

Unit 09: Programming Practice

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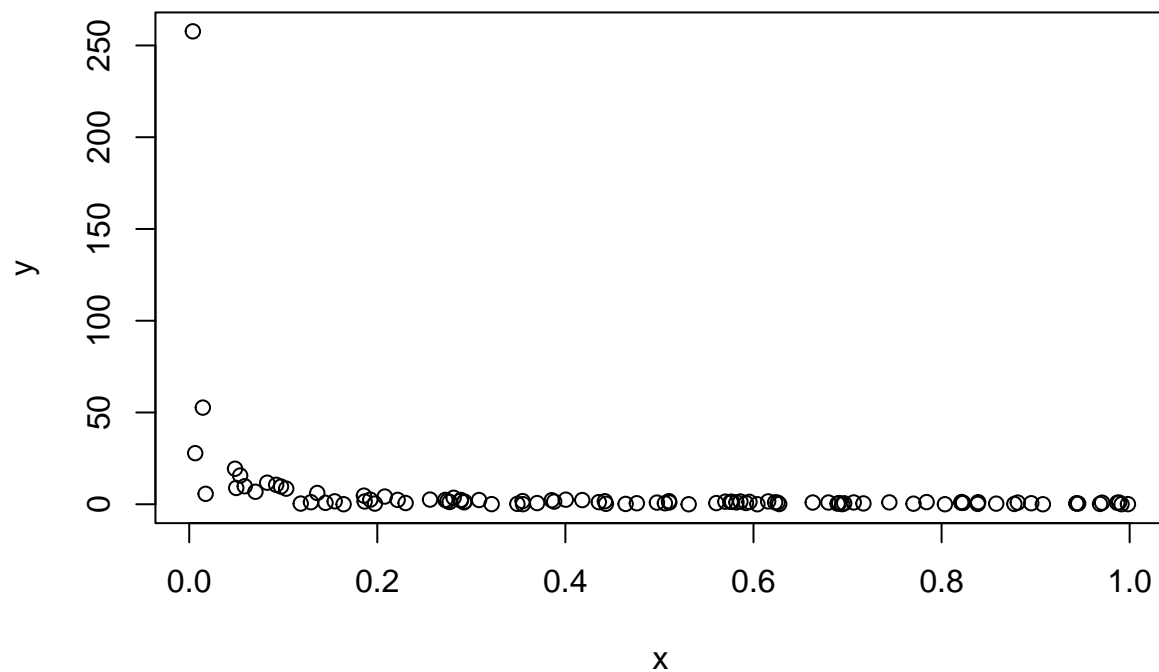
```
library(dplyr)

##
## Attaching package: 'dplyr'
## The following objects are masked from 'package:stats':
##
##   filter, lag
## The following objects are masked from 'package:base':
##
##   intersect, setdiff, setequal, union
library(ggplot2)
```

Question 3

Question 3.1

```
rmystery <- function(n){
  x = runif(n)
  y = runif(n, min=0, max = 1/x)
  data.frame(x=x,y=y)
}
plot(rmystery(100))
```

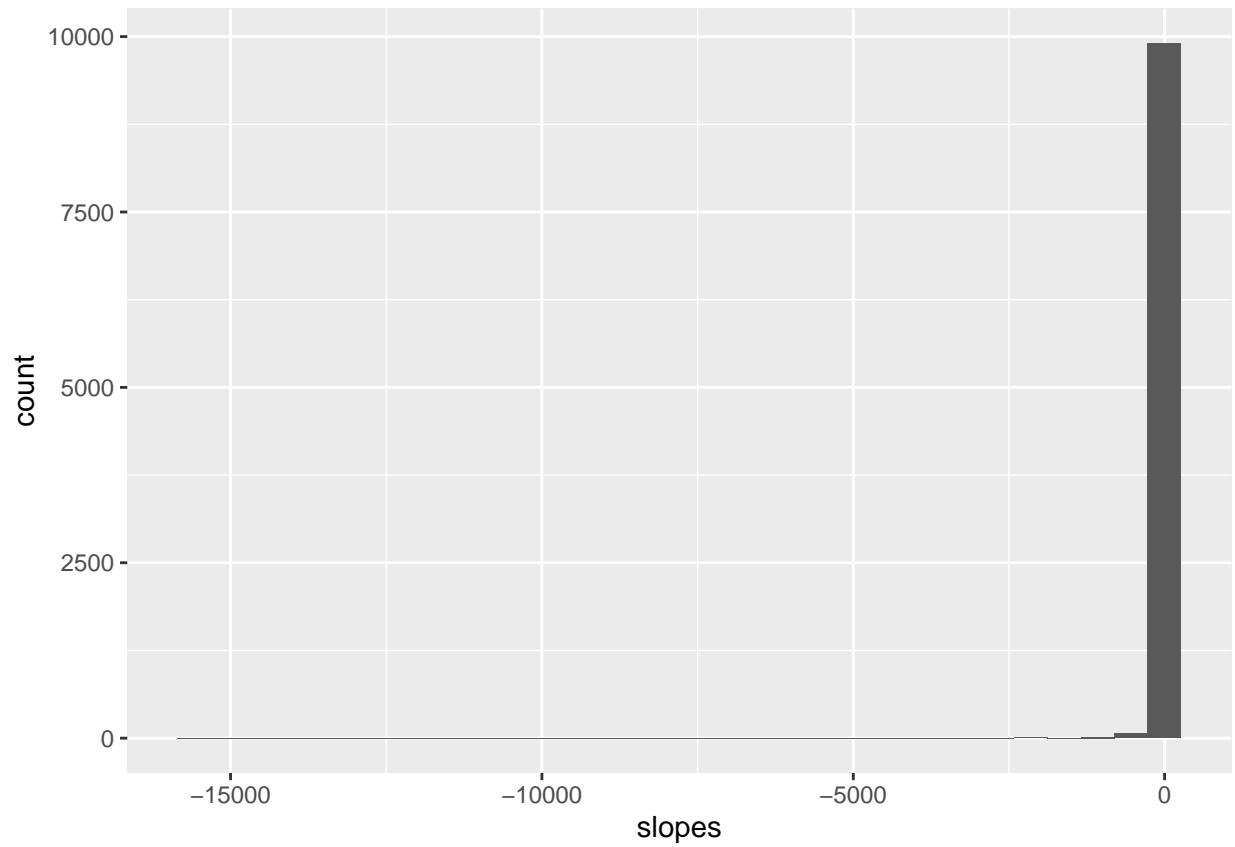


```
experiment_m <- function(){
  df <- rmystery(100)
  reg <- lm(y ~ x, data = df)
  slope <- coef(reg)[2]
  return(slope)
}
```

```
df_q3 <- data.frame()
```

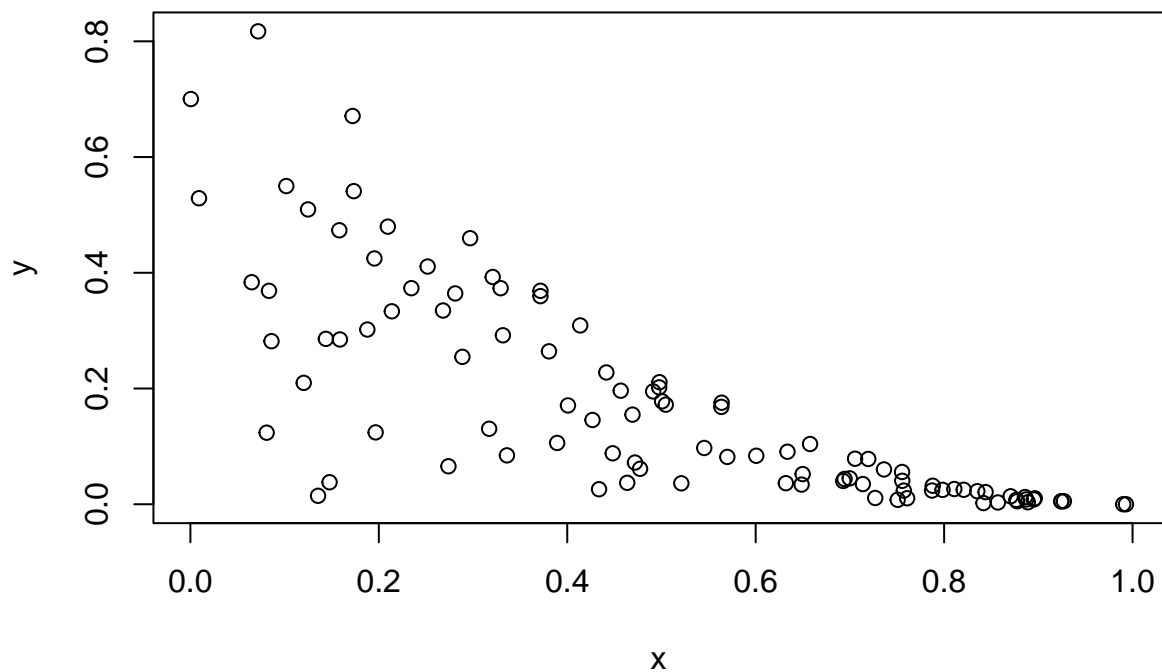
```
slopes_m <- replicate(10000, experiment_m())
df_q3.1 <- data.frame(slopes = slopes_m)
ggplot(data = df_q3.1, aes(x = slopes)) +
  geom_histogram()
```

```
## `stat_bin()` using `bins = 30`. Pick better value `binwidth`.
```



Question 3.3

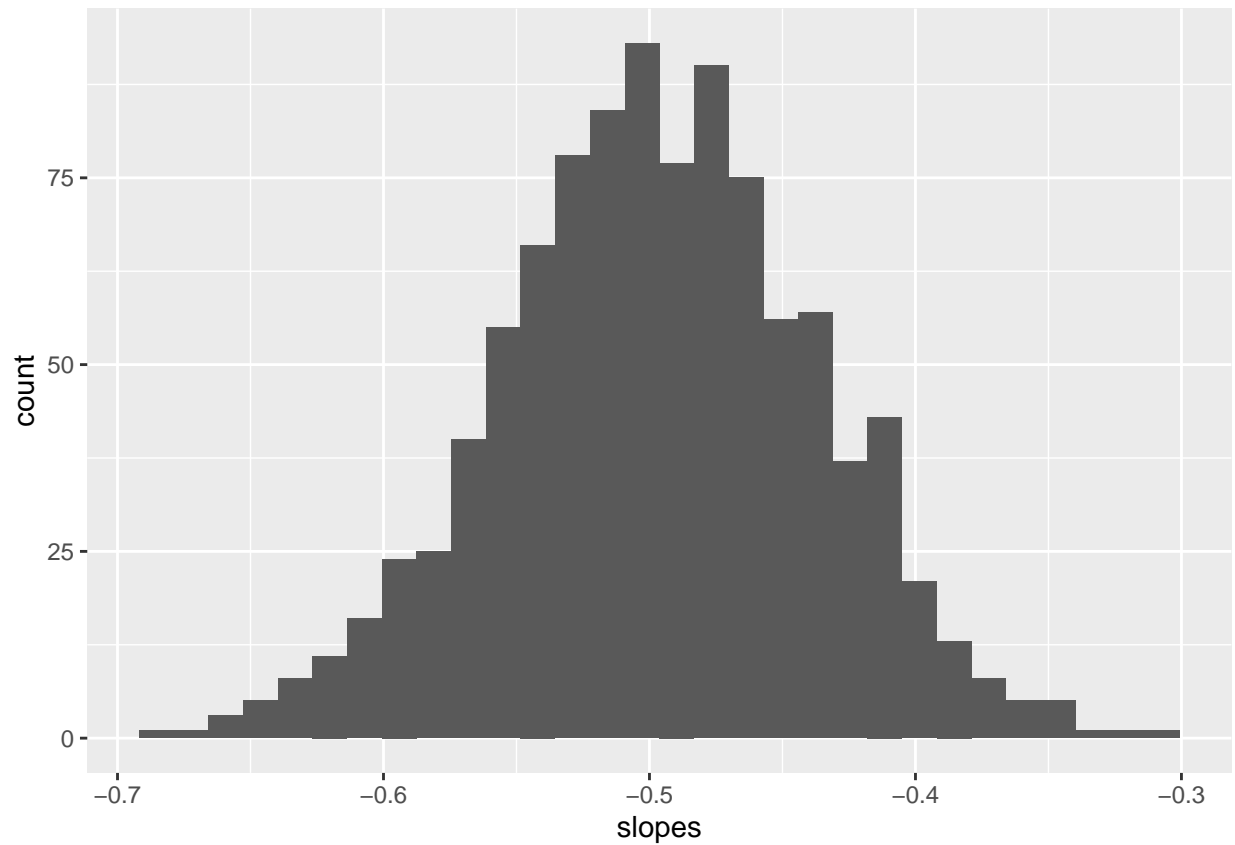
```
renigma <- function(n){  
  x = runif(n)  
  y = runif(n, min=0, max = (1-x)^2)  
  data.frame(x=x,y=y)  
}  
plot(renigma(100))
```



```
experiment_e <- function(){
  df <- renigma(100)
  reg <- lm(y ~ x, data = df)
  slope <- coef(reg)[2]
  return(slope)
}
```

```
slopes_e <- replicate(1000, experiment_e())
df_q3.3 <- data.frame(slopes = slopes_e)
ggplot(data = df_q3.3, aes(x = slopes)) +
  geom_histogram()
```

```
## `stat_bin()` using `bins = 30`. Pick better value `binwidth`.
```



```
#hist(slopes_e, breaks = seq(min(slopes_e), max(slopes_e)))
```

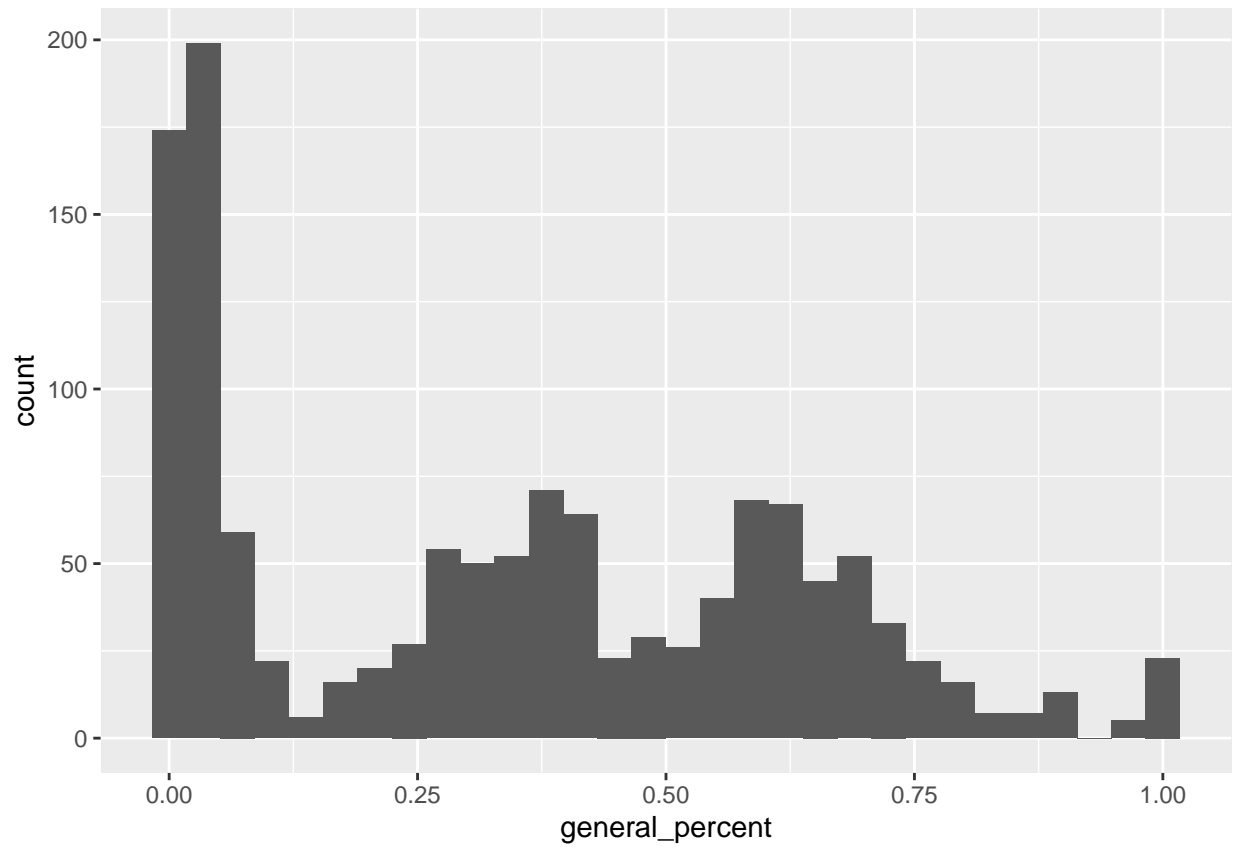
Question 4

```
library("fec16")
data("results_house")
data("campaigns")
```

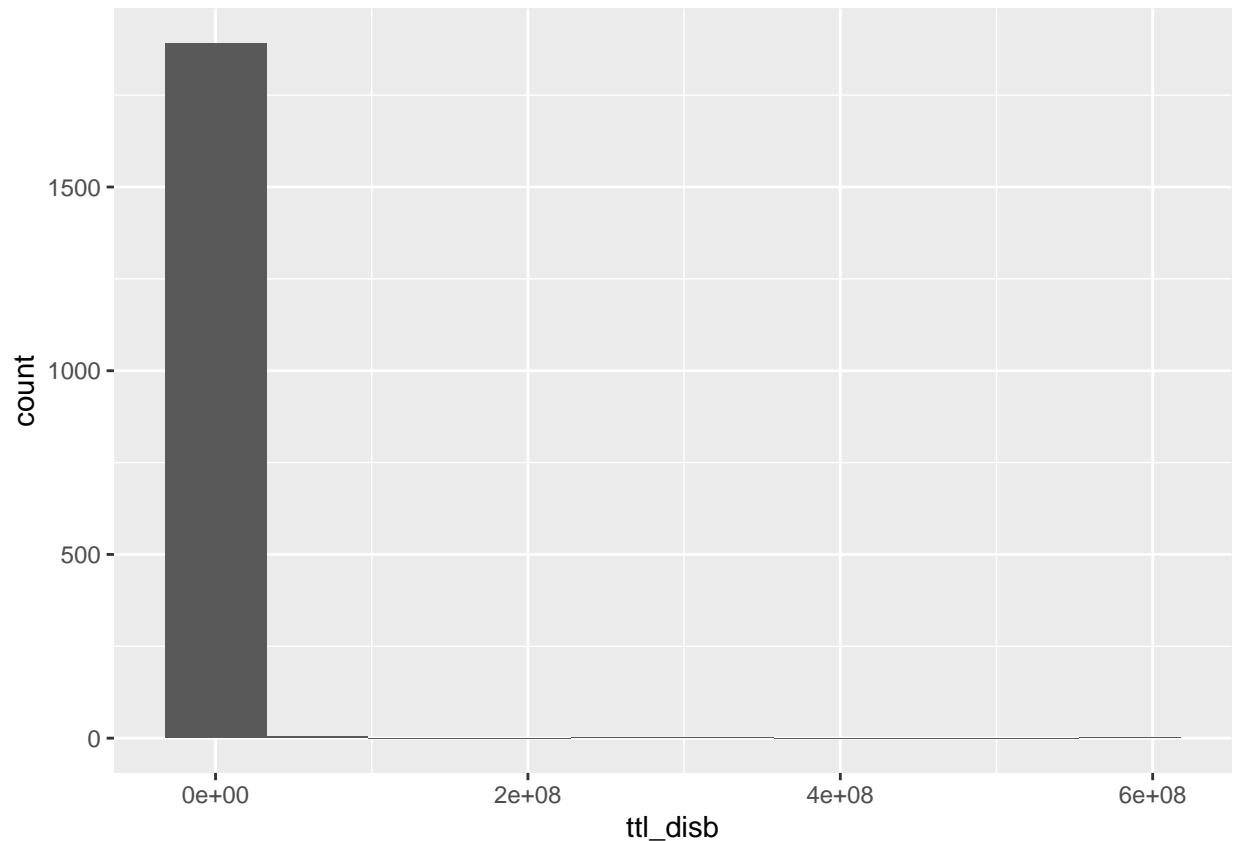
Question 4.1

```
ggplot(data = results_house, aes(x = general_percent)) +
  geom_histogram()

## `stat_bin()` using `bins = 30`. Pick better value `binwidth`.
## Warning: Removed 820 rows containing non-finite outside the scale range
## (`stat_bin()`).
```



```
ggplot(data = campaigns, aes(x = ttl_disb)) +  
  geom_histogram(bins = 10)
```



Questions 4.2/4.3

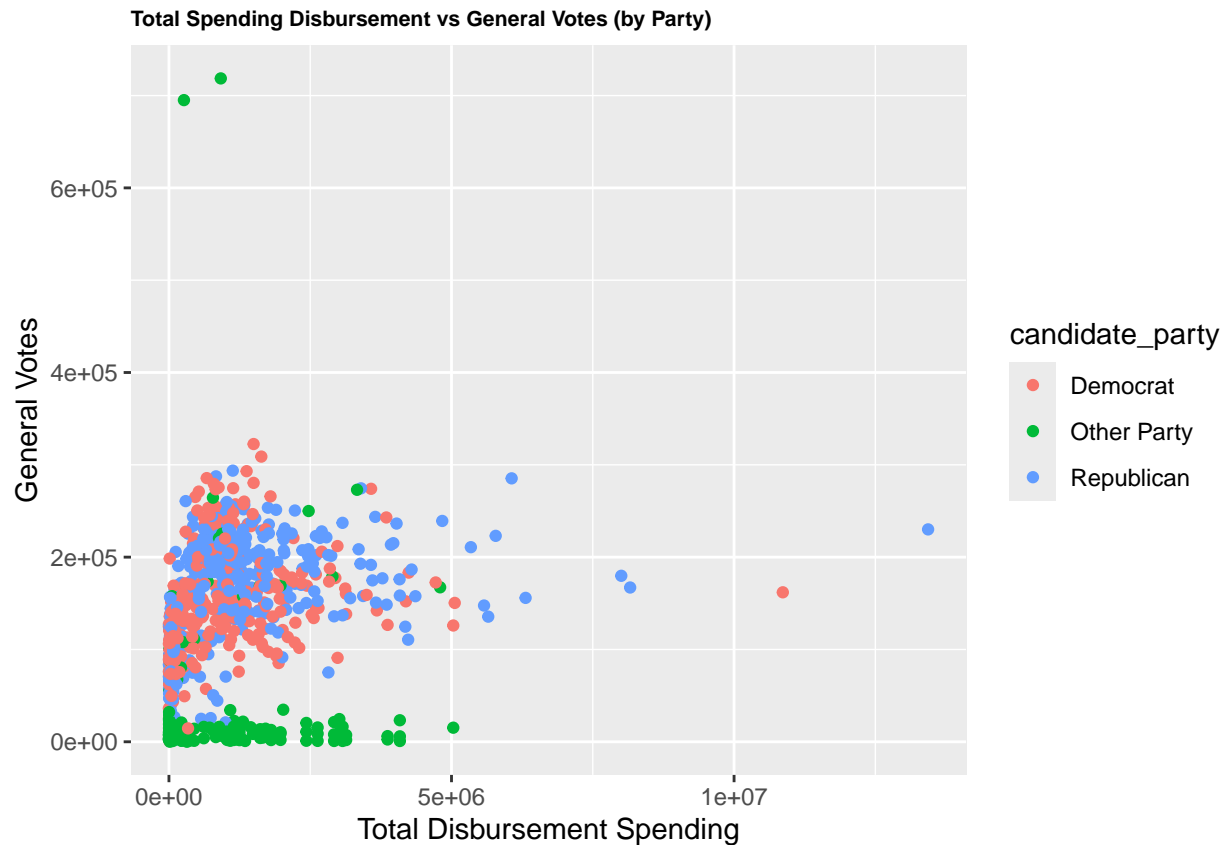
```
df_q4 <- inner_join(results_house, campaigns, by = "cand_id")
```

Question 4.4

```
df_q4 <- df_q4 %>%
  mutate(
    candidate_party = case_when(
      party == "DEM" ~ "Democrat",
      party == "REP" ~ "Republican",
      TRUE ~ "Other Party"
    )
  )

ggplot(data = df_q4, aes(x = ttl_disb, y=general_votes, color = candidate_party)) +
  geom_point() +
  labs(
    x = "Total Disbursement Spending",
    y = "General Votes") +
  ggtitle("Total Spending Disbursement vs General Votes (by Party)") +
  theme(plot.title = element_text(size = 8, face = "bold"))
```

```
## Warning: Removed 462 rows containing missing values or values outside the scale range
## (`geom_point()`).
```



Question 4.5

Large-Sample Assumptions

I.I.D. Data:

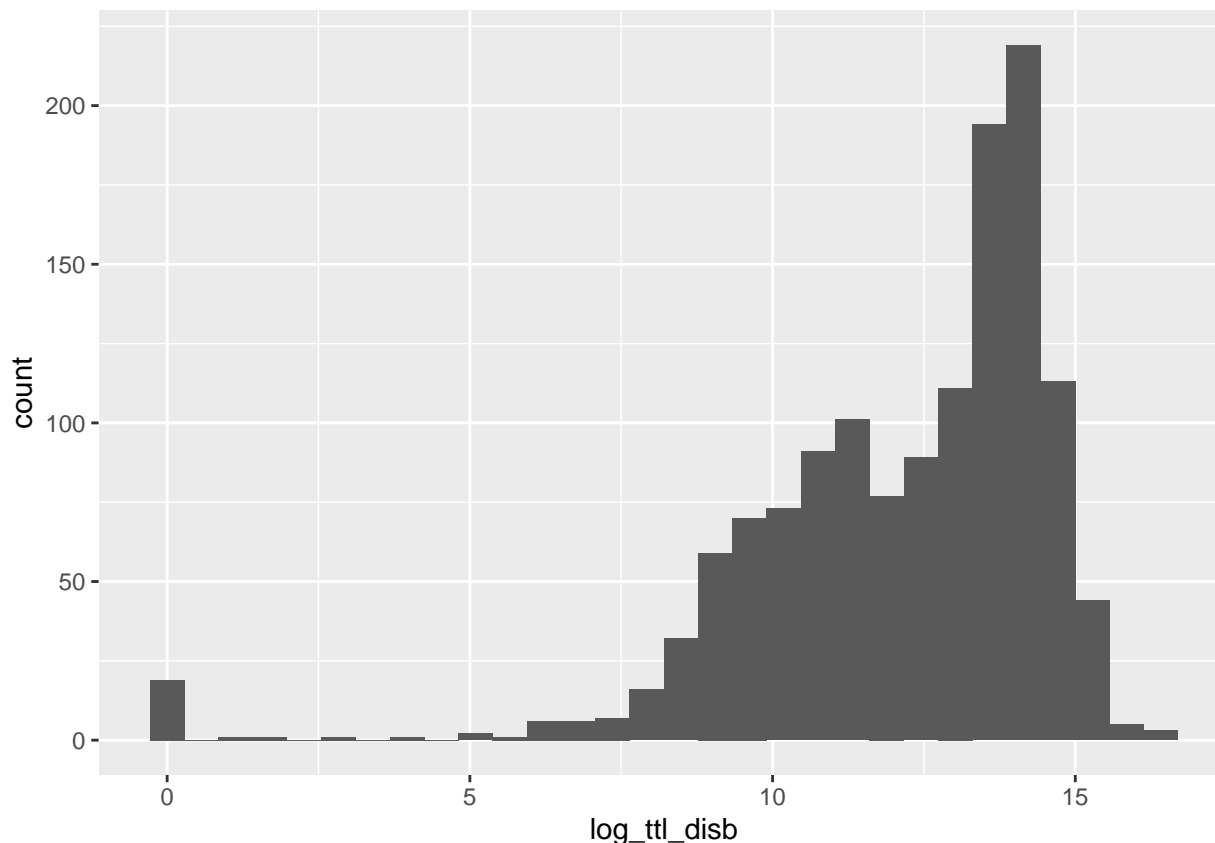
The data are independently and identically distributed, as each observation is drawn from the same underlying distribution of candidates. Each candidate's campaign information is independent of others, meaning that observing one campaign does not directly inform the outcomes of another.

Existence of the Best Linear Predictor (BLP):

The covariance terms need to be finite, so we should avoid heavy tails. However, based on the distribution observed in Question 4.1, the variable `t1l_disb` exhibits a very heavy tail. I am going to apply a log transformation `t1l_disb` in order to smooth out the tails and better satisfy the assumption that there are no infinite variances. There are a lot of values of 0 though, which would be undefined, so we're setting those to 1 with the `log1p` function.

```
df_q4$log_t1l_disb <- log1p(df_q4$t1l_disb)
ggplot(data = df_q4, aes(x = log_t1l_disb)) +
  geom_histogram()
```

```
## `stat_bin()` using `bins = 30`. Pick better value `binwidth`.
```

Uniqueness of the BLP:

There is no perfect collinearity among the regressors to make $E[X^TX]$ invertible. In other words, no explanatory variable can be expressed as a linear combination of the others. To verify this, a correlation test was conducted between `ttl_disb` and `general_votes`, yielding a correlation coefficient of 0.40. This indicates that there is no perfect collinearity, so the log of `ttl_disb` cannot be written as a linear combination of `general_votes`, and vice versa.

```
cor(df_q4$log_ttl_disb, df_q4$general_votes, use = "complete.obs")
```

```
## [1] 0.4000912
```

```
model_1 <- lm(general_votes ~ log_ttl_disb + candidate_party, data = df_q4)
model_1
```

```
##
## Call:
## lm(formula = general_votes ~ log_ttl_disb + candidate_party,
##     data = df_q4)
##
## Coefficients:
##              (Intercept)              log_ttl_disb
##                   36.66                   12017.04
## candidate_partyOther Party candidate_partyRepublican
##                   -106471.52                   4917.22
```

Question 4.6

```
library(stargazer)

##
## Please cite as:
## Hlavac, Marek (2022). stargazer: Well-Formatted Regression and Summary Statistics Tables.
## R package version 5.2.3. https://CRAN.R-project.org/package=stargazer
library(sandwich)
library(lmtest)

## Loading required package: zoo

##
## Attaching package: 'zoo'

## The following objects are masked from 'package:base':
##
##   as.Date, as.Date.numeric

robust_se <- coeftest(model_1, vcov = vcovHC(model_1))[, "Std. Error"]

stargazer(
  model_1,
  type = 'latex',
  title = "Campaign Spending Effects on General Election Votes By Party",
  se = list(robust_se),
  covariate.labels = c(
    "Log Effect of Campaign Spending",
    "Vote Difference for Other Parties (vs. Democrats)",
    "Vote Difference for Republicans (vs. Democrats)",
    "Baseline Vote Count (Democrat) with No Campaign Spending"
  )
)
```

% Table created by stargazer v.5.2.3 by Marek Hlavac, Social Policy Institute. E-mail: marek.hlavac at gmail.com % Date and time: Wed, Oct 29, 2025 - 5:11:49 PM

Question 4.7

```
model_2 <- lm(general_votes ~ ttl_disb , data = df_q4)
model_2

##
## Call:
## lm(formula = general_votes ~ ttl_disb, data = df_q4)
##
## Coefficients:
## (Intercept)      ttl_disb
##   1.213e+05    1.439e-02

anova(model_2, model_1, test = "F")

## Analysis of Variance Table
##
## Model 1: general_votes ~ ttl_disb
```

Table 1: Campaign Spending Effects on General Election Votes By Party

	<i>Dependent variable:</i>
	general_votes
Log Effect of Campaign Spending	12,017.040*** (1,072.881)
Vote Difference for Other Parties (vs. Democrats)	-106,471.500*** (8,322.458)
Vote Difference for Republicans (vs. Democrats)	4,917.221 (3,769.448)
Baseline Vote Count (Democrat) with No Campaign Spending	36.659 (14,050.610)
Observations	880
R ²	0.426
Adjusted R ²	0.424
Residual Std. Error	61,033.930 (df = 876)
F Statistic	216.495*** (df = 3; 876)
<i>Note:</i>	*p<0.1; **p<0.05; ***p<0.01

```
## Model 2: general_votes ~ log_ttl_disb + candidate_party
##   Res.Df      RSS Df Sum of Sq    F    Pr(>F)
## 1      878 5.3943e+12
## 2      876 3.2632e+12  2 2.1311e+12 286.04 < 2.2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

Question 4.8

```
model_3 <- lm(general_votes ~ candidate_party, data = df_q4)
model_3

##
## Call:
## lm(formula = general_votes ~ candidate_party, data = df_q4)
##
## Coefficients:
##              (Intercept)  candidate_partyOther Party
##                152439                -111934
##  candidate_partyRepublican
##                11003
anova(model_3, model_1, test = "F")

## Analysis of Variance Table
##
## Model 1: general_votes ~ candidate_party
## Model 2: general_votes ~ log_ttl_disb + candidate_party
##   Res.Df      RSS Df Sum of Sq    F    Pr(>F)
```

```
## 1      877 3.8839e+12
## 2      876 3.2632e+12  1 6.2072e+11 166.63 < 2.2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

coeftest(model_1, vcov = vcovHC(model_1))

##
## t test of coefficients:
##
##              Estimate Std. Error  t value Pr(>|t|)
## (Intercept)      36.659   14050.611    0.0026   0.9979
## log_ttl_disb     12017.039   1072.881   11.2007  <2e-16 ***
## candidate_partyOther Party -106471.517   8322.458  -12.7933  <2e-16 ***
## candidate_partyRepublican    4917.221    3769.448    1.3045   0.1924
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

Office Hours:

If worried about skewness for the statistic you're running, do a log-transform. (I think in Q4.5?)

Checking for collinearity: run `cor()`; remove one of the collinear variables and then compare the coefficients to check if they're the same after running one and removing the other.

Last two parts of question 4

Use `coeftest(model_x, vcovHC(model_x))` in `library(sandwich)` and some other library to evaluate robust standard errors.

Set either Republican or Democrat as the baseline, not the "other" label

Run an f test that compares the last two models you create.