

Introduction to Machine Learning

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SHUFE, SIME

Machine Learning and Deep Learning

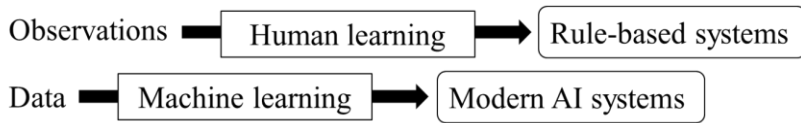
Outline

What is Machine Learning

Practical Applications of Machine Learning

What is Machine Learning

- Rule-based systems VS Learning-based systems

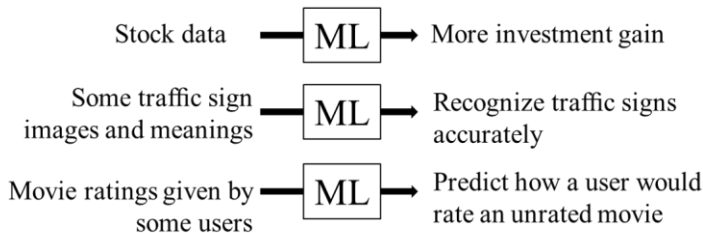


- Issues with rule-based systems
 - Very labor intensive to build.
 - Only work very well for areas they cover.
 - Don't naturally handle uncertainty.

Disappointment in expert systems (late 80s / early 90s) led to an “AI Winter”.

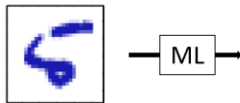
Formal Definition

A computer program is said to learn from *experience* E with respect to *some class of tasks* T and *performance measures* P , if its performance at tasks in T , as measured by P , improved with E .



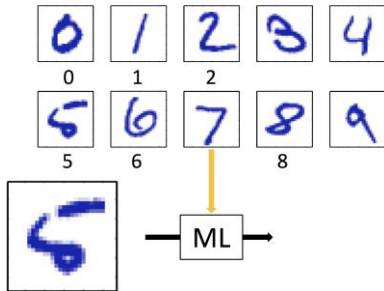
Terminologies

- **About *Data***
 - Instance / Sample
 - Attribute / Feature
 - Feature vector
 - Feature space / Input space
 - Label
 - Label space / Output space



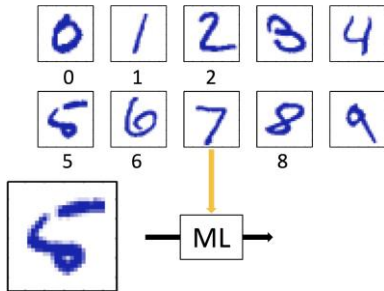
Terminologies

- **About *session***
- Training/Learning
- Testing



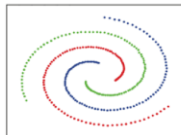
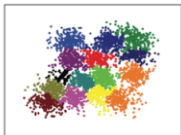
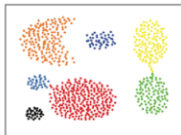
Terminologies

- About *task*
- Classification
- Regression



Terminologies

- About *task*
- Clustering



Terminologies

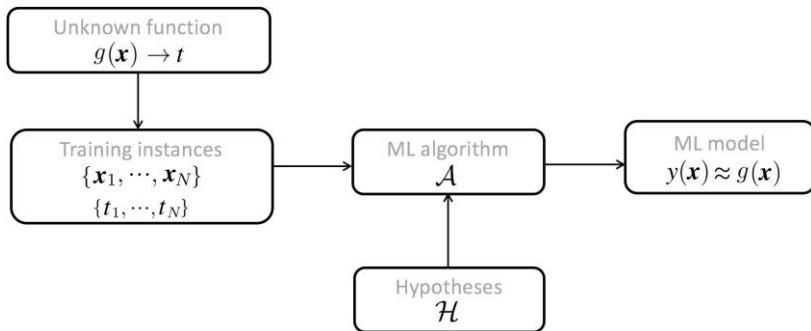
- **About *learning***
 - Supervised learning
 - Unsupervised learning
 - Semi-supervised learning
 - Transfer learning
 - Life-long learning

Terminologies

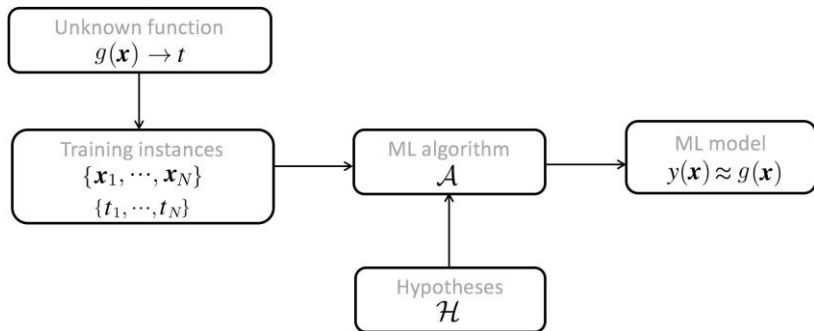
- **About *learning***
- Reinforcement learning



How (Supervised) ML Works



Empirical Risk Minimization



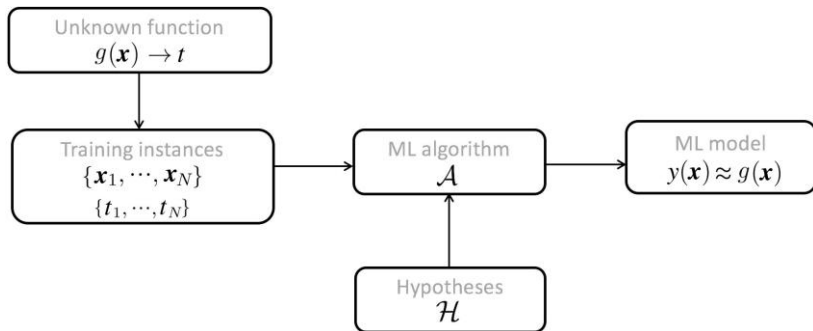
- Loss function

$$L(t, y(\mathbf{x}))$$

- Expected risk

$$\mathbb{E}[L] = \iint L(t, y(\mathbf{x})) p(\mathbf{x}, t) d\mathbf{x} dt$$

Empirical Risk Minimization



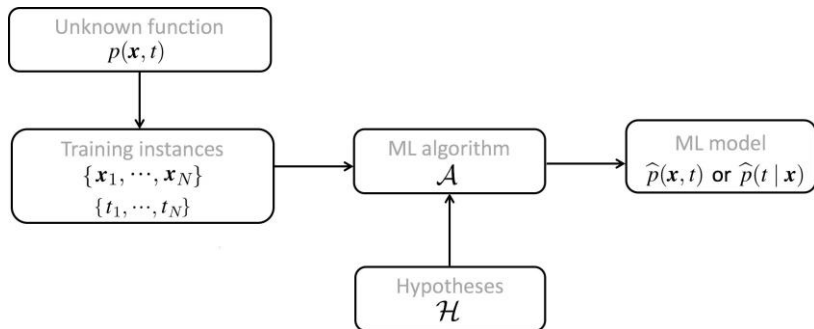
- Empirical risk

$$E = \sum_{n=1}^N L(t_n, y(\mathbf{x}_n))$$

- Empirical risk minimization

$$y^* = \arg \min_y E$$

Decision Theory (for Regression)



$$L(t, y(\mathbf{x})) = \{y(\mathbf{x}) - t\}^2$$

$$\mathbb{E}[L] = \iint \{y(\mathbf{x}) - t\}^2 p(\mathbf{x}, t) d\mathbf{x} dt$$

$$\frac{\partial \mathbb{E}[L]}{\partial y(\mathbf{x})} = 2 \int \{y(\mathbf{x}) - t\} p(\mathbf{x}, t) dt = 0$$

$$y(\mathbf{x}) = \frac{\int t p(\mathbf{x}, t) dt}{p(\mathbf{x})} = \int t p(t | \mathbf{x}) dt = \mathbb{E}_t[t | \mathbf{x}]$$

Decision Theory (for Classification)

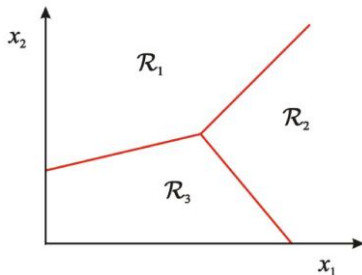
- Binary and multiclass classification

$$\{\mathcal{C}_k\} = \{-1, +1\}$$

$$\{\mathcal{C}_k\} = \{1, \dots, K\}$$

- Decision Regions and Boundaries

$$\mathcal{R}_k = \{\mathbf{x} | y(\mathbf{x}) \rightarrow \mathcal{C}_k\}$$



Decision Theory (for Classification)

- Optimal decision for binary classification

$$\begin{aligned} p(\text{mistake}) &= p(\mathbf{x} \in \mathcal{R}_1, \mathcal{C}_2) + p(\mathbf{x} \in \mathcal{R}_2, \mathcal{C}_1) \\ &= \int_{\mathcal{R}_1} p(\mathbf{x}, \mathcal{C}_2) d\mathbf{x} + \int_{\mathcal{R}_2} p(\mathbf{x}, \mathcal{C}_1) d\mathbf{x} \end{aligned}$$

$$\mathcal{R}_1 = \{\mathbf{x} | p(\mathbf{x}, \mathcal{C}_1) > p(\mathbf{x}, \mathcal{C}_2)\}$$

$$\mathcal{R}_2 = \{\mathbf{x} | p(\mathbf{x}, \mathcal{C}_1) \leq p(\mathbf{x}, \mathcal{C}_2)\}$$

$$p(\mathbf{x}, \mathcal{C}_k) = p(\mathcal{C}_k | \mathbf{x}) p(\mathbf{x})$$

$$\mathcal{R}_k = \{\mathbf{x} | p(\mathcal{C}_k | \mathbf{x}) \text{ is largest} \}$$

Decision Theory (for Classification)

- Optimal decision for multiclass classification

$$p(\text{mistake}) = \sum_{k=1}^K \sum_{j \neq k} p(\mathbf{x} \in \mathcal{R}_j, \mathcal{C}_k) = \sum_{k=1}^K \sum_{j \neq k} \int_{\mathcal{R}_j} p(\mathbf{x}, \mathcal{C}_k) d\mathbf{x}$$

$$p(\text{correct}) = \sum_{k=1}^K p(\mathbf{x} \in \mathcal{R}_k, \mathcal{C}_k) = \sum_{k=1}^K \int_{\mathcal{R}_k} p(\mathbf{x}, \mathcal{C}_k) d\mathbf{x}$$

$$\mathcal{R}_k = \{\mathbf{x} \mid p(\mathcal{C}_k | \mathbf{x}) \text{ is largest} \}$$

Decision Theory (for Classification)

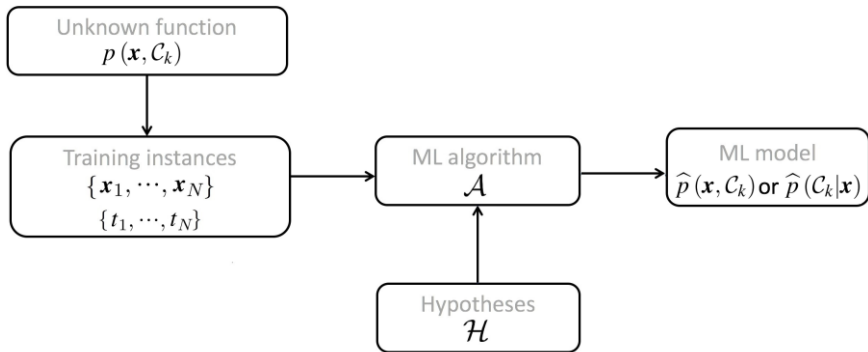
- The role of class posterior probability

$$\mathbb{E}[L] = \sum_k \sum_j \int_{\mathcal{R}_j} L_{kj} p(\mathbf{x}, C_k) d\mathbf{x}$$

$$\mathcal{R}_j = \left\{ \mathbf{x} \mid \sum_k L_{kj} p(C_k | \mathbf{x}) \text{ is smallest} \right\}$$

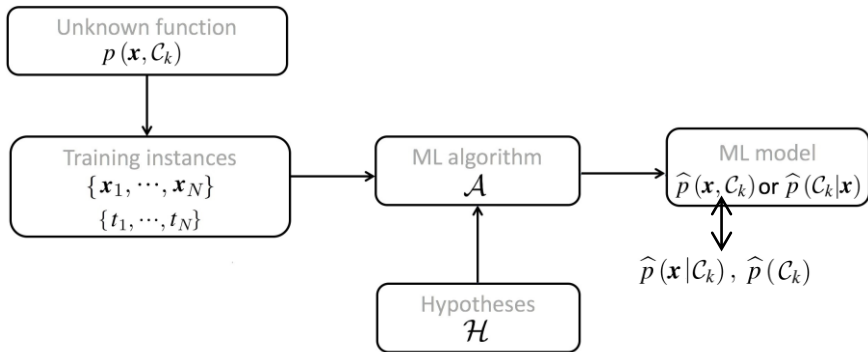
Decision Theory (for Classification)

- The role of class posterior probability



Decision Theory (for Classification)

- The role of class posterior probability



Outline

What is Machine Learning

Practical Applications of Machine Learning

Practical Applications of Machine Learning

- Machine Learning for Finance
- Machine Learning for Medical Diagnosis
- Machine Learning for Education
- Machine Learning for Transportation
- Machine Learning for Internet
- . . .

Thanks

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