

Telco Dt.: \_\_\_\_\_  
Pg.: \_\_\_\_\_

## Experiment - 4

AIM:- Way to write merge sort and find its complexity

Software used :- Code blocks

MergeSort algo :-

merge-SORT ( $A, b, e$ )

if  $b < e$

$v_0 = \text{FLOOR}[(b+e)/2]$

merge-SORT ( $A, b, v_0$ )

merge-SORT ( $A, v_0+1, e$ )

merge ( $A, b, v_0, e$ )

merge ( $A, b, v_0, e$ )

$m_1 = b - v_0 + 1$

$m_2 = e - v_0$

Create arrays  $L[1 \dots m_1 + 1]$  and  $R[1 \dots m_2 + 1]$

for  $i = 1$  to  $m_1$

$L[i] = A[b+i-1]$

for  $j = 1$  to  $m_2$

$R[j] = A[v_0+j]$

$L[m_1+1] = \infty$

$R[m_2+1] = \infty$

$i = 1$

$j = 1$

for  $K = b$  to  $\ell$

if  $L[i] \leq R[j]$

$ACK_3 = L[i]$

$i = i + 1$

else

$ACK_3 = R[j]$

$j = j + 1$

$$T(n) = \begin{cases} O(1) & \text{if } n=1 \\ 2T(n/2) + \cancel{O(n)} & \text{if } n>1 \end{cases}$$

if  $n=1$

if  $n>1$

Since in each call to mergeSort two calls are made again to mergeSort that divides the array into two parts.

Using Master's Theorem

$$a=2, b=2$$

$$T(n) = a T(n/b) + f(n)$$

$$n^{\log_b a} = n^{\log_2 2} = n$$

$$f(n) = \Theta(n) \therefore n^{\log_b a} = f(n)$$

Using 2<sup>nd</sup> case of Master's theorem

$$T(n) = \Theta(n \log n)$$