## Github: @dimonko1

```
In [1]: import numpy as np
         import matplotlib.pyplot as plt
In [33]: def cool_thing(n_paths, n_steps, T, mu, sigma, X_0):
             steppy = round(n_steps/2)
             X_lol = np.zeros(steppy+1)
             X_{lol[0]} = X_{0}
             dt = 0.5*T/float(steppy)
             Z = np.random.normal(0,1,steppy)
             for i in range(0, steppy):
                 X_{lol[i+1]} = X_{lol[i]} + mu * dt + sigma * np.sqrt(dt) * Z[i]
             Z = np.random.normal(0, 1, [n_paths, steppy])
             X = np.zeros([n_paths, steppy + 1])
             X[:, 0] = X_{lol}[-1]
             for k in range(0, steppy):
                 X[:, k+1] = X[:, k] + mu * dt + sigma * np.sqrt(dt) * Z[:, k]
             fig, ax = plt.subplots(figsize=(20,10), dpi=200)
             ax.grid(alpha=.35)
             ax.plot(X_lol, lw=.75, c='r')
             for i in range(1, n_paths):
                 plt.plot(range(steppy, n_steps+1), X[i], lw=.75, c='b')
             ax.axvline(round(n_steps/2), c='grey', ls='--', lw=.7)
             ax.set_xlim(0, n_steps)
             ax.margins(x=0.01)
             #plt.axis('off')
             plt.show()
             return X
```

Cool vizualization of Wiener process paths simulation.

## Вводные:

- n\_paths число траекторий;
- n\_steps число шагов в каждой траектории;
- T количество лет;
- $\mu$  mean;
- $\sigma$  variance;
- $X_0$  начальная точка.



