm{Of}$  course excluding non-sensical combinations, such as Gray encoding in two dimennions