# On The Semantic Significance of an Association and Particles

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## The Semantic Significance Vector

### Notation

denotes semantic property

denotes primitive semantic particle

denotes semantic structure / composite semantic particle

denotes semantic structure with outbound association links

denotes semantic structure with inbound association links

denotes semantic structure with outbound and inbound association links

denotes outbound association link

denotes inbound association link

semantic significance vector of semantic property

semantic significance vector of primitive semantic particle

semantic significance vector of semantic structure

semantic significance vector of semantic structure with outbound association links

semantic significance vector of semantic structure with inbound association links

semantic significance vector of semantic structure with outbound ***and*** inbound association links

semantic significance vector of outbound association link

semantic significance vector of outbound association link

### Purpose of Semantic Significance vector

The semantic significance vector will be used in a reinforcement-learning mechanism used to rank semantic structures (thoughts) by relevance with respect to a given context. Thus when making inferences we will be able to choose the most relevant (semantically significant) inferred structure based on previously parsed and stored semantic structures (thoughts).

### Inequalities which the semantic significance vector and its components obey

The absolute value of the semantic significance vector is always a positive real number which is smaller or at most equal to 1:

The value of each component of the semantic significance vector is in the range .

We have

Then .

How do we ascribe a semantic significance of the relation of a given semantic structure with another semantic structure part of the current context ?

In order to answer this question let us consider the following cases

## Semantic Significance of a primitive semantic particle

Recall that the properties of primitive semantic particles are organized in a property tree:

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We can assign a semantic significance vector for each property and its parent .

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Following the semantic tree notation (for details see [Semantic Tree Operations](https://github.com/dimitarpg13/aiconcepts/blob/master/docs/SemanticTreeOperations.pdf)) for property tree of the particle below

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This is expanded to:

which is expanded to:

From the last relation we can compute the adjusted semantic significance for the particle as

Note that all ’s in the last equation denote scalar quantities and correspond to one specific dimension in the semantic significance vector space. After applying [(1)](#eq1) for each dimension we obtain the semantic significance vector of the particle :

Here are the unit vectors for the dimensions of the semantic significance space.

## Semantic significance of composite semantic particle

Let us consider the simplest possible composite semantic particle which is constructed from two primitive particles and connected by the association particle with semantic significance vector .

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Let us denote by and the number of properties in and accordingly. Hence and .

Based on our analysis in the previous section we can rewrite [(2)](#eq2) in a more general form:

where is some polynomial with respect to the scalar semantic significance values corresponding to each property on the property tree of . Note that the scalar values can indeed be matched to specific properties on the property tree of but cannot. Indeed has free running value for all semantic significance dimensions and if we are calculating the semantic significance of the particle in isolation we simply set . However, if is connected to another particle via the association with its own semantic significance then we can reduce the semantic significance of the structure to a new adjusted vector where . Then

The vector represents the semantic significance vector of the compound particle .

Note that each scalar value of is polynomial of parameters one of which , , is a free parameter and if we calculate the semantic significance of particle in isolation we set .

## Semantic significance of a semantic structure with inbound is-a relations

Let us assume that represents inbound *is-a* relation for . That is, is a *is-a* association between a particle in and in . First, let us identify which are the factors which influence the significance of the inbound *is-a* link. Let us denote by the set of semantic significance vectors in . Similarly, by we denote the set of the semantic significance vectors in .

Let us denote by the set of all particles which belong to structure . Accordingly, by we denote the semantic significance vectors for those particles in . Let denote the number of scalar components in each by . Hence represents the number of semantic significance dimensions in i.e. .

Then one can define the following vector:

Thus, for each semantic significance dimension we select the minimal scalar value from the set of semantic significance vectors which pertain to .

Let us assume that there are inbound *is-a* associations to - linking in with in . How would we rank them and assign semantic significance vector to each of those *is-a* relations? How would the semantic significance vectors of the relations impact the semantic significance vector of ? Let us denote with the semantic significance vectors of . Let us denote with the semantic significance vectors of the particles connecting with their parents in :

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