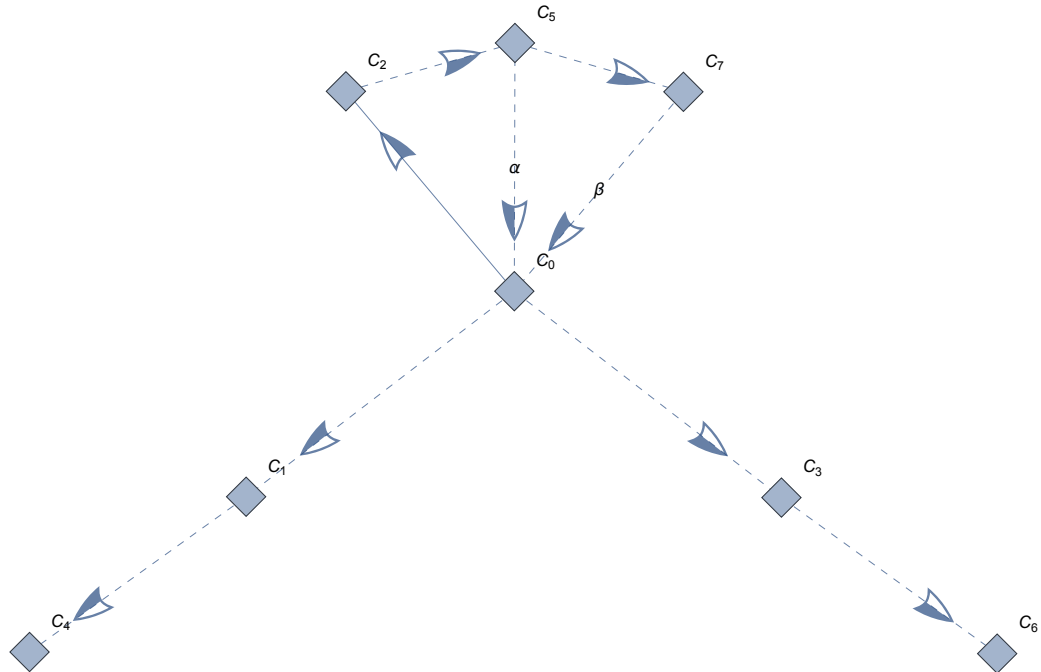


```

In[1]:= Graph[{C0 ↔ C1, C0 ↔ C2, C0 ↔ C3, C2 ↔ C5, C3 ↔ C6,
  C1 ↔ C4, Labeled[C5 ↔ C0, "α"], C5 ↔ C7, Labeled[C7 ↔ C0, "β"]},
  VertexShapeFunction → "Diamond", VertexSize → Medium, VertexLabels → "Name",
  EdgeStyle → {C0 ↔ C3 → Dashed, C0 ↔ C1 → Dashed, C3 ↔ C6 → Dashed, C1 ↔ C4 → Dashed,
    C2 ↔ C5 → Dashed, C5 ↔ C0 → Dashed, C5 ↔ C0 → Dashed, C5 ↔ C7 → Dashed,
    C7 ↔ C0 → Dashed, C7 ↔ C0 → Dashed}, EdgeShapeFunction → "CarvedArcArrow"]

```

Out[1]=



"If one firm chooses OS, the OS FIRM payoff is:"

$P - (C_0 - C_2 - C_5 \pi_1(C_2, C_5))$

"NON-OS FIRM payoff is:"

$P - (C_0 - \alpha_0 C_5 \pi_1(C_2, C_5) - C_1 \pi(C_0, C_1))$

"If both firms choose OS, their payoff is:"

$P - (C_0 - C_2 - C_5 \pi_2(C_2, C_5))$

"If both firms choose patents, one firms payoff is:"

$P - (C_0 - C_1 \pi(C_0, C_1))$

"And the others is:"

$P - (C_0 - C_3 \pi(C_0, C_3))$

"Nash is OS for firm 1 iff"

$P - (C_0 - C_2 - C_5 \pi_1(C_2, C_5)) > P - (C_0 - C_1 \pi(C_0, C_1))$

$C_2 + C_5 \pi_1(C_2, C_5) > C_1 \pi(C_0, C_1)$

"and"

$P - (C_0 - C_2 - C_5 \pi_2(C_2, C_5)) > P - (C_0 - \alpha_0 C_5 \pi_1(C_2, C_5) - C_1 \pi(C_0, C_1))$

$C_2 + C_5 \pi_2(C_2, C_5) > \alpha_0 C_5 \pi_1(C_2, C_5) + C_1 \pi(C_0, C_1)$