Comparison of Memetic Algorithm and Local Search Algorithm for University Exam Timetabling Problem(UTP)

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1 Introduction

1.1 The Timetable Problem

The scheduling of exams in institutions of higher education is known to be a highly constrained problem. Many constraints involved in exam scheduling vary from institution to institution.

Following constraints have been considered for this project:

- 1. Hard constraint: No student can sit more than one exam at any one time.
- 2. *Hard constraint*: For each period in timetable, the resource(rooms) demanded by the exams should not exceed the available resources.
- 3. Soft constraint: No student should have to take two exams in adjacent periods.

Conflicting exams are exams having common students.

Penalty defined as the number of students common between any consecutive periods.

1.2 Memetic Algorithm

Memetic algorithm uses hill climbing with genetic algorithm to improve its results.

Implemented this paper: https://link.springer.com/content/pdf/10.1007/3-540-61794-9_63.pdf for comparison with local search method.

1.3 Our Local Search Algorithm

Input:

- 1. Enrolements a list of exams for each student.
- 2. Exam_time list of exam and time duration of that exam.

3. Period_capacity - Period and its capacity according to the room sizes available.

Output:

- 1. Feasible Timetable
- 2. Conflicts
- 3. No. of Unscheduled exams

Algorithm 1:

- 1. Initialization:
- Choose exams randomly from unscheduled exams
- keep placing exams in period considering total capacity of period = sum of room capacities

//Not considering the constraint of room size

2. Hill climbing:

While no change in fitness of timetable is observed for every exam in timetable try placing it in another period with least penalty

Here, no. Of hill climbing iterations turns out to be approx = 10

- 3.Bin packing (next fit decreasing)
- Sort the rooms according to their capacity in decreasing order. for every period
- Sort the exams in that period in decreasing order according to their capacity.
- Place exams starting from the first room wherever they fit.

In this implementation, room sizes were taken input and a coarse timetable was generated by not considering the room sizes in beginning and then with bin packing exams were fit in the rooms of periods.

Initialization was done differently in Genetic Algorithm by considering the room sizes.

So with this implementation, improvements after the hill climbing saturated and results were worse than Genetic Algorithm.

Due to unavailability of room sizes with datasets, period size(instead of individual room sizes) was consisted in the final algorithm.

Algorithm 2:

- 1. Initialization:
- Choose exams randomly form unscheduled exams
- keep placing exams in period considering total capacity of period = sum of room capacities(or period capacity)

//Not considering the constraint of room of size

2. Hill climbing:

While no change in fitness of timetable is observed for every exam in timetable try placing it in another period with least penalty

Here, no. Of hill climbing iterations turns out to be approx = 10

3.Local moves

Following 4 moves were tried in a loop -

- 1. Pick an unscheduled exam and try scheduling it into any other period with minimum penalty.
- 2. If there exists no such period in which it can be scheduled without conflicts, then find a period which has minimum number of conlicting exams.

Try swapping all the conflicting exams with exams in other periods such that the unscheduled exam can be scheduled in that particular period.

- 3. If the exam is still not scheduled, then we schedule the exam in period with minimum(1) conflicting exams and unschedule the conflicting exam.
- 4. 2-swap in which every pair of scheduled exams are swapped if they reduce the penalty.

Local moves were tried independently but **Best Result** was obtained with Algorithm 2 by scheduling exams comprimising the penalty(soft constraint).

2 Results

Datasets taken from: http://www.cs.nott.ac.uk/~pszrq/data.htm Dataset 1, 2: www.cs.nott.ac.uk/~pszrq/files/instanceGenerator.zip Dataset 3, 4: ftp://ftp.mie.utoronto.ca/pub/carter/testprob

Observation 1 : From Table 1, it can be inferred that number of unscheduled exams were less than the result obtained from genetic algorithms.

Observation 2 : lp and sp datasets ahve different time table density, which effects the result. In 17 / 20 results, local search per formed better than genetic algorithms.

Observation 3: In Burke's paper, it is claimed that "To give some comparison the Nottingham data was also used to test how well the algorithm compared against a straight-forward random descent algorithm. This consists of randomly generating a timetable then making random improvements until a number of tries have elapsed in which no improvements could be found.". But this local search algorithm gave promising results.

Observation 4: It is also claimed that genetic algorithm takes respective time(1 hr, 1.5 hr) as mentioned in E.K.Burke's paper. Our algorithm for the same test case gave similar results in (0.5 hr, 0.5 hr). This can be seen from *Table 4*

3 Code

Code for implementation of genetic algorithms and local search is https://github.com/muskaankularia/local-search

			GA		LM		LM+10 iter	
Period	Exam	Room	Conflict	Unsched	Conflict	Unsched	Conflict	Unsched
10	88	500	122	48	76	48	89	46
15	140	500	215	58	223	57	236	54
20	189	500	351	68	245	68	247	64
25	215	500	382	65	397	66	416	57
30	283	500	419	63	591	52	542	48
35	327	500	644	52	621	47	680	44
40	358	500	606	52	656	44	736	35
45	416	500	668	37	823	26	815	21
50	463	500	868	21	991	17	922	14
55	487	500	965	11	884	11	887	11
30	289	200	360	7	357	1	349	1
30	267	250	250	13	431	15	453	8
30	264	300	460	22	456	23	509	19
30	278	350	550	37	486	28	501	25
30	280	400	530	39	527	41	526	34
30	283	500	520	55	591	52	517	50
30	282	600	480	74	461	70	491	65
30	274	700	560	84	488	81	583	75
30	284	800	530	100	629	85	548	86
30	274	900	450	100	431	96	493	91

Table 1: Varying number of periods keeping room capacity fixed and Varying Room capacity keeping number of periods fixed $\,$

		GENETIC		LOCAL SEARCH	
Periods	Exams	UNSCHED	PENALTY	UNSCHED	PENALTY
15	80	0	0	0	0
15	100	0	0	0	0
15	80	0	0	0	0
15	80	0	0	0	1
15	80	0	42	0	36
15	80	0	76	0	86
19	100	2	119	1	113
19	81	0	74	1	56
19	80	0	100	1	96
20	526	0	110	0	26
20	511	40	425	15	498
24	508	44	505	17	681
30	533	57	616	26	820
35	542	55	705	39	1002
35	550	91	818	85	862
50	524	53	657	35	858
60	513	25	672	19	798
70	567	46	714	31	1028

Table 2: lp and sp dataset from www.cs.nott.ac.uk/~pszrq/files/instanceGenerator.zip

	GENETIC			LM			LM (PAPER)	
Periods	Unsched	Penalty	time	Unsched	Penalty	time	Unsched	Penalty
32	0	0	1 hr	0	0	36 min	0	0
31	0	0	1.5 hr	0	0	37 min	0	0
30	0	4		0	25		0	4
26	0	53		0	56		0	53
23	0	269		0	252		3	269

Table 3: Nottingham Dataset and comparison with paper's genetic algorithm results

	Unsched	Penalty		Unsched	Penalty
carf91	0	81		0	230
carf92	0	331		0	582
kfu	0	974		2	773
tre	0	3		0	31

Table 4: Other datasets from the same paper and comparison with paper results