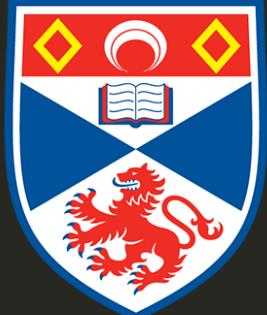


Lecture 1: distance sampling & density surface models



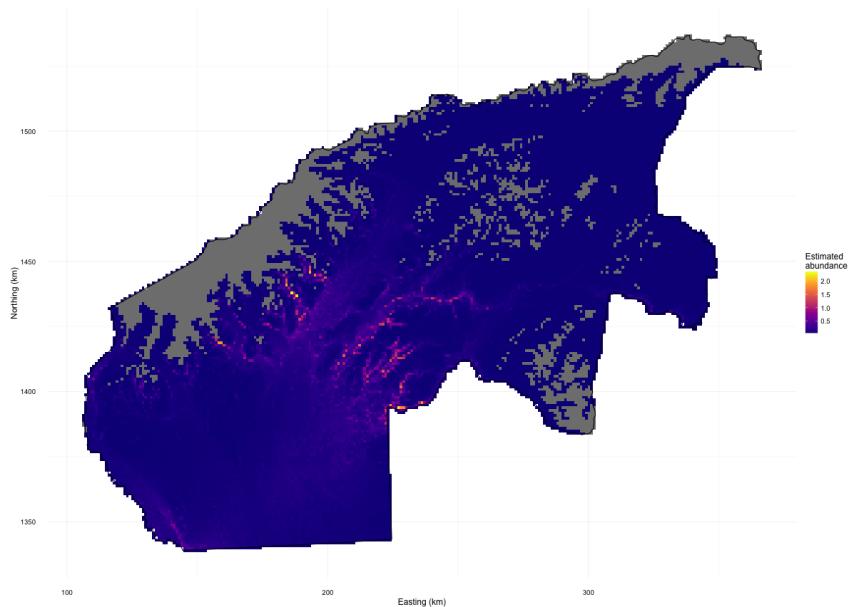
University of
St Andrews

Why model abundance spatially?

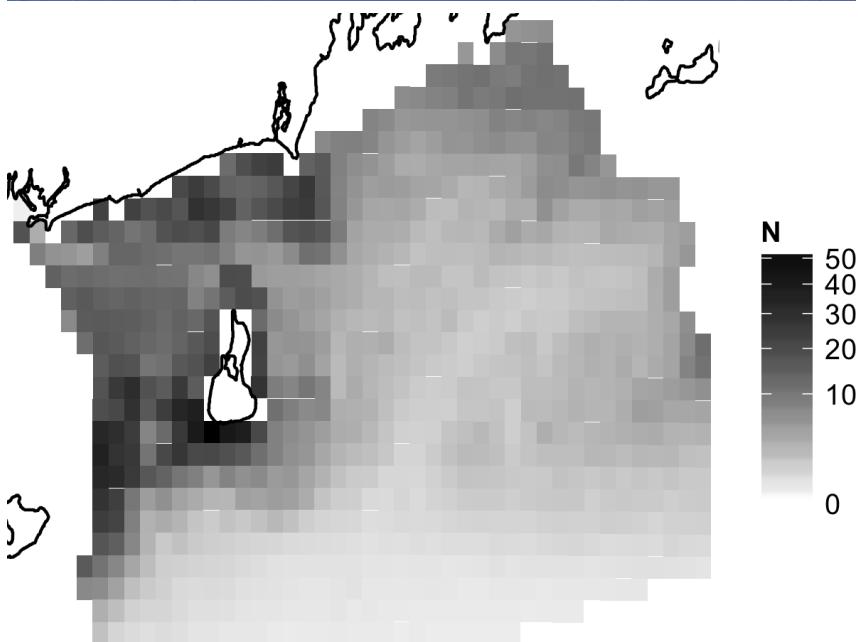
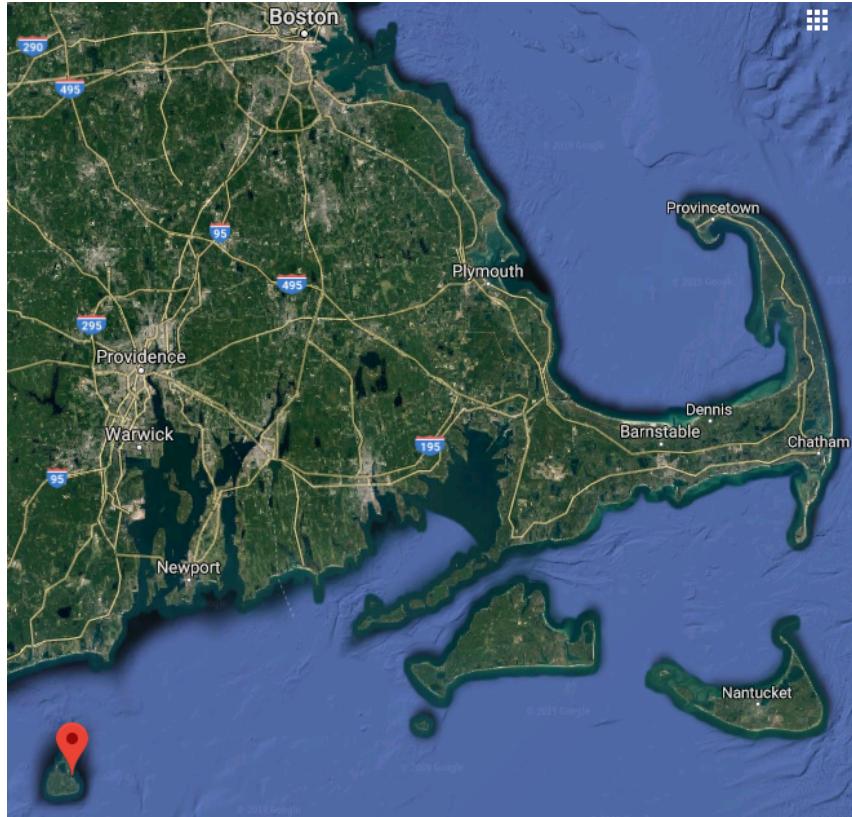
Maps



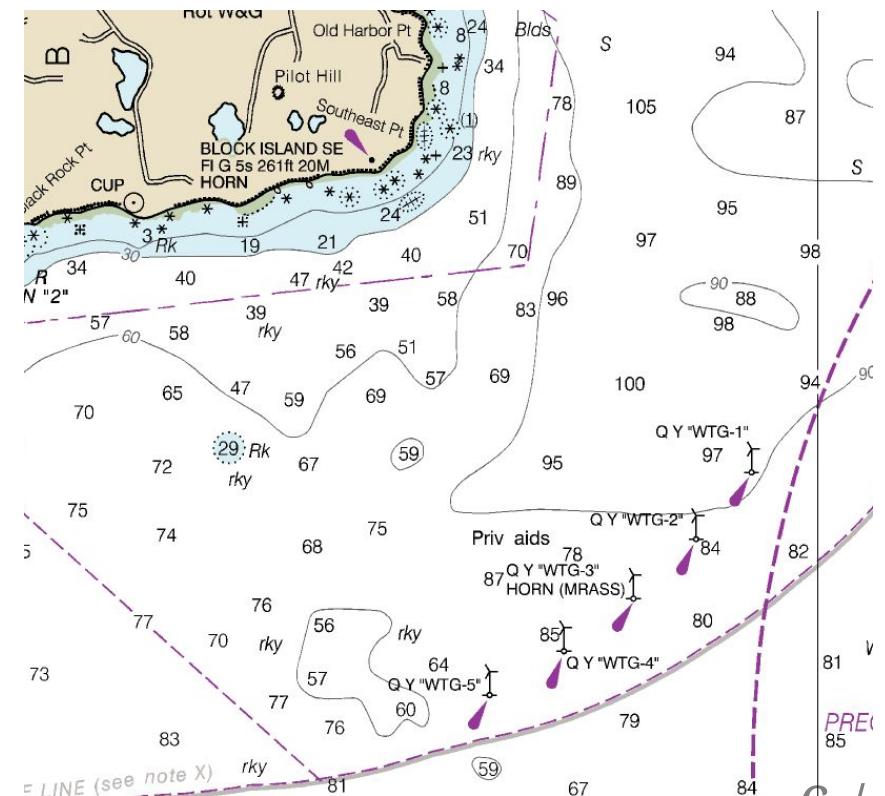
- Black bears in Alaska
- Heterogeneous spatial distribution



Spatial decision making

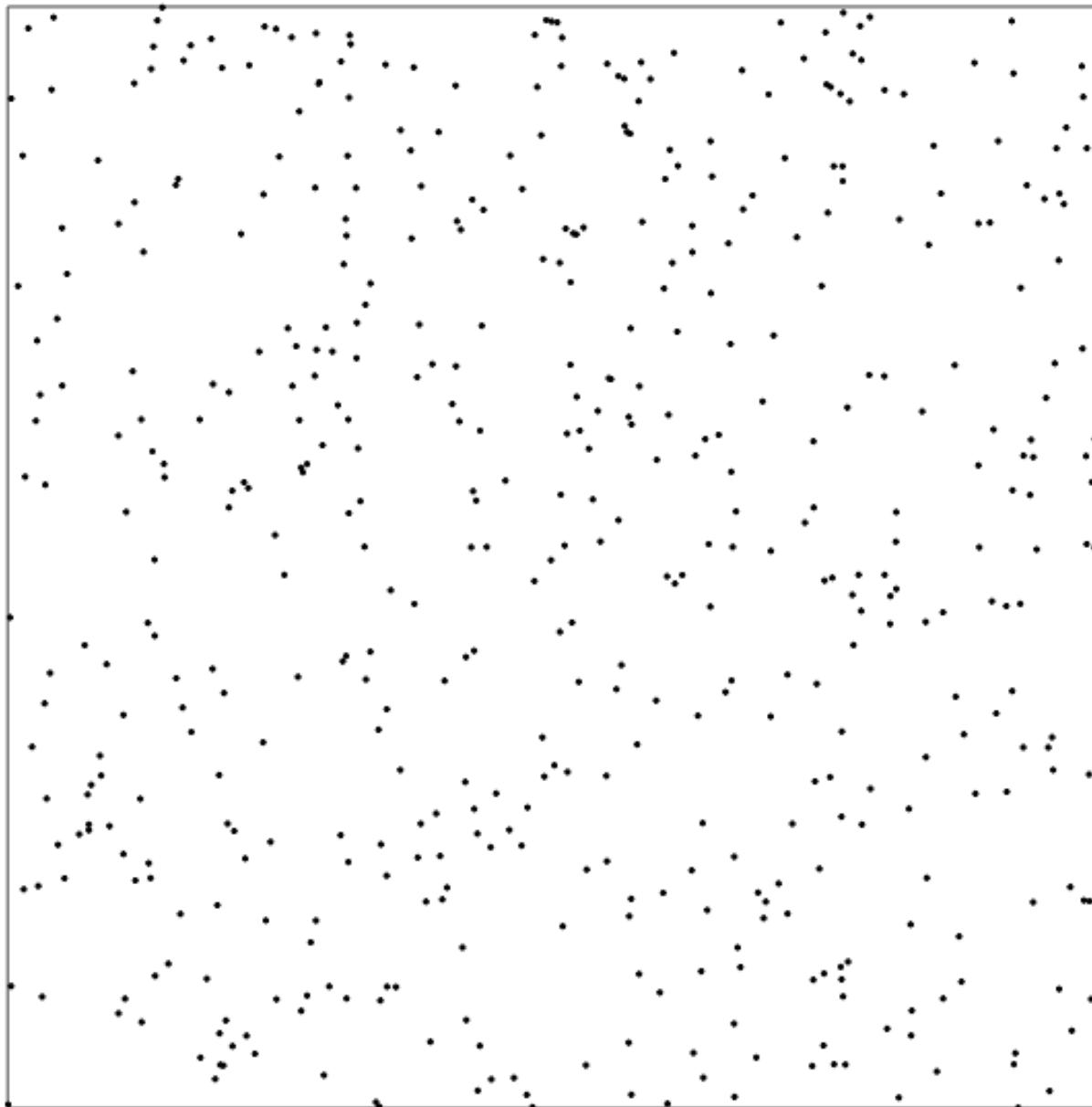


- Block Island, Rhode Island
- First offshore wind in the USA
- Spatial impact assessment

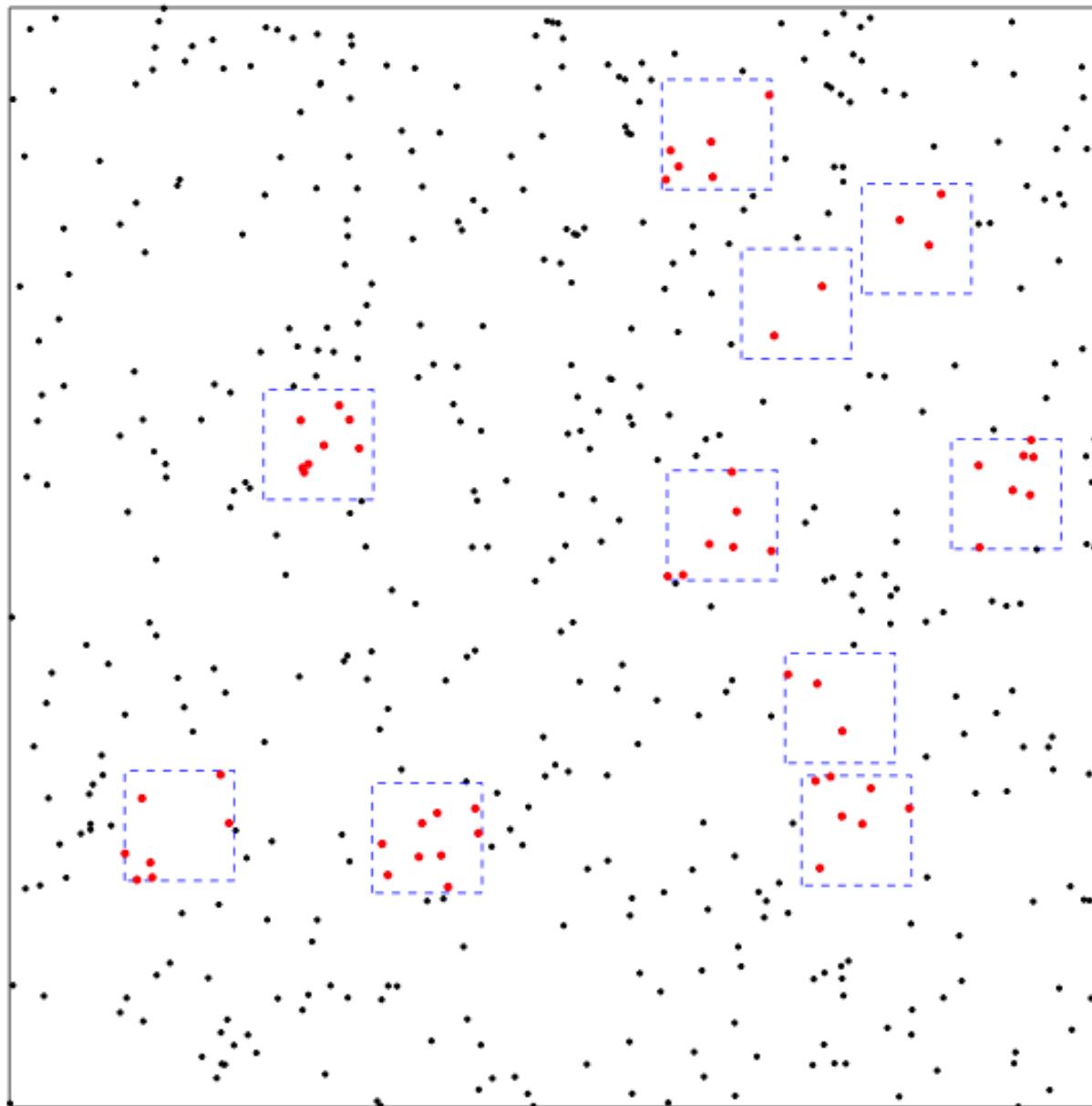


A quick tour of distance sampling

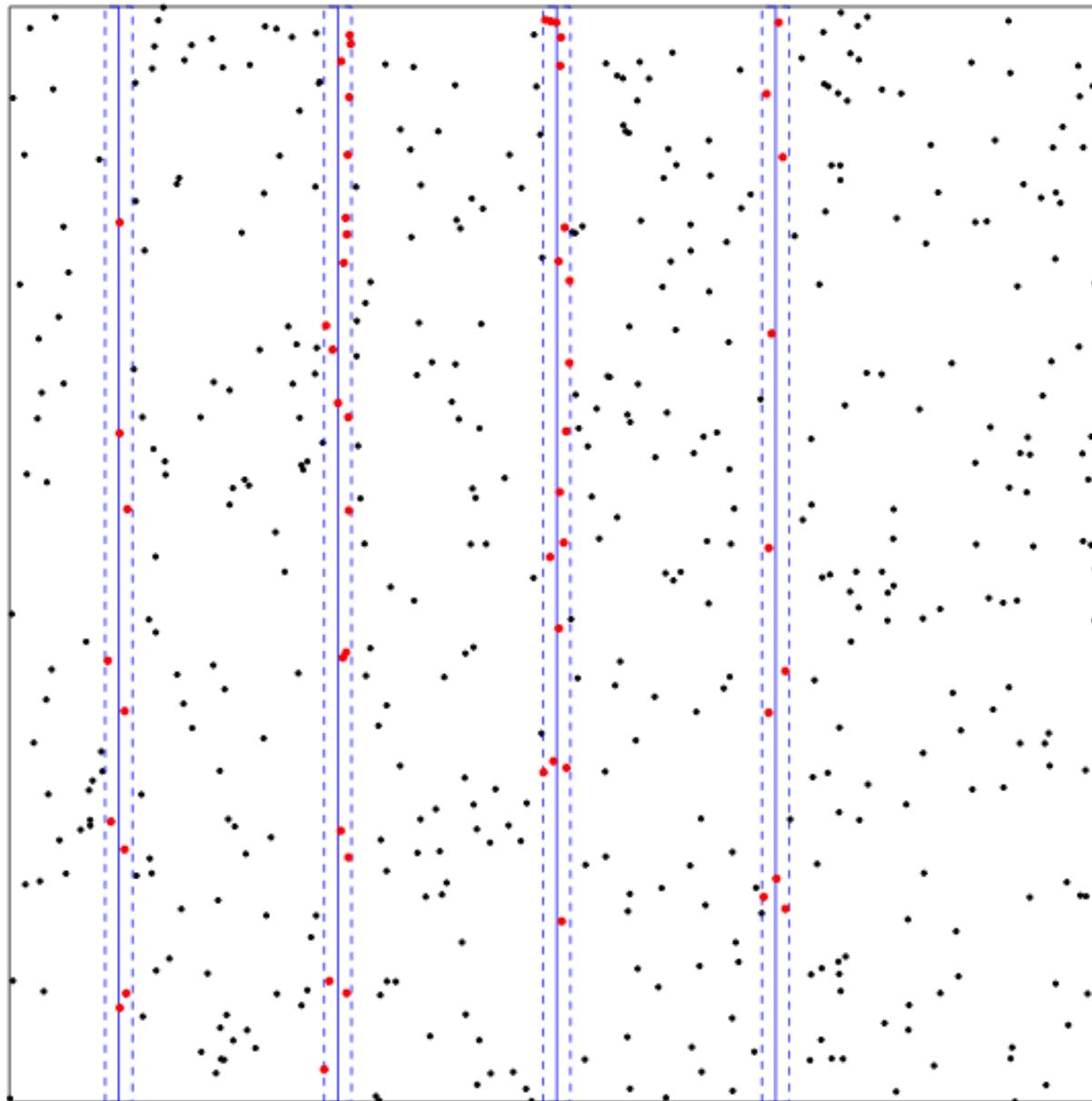
How many animals are there? (500!)



Plot sampling



Strip transect



Detectability matters!

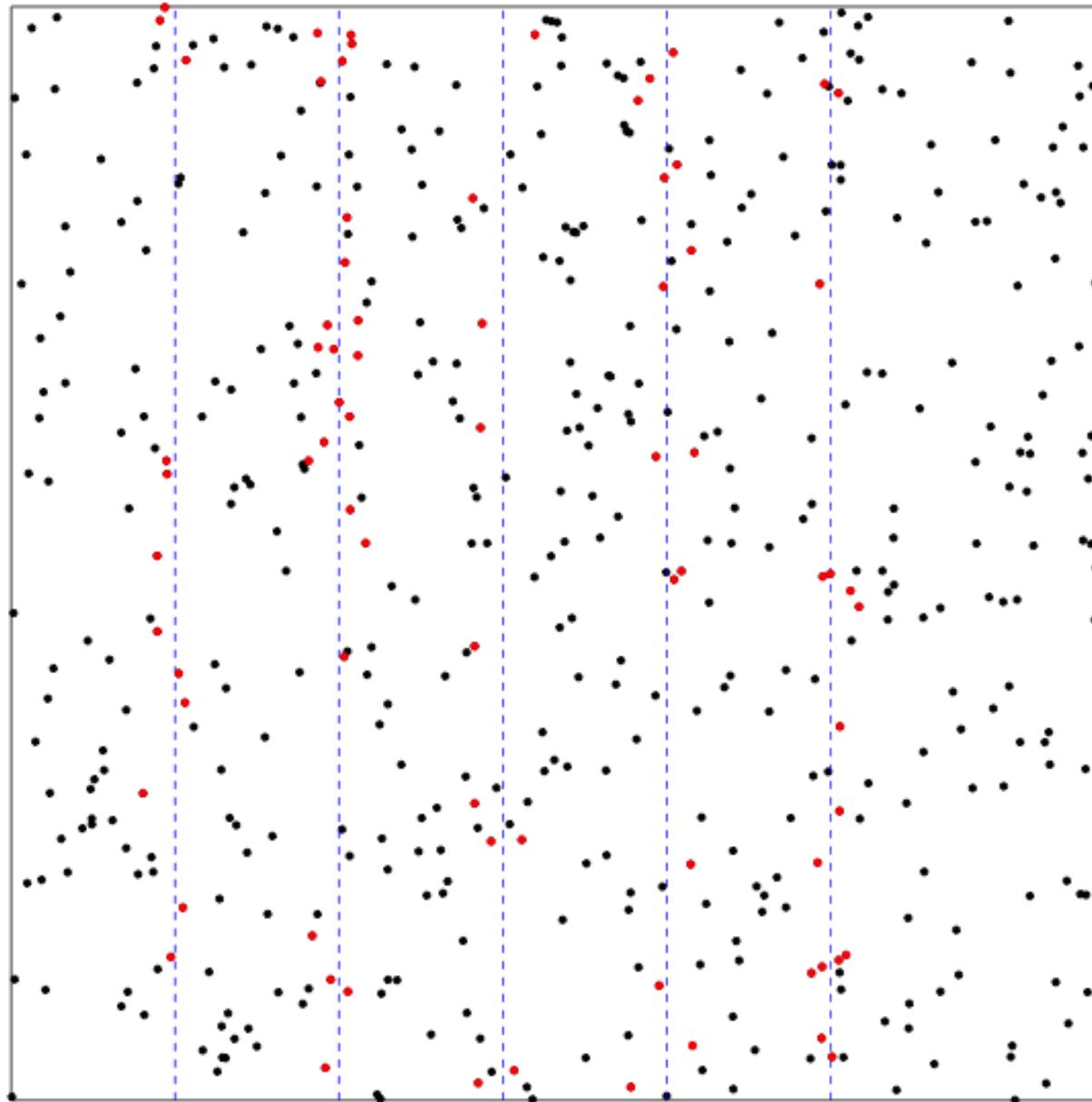
- We've assumed certain detection so far
- This rarely happens in the field
- Distance to the **object** is important
- Detectability should decrease with increasing distance

Distance and detectability

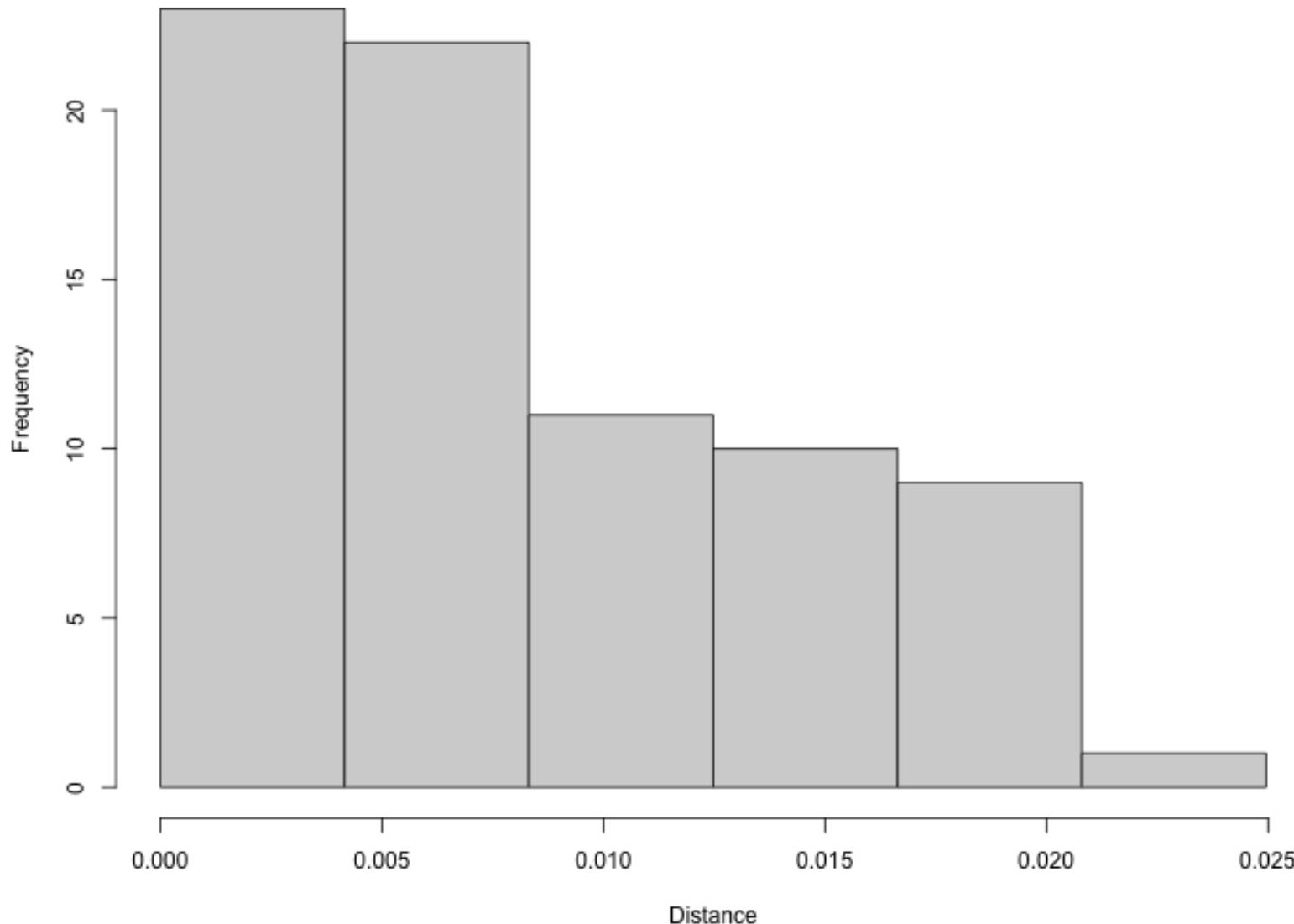


Credit Scott and Mary Flanders

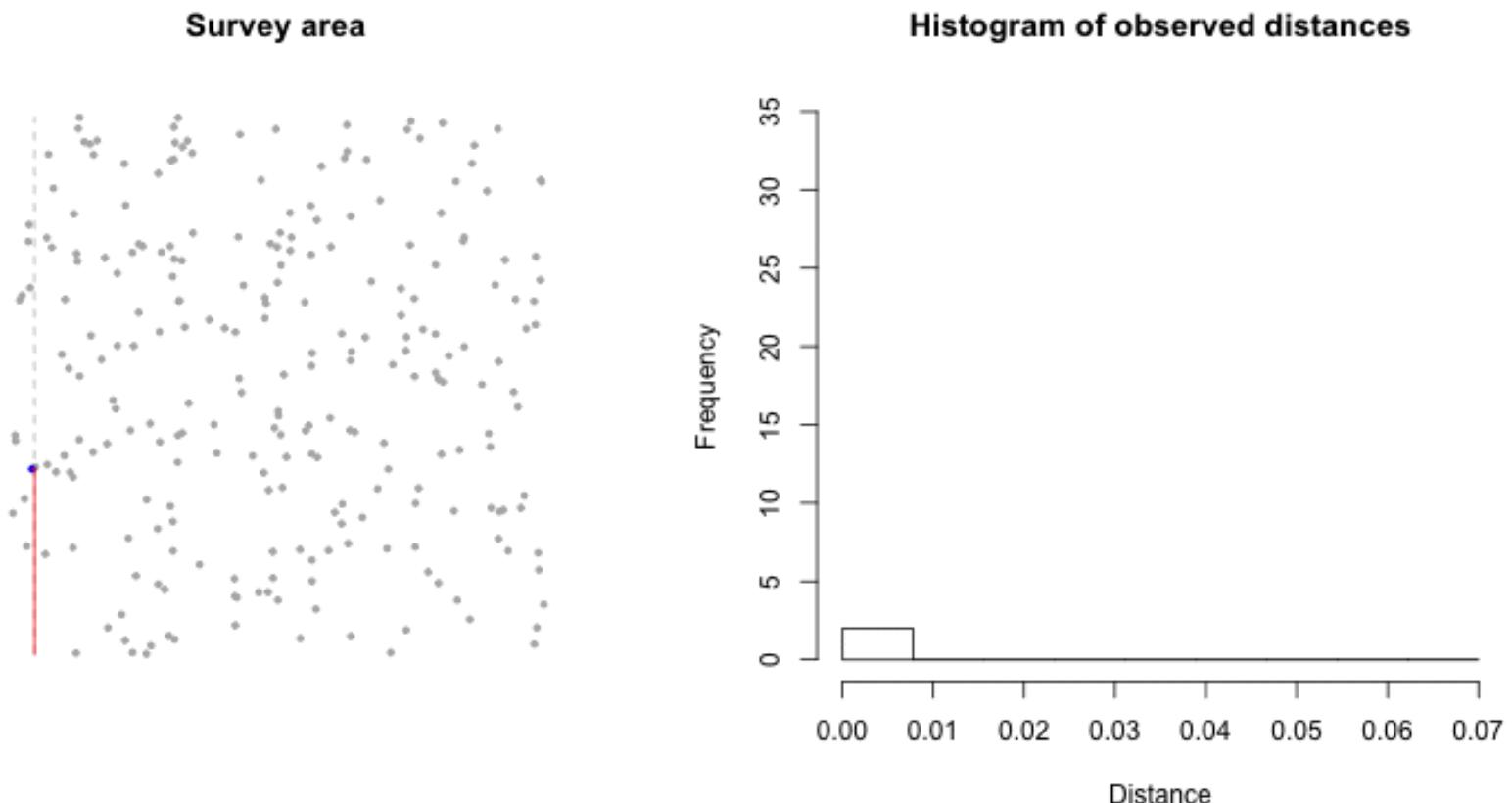
Line transect



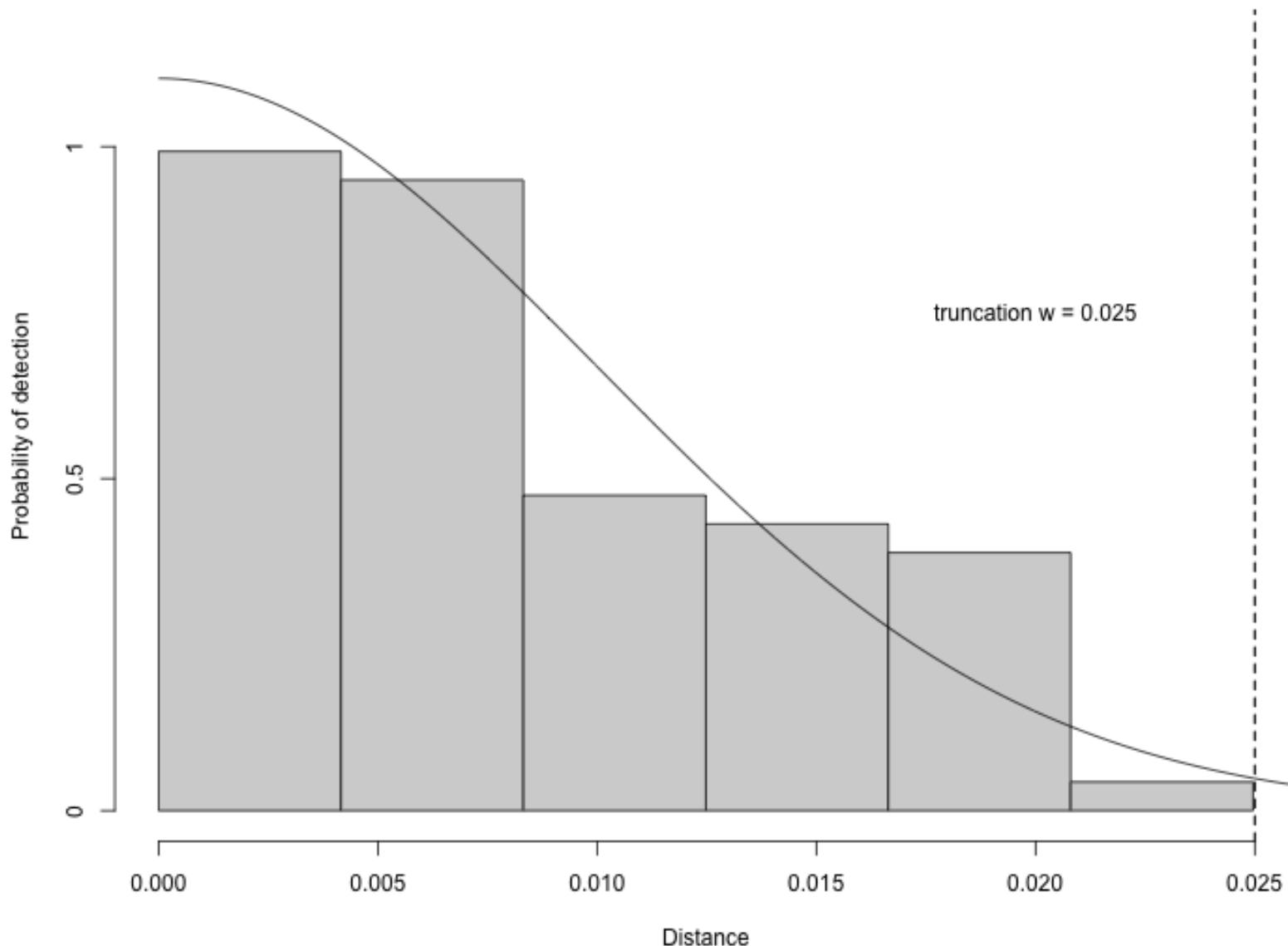
Line transects - distances



Distance sampling animation



Detection function



Distance sampling estimate

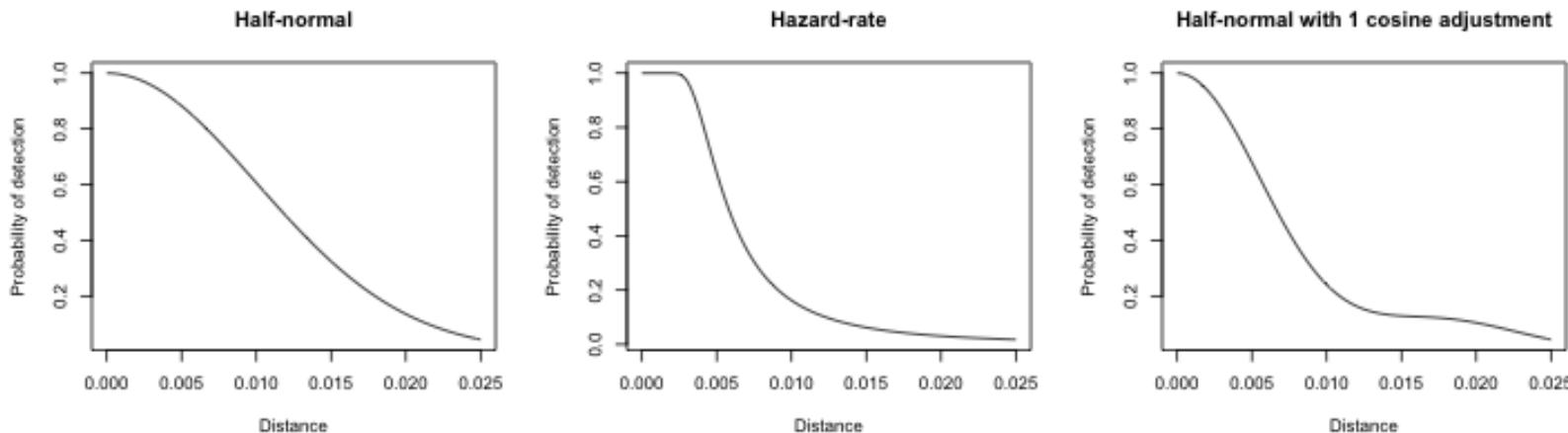
- Surveyed 5 lines (each area $1 * 2 * 0.025$)
 - Total covered area $a = 5 * 1 * (2 * 0.025) = 0.25$
- Probability of detection $\hat{p} = 0.546$
- Saw $n = 76$ animals
- Inflate to $n/\hat{p} = 139.198$
- Estimated density $\hat{D} = \frac{n/\hat{p}}{a} = 556.8$
- Total area $A = 1$
- Estimated abundance $\hat{N} = \hat{D}A = 556.8$

Distance sampling assumptions

1. Animals are distributed independent of lines
2. On the line, detection is certain
3. Distances are recorded correctly
4. Animals don't move before detection

What are detection functions?

- $\mathbb{P}(\text{detection} \mid \text{animal at distance } x)$
- (But we want $\mathbb{P}(\text{detection}) = \hat{p}$)
- "Integrate out distance" == "area under curve" == \hat{p}
- Many different forms, depending on the data
- All share some characteristics



Fitting detection functions (in R!)

- Using the package Distance
- Function `ds()` does most of the work

```
library(Distance)
df_hn <- ds(distdata, truncation=6000)
```

More on this in the practical!

Horvitz-Thompson-like estimators

- Once we have \hat{p} how do we get \hat{N} ?
- Rescale the (flat) density and extrapolate

$$\hat{N} = \frac{\text{study area}}{\text{covered area}} \sum_{i=1}^n \frac{s_i}{\hat{p}_i}$$

- s_i are group/cluster sizes
- \hat{p}_i is the detection probability (from detection function)

Why spatial modelling?

Horvitz-Thompson limitations

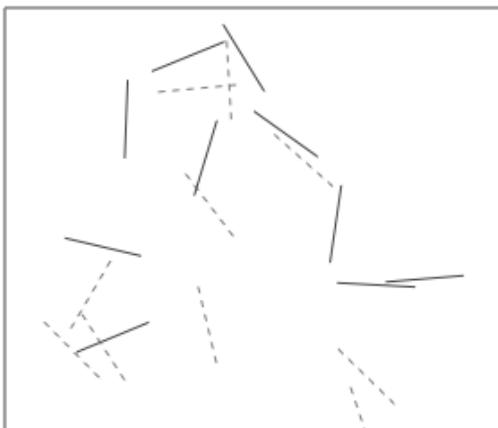
Hidden in this formula is a simple assumption

- Probability of sampling every point in the study area is equal
- Is this true? Sometimes.
- If (and only if) the design is randomised

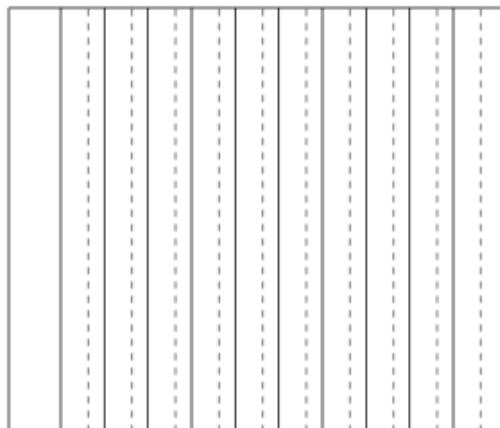
$$\hat{N} = \frac{\text{study area}}{\text{covered area}} \sum_{i=1}^n \frac{s_i}{\hat{p}_i \mathbb{P}(\text{included})}$$

Many faces of randomisation

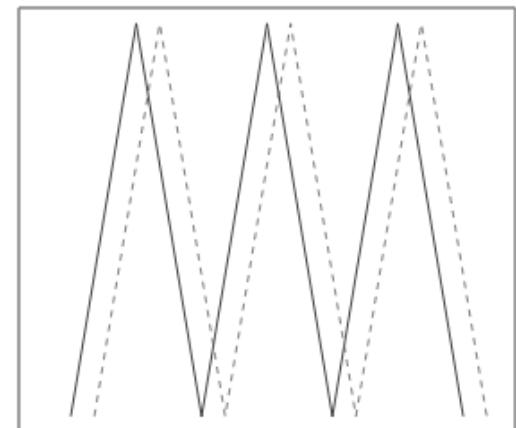
random placement



random offset parallel lines

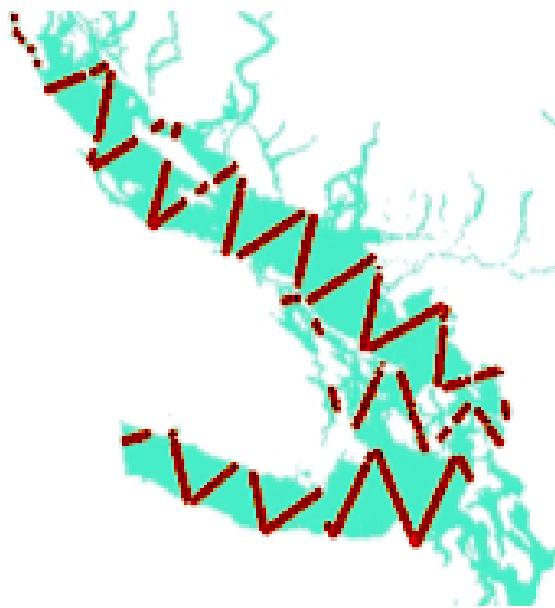


random offset zigzag



Randomisation & coverage probability

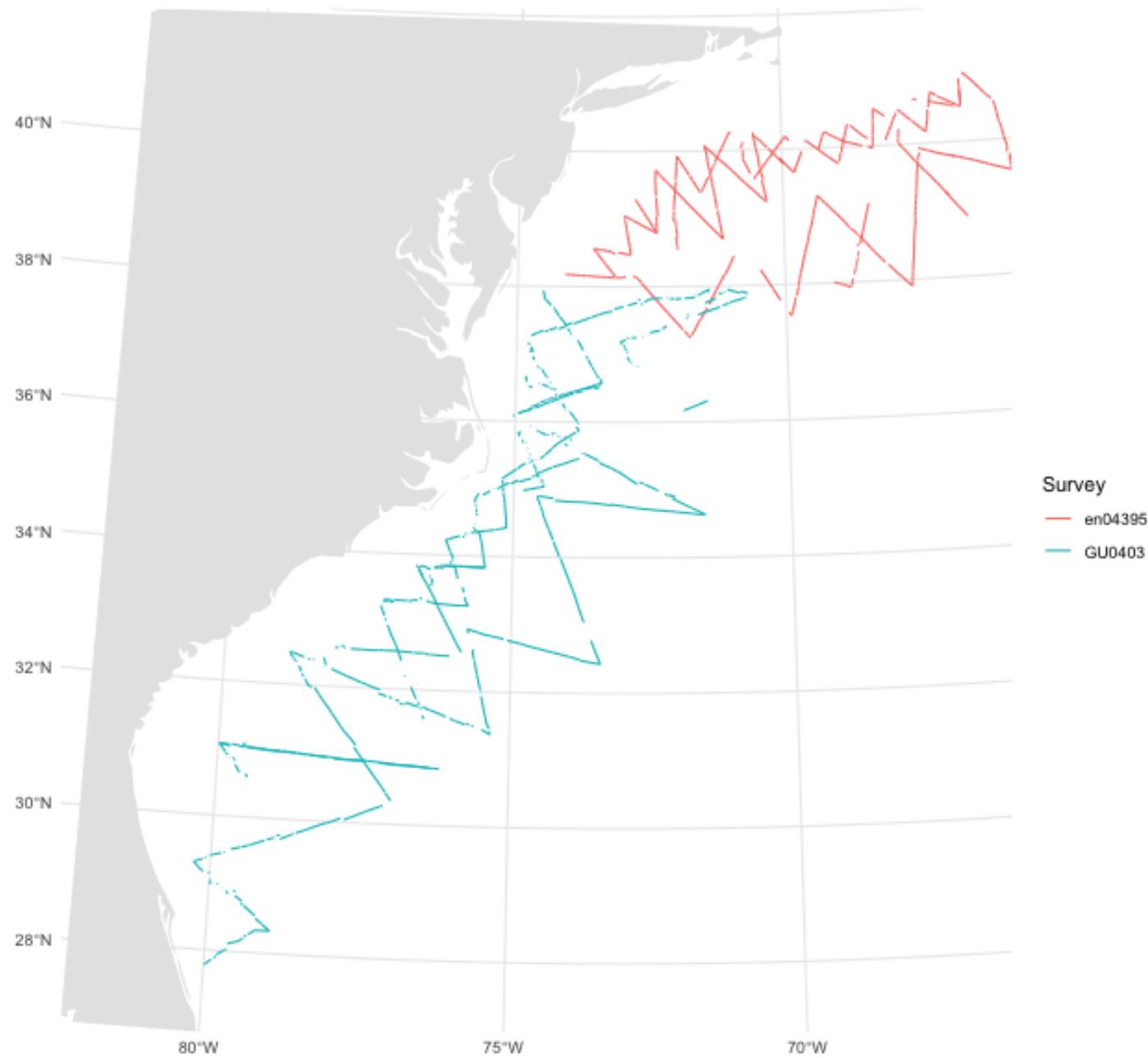
- H-T equation above assumes even coverage
- (Distance for Windows can estimate this)



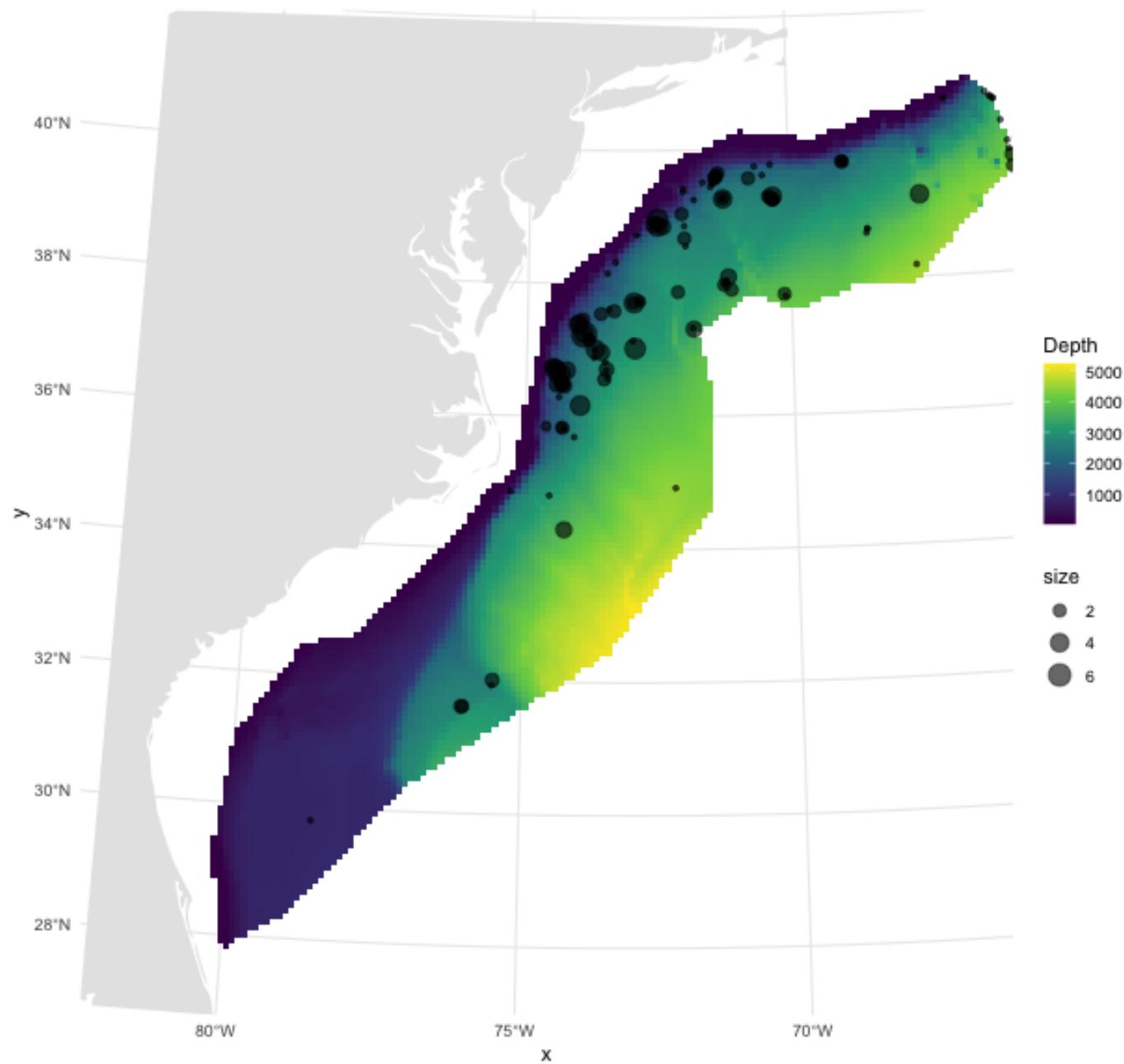
Why spatial modelling?

Extra spatial information

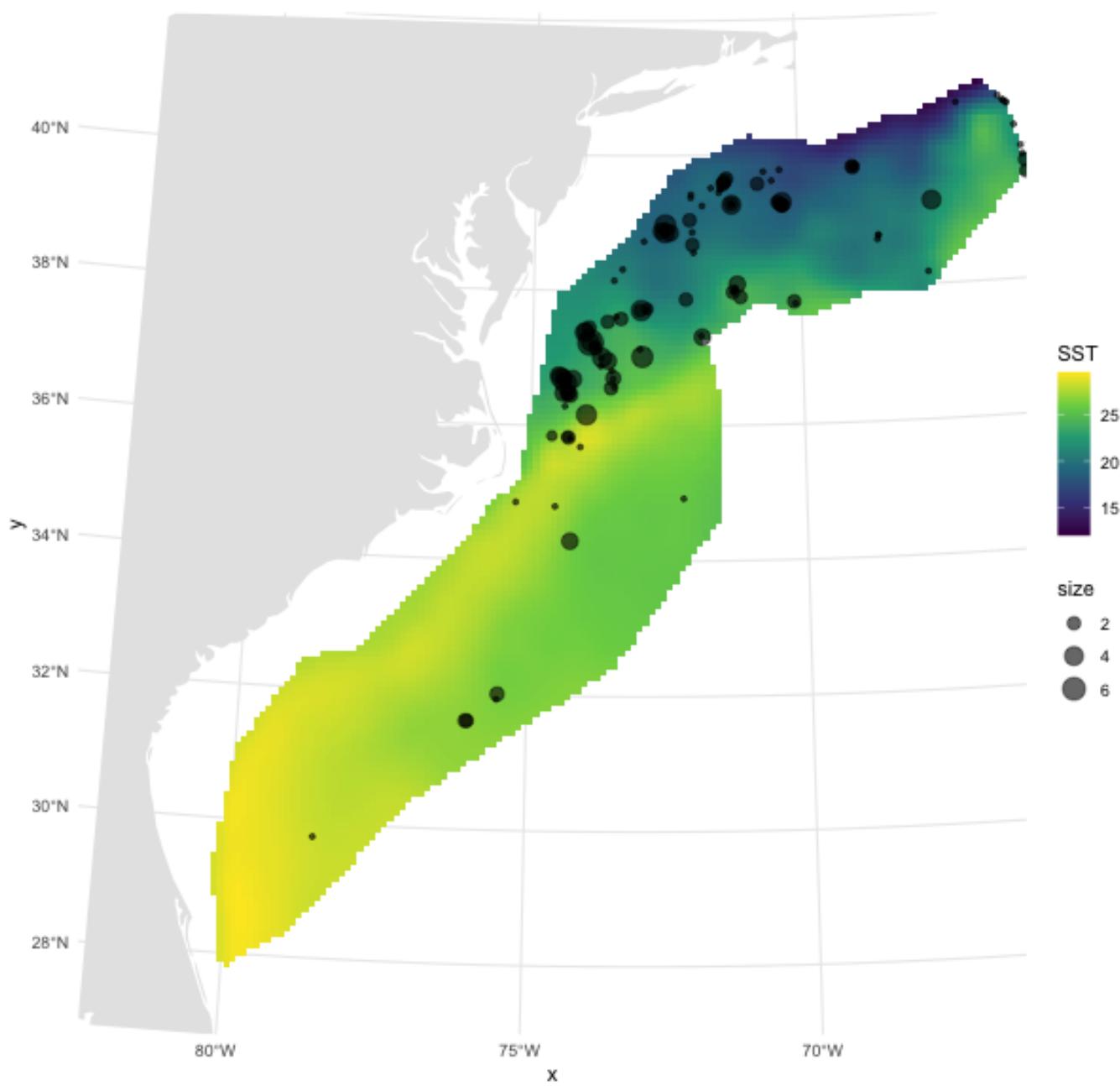
Extra information



Extra information - depth

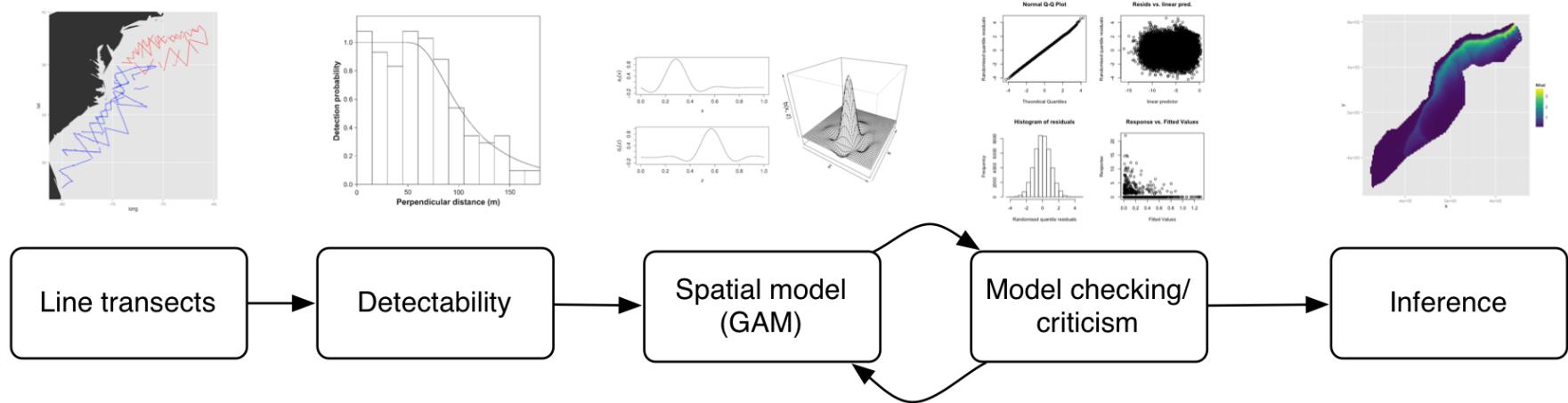


Extra information - SST



Density Surface Modelling overview

Density Surface Modelling flow diagram

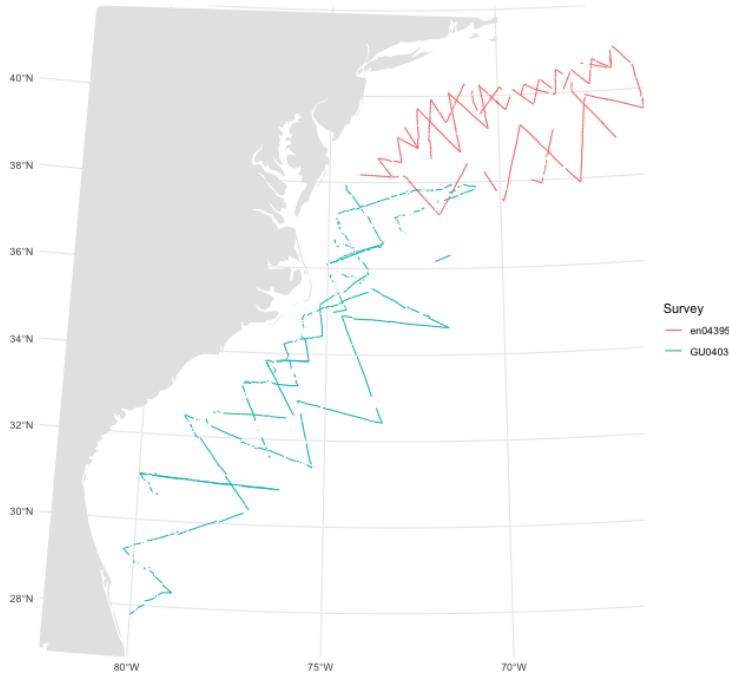


Modelling requirements

- Account for effort
- Flexible/interpretable effects
- Predictions over an arbitrary area
- Include detectability

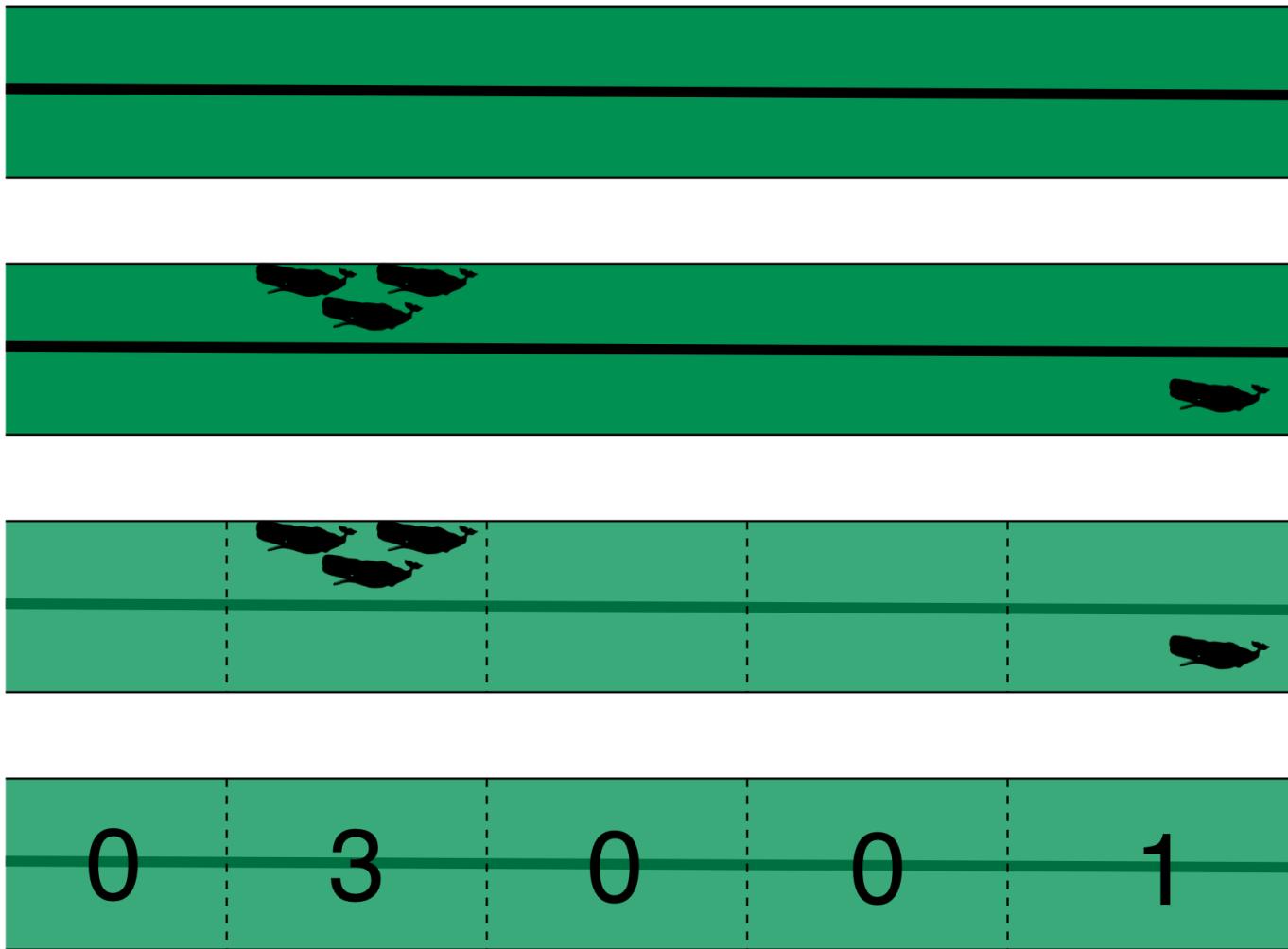
Accounting for effort

Effort



- Have transects
- Variation in counts and covars along them
- Want a sample unit w/ minimal variation
- "Segments": chunks of effort

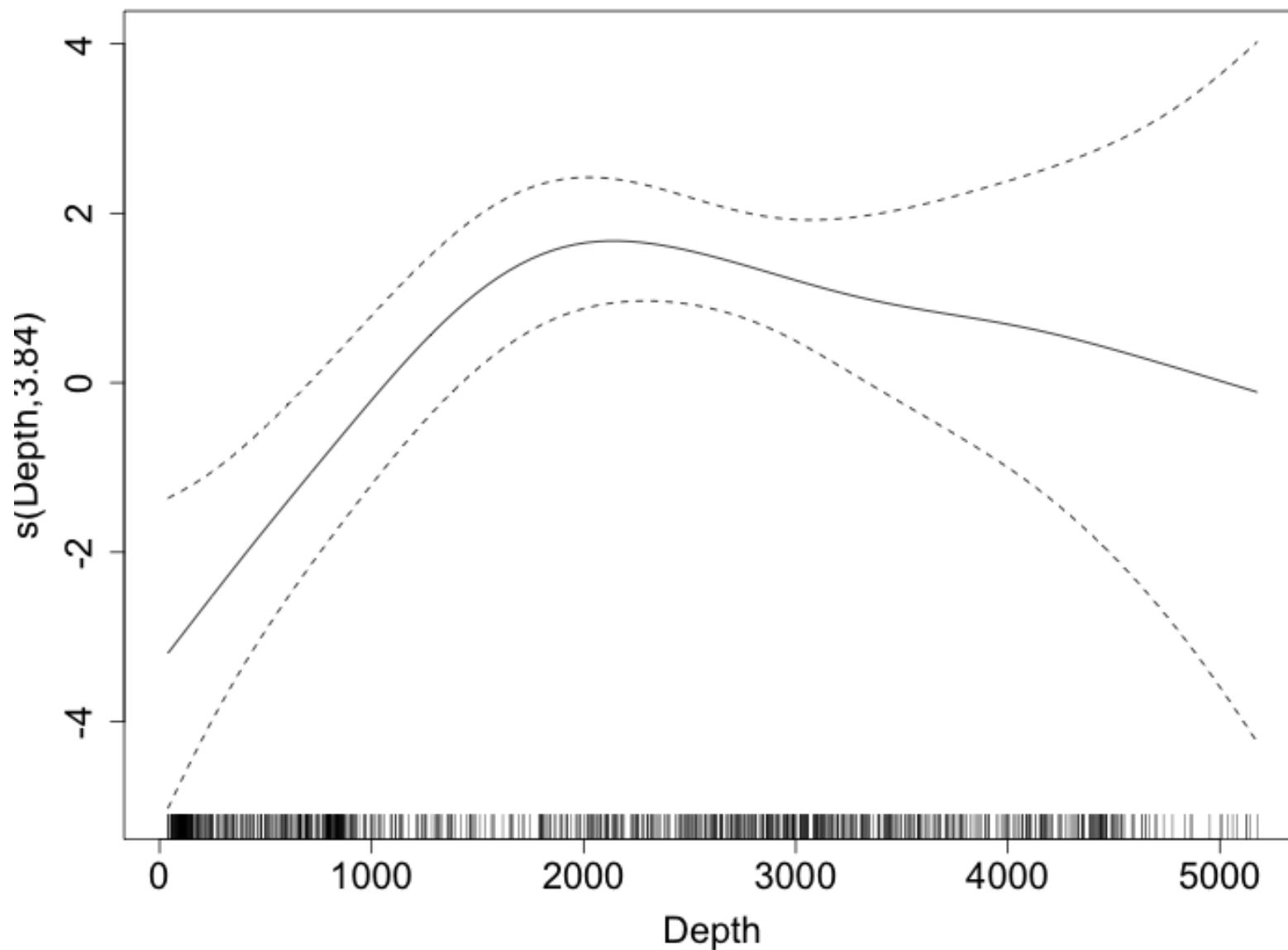
Chopping up transects



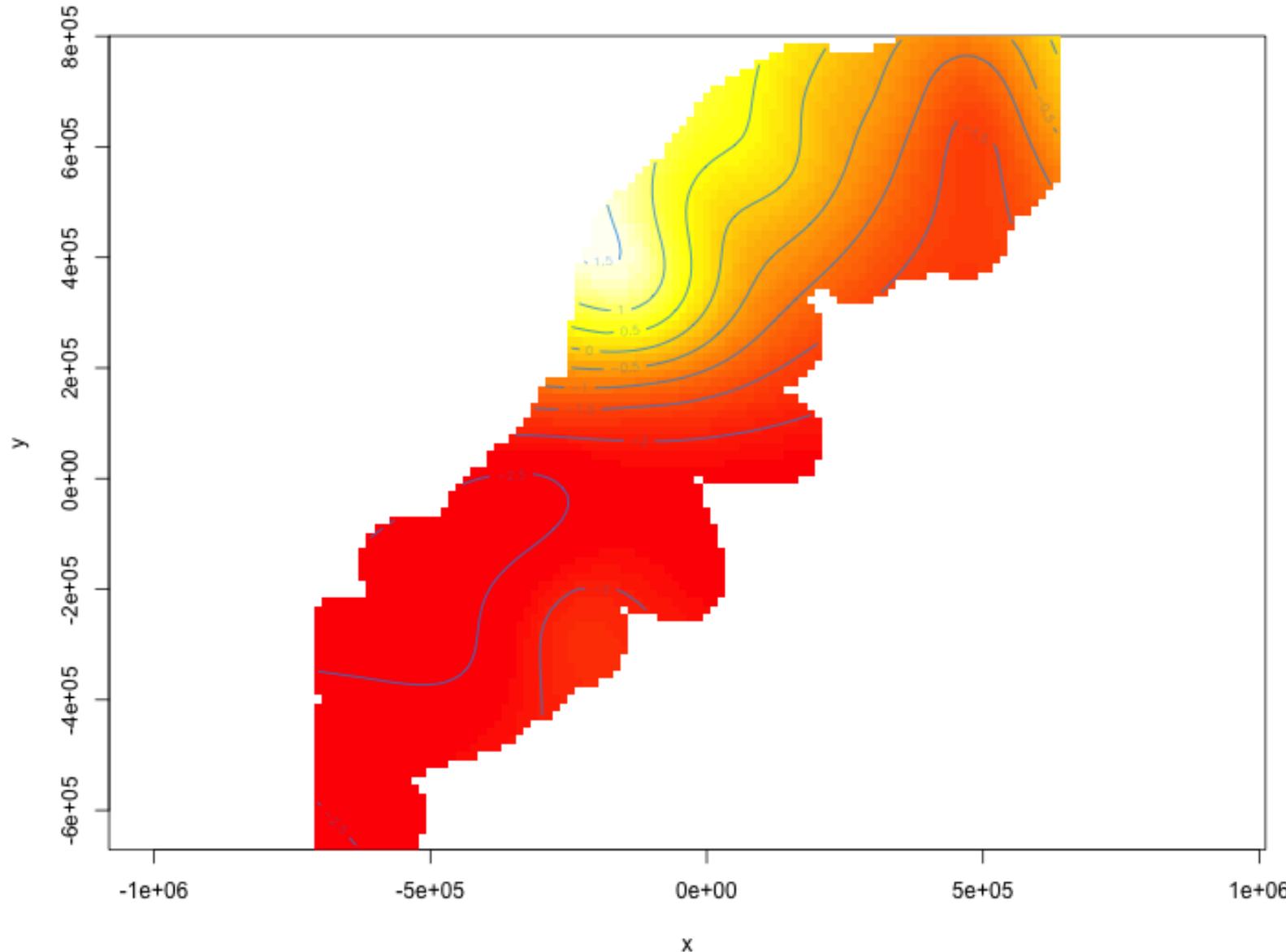
Physeter catodon by Noah Schlottman

Flexible, interpretable effects

Smooth response

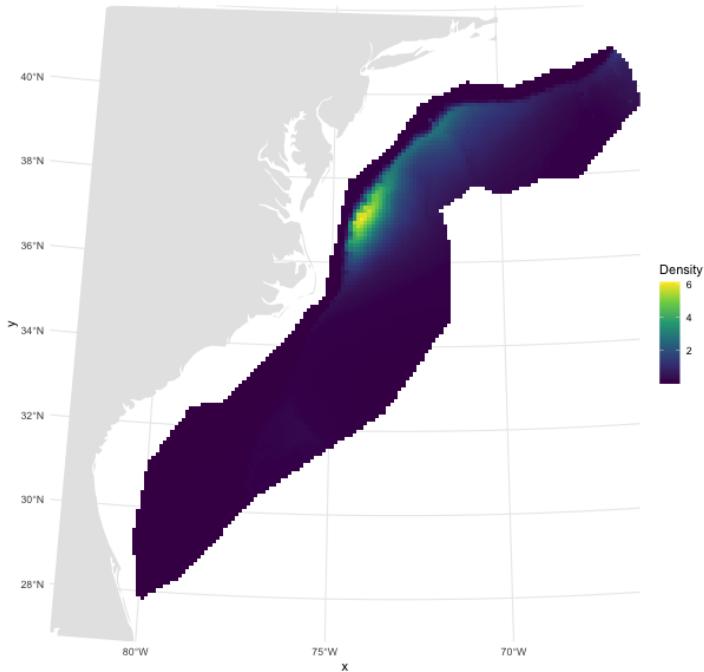


Explicit spatial effects



Predictions

Predictions over an arbitrary area



- Don't want to be restricted to predict on segments
- Predict within survey area
- Extrapolate outside (with caution)
- Working on a grid of cells

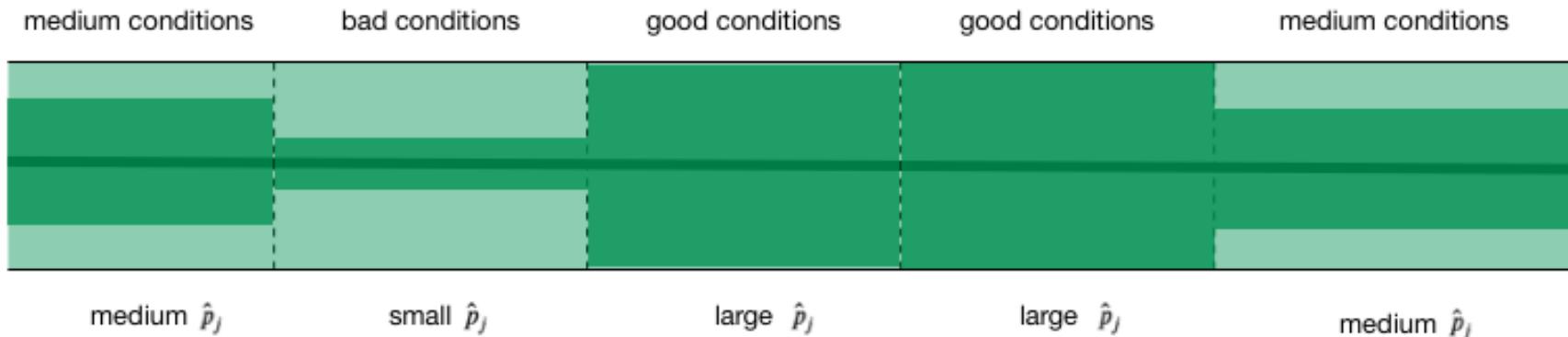
Detection information

Including detection information

- Two options:
 - adjust areas to account for **effective effort**
 - use **Horvitz-Thompson estimates** as response

Count model

- Area of each segment, A_j
 - use $A_j \hat{p}_j$
- ☁ effective strip width ($\hat{\mu} = w \hat{p}$)
- Response is counts per segment
- "Adjusting for effort"

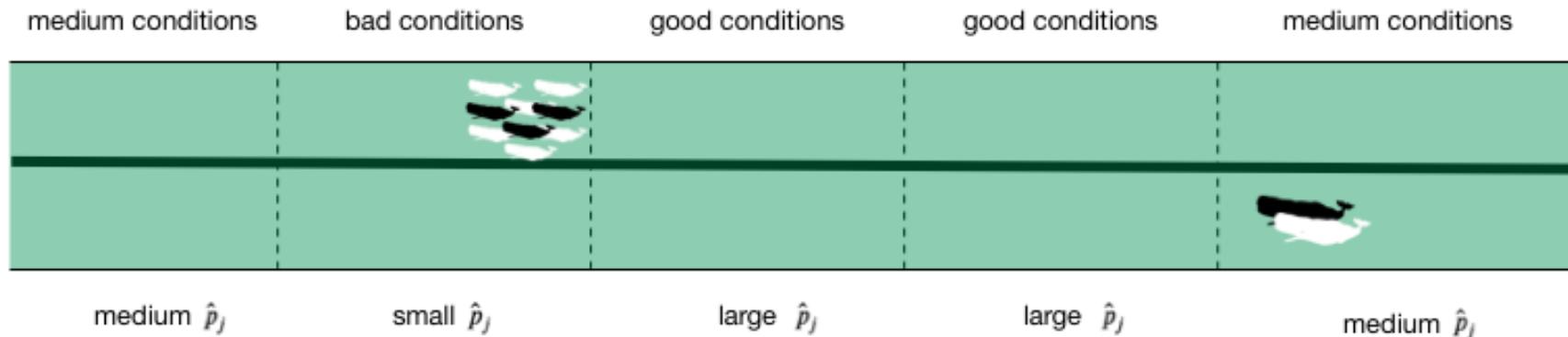


Estimated abundance

- Effort is area of each segment
- Estimate H-T abundance per segment

$$\hat{n}_j = \sum_i \frac{s_i}{\hat{p}_i}$$

(where the i observations are in segment j)



Detectability and covariates

- 2 covariate "levels" in detection function
 - "Observer"/"observation" -- change **within** segment
 - "Segment" -- change **between** segments
- "Count model" only lets us use segment-level covariates
- "Estimated abundance" lets us use either

When to use each approach?

- Generally "nicer" to adjust effort
- Keep response (counts) close to what was observed
- **Unless** you want observation-level covariates

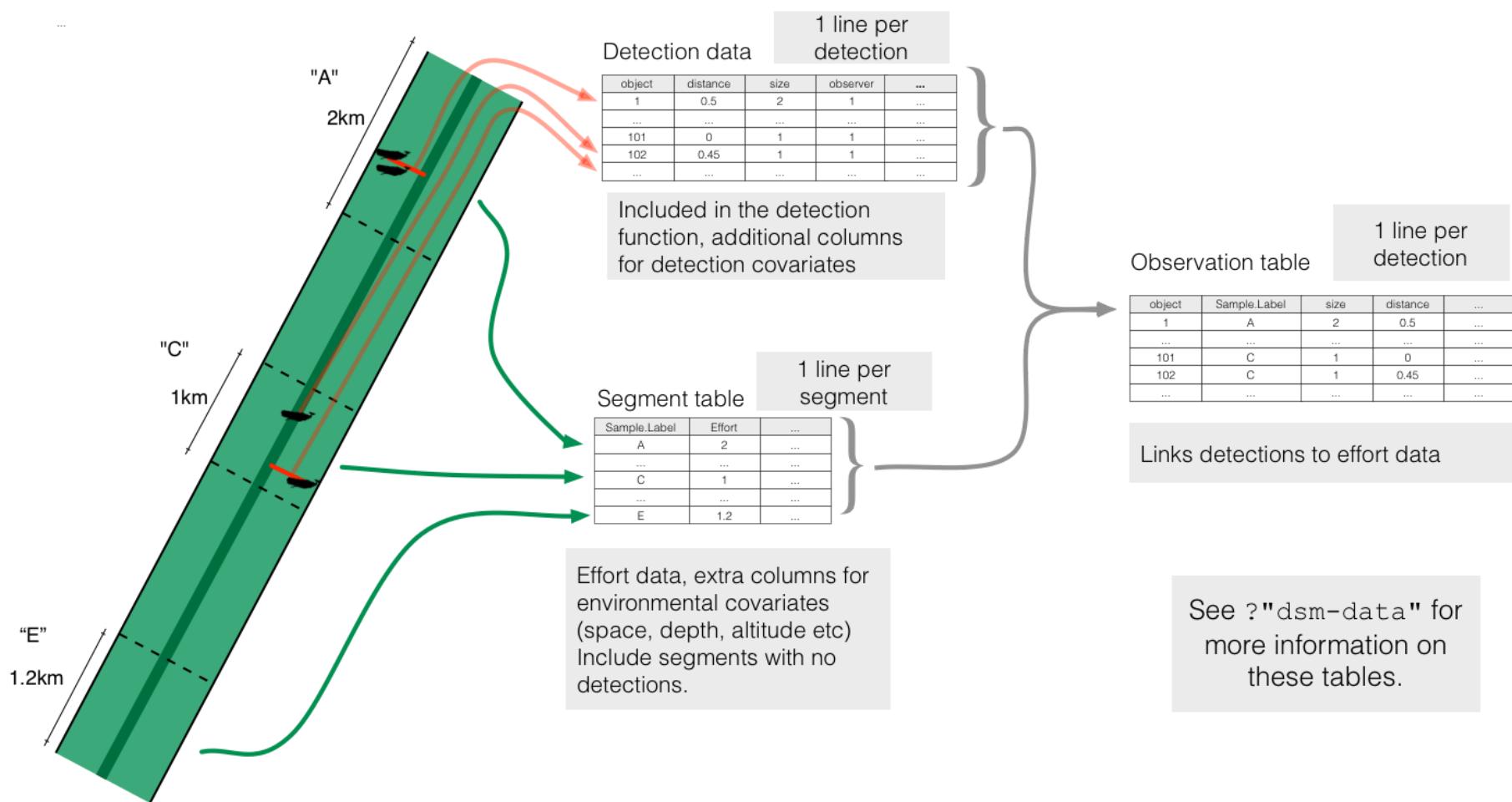
Data requirements

What do we need?

- Need to "link" data
 -  Distance data/detection function
 -  Segment data
 -  Observation data (segments  detections)

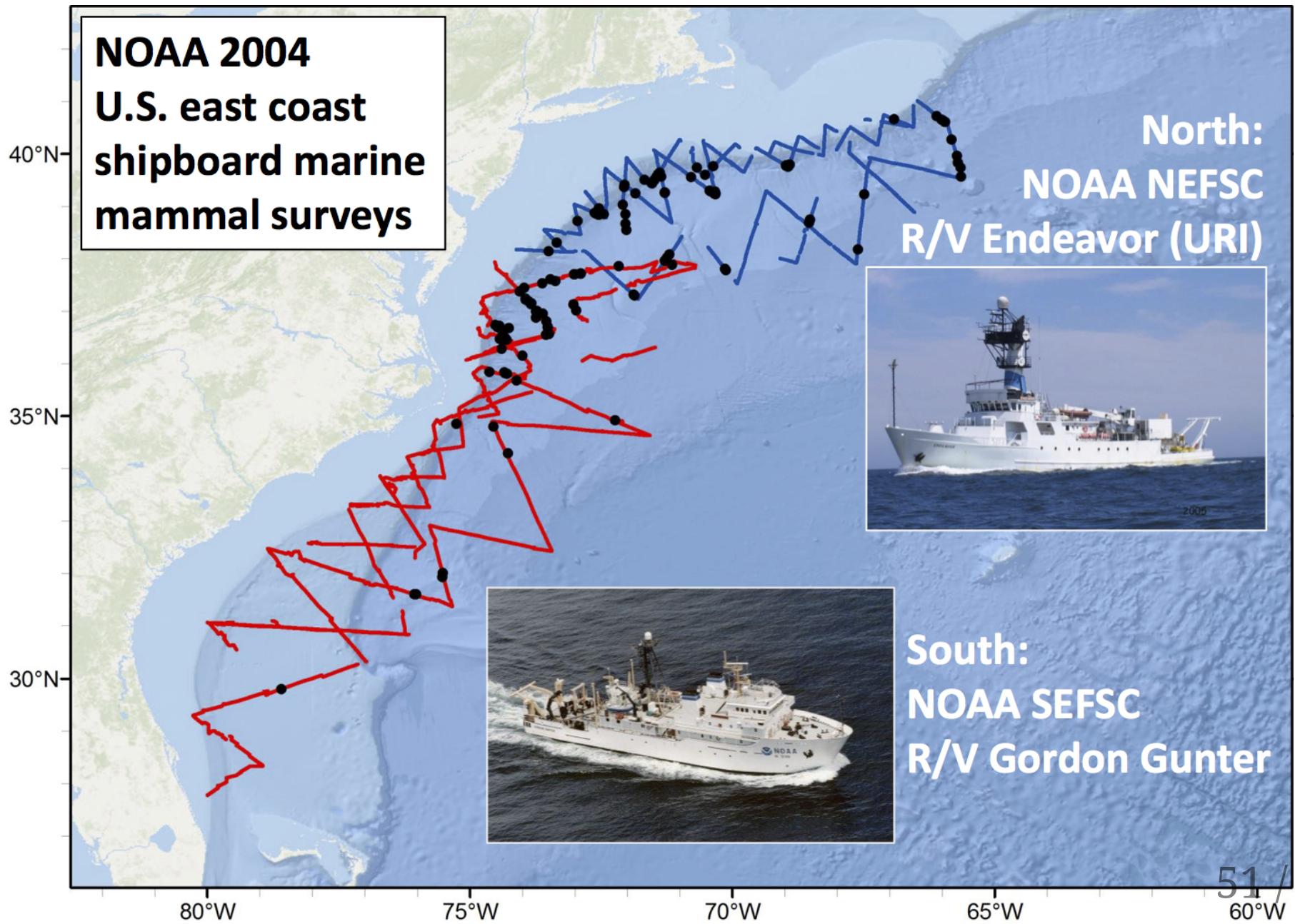
More info on course website.

Density surface model data setup for package dsm



Example data

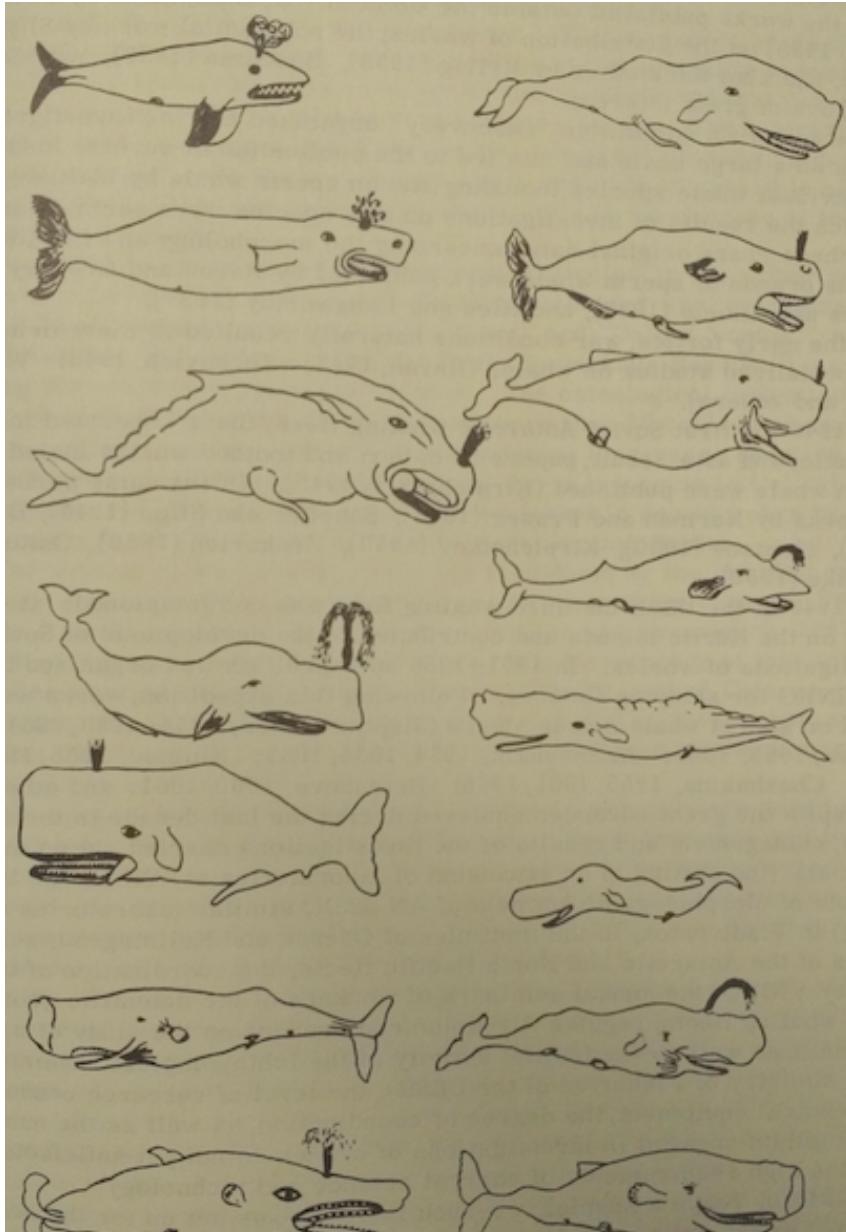
Example data



Example data



Sperm whales



- Hang out near canyons, eat squid
- Surveys in 2004, US east coast
- Thanks to Debi Palka (NOAA NEFSC), Lance Garrison (NOAA SEFSC) for data. Jason Roberts (Duke University) for data prep.

Recap

- Model counts or estimated abundance
- The effort is accounted for differently
- Flexible models are good
- Incorporate detectability
- 2 tables + detection function needed