

## Experiment-5

Aim - To implement quicksort and analyse its time complexity

Software Used :- Turbo C++

Algorithm and Analysis:-

```
quicksort (arr[], low, high)
{
    if (low < high)
    {
        pi = partition (arr, low, high)
        quicksort (arr, low, pi-1)
        quicksort (arr, pi+1, high)
    }
}
```

```
partition (arr[], low, high)
{
    pivot = arr[high]
    i = (low-1)
```

```
for (j = low to j <= high-1 j++)
    if (arr[j] <= pivot)
        i++
```

```
    swap arr[i] and arr[j]
```

```
    else
```

```
        swap arr[i+1] and arr[high]
```

```
    return (i+1)
```



## Analysis.

Worst case: - The worst case occurs when partition process always picks greatest or smallest element as pivot.

Recursive relation.

$$T(n) = T(0) + T(n-1) + \Theta(n)$$

$$T(n) = T(n-1) + \Theta(n)$$

using Master's Method  $a=1$ ,  $b=1$

$$f(n) = n^1 \Rightarrow c=1$$

using 2nd case

$$T(n) = O(n^{k+1}) = O(n^2) = O(n^2)$$

Best case: - The best case occurs when partition process always picks middle element as pivot. Recursive relation.

$$\therefore T(n) = 2T(n/2) + \Theta(n)$$

using Master's Theorem  $\Rightarrow a=2$ ,  $b=2$   $f(n) = cn$

$$n^{\log_b a} = n^{\log_2 2} = n$$

$$\text{As } n^{\log_b a} = f(n)$$

By 2nd case

$$T(n) = f(n) \log n$$

$$T(n) = O(n \log n)$$

The average case is also given by  $O(n \log n)$ .

Result - Successfully implemented quicksort and analysed its time complexity.