Deep Learning History and Building blocks

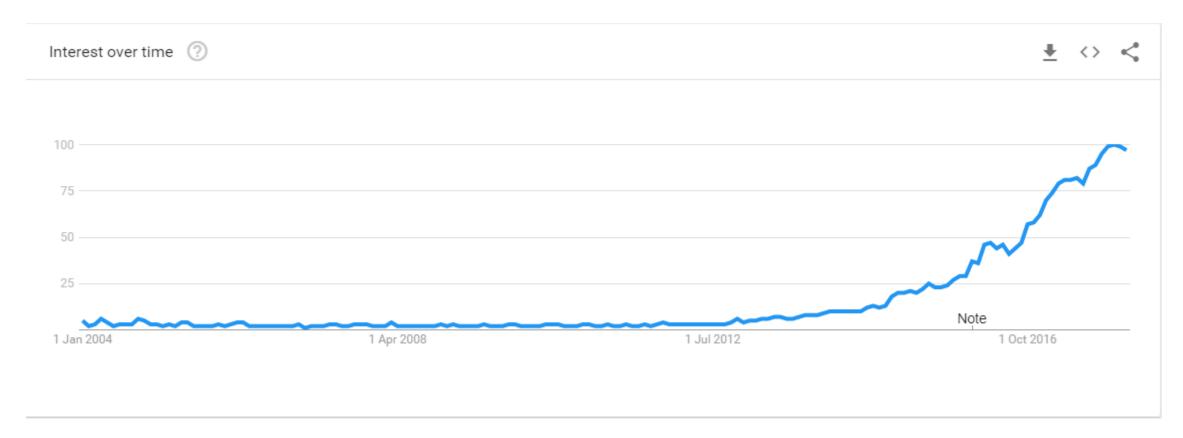
Adrien Foucart

INFO-H-501

Deep Learning: History and Building blocks

- What is "Deep Learning" and where does it come from ?
- Deep Learning for Image Analysis: the basics
- Building blocks
- Examples & practical overview

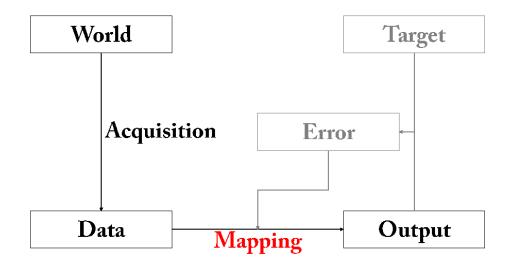
A recent technology?



"Deep Learning" interest over time (from Google Trends)

First: what is "learning"?

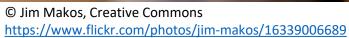
- Transfer of knowledge ("supervised learning")
- Experience ("unsupervised learning")
- → using available data to do a certain task and/or produce a desired output.



Humans are great at learning

Using vision/touch to grab an object and do something with it.







Computers are great at... computing?

Tasks where computers have been better than humans for a while:

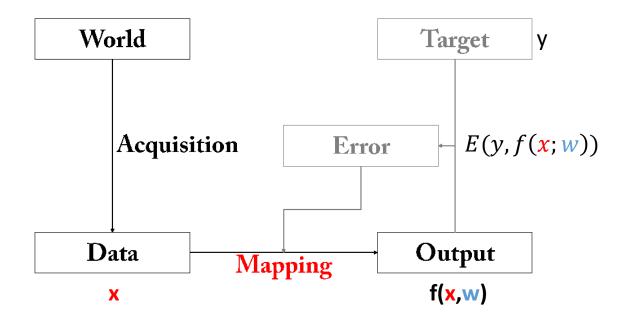
- Inverting a large matrix
- Solving numerical equations
- Chess

→ Problems which are **easy to formalize** but **hard to solve**.



Deep Blue v Kasparov, 1997 Adam Nadel/AP Images

For a computer, learning is solving an optimization problem.

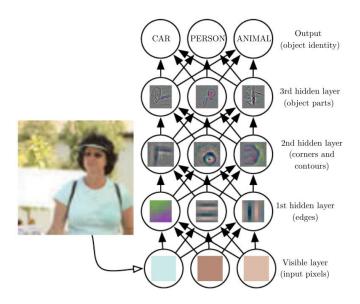


Expert system	Raw Data	Hand-crafted features		Hand-crafted decision process		Output
"Classic" Machine Learning	Raw Data	Hand-crafted features		Machine Learning algorithm with learned parameters		Output
Representation Learning	Raw Data	Learned features (e.g. Autoencoder, PCA)		Machine Learning algorithm with learned parameters		Output
Deep Learning	Raw Data	Learned Low-Level Features			Learned High-Level Features	Output

Learning by **layers of abstraction** (complex features built on simple features).

Learning directly from the input.

Learning mechanism more similar to the human brain.



M.D. Zeiler and R. Fergus. *Visualizing and understanding convolutional networks*. ECCV'14.

The "artificial human brain" is an old idea.

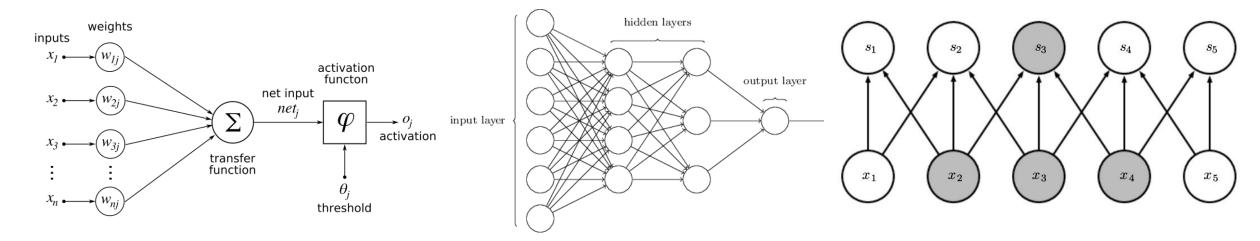
19th century: discovery of the neuron (Schwann, Purkinje, Ramon y Cajal...)

1940s-1950s: Perceptron (McCulloch & Pitts, Rosenblatt...)

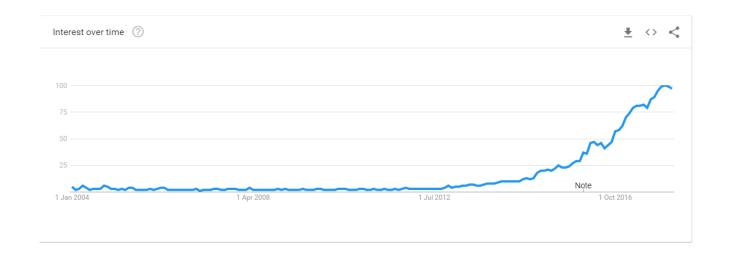
1950s-1960s: Multi-Layer Perceptrons (Ivakhnenko...)

• • •

1980s-1990s: Convolutional networks (Fukushima, LeCun...), backpropagation (Werbos, LeCun...), LSTMs (Schmidhuber...)



Neural networks: an **interesting** idea, but not very **practical**...



...until recently.

The Deep Learning invasion:





ImageNet Large Scale Visual Recognition Challenge



ILSVRC top-5 error on ImageNet

22.5

15

7.5

0 2010 2011 2012 2013 2014 Human ArXiv 2015

Q. Le et al. Building high-level features using large-scale unsupervised learning. ICML, 2012.

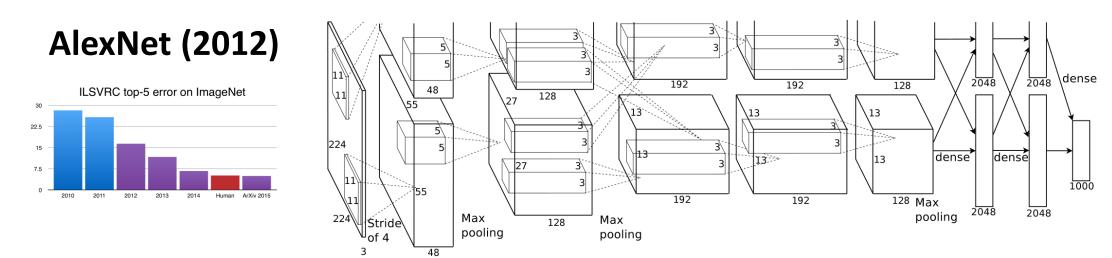
RED STAFF SCIENCE 06.26.12 11:15 AM

GOOGLE'S ARTIFICIAL BRAIN LEARNS TO FIND CAT VIDEOS

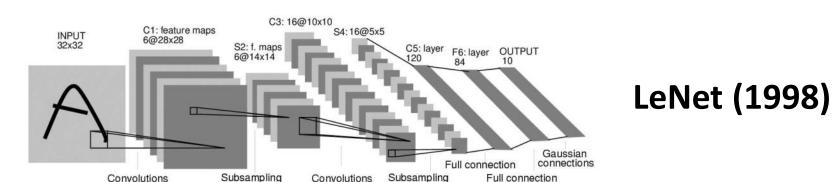


By Liat Clark, Wired UK

When computer scientists at Google's mysterious X lab built a neural network of 16,000 computer processors with one billion connections and let it browse YouTube, it did what many web users might do – it began to look for cats.



A. Krizhevsky et al., ImageNet Classification with Deep Convolutional Neural Networks. In NIPS, 2012



Y. LeCun et al., Gradient-Based Learning Applied to Document Recognition, Proc. of the IEEE, November 1998.

An "invasion" driven by:

- More computing power
- Bigger datasets

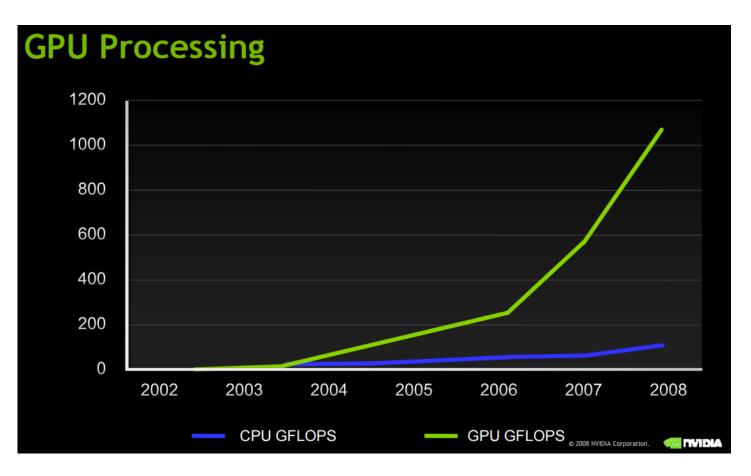
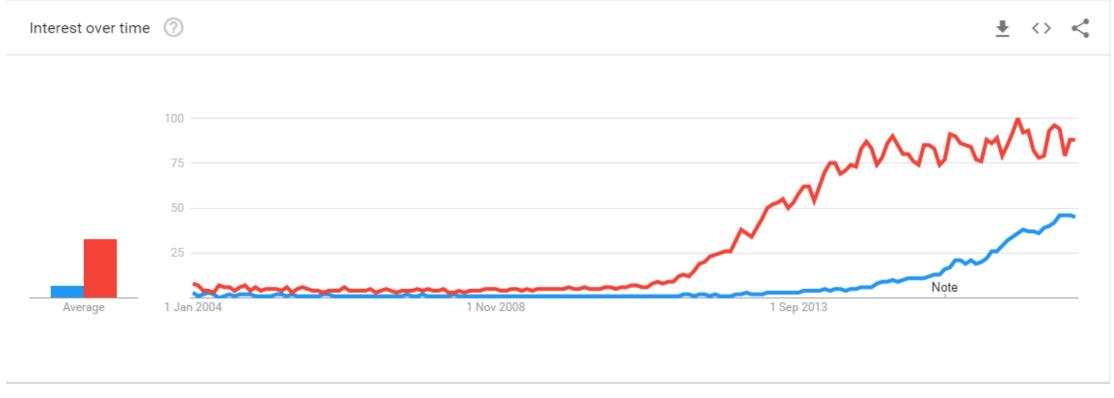


Image: NVIDIDA

Deep Learning needs Big Data

Deep Learning methods require to optimize a function in a very high-dimensional space. This in turn requires a large dataset.

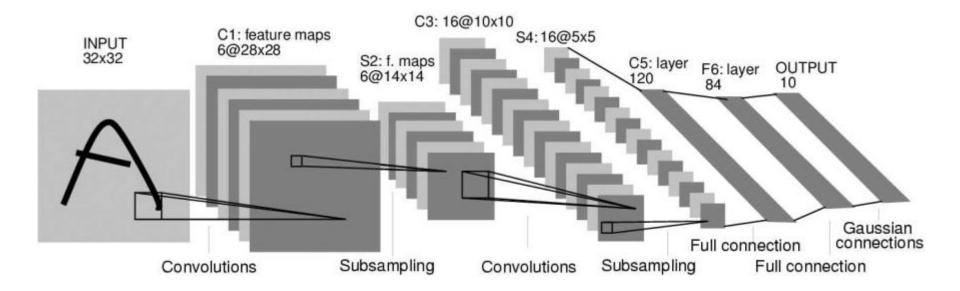


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Deep Learning for Image Analysis

Deep **neural networks** with **convolutional layers** and **fully-connected layers** (or not).

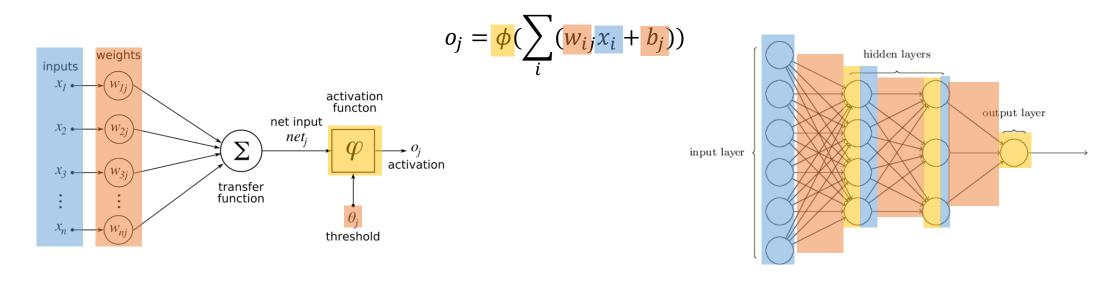


Y. LeCun et al., Gradient-Based Learning Applied to Document Recognition, Proc. of the IEEE, November 1998.

Fully Connected Layers (= MLP)

A **neuron** is defined by its **inputs** (incoming connections), its **weights**, and its **activation** function.

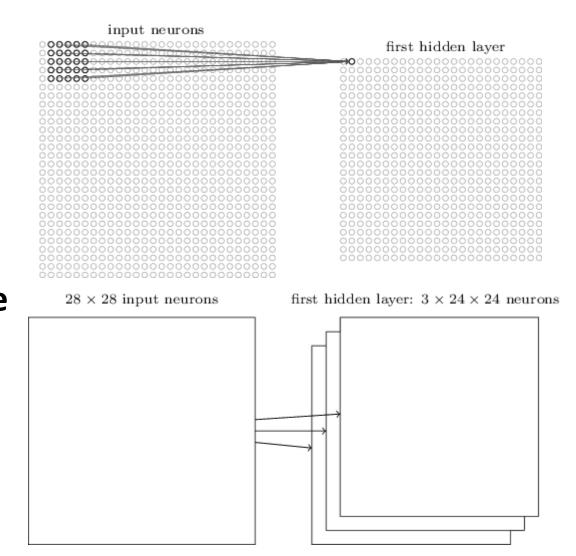
In a **fully-connected** layer, all outputs from layer n-1 are inputs of layer n.



In a convolutional layer, connections are only made in a local receptive field.

$$o_{l,m} = \phi(\sum_{ij} (w_{ij}x_{l+i,m+j} + b_{l,m}))$$

All neurons from the same **feature map** share the **same weights**. The feature maps are the result of the convolution of the input image by the weights of the connections.

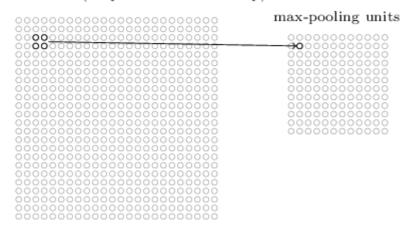


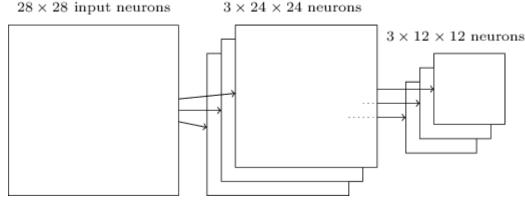
Why convolutional layers?

- Less parameters (→ faster convergence).
- Spatial relationships preserved.
- « It's how vision works in our brains » (if we oversimplify it a lot).
- It gives really good results in computer vision problems.

Convolutional layers are often used in conjunction with pooling layers.

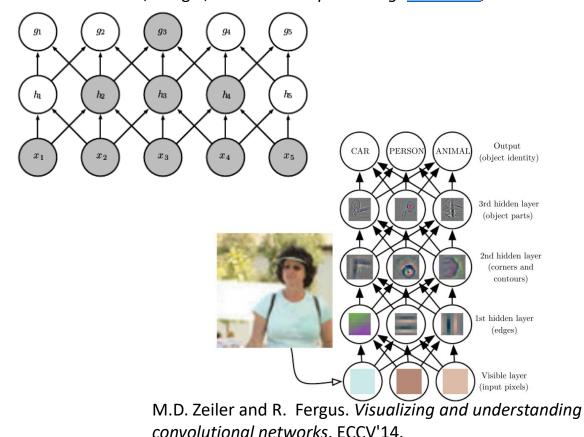
hidden neurons (output from feature map)



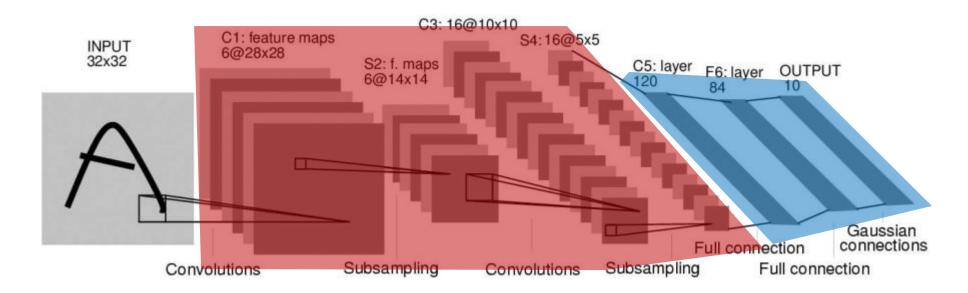


Michael Nielsen, http://neuralnetworksanddeeplearning.com/chap6.html

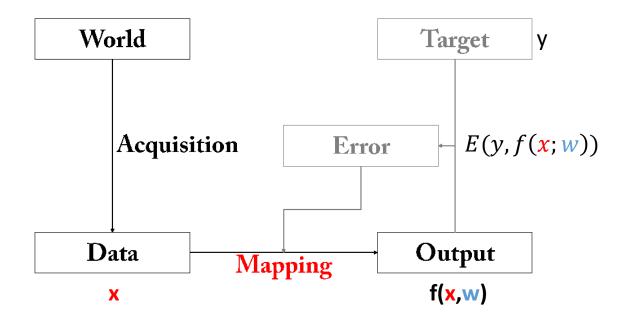
Goodfellow, Bengio, Courville. Deep Learning. MIT Press, 2016.



Convolutional layers and **pooling** layers form the **feature learning** part of the architecture. The features are then used by **fully connected** layers to obtain the **classification output**.



Learning is an **optimization problem**. The most common method to solve these problems is **gradient descent**.



Given the error function E: E(y, f(x; w))

Compute gradients relative to weights: $\frac{\partial E}{\partial w}$

Update weights: $w \leftarrow w - \eta \frac{\partial E}{\partial w}$

This local minimum performs nearly as well as the global one, so it is an acceptable halting point.

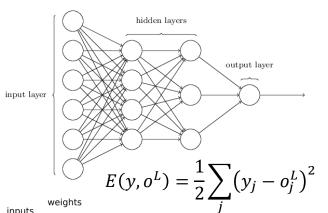
Ideally, we would like to arrive at the global minimum, but this might not be possible.

This local minimum performs poorly, and should be avoided.

Goodfellow, Bengio, Courville. Deep Learning. MIT Press, 2016.

Problem: how do we compute those gradients?

$$w \leftarrow w - \eta \frac{\partial E}{\partial w}$$
? input layer



Compute error of the **output layer neurons**:

$$\delta_{j}^{l} = \frac{\partial E}{\partial net_{j}^{l}} = \frac{\partial E}{\partial o_{j}^{L}} \frac{\partial o_{j}^{L}}{\partial net_{j}^{l}} = \frac{\partial E}{\partial o_{j}^{L}} \phi'(net_{j}^{L})$$

Back-propagate error to previous layers:

$$\delta_j^l = \sum_i w_{j,i}^{l+1} \delta_i^{l+1} \phi'(net_j^l)$$

$net_j^l = \sum_i (w_{i,j}o_j^{l-1} + \theta_j^l)$ $o_j^l = \phi(net_j^l)$

Compute gradient relative to weights and biases:

$$\frac{\partial E}{\partial \theta_j^l} = \frac{\partial E}{\partial net_j^l} \frac{\partial net_j^l}{\partial \theta_j^l} = \delta_j^l. 1$$

$$\frac{\partial E}{\partial \theta_j^l} = \frac{\partial E}{\partial net_j^l} \frac{\partial net_j^l}{\partial \theta_j^l} = \delta_j^l.1 \qquad \qquad \frac{\partial E}{\partial w_{i,j}^l} = \frac{\partial E}{\partial net_j^l} \frac{\partial net_j^l}{\partial w_{i,j}^l} = \delta_j^l o_j^{l-1}$$

$$w \leftarrow w - \eta \frac{\partial E}{\partial w}$$

$$\theta \leftarrow \theta - \eta \frac{\partial E}{\partial \theta}$$

If we have many layers, the gradient in the first layers will have terms like: $w^{l+1}w^{l+2}w^{l+3} \dots w^{l+n} \phi'(net^l)\phi'(net^{l+1})\phi'(net^{l+2}) \dots \phi'(net^{l+n-1})$

If the weights are < 1 and/or the derivative of the activation function is < 1, those terms will all be very close to zero. This is known as the vanishing gradients problem, and it can prevent networks from learning.

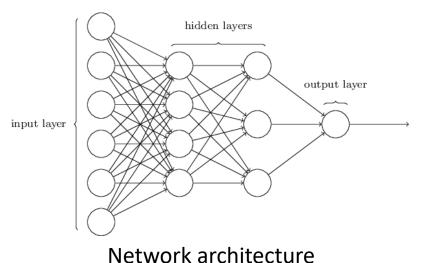
Solutions to the **vanishing gradient**:

- More data, more GPU, more time.
- Activation functions.
- Network architectures.
- Weight initialization, optimization algorithm...

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The Deep Learning Toolbox



Perceptron Perceptron Linear Adaline, linear Support vector Logistic (sigmoid) Multi-layer (Rectified Linear

 $E(y, f(\mathbf{x}; w)) = ?$

Activation functions

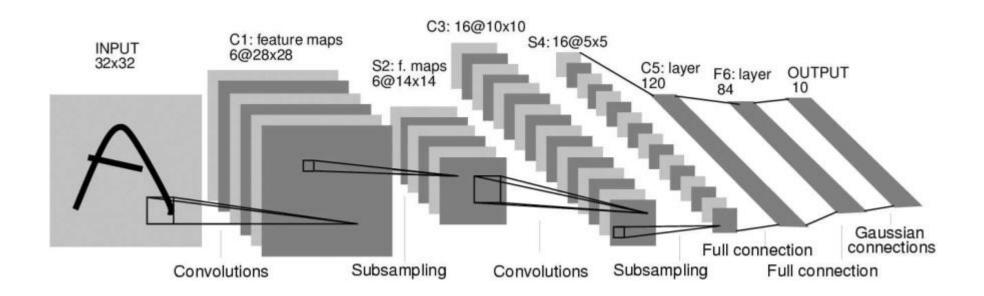
Cost function

+ Regularization, initialization, optimization...

Input = 2D images

Output = Classification

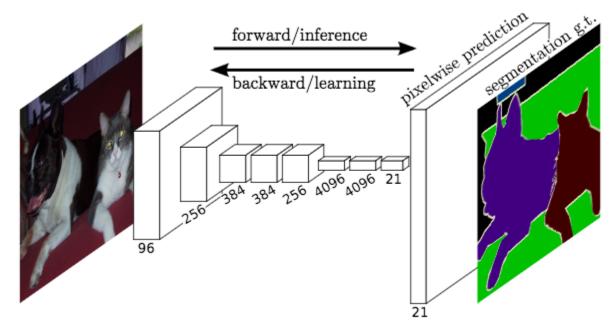
Convolutions + MaxPooling + Fully-Connected



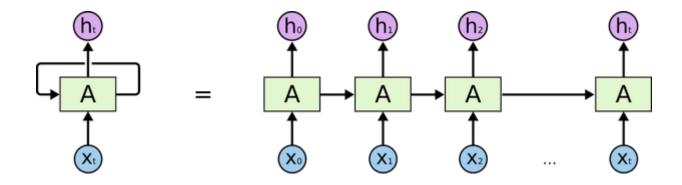
Input = 2D images

Output = Segmentation or Image

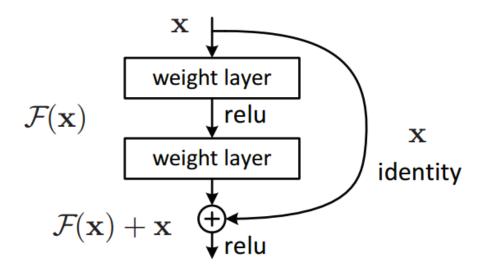
Fully-convolutional network: convolutions + maxpooling + upsampling



Input = Data + Time Recurrent Network / LSTM



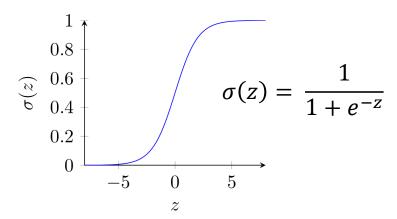
Shortcuts through the network (e.g. Residual Units) -> faster convergence, less vanishing gradients.



Activation functions

The classic: sigmoid function.

→ "soft threshold"



- Small gradients (Derivative <= 0.25)
- Small "active" zone

Most common today: ReLU

$$ReLU(z) = \max(0, z)$$

$$0$$

$$-4$$

$$-2$$

$$0$$

$$2$$

$$4$$

- Derivative = 0 or 1
- Very fast to compute

Output layer: softmax.

→ logistic regression

$$\rightarrow 0 \le y \le 1$$
 and $\sum_i y_i = 1$

$$y_i(x) = \frac{e^{x_i}}{\sum_j e^{x_j}}$$

Cost functions

Mean Square Error (if output = "image" -> regression problem)

$$E(y, f(\mathbf{x}; \mathbf{w})) = -\frac{1}{2} \sum (y - f)^2$$

Cross-entropy (if output = logits/probabilities)

$$E(y, f(x; w)) = \sum f. log(y)$$

Can be more complex: weighted cross-entropy, multiple outputs/costs, etc...

+ Regularization

Regularization

Goal → prevent overfitting

• In the cost function: L1 (sparsity) or L2 (small weights) norm.

$$E^*(y, f(\mathbf{x}; \mathbf{w})) = E + \alpha \sum_{k=1}^{\infty} \frac{1}{k} |w_k| \qquad E^*(y, f(\mathbf{x}; \mathbf{w})) = E + \alpha \sum_{k=1}^{\infty} w_k^2$$

- In the dataset (data augmentation)
- In the architecture (dropout)
- In the optimization process (early stopping)

Initialization and stopping

What should be the initial values of the weights and biases?

- Small and random.
- Depend on the number of inputs & outputs
- E.g. Xavier Initializer, Variance Scaling Initializer...

When do we **stop the** optimization process?

(Cross-)validation: when the validation accuracy stops rising.

Optimization

Variations on **gradient descent**:

Momentums

$$w \leftarrow w - \eta \frac{\partial E}{\partial w} + \dots$$

Adaptive learning rate

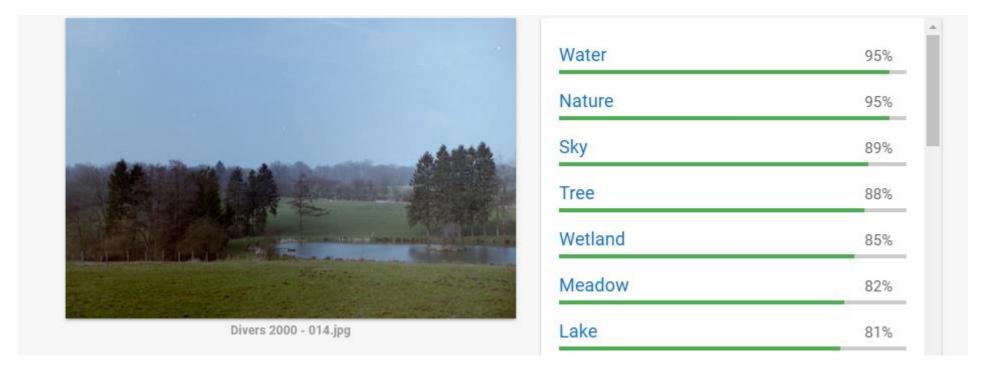
e.g. Adam, AdaDelta...

A good **initial learning rate** is very important to make sure that the network can learn. If it's too low, the weights will not change; if it's too high, it may quickly get stuck. For most networks, $\eta = 10^{-4}$ is a good bet.

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Example: Image classification / detection



https://cloud.google.com/vision/

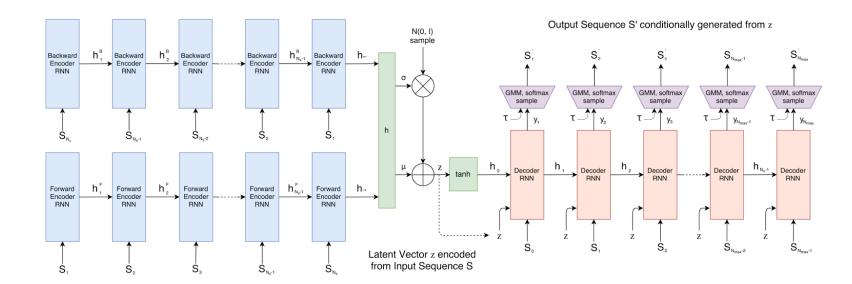
Input = image
Output = class detection probabilities
Convolutions + fully-connected layers

Example: Sketch generation

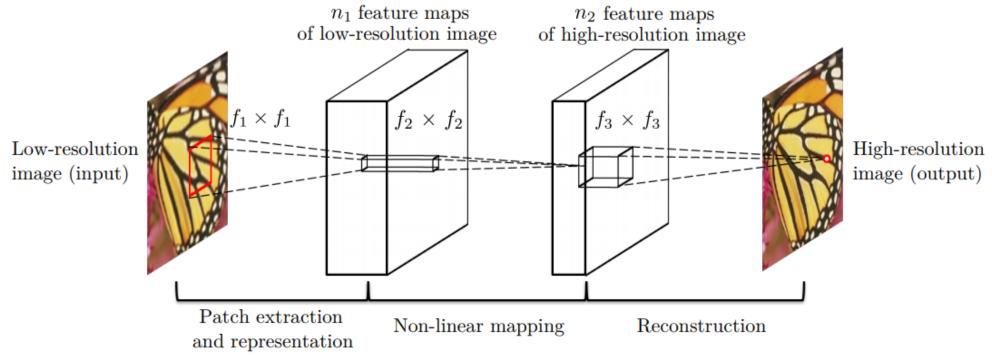
Input = sequence of vectors

Output = sequence of vectors

RNN



Example: Super-Resolution

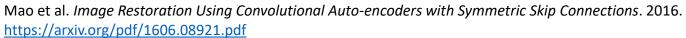


Dong et al. Image Super-Resolution Using Deep Convolutional Networks. 2015. https://arxiv.org/abs/1501.00092

Input = low-resolution image
Output = high-resolution image
Fully-convolutional network

Example: Denoising/Inpainting





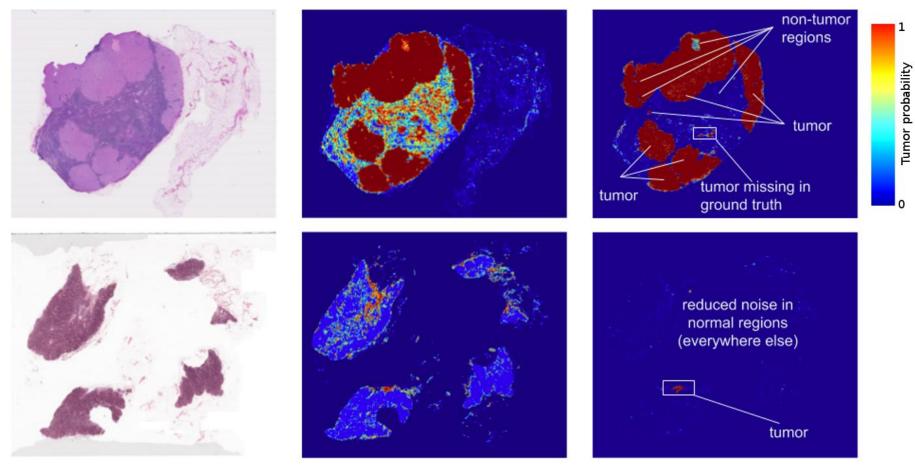


Deep Fill Result:

https://www.dpreview.com/news/2758068086/adobe-s-project-deep-fill-is-an-incredible-ai-powered-content-aware-fill

Input = noisy image
Output = "clean" image
Fully-convolutional network

Example: Tumour segmentation



Input = image patches

https://research.googleblog.com/2017/03/assisting-pathologists-in-detecting.html

Output = full image segmentation probability map

Convolutions + fully-connected per patch with "sliding window"

Example: Image segmentation

Full-Resolution Residual Networks for Semantic Segmentation in Street Scenes

Tobias Pohlen, Alexander Hermans, Markus Mathias, Bastian Leibe

Visual Computing Institute, Computer Vision Group RWTH Aachen University





Input = images

Output = pixel multi-class segmentation

Fully-convolutional network w/ residual units

https://www.youtube.com/watch?v=PNzQ4PNZSzc

https://arxiv.org/pdf/1611.08323.pdf

The pros and cons of Deep Learning

- Lots of ressources necessary
- Lots of data necessary
- Difficult to interpret the parameters ("black box" effect)
- Difficult to find "the best way to approach a problem"
- Takes a lot of time to train

- + Works really, really well!
- + Solves problems which are difficult to approach with traditional methods.
- + Able to generalize well from difficult datasets.

Further reading...

Michael Nielsen. *Neural Networks and Deep Learning*. Online book. http://neuralnetworksanddeeplearning.com/

Goodfellow et al. Deep Learning. MIT Press. http://www.deeplearningbook.org/

Jürgen Schmidhuber. *Deep learning in neural networks: An overview*. Neural Networks, 2014. https://www.sciencedirect.com/science/article/pii/S0893608014002135

LeCun, Bengio and Hinton. *Deep learning*. Nature, 2015. https://www.nature.com/articles/nature14539

Sze, Chen, Yang and Elmer. *Efficient Processing of Deep Neural Networks: a Tutorial and Survey*. 2017. https://arxiv.org/abs/1703.09039

Zeiler and Fergus. *Visualizing and Understanding Convolutional Networks*. 2013. https://arxiv.org/abs/1311.2901

Practical overview

theano



Caffe





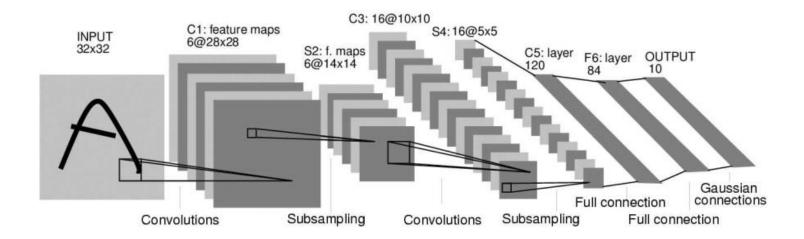
Low-level libraries: creating the network from the base mathematical operations.

High-level libraries: defining the network architecture using standard blocks

All: GPU optimization

Practical overview





```
1  X = tf.placeholder(tf.float32, [None, 32, 32], name='input')
2  Y = tf.placeholder(tf.float32, [None, 10], name='target')
3
4  net = tf.layers.conv2d(X, 6, 5, activation=tf.nn.tanh)
5  net = tf.layers.max_pool2d(net, 2, 2)
6  net = tf.layers.conv2d(net, 16, 5, activationn=tf.nn.tanh)
7  net = tf.layers.max_pool2d(net, 2, 2)
8  net = tf.reshape(net, [-1, int(np.prod(net.get_shape()[1:]))])
9  net = tf.layers.dense(net, 120, activation=tf.nn.tanh)
10  net = tf.layers.dense(net, 84, activation=tf.nn.tanh)
11  net = tf.layers.dense(net, 10, activation=tf.nn.tanh)
```

Practical overview

```
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11  net = tf.layers.dense(net, 10, activation=tf.nn.tanh)
```

```
loss = tf.reduce_sum(tf.nn.softmax_cross_entropy_with_logits(logits=net, labels=Y))
optimizer = tf.train.GradientDescentOptimizer(1e-4)
trainingStep = optimizer.minimize(loss)
```

```
for e in range(N_EPOCHS):
    for data_x,data_y in DATASET:
        trainingStep.run(session=sess, feed_dict={X: data_x, Y: data_y})
```

```
net.eval(session=sess, feed_dict={X: test_x})
```

To conclude

Deep Learning is still Machine Learning. Setting up a good Machine Learning / Image analysis workflow often remains the most important & difficult part of the process.

- Good handling of the dataset (training / validation / test)
- Pre-processing & post-processing if necessary
- Loss function adapted to the problem you're trying to solve.