

Note on Match-seeking and Match-repelling particles

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Between two primitive particles

Let us consider two V -particles which are not composite – they are given with their semantic signatures respectively:

$$ssig(V') = [p'_0 \ a'_{0,1} \ p'_1 \ p'_0 \ a'_{0,2} \ p'_2 \ p'_0 \ a'_{0,3} \ p'_3 \ \dots \ p'_i \ a'_{i,n} \ p'_n]$$

$$ssig(V'') = [p''_0 \ a''_{0,1} \ p''_1 \ p''_0 \ a''_{0,2} \ p''_2 \ p''_0 \ a''_{0,3} \ p''_3 \ \dots \ p''_j \ a''_{j,m} \ p''_m]$$

Here each of the quantities p denotes the property signature vector of the corresponding property P of the V particle. The vector $a_{r,s}$ denotes the signature of the property association particle $A_{r,s}$ which binds to a pair of properties P_r and P_s in the property graph \mathcal{P} of the V particle.

Match-seeking particle MA binds to a subgraph \mathcal{S} of the property graph \mathcal{P} of the V particle.

There is a closeness condition which needs to be obeyed in order the particle MA to bind to the particle V .

Binding matrix of a match-seeking particle

The match-seeking particle MA exposes a binding matrix $mbind(MA)$:

$$mbind(MA) = [B_1 \ B_2 \ B_3 \ \dots \ B_q]$$

$$B_1 = [p_0 \ a_{0,1} \ p_1], B_2 = [p_0 \ a_{0,2} \ p_2], B_3 = [p_0 \ a_{0,3} \ p_3], \dots, B_q = [p_p \ a_{p,q} \ p_q]$$

Obviously, each of the blocks B_i is $N \times 3$ matrix where N is the dimension of the semantic space.

Closeness condition for a bind between match seeking particle and primitive semantic particle

Let us denote by $sfil(MA, V)$ the following diagonal matrix which will be named *Filter matrix* of the match seeking particle:

$$sfil(MA, V) = \begin{bmatrix} I_1 & & & & & \\ & 0 & & & & \\ & & I_2 & & & \\ & & & 0 & & \\ & & & & \ddots & \\ & & & & & I_k \end{bmatrix}$$

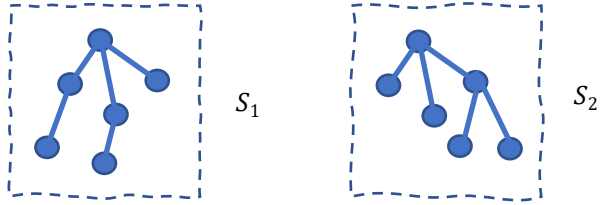
Here $I_i, i = 1, 2, \dots, k$ are identity matrices which represent the regions of interest in the semantic signature matrix of V to the match seeking particle MA .

The regions of interest $sreg(MA, V)$ in the semantic signature of V are obtained by multiplying $sfil(MA, V)$ with $ssig(V)$:

$$sreg(MA, V) = sfil(MA, V) \times ssig(V)$$

Between two semantic structures

Let us have two semantic structures S_1 and S_2 .



Let the semantic signature of S_1 is given with:

$$sig(S_1) = [\mathbf{V}_1 \mathbf{A}_{1,2} \mathbf{V}_2 \mathbf{A}_{1,3} \mathbf{V}_3 \dots \mathbf{A}_{r,p} \mathbf{V}_p]$$

and the semantic signature of S_2 is given with:

Between a primitive V particle and a semantic structure S