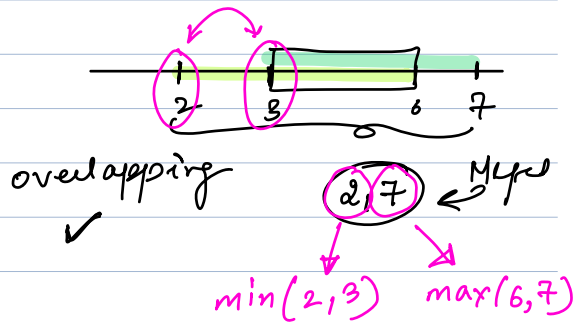
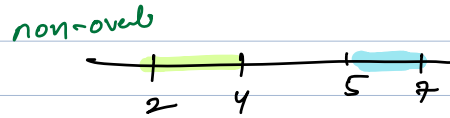


Merge Intervals range

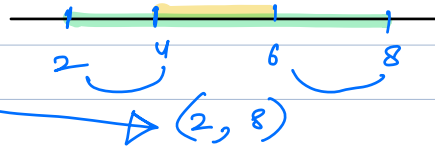
I_1 I_2
 $(2, 6)$ $(3, 7)$



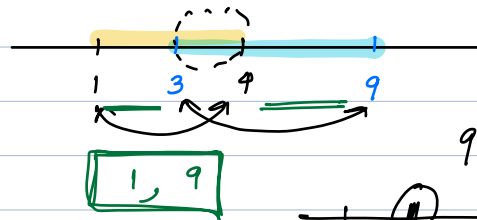
$(2, 4)$ $(5, 7)$



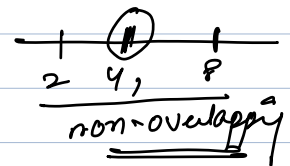
$(2, 8)$ $(4, 6)$



$(3, 9)$ $(1, 4)$



question



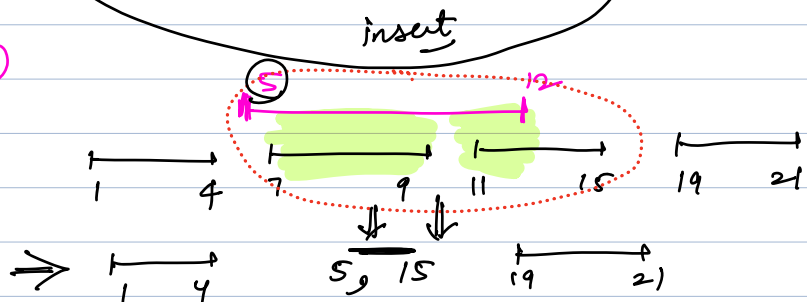
N no of intervals \rightarrow sorted form

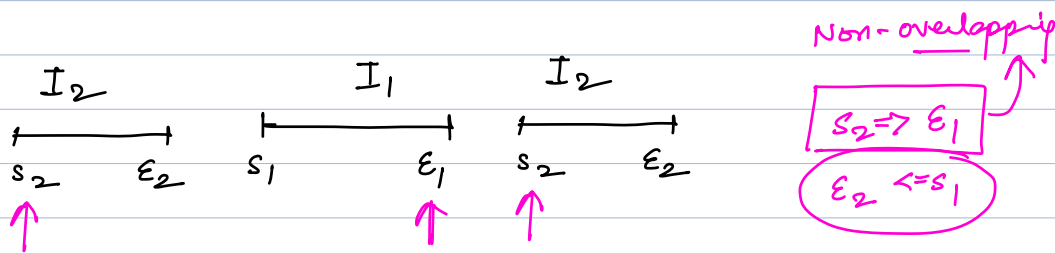
non-overlapping

one extra interval

$(1, 4)$
 $(7, 9)$
 $(11, 15)$
 $(19, 21)$

$(5, 12)$





$[1, 3]$ $[12, 22]$

$[4, 7]$ $[12, 22]$

$[10, 14] + [12, 22] \Rightarrow [10, 22]$

$[16, 19] \rightarrow [10, 22] \rightarrow [10, 22]$

$[21, 24] + [10, 22] \rightarrow [10, 24]$

$[27, 30] \rightarrow [10, 24]$

$[32, 35]$

new Int =

$[1, 3]$

$[4, 7]$

$[10, 24]$

$[27, 30]$

$[32, 35]$

Intervals[n][2] \rightarrow Intervals[i][0] \rightarrow start
Intervals[i][1] \rightarrow end
array, vector, ArrayList
list \neq ans

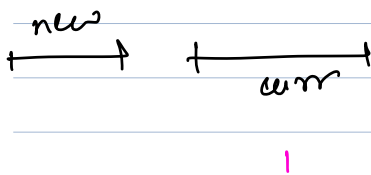
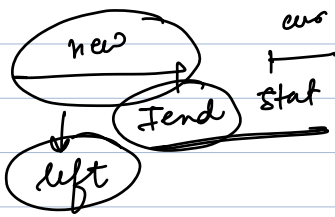
$[Istart, Iend]$

for (i=0; i<n; i++)
{

if (Intervals[i][1] <= Istart)

ans = insert(Intervals[i][0], Intervals[i][1])

new



else if (Intervals[i][0] \geq Iend) 27 30 10, 24

```

{
    ans = insert(Istart, Iend);
    while (i < n)
    {
        ans = insert(Intervals[i]);
        i++;
    }
    return ans;
}

```

}

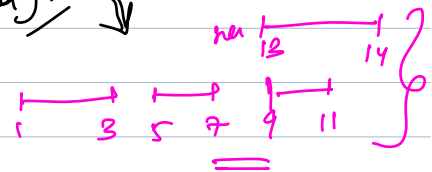
else
{

Istart = min(Intervals[i][0], Istart);
Iend = max(Intervals[i][1], Iend);

}

}

ans = insert(Istart, Iend);
return ans;



{ Merge overlapping intervals }

Q

Find first missing positive no. (natural no.)

Given an array of N integers. starts from 1

{ 3, -2, 1, 2, 7 }

ans = 4

⇒ { 1, 2, 5, 6, 4, 3 }

ans = 7

{ 1, 0, -5, -6, 4, 2 }

ans = 3

(N+1)

any size N
1 → N

1 → N
ans = N+1;

```
for (i = 1; i <= N; i++)  
{  
    flag = false;
```

```
    for (j = 0; j < N; j++)
```

```
    {  
        if (arr[j] == i)  
            flag = true;
```

```
    }  
    if (flag == false)  
        return i;
```

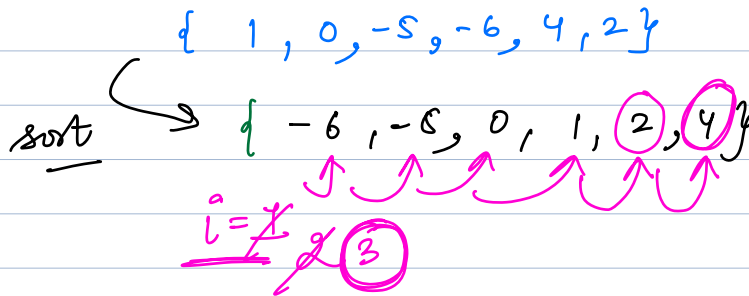
}

T.C: O(N²)

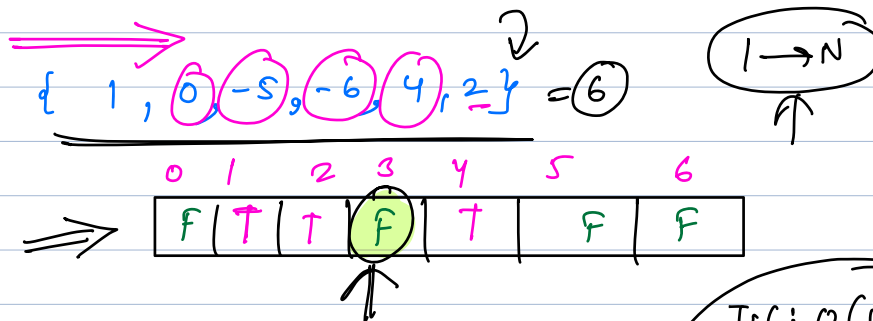
HashMap/HashSet → if an element is present → O(1)

T.C: O(N)
S.C: O(N)

③ sortij approach



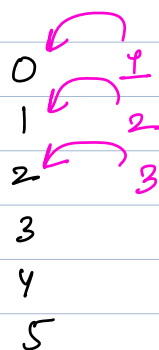
T.C: $O(n \log_2 n)$
S.C: sortij algo



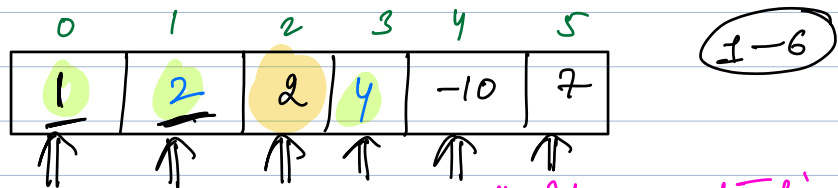
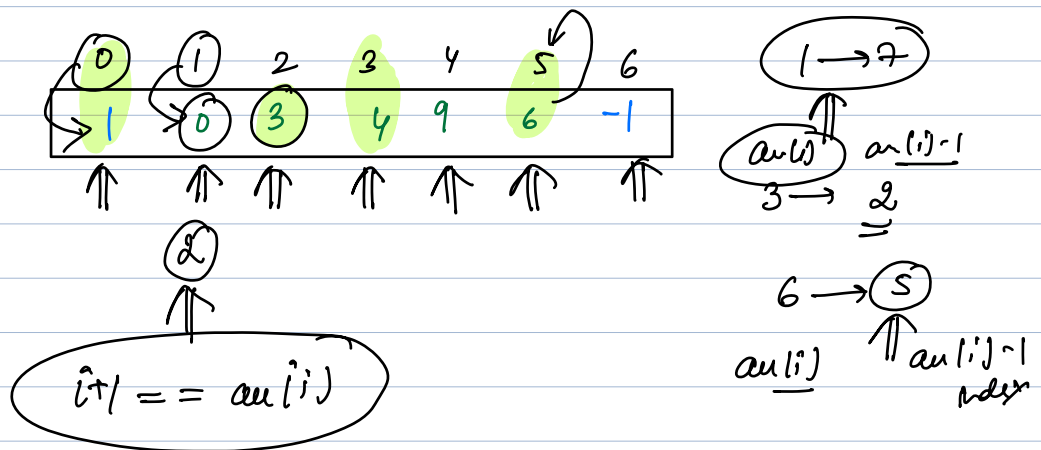
T.C: $O(N)$
 S.C: $O(N)$

T.C: $O(N)$
 S.C: $O(1)$

$1-6$
 $size = 6$



$arr[i] \rightarrow 1 \leq arr[i] \leq N$
 \downarrow
 $arr[i] - 1$ index



if a particle's index is already occupied
 by correct I don't swap

```
int i = 0;
while (i < n)
{
    // check if you can do it
    if (a[i] >= 1 && a[i] <= n)
```

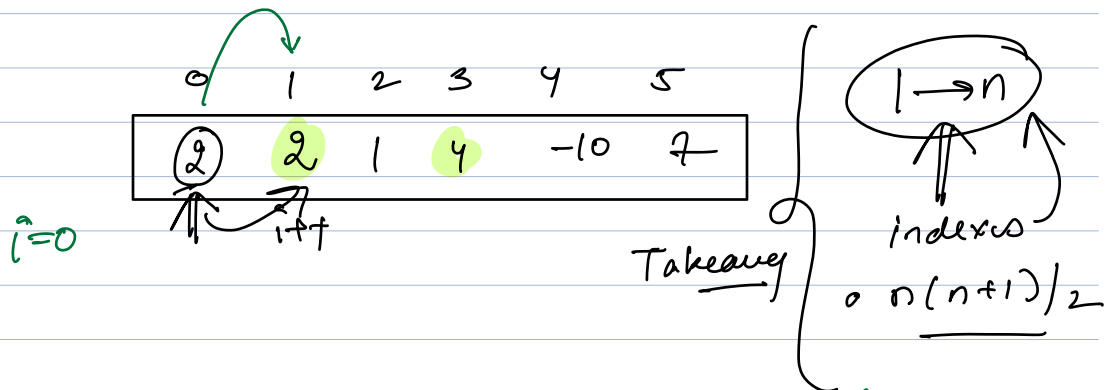
T.C: $O(N)$
S.C: $O(1)$

```
    int corr_idx = a[i] - 1;
    if (a[corr_idx] != a[i])
    {
        swap(a[corr_idx], a[i]);
    }
    else
        i++;
```

10:45

```
    }
    else i++;
}
for (i = 0; i < n; i++) (if (i+1 != a[i]) return i+1;)
```

return n+1;

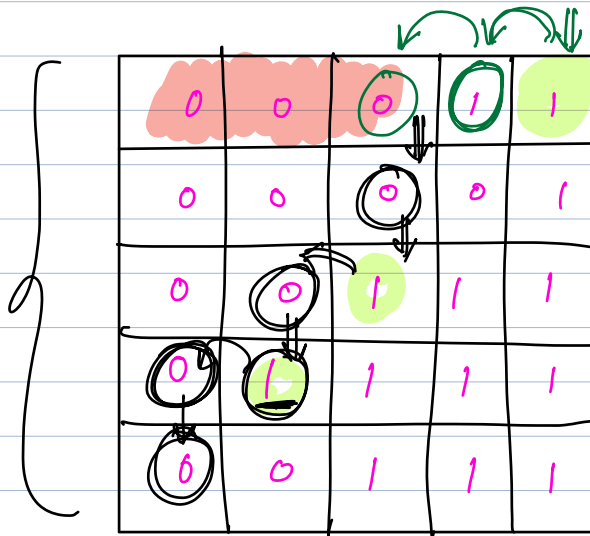


Q

matrix \rightarrow only consists 0's & 1's

Every row is sorted. Find max no of 1's of any row.

Takeaway
matrix is sorted



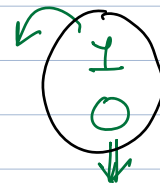
Binary search

$O(N^2)$

ans = 4

1 ... 1

T.C: $O(n+m)$



sorting makes searching easier

Q Maximum absolute Difference \rightarrow Google
Microsoft
Amazon

array, max $|arr[i] - arr[j]|$

\uparrow \uparrow \uparrow
 max min

$|arr[i] - arr[j]|$ $O(N)$

\uparrow \downarrow
 max min

$\max(|arr[i] - arr[j]| + |i - j|)$

\uparrow \uparrow
 index

sort? X

B.F: Consider every possible pair $O(N^2)$

$|x|$

$|arr[i] - arr[j]| + |i - j|$

$|-1| = 1$

$|-7| = 7$

$|7| = 7$

	0	1	2	3	4
2		5	4	1	6
	0	1	2	3	4
0	0	4	4	4	8
1		0	2	6	4
2			0	4	4
3				0	6
4					0

$$|a_{i^*j^*} - a_{ij^*}| + |i^* - j^*|$$

$$|x| = \begin{cases} x & x \geq 0 \\ -x & x < 0 \end{cases}$$

$$f(i,j) = |a_{i^*j^*} - a_{ij^*}| + |i^* - j^*|$$

Case I

$$a_{i^*j^*} \geq a_{ij^*} \text{ and } i^* > j^*$$

$$\begin{matrix} i^* & j^* \\ 3 & 4 \\ 4 & 3 \end{matrix}$$

$$\begin{aligned} & a_{i^*j^*} - a_{ij^*} + i^* - j^* \\ &= (a_{i^*j^*} + i^*) - (a_{ij^*} + j^*) \quad (1) \end{aligned}$$

$$\begin{matrix} i^* & j^* \\ 4 & 3 \\ 3 & 4 \end{matrix}$$

Case II

$$a_{i^*j^*} < a_{ij^*} \text{ and } i^* > j^*$$

$$\begin{aligned} & a_{ij^*} - a_{i^*j^*} + i^* - j^* \\ &= (a_{ij^*} - j^*) - (a_{i^*j^*} - i^*) \quad (2) \end{aligned}$$

Case III

$$a_{i^*j^*} \geq a_{ij^*} \text{ and } i^* < j^*$$

$$\begin{aligned} & a_{i^*j^*} - a_{ij^*} + j^* - i^* \\ &= (a_{i^*j^*} - i^*) - (a_{ij^*} - j^*) \quad (3) \end{aligned}$$

Case I

$$a[i] \leq a[j] \text{ or } i < j$$

$$a[j] - a[i] + j - i$$

$$= (a[j] + j) - (a[i] + i)$$

$i > j$

$$\max \left(\begin{array}{l} \max(a[i] + i) - \min(a[i] + i), \\ \max(a[i] - i) - \min(a[i] - i) \end{array} \right)$$

mx1, mx2
min1, min2 ans

for (int i = 0; i < n; i++)
{

$$mx1 = \max(mx1, a[i] + i);$$

$$mx2 = \max(mx2, a[i] - i);$$

$$min1 = \min(min1, a[i] + i);$$

$$min2 = \min(min2, a[i] - i);$$

}

$$ans = \max(mx1 - min1, mx2 - min2);$$