Linear Algebra. (M5) Important Questions.

Unit-I

1. Define Vector Space, Subspace, Null Space, column

Space, linear Span, Linear transformation, Kernel, Range

Thm. D.

2. If V, , V2 -- - Vn are the vectors in a vector space

Then Span {v, , v2 -- vn} is a subspace of V.

-3, Thm-@

4. Thm B

The null space of an mxn matrix A is a subspace of

The column space of an mxn matrix A is a subspace of RM.

6. Define linearly Independent and Linearly dependent. Baris and Dincension.

7. A set of two vector is L.D iff one of the vector is a multiple of other.

* With v, + o is LiI. Iff. some v; (with j>1) is

a Linear combination of preceeding vector.

Jospanning Set Theorem
Cunique Representation theorem

Llnit-I

- 1. Define Row space, Rank, Eigenvalue and Eigen Vector, characteristic equation
- 2. State and prove Rank + Reosem
- 3. The eigen values of triangular matrix are the entries on the main diagonal.

 Prove that the
 4. Eigen vectors are linearly independent
- If man matrices A and B are similar they - they have the same characteristic pdy. and hence the same eigen value with same multiplicity.

- 1. Diagnolizable . problems
- 2. Diagnolisation theorem 3. Matrix of linear transformation problems
- 4. Define Inner product space, Roperties of IPS
- 5-length of vector, unit vector, orthogonal, orthonormal, distance, Deg. and problems
- 6, State and prove The Pythogorean theorem,
- I . State and Prove parallelogram law
- 8. s. T. Bithogonal set of vectors is linearly Independent.



Important Problems.

Basis of column Space, Bersis of Null Space; linearly Independent > dependent.

Note Practice all problems in C.W and all practical.

Problems.