Database Management System: Assignment 4

Total Marks: 20

February 7, 2024

Question 1

Marks: 2 MCQ

Consider the relation R(X,Y,Z,V,W) which satisfies the following functional dependencies:

- ${\tt XY} \, \to \, {\tt Z}$
- $\mathtt{YZ} \, \to \, \mathtt{V}$
- ${\tt ZV} \, \to \, {\tt W}$
- ${\tt VW} \, \to \, {\tt X}$
- ${\tt XW} \, \to \, {\tt Y}$

Which of the following functional dependencies are also guaranteed to be satisfied by relation R?

- a) $XZ \rightarrow V$
- b) $YZV \rightarrow X$
- c) $Z \rightarrow W$
- $d) X \rightarrow Z$

Answer: b)

Explanation: In option (a) closure of XZ = XZ, does not contain V.

- In option (c) closure of Z = Z does not contain W.
- In option (d) closure of X = X does not contain Z.

In option (b) closure of YZV = XYZVW contains X, therefore the option is correct.

Refer Module 17 slide 21

Marks: 2 MSQ

Consider the relation Student(Reg_No, Name, Address, Phone, Class_ID) and the set of following functional dependencies:

- \bullet FD1: Reg_No \to Name
- ullet FD2: Address, Phone o Class_ID
- ullet FD3: Name o Phone
- ullet FD4: Class_ID ightarrow Reg_No, Address

Which of the following are possible sets of candidate key(s) of Student?

- a) Reg_No
- b) Address, Phone
- c) Name
- d) Class_ID

Answer: b), d)

Explanation: From the given set of functional dependencies, we can see that (Reg_No)⁺= {Reg_No, Name, Phone}. Thus, Reg_No is not a candidate key. According to FD2 and FD4, {Address, Phone} and Class_ID, are the candidate keys. Hence, options b) and d) are correct.

Marks: 2 MSQ

Consider the following relational table R:

R						
A	В	\mathbf{C}	D	\mathbf{E}		
$\alpha 1$	$\beta 1$	$\gamma 1$	$\delta 1$	$\eta 1$		
$\alpha 2$	$\beta 2$	$\gamma 1$	$\delta 2$	$\eta 2$		

If, relation R is decomposed into $R_1 = (A, B, C)$ and $R_2 = (C, D, E)$. Choose the correct statement/s based on the above relations.

 \mathbf{E}

 $\eta 1$

 η^2

- a) The decomposition does not preserve dependencies
- b) $\Pi_{R_1}(R) \bowtie \Pi_{R_2}(R)$ will be: $\begin{vmatrix} \mathbf{A} & \mathbf{B} & \mathbf{C} & \mathbf{D} \\ \alpha 1 & \beta 1 & \gamma 1 & \delta 1 \\ \alpha 2 & \beta 2 & \gamma 1 & \delta 2 \end{vmatrix}$
- c) $\Pi_{R_1}(R) \bowtie \Pi_{R_2}(R) \neq R$
- d) AB \rightarrow E holds in the table $\Pi_{R_1}(R) \bowtie \Pi_{R_2}(R)$

Answer: a), c)

Explanation: Let us start with computing the join:

Clearly, (b) is incorrect.

Also, $\Pi_{R_1}(R) \bowtie \Pi_{R_2}(R) \neq R$ (the decomposition is lossy). So, (c) is correct.

From the above table, we can see that \mathtt{AB} does not uniquely identify \mathtt{E} (first two records). So, (d) is incorrect.

However, $AB \to E$ trivially holds in R. Hence, (a) is correct.

Marks: 2 MCQ

The following relation guarantees which highest normal form?

$\underline{\mathbf{sid}}$	sname	course	teacher
S1	RAM	JAVA	AR
S2	MADHAB	DBMS	PPD
S1	RAM	DBMS	PB
S2	MADHAB	JAVA	SM

- a) 1NF
- b) 2NF
- c) BCNF
- d) 3NF

Answer: a)

Explanation: The relation contains atomic values so it is in 1NF. The primary key of the relation is <u>(sid, course)</u>. But sid can uniquely determine sname. So, partial dependency exists. Hence, the relation is not in 2NF and not also in other higher normalization forms.

Marks: 2 MSQ

In a relation MountainTreking (Altitude, MName, Location, MType, TrekkerAge, Climate, TrekkerExp), Altitude identifies MName and Location. Also, MName, MType, TrekkerAge and Climate combined determines the TrekkerExp, MType. TrekkerAge of the MountainTreking are dependent on Altitude and Climate together. Which of the following are the non-prime attributes of Mountain?

- a) Altitude
- b) TrekkerAge
- c) Climate
- d) TrekkerExp

Answer: b), d)

Explanation: As per the given set of Functional Dependencies,

 ${\tt Altitude} \to {\tt MName}, \, {\tt Location}$

MName, MType, TrekkerAge, Climate \rightarrow TrekkerExp, MType

Altitude, Climate o TrekkerAge

Primary key is { Altitude, MType, Climate}

Hence, options (b) and (d) are correct.

Marks: 2 MCQ

Consider the following instance of the relation MonthlyExpense(Budget, Month, Expense, Salary)

-	Monthly Evnongo						
ı	MonthlyExpense						
	Budget	Month	Expense	Salary			
	10000	Jan	15000	50000			
	10000	Feb	15000	50000			
	10000	Jul	15000	50000			
	20000	Feb	15000	50000			
	30000	Feb	10000	100000			
	10000	Feb	10000	100000			

Which of the following Functional Dependencies hold for MonthlyExpense?

- a) $\{ \text{Budget, Month} \} \rightarrow \text{Expense}$
- b) $\{ \texttt{Expense}, \texttt{Month} \} \rightarrow \texttt{Budget}$
- c) Budgeto Salary
- d) Expense \rightarrow Salary

Answer: d)

Explanation: Among the given options, only Expense (determinant) has unique values corresponding to each unique value of Salary (dependent). Hence, option (d) is correct.

Marks: 2 MCQ

Consider the relational schema Flight (FNo, SeatNo, Window, Pilot, Duration) with the following functional dependencies:

```
\label{eq:fno} \begin{split} & \texttt{FNo} \!\to\! \{ \texttt{Pilot}, \; \texttt{SeatNo} \} \\ & \texttt{Duration} \!\to\! \{ \texttt{FNo}, \; \texttt{Window} \} \end{split}
```

Which of the following decomposition of Flight is lossless?

- a) F1(FNo, Duration), F2(SeatNo, Window, Pilot, Duration)
- b) F1(FNo, SeatNo), F2(Window, Pilot, Duration)
- c) F1(FNo, Window), F2(SeatNo, Pilot, Duration)
- d) F1(FNo, Pilot), F2(SeatNo, Window, Pilot, Duration)

Answer: a)

Explanation: The primary key of Flight is Duration. For option (a),

Attribute(F1) ∪ Attribute(F2) = Attribute(Flight)

 $\texttt{Attribute(F1)} \ \cap \ \texttt{Attribute(F2)} \ \neq \phi$

 $Attribute(F1) \cap Attribute(F2) = Duration$

And Duration ightarrow FNo

Hence, option (a) is correct.

Marks: 2 MCQ Consider the relation HousePlan(Room, Area, Location, Floor) with the following Functional Dependency set F={ FD1: Room \rightarrow {Area, Location} FD2: Location \rightarrow Floor FD3: {Area, Floor} \rightarrow {Room, Location} What is the canonical cover of F? a) FD1: Room \rightarrow {Area, Location} ${\tt FD2: Location} {\to} {\tt Floor}$ FD3: {Area, Floor}→Room b) FD1: Room→Area FD2: Location -> Floor FD3: {Area, Floor} \rightarrow {Room, Location} c) FD1: Room→Location FD2: Location -> Floor FD3: {Area, Floor} \rightarrow {Room, Location} d) FD1: Room \rightarrow {Area, Location} ${\tt FD2: Location} {\to} {\tt Floor}$ FD3: Floor→{Room, Location} Answer: a) **Explanation:** 1. Checking for extraneous attributes in L.H.S of FD3: {Area, Floor}→{Room, Location} Area is not extraneous because Floor⁺=Floor and does not contain Area. Floor is not extraneous because Area⁺=Area and does not contain Floor. 2. Checking for extraneous attributes in R.H.S of FD3: {Area, Floor}→{Room, Location} Location is extraneous because, (Area, Floor) += Area, Floor, Room, Location, using the

set

```
F'={
FD1:
         Room \rightarrow \{Area, Location\}
FD2:
         {\tt Location} {\rightarrow} {\tt Floor}
FD3:
          {Area, Floor} \rightarrow {Room}
```

No attribute is extraneous in FD1. Hence, option (a) is correct.

Marks: 2 MCQ

Consider the relational schema Book (Author, ISBN, Title, Category, Pages, Publisher) which satisfies the following functional dependencies:

- ullet FD1: Author,ISBN o Title
- ullet FD2: Author o Category
- ullet FD3: ISBN ightarrow Pages,Publisher

The given relation guarantees which highest normal form?

- a) 1 NF
- b) 2 NF
- c) 3 NF
- d) BCNF

Answer: a)

Explanation: {Author,ISBN}⁺={Author,ISBN,Title,Category,Pages,Publisher}. Therefore, {Author,ISBN} is the key. So, the relation is in 1 NF form because of atomic valued attributes. However, partial dependency exists in FD2 and FD3, preventing the relation to be in 2NF.

Marks: 2 MCQ

Determine the highest Normal Form of the relation Restaurant (Dish, Chef, Table, Price) having the following complete set of functional dependencies.

 $\begin{array}{l} \mathtt{Dish} \to \mathtt{Chef}, \, \mathtt{Table} \\ \mathtt{Table} \to \mathtt{Price} \end{array}$

- a) 1 NF
- b) 2 NF
- c) 3 NF
- d) BCNF

Answer: b)

Explanation: Dish \rightarrow Price is a transitive dependency. which prevents the relation from being in 3NF.

So, the relation Restaurant is in 2NF.