

ADDERS and SUBTRACTORS

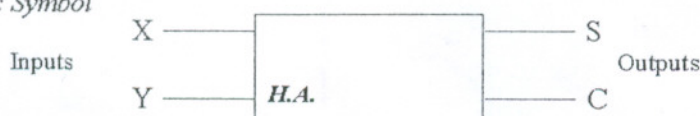
Experiment No. 03

Aim: To Implement Adders and Subtractor circuits.

In this experiment you will construct and test various adders and subtractors circuits.

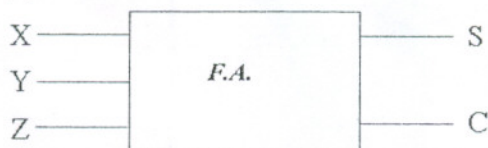
Half Adders: A half adder performs the arithmetic addition of two binary digits. It has two inputs (Augend & Addend) and two outputs (Sum & Carry). The two inputs are the two 1-bit numbers X and Y, and the two outputs are the sum(S) and carry (C).

Logic Symbol



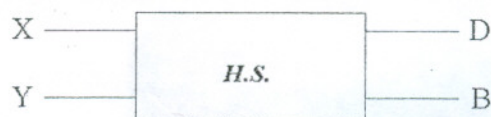
Full-Adders: A full-adder is a combinational circuit that performs the arithmetic sum of three input bits namely Augend-bit(X), addend-bit(Y), and carry-bit from the lower significant position(Z).

Logic Symbol



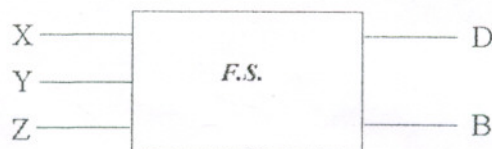
Half-Subtractor: The half-subtractor is a combinational circuit which is used to perform the subtraction operation of two bits. It has two inputs, X(minuend) and Y(subtrahend) and two outputs D(difference) and B(borrow).

Logic symbol



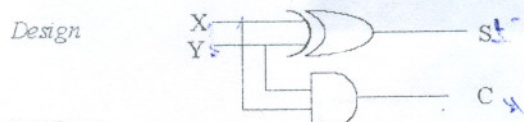
Full-Subtractor: A full subtractor is a combinational circuit that performs the subtraction operation of three bits, namely, X(minuend), Y(subtrahend), and Z(borrow from the previous stage) and produces two outputs D(difference) and B(borrow).

Logic Symbol



Activity.1. Half-Adder

Design, construct and test a half-adder circuit using one XOR gate and one AND gate, only.

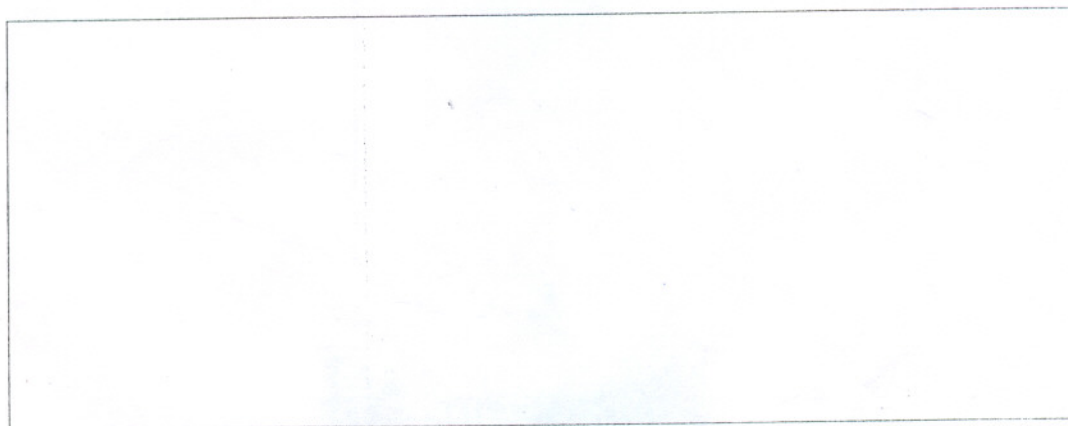


Observations
Truth-Table

Inputs		Outputs	
X	Y	S	C
0	0		
0	1		
1	0		
1	1		

Write: The switching expressions for Sum (S) =
and for Carry(C) =

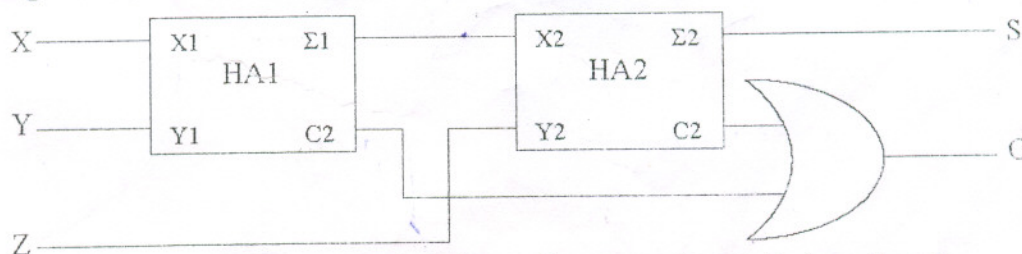
Exercise-1. Design, construct and test and half-adder circuit using five NAND gates, only and verify the truth-table, you made above.



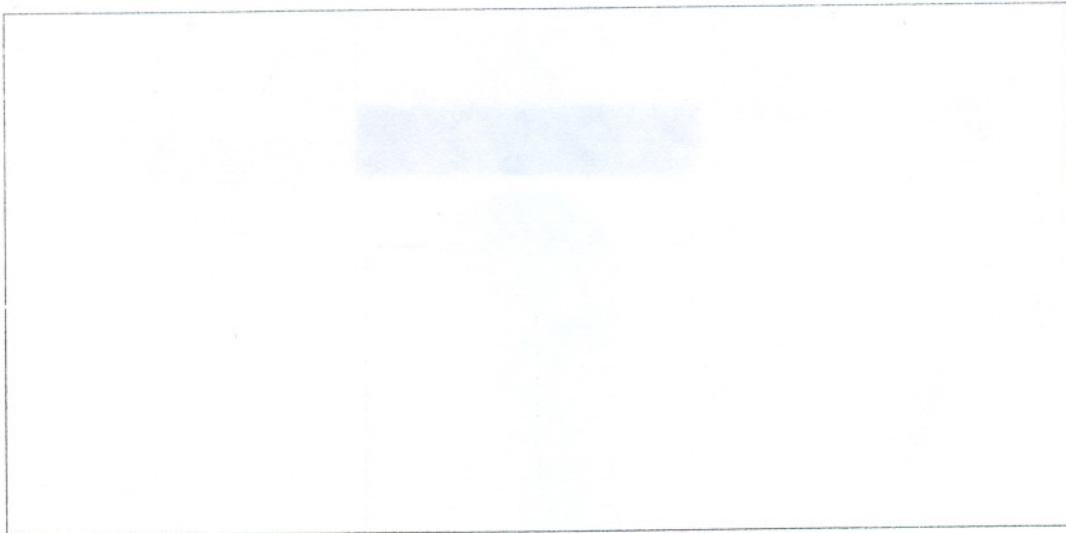
Activity.2. Full-Adder

Design, construct and test a full-adder circuit using two half-adders and one OR gate only.

Design



Get the gate level circuitry you made, before making connections in the bread-board.



Observations

Truth-Table:

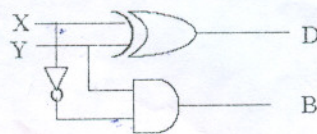
Inputs			Outputs	
X	Y	Z	S	C
0	0	0		
0	0	1		
0	1	0		
0	1	1		
1	0	0		
1	0	1		
1	1	0		
1	1	1		

Write: The switching expressions for Sum (S) =
and for Carry(C) =

Activity.3. Half-Subtractor

Design, construct and test and half-subtractor circuit using one XOR gate, one AND gate, and one NOT gate only.

Design



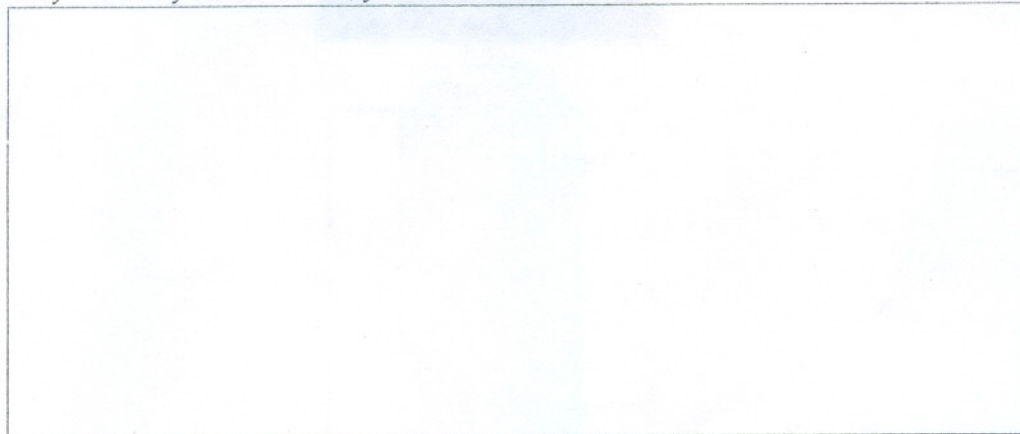
Observations

Truth-Table

Inputs		Outputs	
X	Y	D	B
0	0		
0	1		
1	0		
1	1		

Write: The switching expressions for Difference(D) =
and for Borrow (B) =

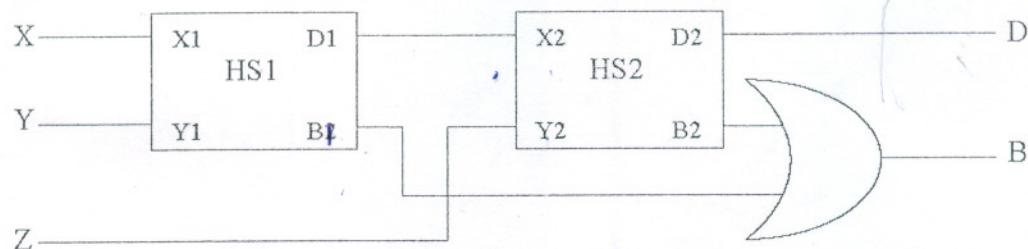
Exercise-2. Design, construct and test a half-subtractor circuit using five NAND gates, only and verify the truth-table, you made above.



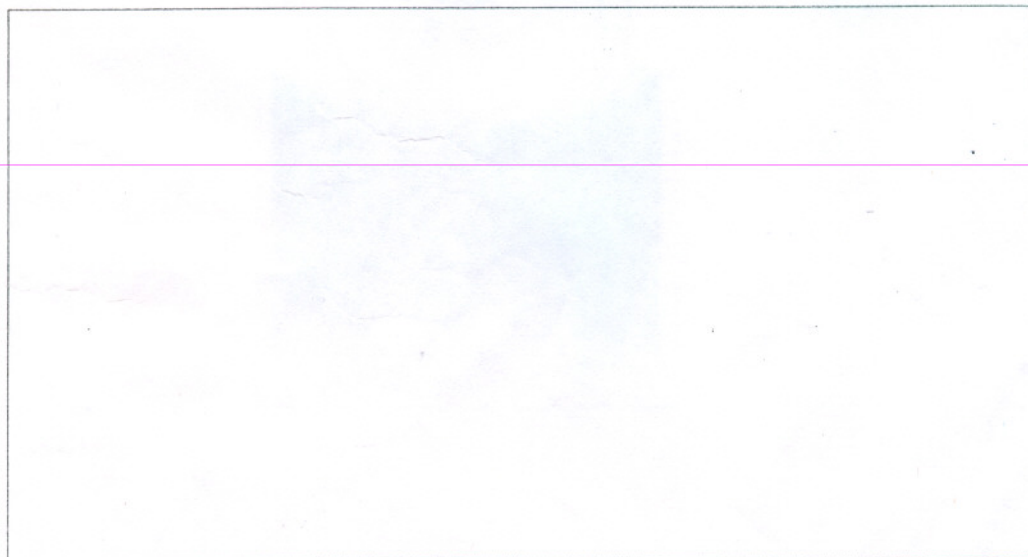
Activity.4. Full-Subtractor

Design, construct and test a full-adder circuit using two half-adders and one OR gate only.

Design



Get the gate level circuitry you made, before making connections in the bread-board.



Observations

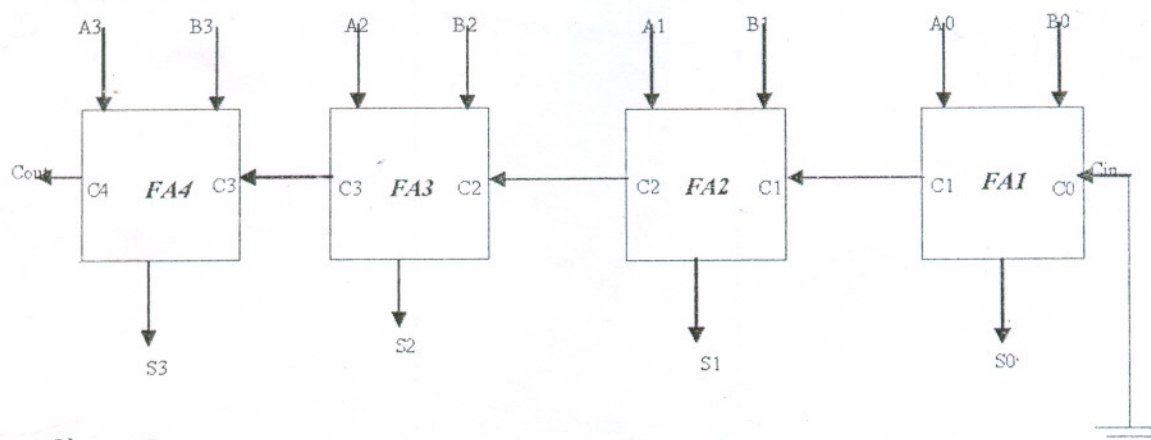
Truth-Table:

Inputs			Outputs	
X	Y	Z	D	B
0	0	0		
0	0	1		
0	1	0		
0	1	1		
1	0	0		
1	0	1		
1	1	0		
1	1	1		

Write: The switching expressions for Difference(D) =
and for Borrow (B) =

Activity.5. 4-bit Parallel-Adder

IC type 7493 is and '4-Bit Binary Parallel Adder'. Its internal construction is shown below:



Observations

Truth-Table

Inputs								Outputs				
A4	A3	A2	A1	B4	B3	B2	B1	C4	S4	S3	S2	S1

The two four-bit binary numbers are A1, A2, A3, A4, and B1, B2, B3, B4. The four-bit sum is obtained from S1, S2, S3, S4. Here, C0 is the input carry and C4 is the output carry.

Procedure:

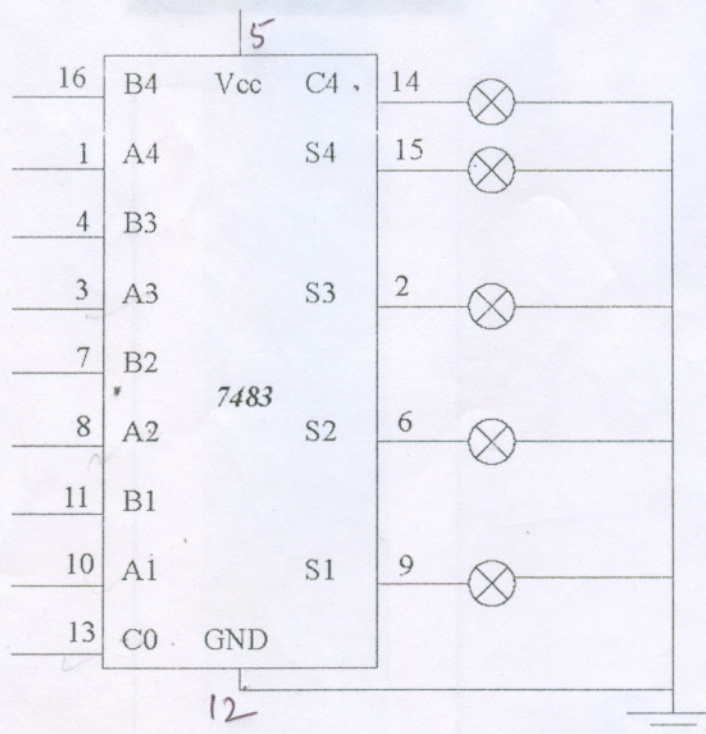
Step.1. Connect the power supply and ground terminals of 4-bit binary adder IC 7483.

Step.2. Connect the four 'A' inputs to a fixed binary number 1101 and the B input and the input carry to the final toggle switches.

Step.3. Apply five outputs to indicator lamps/LEDs.

Step.4. Perform the experiment and records the results.

Pin-out Diagram



Observations

Table.1. When A(A4A3A2A1) = 1001 and C0=0

Inputs				Outputs				
B4	B3	B2	B1	C4	S4	S3	S2	S1
0	0	0	0					
0	0	0	1					
0	0	1	0					
0	0	1	1					
0	1	0	0					
0	1	0	1					
0	1	1	0					
0	1	1	1					
1	0	0	0					
1	0	0	1					
1	0	1	0					
1	0	1	1					
1	1	0	0					
1	1	0	1					
1	1	1	0					
1	1	1	1					

Table.2. When $A(44342A1) = 1001$ and $CQ=1$

Inputs				Outputs				
B4	B3	B2	B1	C4	S4	S3	S2	S1
0	0	0	0					
0	0	0	1					
0	0	1	0					
0	0	1	1					
0	1	0	0					
0	1	0	1					
0	1	1	0					
0	1	1	1					
1	0	0	0					
1	0	0	1					
1	0	1	0					
1	0	1	1					
1	1	0	0					
1	1	0	1					
1	1	1	0					
1	1	1	1					

Write the outputs:

- When $A=1010$ and $B=1110$.
For $C0=0$, $S=$ & For $C0=1$, $S=$
- When $A=1100$ and $B=1010$.
For $C0=0$, $S=$ & For $C0=1$, $S=$
- When $A=1011$ and $B=1111$.
For $C0=0$, $S=$ & For $C0=1$, $S=$
- When $A=0011$ and $B=1100$.
For $C0=0$, $S=$ & For $C0=1$, $S=$

Activity.6. Adder-Subtractor

The subtraction of two binary numbers can be done by taking the 2's complement of the subtrahend and adding it to the minuend. The two's complement can be obtained by taking the 1's complement and adding 1. To perform $A-B$, we complement the four bits of B , add them to the four bits of A , and add 1 through the input carry.

Procedure:

This is done as the fig. Shown below.

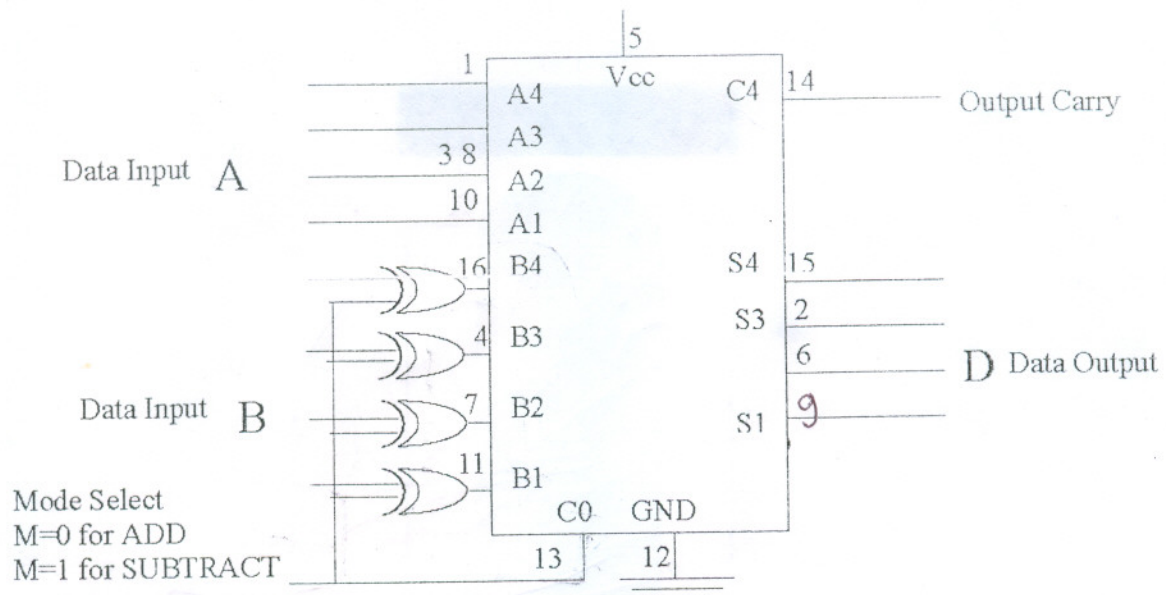
Step.1. When $M=1$,

The four XOR gates complement the bits of B , since $X \oplus 1 = X'$. Thus, when $M=1$, the input carry $C0$ is equal to 1 and the sum output is A plus 2's complement of B ; i.e. the output generated is $A-B$.

Step.2. When $M=0$,

The four XOR gates leaves the bits of B unchanged, since $X \oplus 0 = X$. Thus, when $M=0$, the input carry $C0$ is equal to 0 and the sum output is A plus B ; i.e. the output generated is $A+B$.

Construct the adder-subtractor circuit and test it for proper operation.



Observations

Table.1. When $M = 0$ and $A(A4A3A2A1) = 1001$

Inputs				Outputs				
B4	B3	B2	B1	C4	S4	S3	S2	S1
0	0	0	0					
0	0	0	1					
0	0	1	0					
0	0	1	1					
0	1	0	0					
0	1	0	1					
0	1	1	0					
0	1	1	1					
1	0	0	0					
1	0	0	1					
1	0	1	0					
1	0	1	1					
1	1	0	0					
1	1	0	1					
1	1	1	0					
1	1	1	1					

By analyzing the truth-table you made above, write:

(i) the name of the operation performed

(ii) the output for: 11+5; 15+15; 7+9; 8+15; and 13+4.

Table.2. When $M = 1$ and $A(A4A3A2A1) = 1001$

Inputs				Outputs				
B4	B3	B2	B1	C4	S4	S3	S2	S1
0	0	0	0					
0	0	0	1					
0	0	1	0					
0	0	1	1					
0	1	0	0					
0	1	0	1					
0	1	1	0					
0	1	1	1					
1	0	0	0					
1	0	0	1					
1	0	1	0					
1	0	1	1					
1	1	0	0					
1	1	0	1					
1	1	1	0					
1	1	1	1					

By analyzing the truth-table you made above, write:

- (i) the name of the operation performed
- (ii) the output for: 11-5; 15-15; 7-9; 8-15; and 13-4.

Inputs								Outputs				
A4	A3	A2	A1	B4	B3	B2	B1	C4	S4	S3	S2	S1