# Evolution du prix des matières énergétiques sur le marché international: cas du prix du pétrole

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## Import all packages we will need

```
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
import numpy as np
from sklearn.model_selection import train_test_split
from sklearn.ensemble import RandomForestRegressor
from sklearn.linear_model import Ridge
from sklearn.linear_model import Lasso
from sklearn.metrics import mean_squared_error, r2_score
from sklearn import metrics
from sklearn.linear_model import Ridge, RidgeCV, Lasso, LassoCV
```

## Import our databse

```
path= r'C:\Users\AN\Documents\Master_SE\Cours\Master 2\Machine learning\data1.csv'
data = pd.read_csv(path, delimiter=';')
                               gas cobalt
##
             Date crude_oil
                                                          charbon bau alu
                                              uranium
       01/04/2010 84.497727 2.900 39.125 41.325000 104.962500
## 0
                                                                    152.1
       01/05/2010 73.842381 2.890 38.445 41.300000 107.935150
## 1
                                                                    155.5
       01/06/2010 75.349091 2.785 38.100 40.777778 104.483766
## 2
                                                                    143.4
       01/07/2010 76.177273 2.782 41.650 41.944444 102.861526
## 3
                                                                    137.9
## 4
       01/08/2010 76.618182 2.783 38.780 46.062500 96.846939
                                                                    142.9
## ..
                         . . .
                               . . .
                                       . . .
                                                  . . .
                                                              . . .
              . . .
       01/05/2023 71.673478 3.666 33.074 43.462666 179.262321
## 157
                                                                    208.9
## 158
       01/06/2023 70.306818 3.684 33.049 45.700483 138.631656
                                                                    204.2
## 159
       01/07/2023 75.766667 3.712 33.055 45.247534 141.029592
                                                                    204.1
## 160
       01/08/2023 81.372609 3.954 33.071 46.377181 152.792532
                                                                    200.2
       01/09/2023 89.240952 3.958 33.059 53.202742 168.479082
## 161
                                                                    196.2
## [162 rows x 7 columns]
```

### Checking dta

#### check 1

```
data.info()
## <class 'pandas.core.frame.DataFrame'>
## RangeIndex: 162 entries, 0 to 161
## Data columns (total 7 columns):
        Column
                   Non-Null Count Dtype
##
##
   0
        Date
                   162 non-null
                                   object
        crude_oil 162 non-null
                                   float64
##
   1
        gas
                   162 non-null
                                   float64
## 2
## 3
                                   float64
        cobalt
                   162 non-null
       uranium
                   162 non-null
                                   float64
## 5
        charbon
                   162 non-null
                                   float64
                                   float64
##
  6
       bau_alu
                   162 non-null
## dtypes: float64(6), object(1)
## memory usage: 9.0+ KB
```

#### check 2

```
data.describe()
##
           crude_oil
                                                  uranium
                                                               charbon
                                                                           bau_alu
                             gas
                                       cobalt
## count 162.000000
                      162.000000
                                   162.000000
                                               162.000000
                                                           162.000000 162.000000
           71.474718
## mean
                        3.066938
                                    40.101963
                                                35.899715
                                                            121.574343
                                                                        154.422222
## std
           22.341630
                        0.626032
                                    16.216917
                                                10.628474
                                                            87.630467
                                                                         34.555159
## min
           16.975000
                        1.872000
                                    21.820000
                                                18.568182
                                                             51.382500
                                                                        115.000000
## 25%
           51.642267
                        2.536250
                                    29.532500
                                                27.391378
                                                             74.090631
                                                                        131.625000
## 50%
           71.456136
                        2.944500
                                    33.052000
                                                35.189016
                                                             96.157962
                                                                        143.500000
## 75%
           91.952795
                        3.609750
                                    50.115000
                                                41.696513
                                                            123.773011
                                                                        162.200000
## max
          114.675909
                        5.032000
                                    93.550000
                                                65.000000
                                                           467.783673
                                                                        269.400000
```

#### check 3

#### check 4

```
data.duplicated().sum()
```

## Chek 5: Check for many outliers or not

```
# Var list
var = ['crude_oil','gas','cobalt','uranium','charbon','bau_alu']
# A function to detect outliers
def detect_outliers(columns):
   outlier_indices = []
   for column in columns:
        # 1st quartile
        Q1 = np.percentile(data[column], 25)
        # 3st quartile
        Q3 = np.percentile(data[column], 75)
        # IQR
        IQR = Q3 - Q1
        # Outlier Step
       outlier_step = IQR * 1.5
        # detect outlier and their indeces
        outlier_list_col = data[(data[column] < Q1 - outlier_step)</pre>
                              | (data[column] > Q3 + outlier_step)].index
        # store indeces
        outlier_indices.extend(outlier_list_col)
       return outlier_indices
len(detect_outliers(var))
```

## 0

# Plotting oil crude price

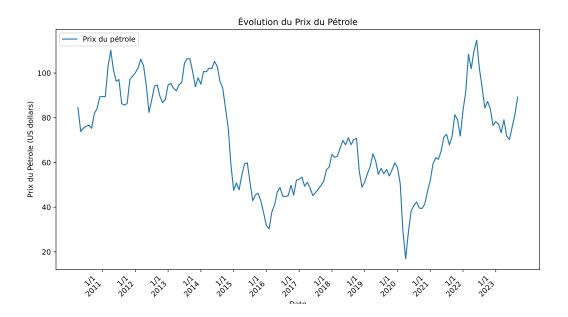
```
# Put data column in datatime format
data['Date'] = pd.to_datetime(data['Date'])

# List for X labels
xticks_labels = [f"{x.month}/{x.day}\n{x.year}"
if i % 12 == 9 else '' for i, x in enumerate(data['Date'])]

# Not empty
filtered_xticks_labels = list(filter(lambda x: x != '', xticks_labels))

# Personalize the place of the x labels
custom_xticks_locations = [i for i, x in enumerate(data['Date']) if i % 12 == 9]

# PLot orude oil price
plt.figure(figsize=(12, 6))
plt.plot(data['crude_oil'], label='Prix du pétrole')
plt.xlabel('Date')
plt.ylabel('Prix du Pétrole (US dollars)')
```



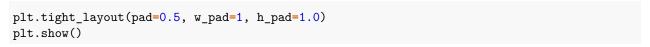
## Transform price in log

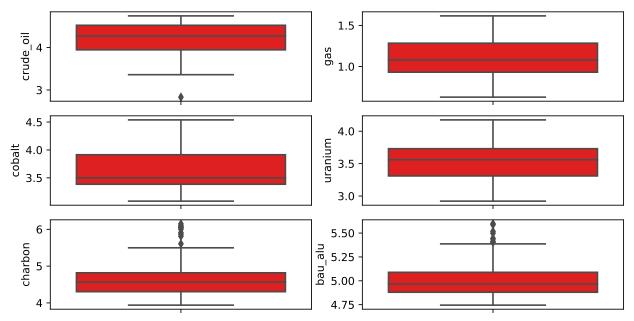
```
# Selct our variables
colonnes_numeriques = ['crude_oil', 'gas', 'cobalt', 'uranium', 'charbon', 'bau_alu']
# Apply the log
data[colonnes_numeriques] = np.log(data[colonnes_numeriques])
```

# Descriptive statistics for the varaibles

```
# Var list
var = ['crude_oil','gas','cobalt','uranium','charbon','bau_alu']
#Figure
fig, ax = plt.subplots(3, 2, figsize=(8, 4))
index = 0
ax = ax.flatten()

for col in var:
    sns.boxplot(y=col, data=data, color='r', ax=ax[index])
    index += 1
```



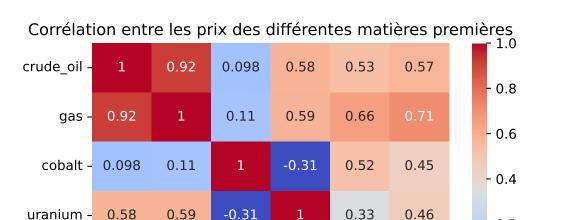


## Correlation matrix

```
## Correlation matrix
plt.figure(figsize=(6, 4))

# Matrice de corrélation entre les prix des différentes matières premières
correlation_matrix = data[['crude_oil', 'gas', 'cobalt', 'uranium', 'charbon',
'bau_alu']].corr()

# Plot de la heatmap avec les nouvelles étiquettes pour les axes x et y
sns.heatmap(correlation_matrix, annot=True, cmap='coolwarm')
plt.title('Corrélation entre les prix des différentes matières premières')
plt.show()
```



0.33

0.46

1

0.88

0.88

1

# Separate variables and data

0.53

0.57

crude oil

0.66

0.71

gas

0.52

0.45

charbon -

bau alu -

```
# Dinstinguish X vector and Y vector
X = data.drop(['Date','crude_oil'],axis=1)
Y = data['crude_oil']

# Separate the data in training data and test data
X_train, X_test, Y_train, Y_test = train_test_split(X, Y, test_size = 0.2, random_state=2)
```

cobalt uranium charbon bau alu

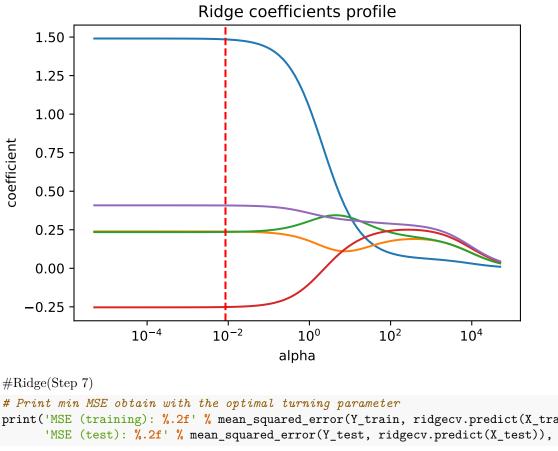
- 0.2

- 0.0

-0.2

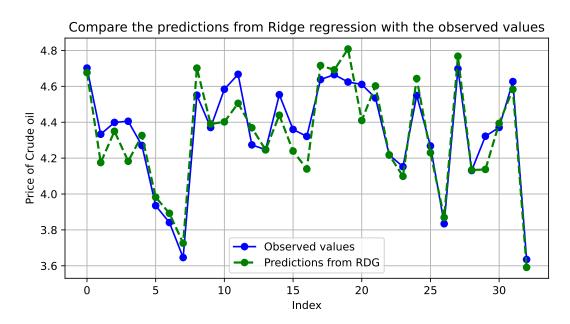
# Estimate with Ridge regression

```
## dtype: float64
#Ridge(Step 2)
# Check the performance of the model
print('MSE (training): %.2f' % mean squared error(Y train, ridge.predict(X train)),
      'MSE (test): %.2f' % mean_squared_error(Y_test, ridge.predict(X_test)), sep='\n')
## MSE (training): 0.02
## MSE (test): 0.02
#Ridge(Step 3)
#Set manually some values for alpha
alphas = 10**np.linspace(5,-5,100)*0.5
coefs = []
for a in alphas:
    ridge = Ridge(alpha=a, fit_intercept=False)
    ridge.fit(X_train, Y_train)
    coefs.append(ridge.coef )
#Ridge(Step 4)
# We use cross-validation to choose the tuning parameter
ridgecv = RidgeCV(alphas = alphas, cv = 10, scoring = 'neg_mean_squared_error')
fit1 = ridgecv.fit(X_train, Y_train)
#Ridge(Step 5)
# Print the turning parameter
print(ridgecv.alpha_)
## 0.00853676323735346
#Ridge (Step 6)
#Plot ridge coefficients as a function of the regularization
ax = plt.gca()
ax.plot(alphas, coefs)
ax.set_xscale('log')
plt.axvline(x=ridgecv.alpha_, color='r', linestyle='--')
plt.xlabel('alpha')
plt.ylabel('coefficient')
plt.title('Ridge coefficients profile')
plt.axis('tight')
## (1.5811388300841894e-06, 158113.88300841895, -0.3404194087757555, 1.5777205180237415)
plt.show()
```



```
#Ridge(Step 7)
print('MSE (training): %.2f' % mean_squared_error(Y_train, ridgecv.predict(X_train)),
      'MSE (test): %.2f' % mean_squared_error(Y_test, ridgecv.predict(X_test)), sep='\n')
## MSE (training): 0.02
## MSE (test): 0.01
#Ridge(Step8)
\# Compute the Prediction and print the coef for Ridge regression
Predict_Ridge = ridgecv.predict(X_test)
print(pd.Series(ridgecv.coef_, index = X.columns))
## gas
              1.738490
## cobalt
              0.194334
## uranium
              0.198552
## charbon
             -0.056719
## bau_alu
            -0.413865
## dtype: float64
#Ridge(Step 9)
# Crate a graph to compare Prediction from Ridge regression and Y test
plt.figure(figsize=(8, 4))
plt.plot(Y_test.values, color='blue', marker='o', label='Observed values')
plt.plot(Predict_Ridge, color='green', marker='o', linestyle='dashed',
linewidth=2, markersize=6, label='Predictions from RDG')
plt.xlabel('Index')
plt.ylabel('Price of Crude oil')
plt.title('Compare the predictions from Ridge regression with the observed values')
```

```
plt.legend()
plt.grid(True)
plt.show()
```



### **LASSO**

```
#Lasso (Step 1)
#Set manually some values for alpha
alphas2 = 10**np.linspace(5,-5,100)*0.5
coefs2 = []
for a in alphas2 :
    lasso = Lasso(alpha=a, fit_intercept=False)
    lasso.fit(X_train, Y_train)
    coefs2.append(lasso.coef_)
#Lasso (Step 2)
#Estimate
lassocv = LassoCV(alphas = None, cv = 10, max_iter = 100000)
fit2 = lassocv.fit(X_train, Y_train)
#Lasso (Step 3)
# Print the turning parameter
print(lassocv.alpha_)
## 9.400163267094516e-05
#Lasso (Step 4)
#Plot ridge coefficients as a function of the regularization
ax = plt.gca()
ax.plot(alphas2, coefs2)
ax.set_xscale('log')
```

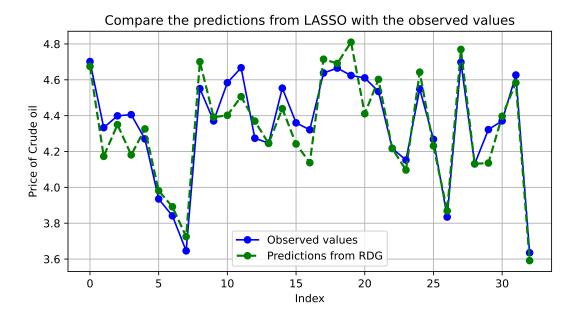
```
plt.axvline(x=lassocv.alpha_, color='r', linestyle='--')
plt.xlabel('alpha')
plt.ylabel('coefficient')
plt.title('Lasso coefficients profile')
plt.axis('tight')

## (1.5811388300841894e-06, 158113.88300841895, -0.2915373663137017, 1.4996497528022912)
plt.show()
```

#### Lasso coefficients profile 1.4 1.2 1.0 8.0 coefficient 0.6 0.4 0.2 0.0 -0.2 $10^{-4}$ $10^{-2}$ $10^{0}$ $10^{2}$ $10^{4}$ alpha

```
#Lasso (Step 5)
# How many coefficient are set to zero?
print('Number of features used:', np.sum(lassocv.coef_ != 0))
## Number of features used: 5
#Lasso (Step 6)
# Compute the Prediction and print the coef LASSO
Predict_Lasso = lassocv.predict(X_test)
print(pd.Series(lassocv.coef_, index = X.columns))
## gas
              1.737734
## cobalt
              0.190009
## uranium
              0.193627
## charbon
            -0.056576
## bau_alu
             -0.404833
## dtype: float64
\# Lasso (Step 7)
#Computethe Prediction and print the coef for Ridge regression
print('MSE (training): %.2f' % mean_squared_error(Y_train, lassocv.predict(X_train)),
      'MSE (test): %.2f' % mean_squared_error(Y_test, lassocv.predict(X_test)), sep='\n')
## MSE (training): 0.02
## MSE (test): 0.01
```

```
#Lasso (Step 8)
# Crate a graph to compare Prediction from Ridge regression and Y test
plt.figure(figsize=(8, 4))
plt.plot(Y_test.values, color='blue', marker='o', label='Observed values')
plt.plot(Predict_Lasso, color='green', marker='o', linestyle='dashed',
linewidth=2, markersize=6, label='Predictions from RDG')
plt.xlabel('Index')
plt.ylabel('Price of Crude oil')
plt.title('Compare the predictions from LASSO with the observed values')
plt.legend()
plt.grid(True)
plt.show()
```



# Random Forest Regressor

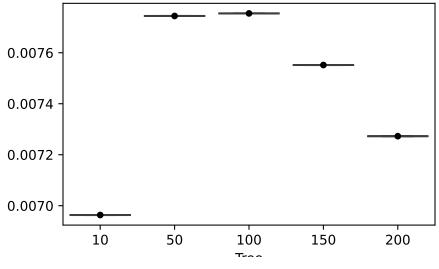
```
#RF Step 1)
# Find the optimal tree
n_trees_list = [10, 50, 100, 150, 200]
# Initialiser une liste pour stocker les MSE correspondantes
mse_list = []
# Boucle sur les différents nombres d'arbres
for n_trees in n_trees_list:
    # Initialiser le modèle Random Forest avec le nombre d'arbres actuel
    model = RandomForestRegressor(n_estimators=n_trees, random_state = 200)

# Entraîner le modèle sur les données d'entraînement
model.fit(X_train, Y_train)

# Faire des prédictions sur les données d'entraînement
y_pred = model.predict(X_test)
```

```
# Calculer la MSE et l'ajouter à la liste
   mse = mean_squared_error(Y_test, y_pred)
   mse_list.append(mse)
# Trouver le nombre d'arbres qui donne le minimum MSE
## RandomForestRegressor(n_estimators=10, random_state=200)
## RandomForestRegressor(n_estimators=50, random_state=200)
## RandomForestRegressor(random_state=200)
## RandomForestRegressor(n_estimators=150, random_state=200)
## RandomForestRegressor(n_estimators=200, random_state=200)
best_n_trees = n_trees_list[np.argmin(mse_list)]
# Afficher le résultat
print(f"Le nombre optimal d'arbres est : {best_n_trees}")
## Le nombre optimal d'arbres est : 10
#RF (Step 2)
# Box plot
table = pd.DataFrame({'Tree': n_trees_list, 'MSE': mse_list})
plt.figure(figsize=(5, 3))
\verb|sns.boxplot(x='Tree', y='MSE', data=table, showfliers=False)|\\
sns.stripplot(x='Tree', y='MSE', data=table, color='black', jitter=0.2)
# Legend
plt.title('Distribution of the Mean Squared Error for different trees')
plt.xlabel('Tree')
plt.ylabel('Mean Squared Error (MSE)')
# Afficher le graphique
plt.show()
```

#### Distribution of the Mean Squared Error for different trees



#RF (Step 3)

```
# estimate the RF with tree = 10
RF = RandomForestRegressor(n_estimators=10, random_state=100)
fit3 = RF.fit(X train, Y train)
#RF (Step 4)
# Compute the Predictionfrom RF
Predict RF = RF.predict(X test)
#RF (Step 5)
# Print feature importances
feature_importances = pd.Series(RF.feature_importances_, index=X_train.columns)
print("Feature Importances:")
## Feature Importances:
print(feature_importances)
              0.916639
## gas
## cobalt
              0.015486
## uranium
              0.026289
## charbon
              0.020575
## bau alu
              0.021012
## dtype: float64
#RF (Step 6)
#Compute the Prediction and print the coef for Ridge regression
print('MSE (training): %.2f' % mean_squared_error(Y_train, RF.predict(X_train)),
      'MSE (test): %.2f' % mean_squared_error(Y_test, RF.predict(X_test)), sep='\n')
## MSE (training): 0.00
## MSE (test): 0.01
#RF (Step 7)
# Create a graph to compare predictions from RF and observed values
plt.figure(figsize=(8, 4))
plt.plot(Y_test.values, color='blue', marker='o', label='Observed values')
plt.plot(Predict_RF, color='green', marker='o', linestyle='dashed',
linewidth=2, markersize=6, label='Predictions from RF')
plt.xlabel('Index')
plt.vlabel('Prix du Pétrole Brut')
plt.title ('Compare the predictions from Random Forest with the observed values')
plt.legend()
plt.grid(True)
plt.show()
```

