

Ask-the-user meta-interpreter

% $\text{aprove}(G)$ is true if G is a logical consequence of the base-level KB and yes/no answers provided by the user.

$\text{aprove}(\text{true}).$

$\text{aprove}((A \& B)) \leftarrow \text{aprove}(A) \wedge \text{aprove}(B).$

$\text{aprove}(H) \leftarrow \text{askable}(H) \wedge \text{answered}(H, \text{yes}).$

$\text{aprove}(H) \leftarrow$
 $\text{askable}(H) \wedge \text{unanswered}(H) \wedge \text{ask}(H, \text{Ans}) \wedge$
 $\text{record}(\text{answered}(H, \text{Ans})) \wedge \text{Ans} = \text{yes}.$

$\text{aprove}(H) \leftarrow (H \Leftarrow B) \wedge \text{aprove}(B).$

Meta-interpreter to collect rules for WHY

% $wprove(G, A)$ is true if G follows from base-level KB, and A is a list of ancestor rules for G .

$wprove(true, Anc).$

$wprove((A \& B), Anc) \leftarrow$

$wprove(A, Anc) \wedge$

$wprove(B, Anc).$

$wprove(H, Anc) \leftarrow$

$(H \Leftarrow B) \wedge$

$wprove(B, [(H \Leftarrow B)|Anc]).$

Delaying Goals

Some goals, rather than being proved, can be collected in a list.

- To delay subgoals with variables, in the hope that subsequent calls will ground the variables.
- To delay assumptions, so that you can collect assumptions that are needed to prove a goal.
- To create new rules that leave out intermediate steps.
- To reduce a set of goals to primitive predicates.

Delaying Meta-interpreter

% $dprove(G, D_0, D_1)$ is true if D_0 is an ending of list of delayable atoms D_1 and $KB \wedge (D_1 - D_0) \models G$.

$dprove(true, D, D).$

$dprove((A \& B), D_1, D_3) \leftarrow$
 $dprove(A, D_1, D_2) \wedge dprove(B, D_2, D_3).$

$dprove(G, D, [G|D]) \leftarrow delay(G).$

$dprove(H, D_1, D_2) \leftarrow$
 $(H \Leftarrow B) \wedge dprove(B, D_1, D_2).$

Example base-level KB

```
live(W) ←  
    connected_to(W, W1) &  
    live(W1).  
  
live(outside) ← true.  
  
connected_to(w6, w5) ← ok(cb2).  
  
connected_to(w5, outside) ← ok(outside_connection).  
  
delay(ok(X)).  
  
?dprove(live(w6), [], D).
```

Meta-interpreter that builds a proof tree

% $hprove(G, T)$ is true if G can be proved from the base-level KB, with proof tree T .

$hprove(true, true).$

$hprove((A \& B), (L \& R)) \leftarrow$

$hprove(A, L) \wedge$

$hprove(B, R).$

$hprove(H, if(H, T)) \leftarrow$

$(H \Leftarrow B) \wedge$

$hprove(B, T).$