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# Learning and Generalization of Motor Skills by Learning from Demonstration

— P. Pastor, H. Hoffmann, T. Asfour, S. Schaal —  
ICRA, 2009

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# Outline

- Motivation
- Background
- Methodology
- Experiments and results
- Conclusion

# Motivation

Complex movements are composed of sets of *primitive* action

- executed in *sequence* and / or in *parallel*

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**DMPs are mathematical formalization of these *primitives*.**

- each DMP is a nonlinear dynamical system

# Motivation

Goal:

- represent complex motor actions
- flexibly adjusted
- without manual parameter tuning

*Idea: take a dynamical system with well specified, stable behaviour and add another term that makes it follow some desired path / trajectory.*

# Background

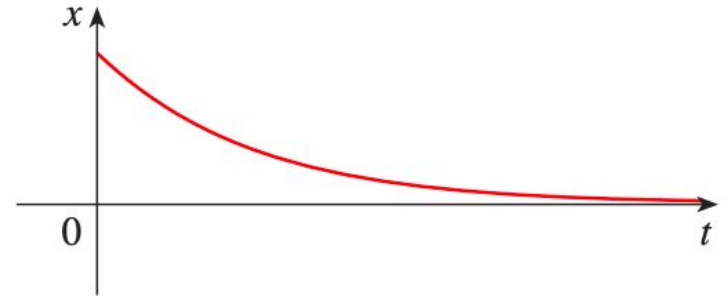
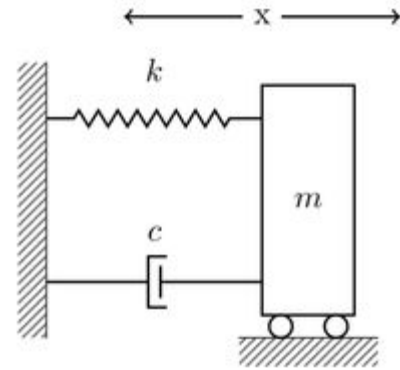
DMP for motion control originates from Stefan Schaal's lab (USC).

- *Stefan Schaal, Dynamic Movement Primitives–A Framework for Motor Control in Humans and Humanoid Robotics, 2002*
- *[Ref 5] A. J. Ijspeert, J. Nakanishi, and S. Schaal, “Movement Imitation with Nonlinear Dynamical Systems in Humanoid Robots,” in Proceedings of the IEEE International Conference on Robotics and Automation, 2002.*

# Background

Linear Spring systems with damping

$$m \frac{d^2x}{dt^2} + c \frac{dx}{dt} + kx = 0$$





# Background: DMP

Transformation system:

$$\begin{aligned}\tau \dot{v} &= K(g - x) - Dv + (g - x_0) f \\ \tau \dot{x} &= v ,\end{aligned}$$

$x$  : position,  $v$ : velocity,  $K$ : spring constant,  $D$ : damping term,  $\tau$ : temporal scaling factor

Additional nonlinear system used to define the forcing function,  $f$ .

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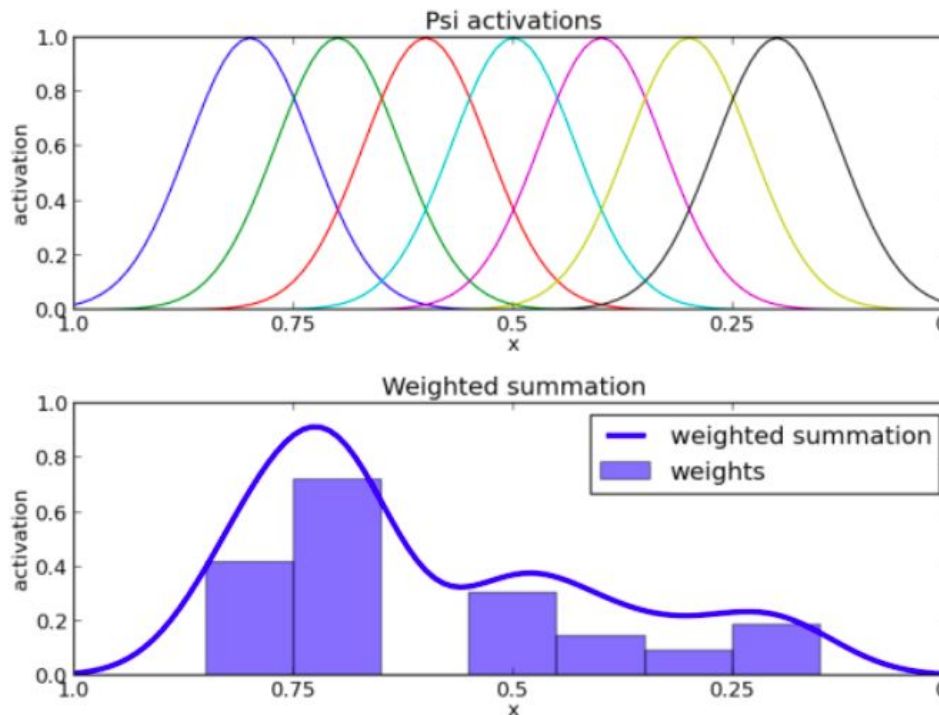
Additional nonlinear system used to define the forcing function,  $f$ .

$$f(s) = \frac{\sum_i w_i \psi_i(s) s}{\sum_i \psi_i(s)} \quad \psi_i(s) = \exp(-h_i(s - c_i)^2)$$

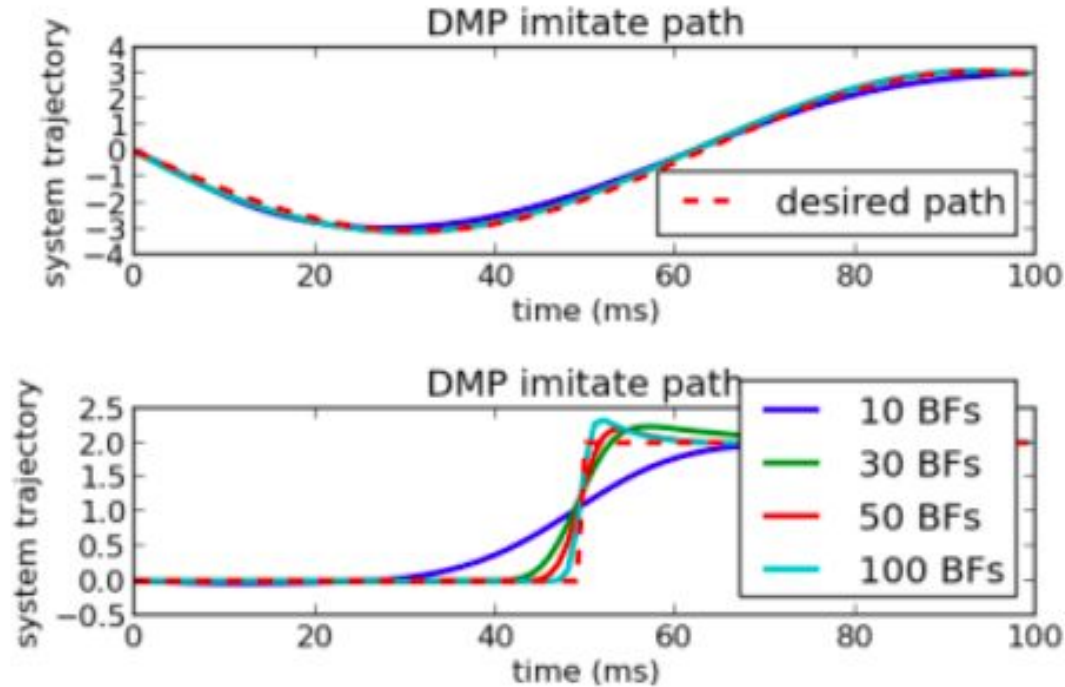
# Background: DMP

$$f(s) = \frac{\sum_i w_i \psi_i(s) s}{\sum_i \psi_i(s)}$$

$$\psi_i(s) = \exp(-h_i(s - c_i)^2)$$



# Background: DMP



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Introduced system is called the canonical system:  $\tau \dot{s} = -\alpha s$

To learn a movement from demonstration

1. Movement  $x(t)$  is recorder and its derivatives are computed.
2.  $s(t)$  is computed from the canonical system.

3. 
$$f_{\text{target}}(s) = \frac{-K(g - x) + Dv + \tau \dot{v}}{g - x_0}$$

# Background: DMP

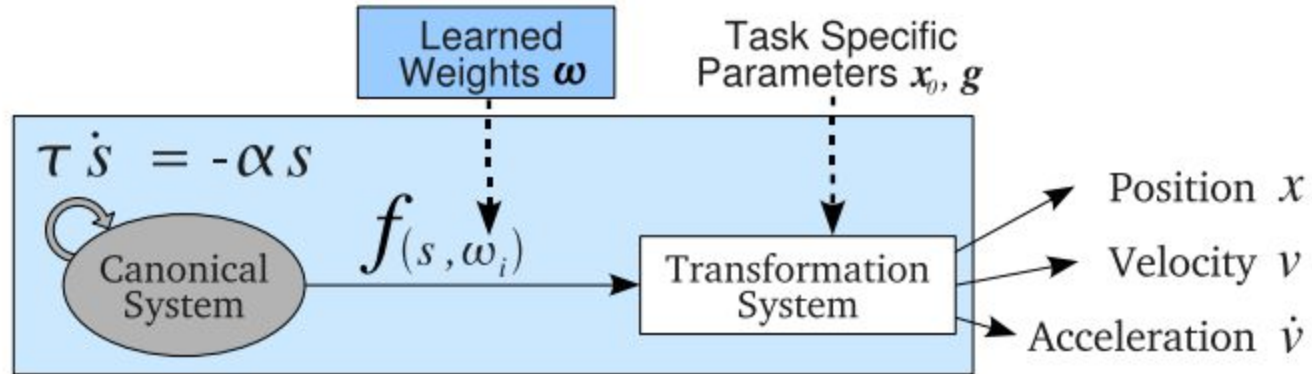
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$$f(s) = \frac{\sum_i w_i \psi_i(s) s}{\sum_i \psi_i(s)}$$

Finding weights  $w_i$  is an optimization problem, which can be solved with linear regression.

Minimize  $J = \sum_s (f_{\text{target}}(s) - f(s))^2$

# Background: DMP



# Drawbacks of original DMP

1. If the start and goal position of a movement are same, then the system will remain at start position as  $(g - x_0) = 0$ .
2. If  $(g - x_0)$  is close to zero, then scaling it with  $f$  might lead to huge accelerations for a small change in  $g$ .
3. If  $(g_{\text{new}} - x_0)$  changes its sign compared to  $(g_{\text{original}} - x_0)$ , then the DMP formulation will be unsuitable for adapting to new goal positions. (mirror issue)



# Methodology

$$\tau \dot{v} = K(g - x) - Dv - K(g - x_0)s + Kf(s)$$

$$\tau \dot{x} = v ,$$

Non linear function is not multiplied by  $(g - x_0)$ .

$K(g - x_0)s$  is required to avoid jumps.

$$f_{\text{target}}(s) = \frac{\tau \dot{v} + Dv}{K} - (g - x) + (g - x_0)s$$

# Obstacle avoidance

$$\tau \dot{\mathbf{v}} = \mathbf{K}(\mathbf{g} - \mathbf{x}) - \mathbf{D}\mathbf{v} - \mathbf{K}(\mathbf{g} - \mathbf{x}_0) s + \mathbf{K}\mathbf{f}(s) + \mathbf{p}(\mathbf{x}, \mathbf{v})$$

$$\mathbf{p}(\mathbf{x}, \mathbf{v}) = \gamma \mathbf{R} \mathbf{v} \varphi \exp(-\beta \varphi)$$

B. R. Fajen and W. H. Warren, "Behavioral dynamics of steering, obstacle avoidance, and route selection," *Journal of Experimental Psychology: Human Perception and Performance*.

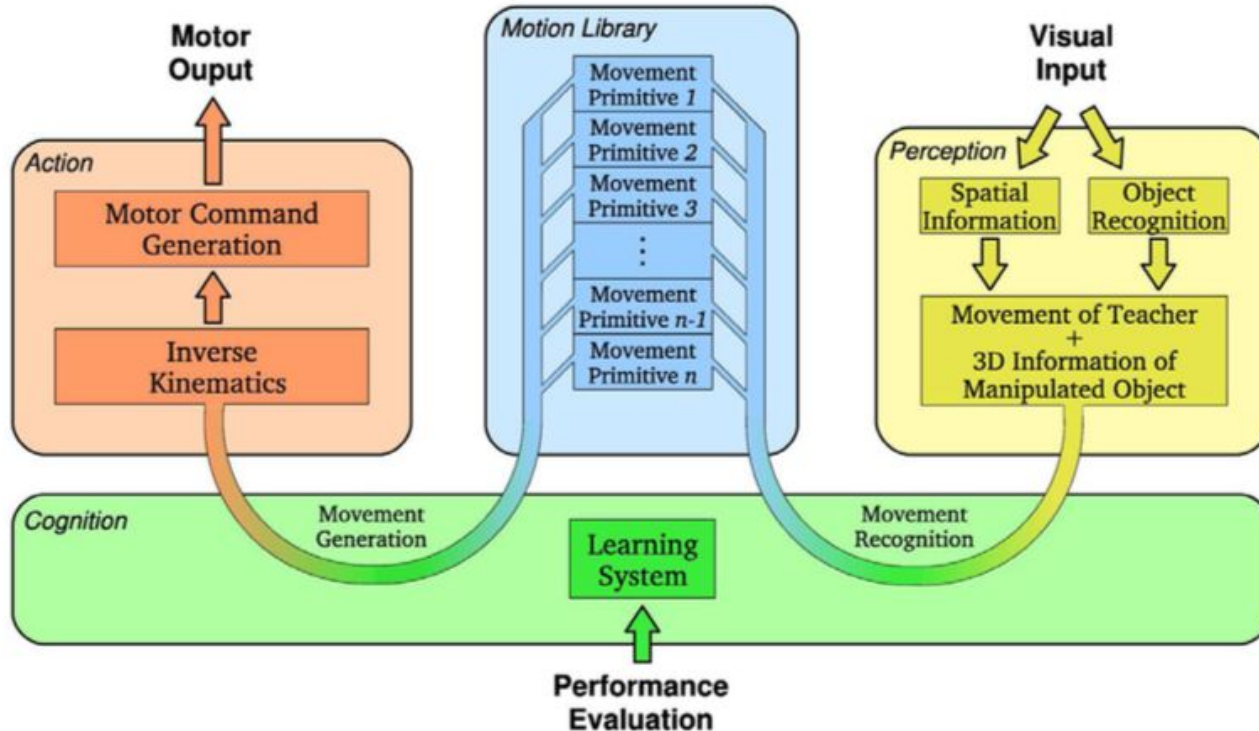
# Building Library of movements

Motion library generation:

Learning DMPs requires users to demonstrate only characteristic movements.

Movement reproduction requires only choosing a primitive, and setting its task specific parameters.

# Building Library of movements

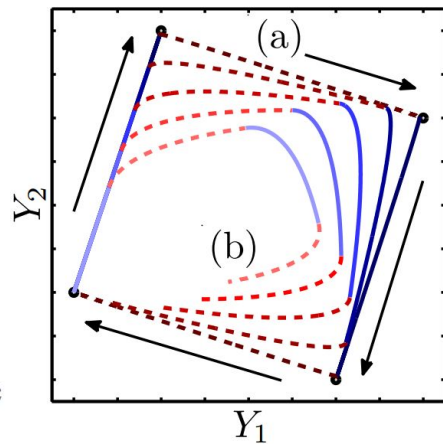


# Combining movement primitives

To generate more complex movements.

- Sequence of DMPs
- Starting execution next DMP before previous DMP has finished.
- Velocity and starting position adjusted accordingly

$$\mathbf{v}_{\text{pred}} \rightarrow \mathbf{v}_{\text{succ}} \text{ and } \mathbf{x}_{\text{pred}} \rightarrow \mathbf{x}_{\text{succ}}$$



# Experiments and results

- SARCOS slave arm
  - 7DOF arm and 3 DOF end effector

## Tasks

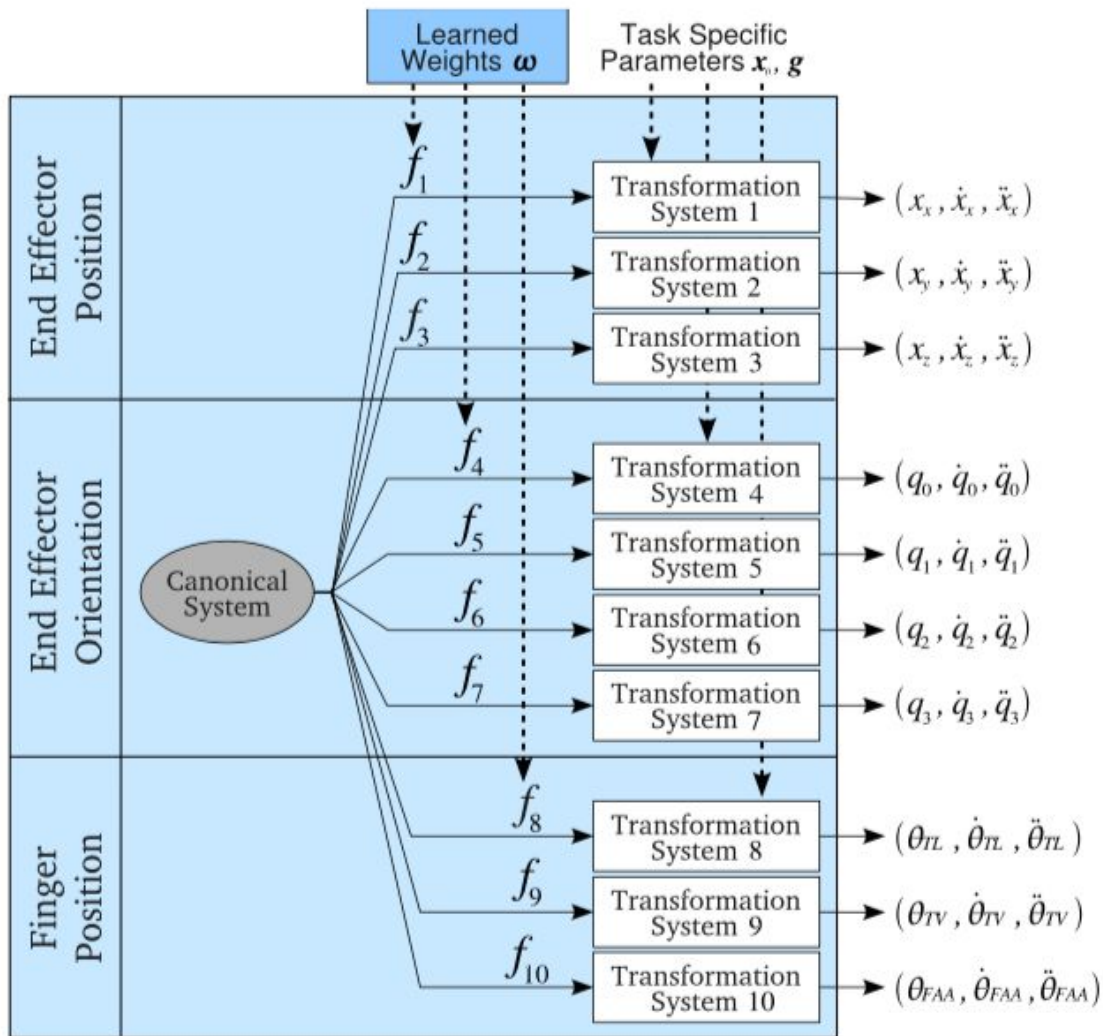
- Water pouring
- Grasping cup and placing

<https://www.youtube.com/watch?v=LuFIWNlcdfM>

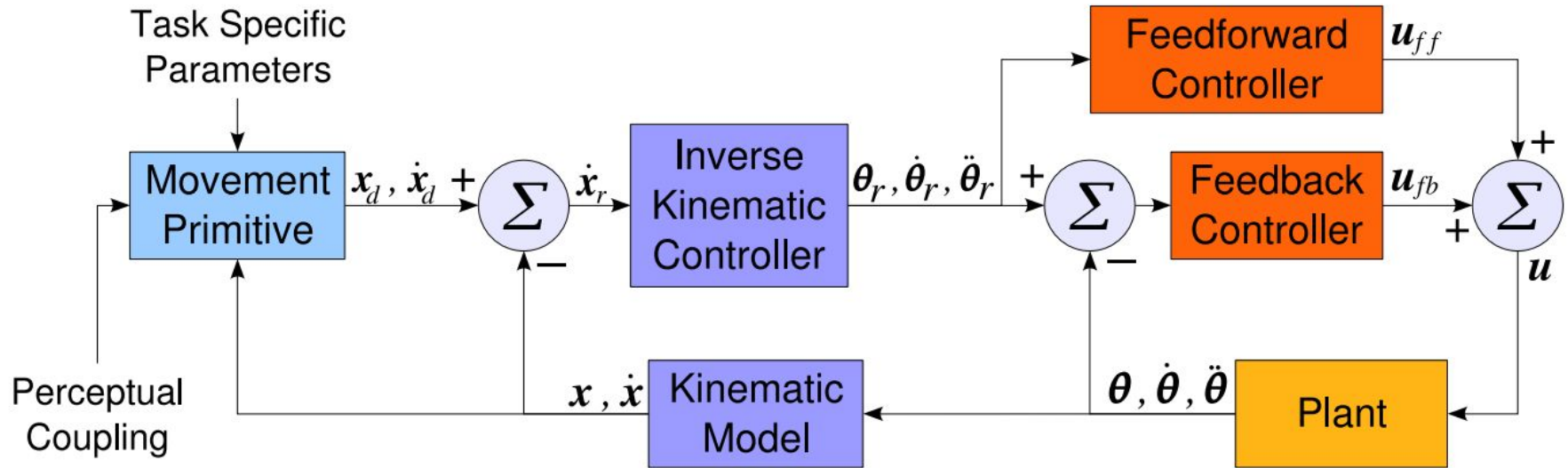
<https://www.youtube.com/watch?v=QIA9nFaU1cc>

# Experiments

- For each demonstrated movement a DMP was learnt and added to the motion library.



# DMP control diagram



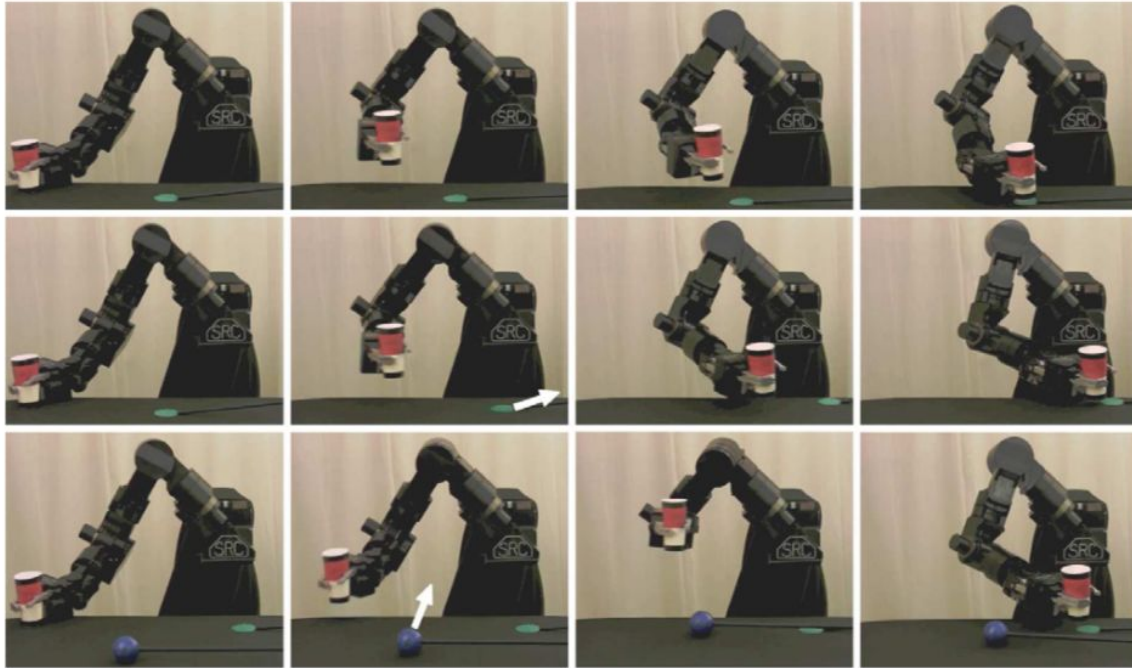


# Experiments and results

- SARCOS slave arm
- 

## Tasks

- 
- Grasping cup and placing



# Conclusion

## Pros:

- Online
- robust to perturbations (obstacle avoidance)
- Flexibility in defining trajectory
- scaled and translated arbitrarily

## Cons

- an inverse kinematics
- Sequencing
- (Object shape/orientation/affordance not considered??)

**Thank you**

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