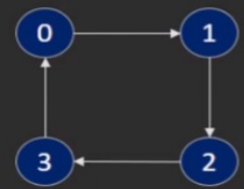
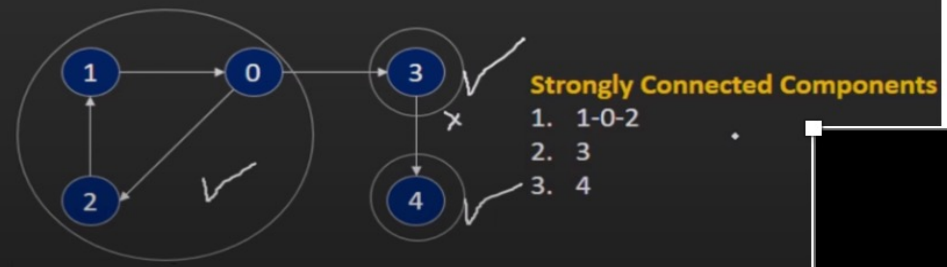


1. A directed graph is **strongly connected** if there is a path between all pairs of vertices.

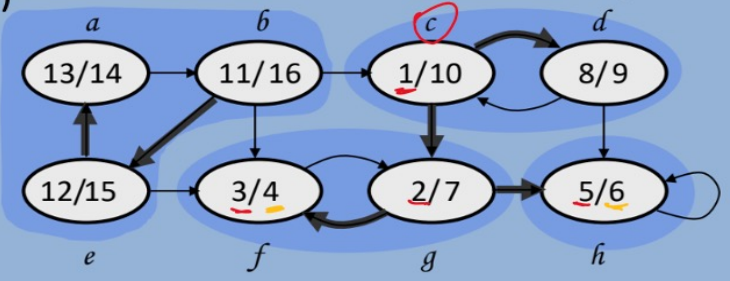


2. A **strongly connected component (SCC)** of a directed graph is a maximal strongly connected subgraph.



d (starting time) and f (finishing time)

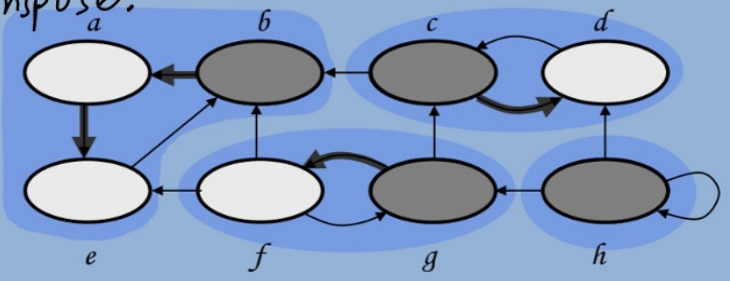
Example



DFS on the initial graph G

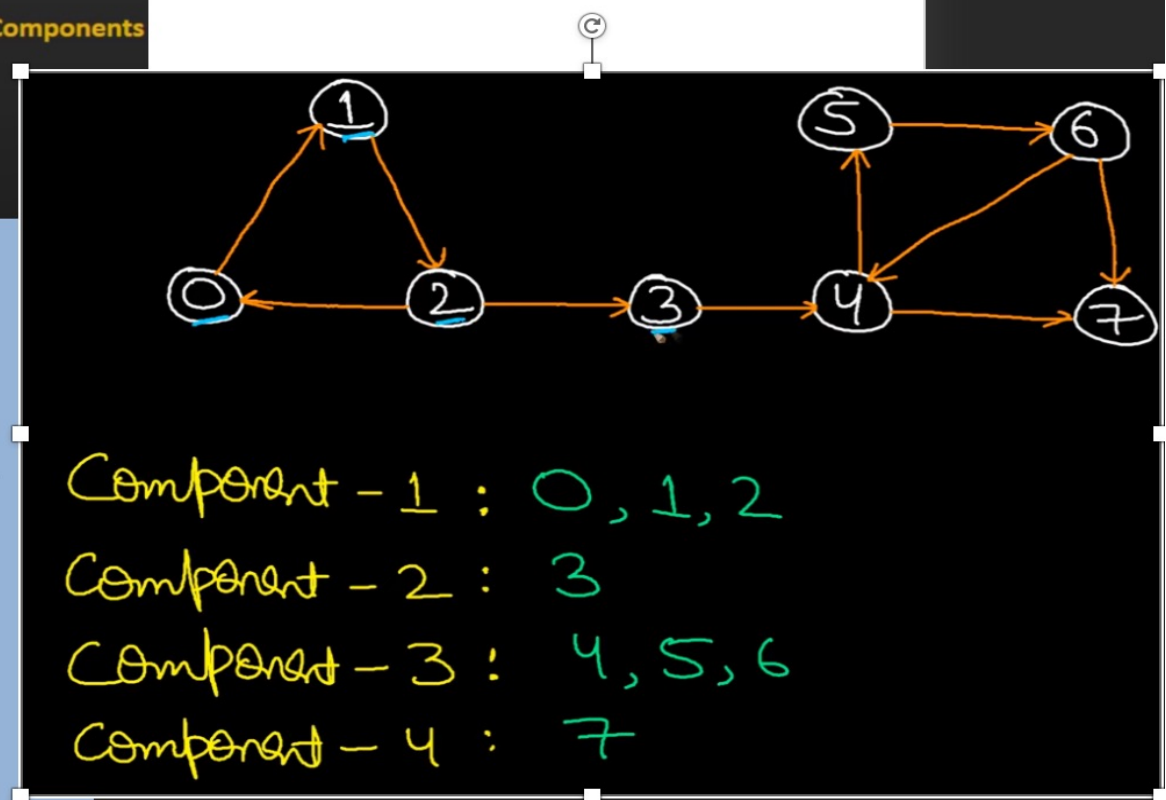
b	e	a	c	d	g	h	f
16	15	14	10	9	7	6	4

Transpose:



- DFS on G^T :
- start at b: visit a, e
 - start at c: visit d
 - start at g: visit f
 - start at h

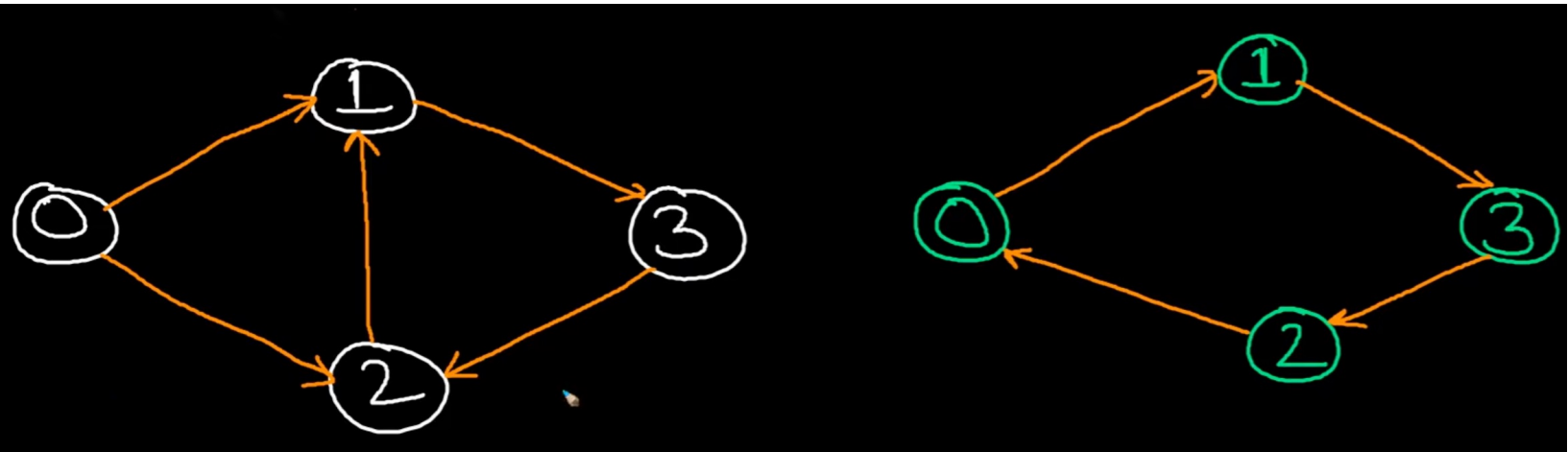
Strongly connected components: $C_1 = \{a, b, e\}$, $C_2 = \{c, d\}$, $C_3 = \{f, g\}$, $C_4 = \{h\}$



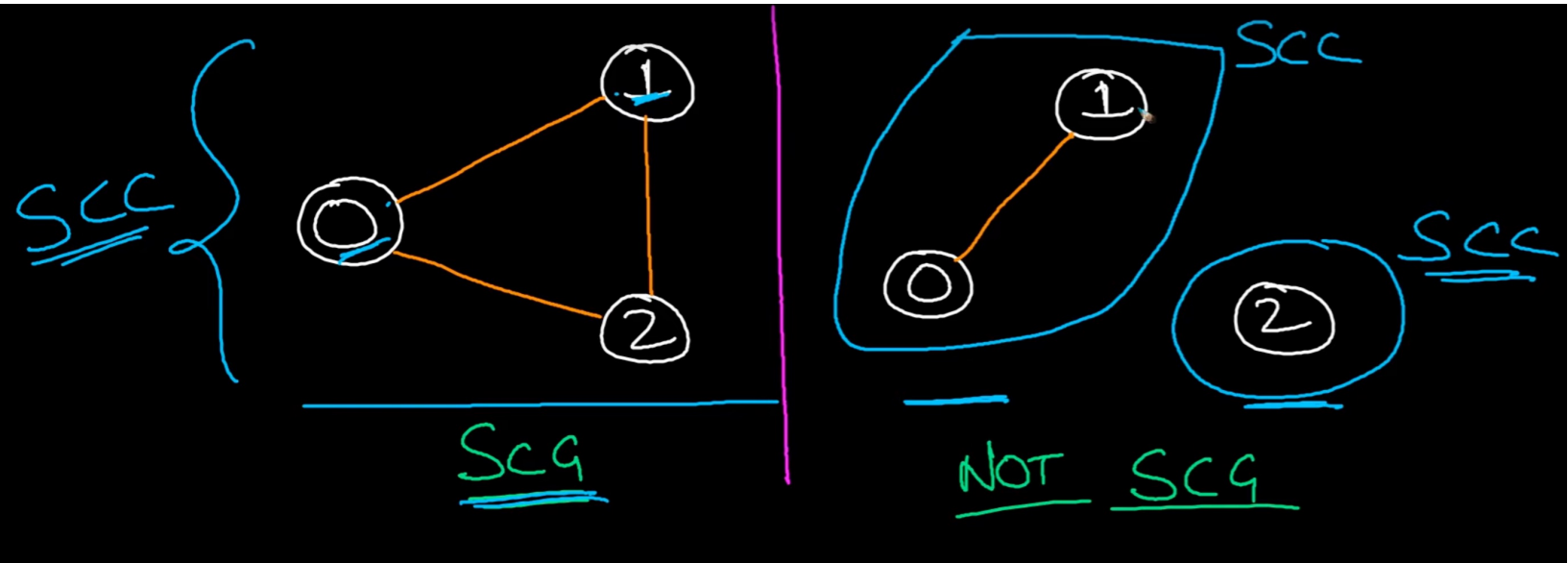
Component - 1 : 0, 1, 2
Component - 2 : 3
Component - 3 : 4, 5, 6
Component - 4 : 7

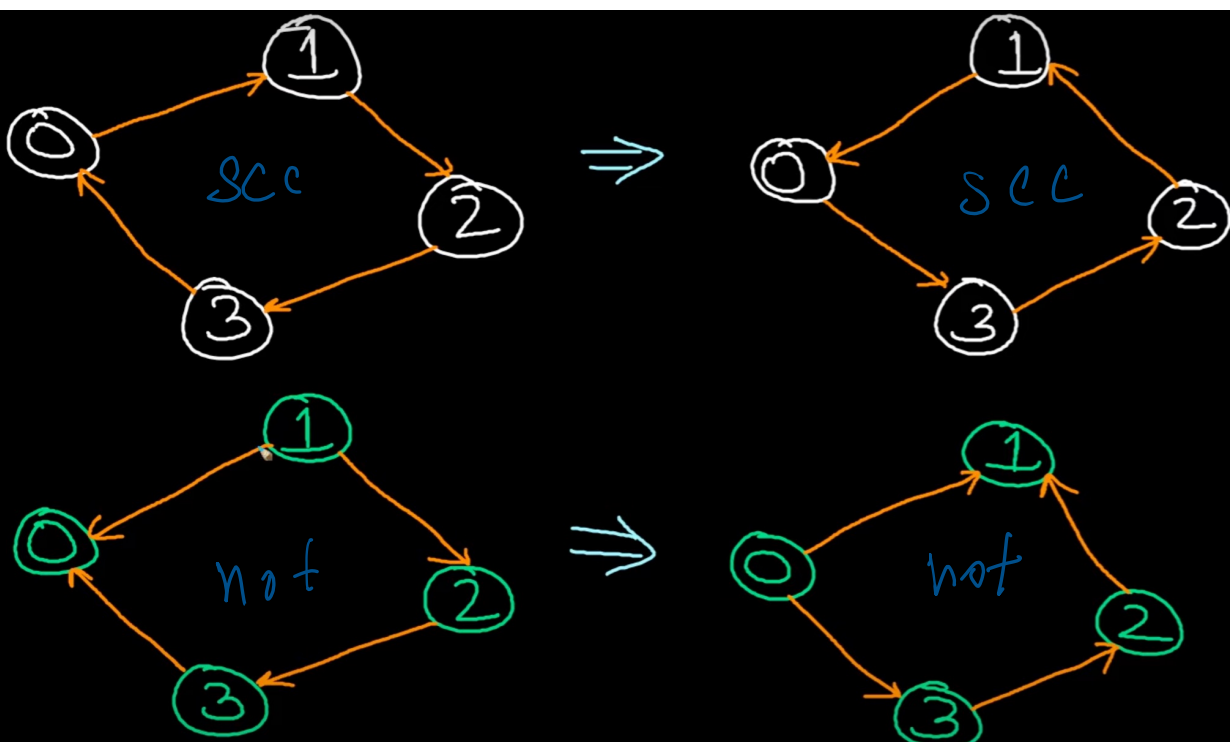
Single node is always strongly connected

Scc:if we can reach from every vertex to every vertex in a component

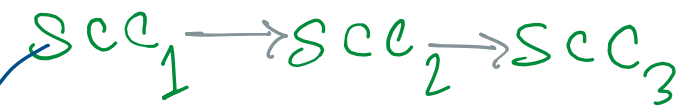


We can reach to every vertex if we start from 0 but
If we start from 1 ,we cant reach 2 and so it is not
scc





NOTE: On reversing all edges of the graph, the type of graph won't change. (scc will remain as scc)



If we start DFS From scc_1 , we can traverse all the nodes from scc_1 to scc_3

When we jump manually component will be discovered.

Time com. Of Kosaraju Algorithm : $3(v+e)$
As it takes 3 steps

But if we do the same after transposing, we can't go from scc_1 to scc_2 , we have to create a manual path for this