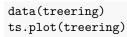
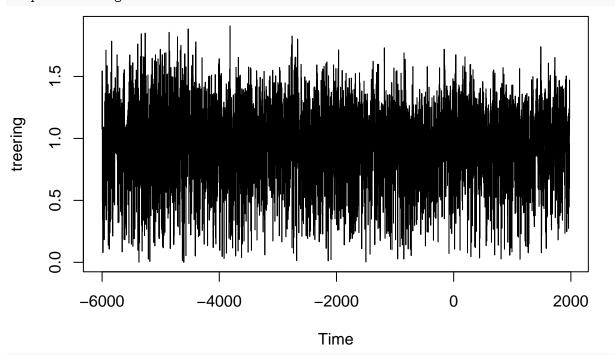
Coursework 5

Dan Bilsker

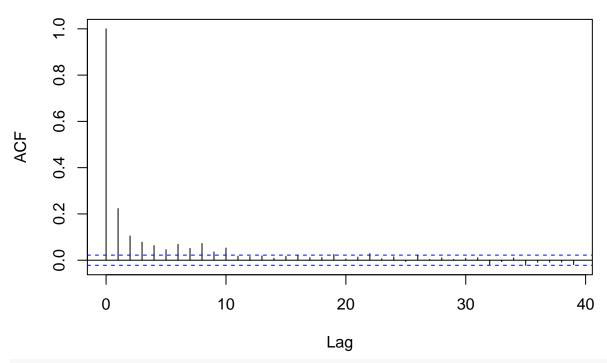
2022-11-11





acf(treering)

Series treering



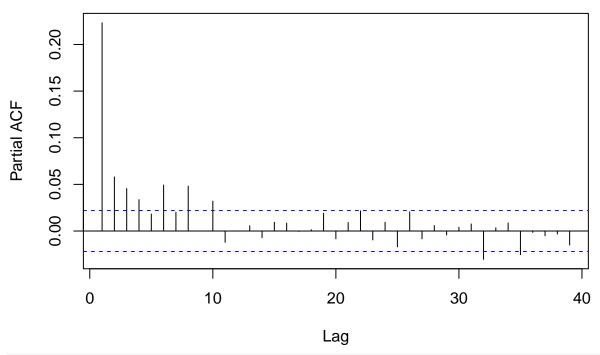
pacf(treering)
library(forecast)

Registered S3 method overwritten by 'quantmod':

method from

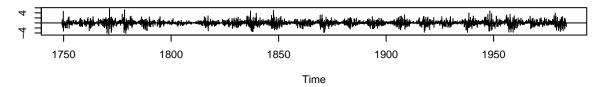
as.zoo.data.frame zoo

Series treering

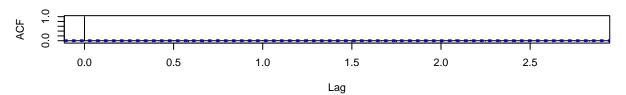


fit2 <- arima(sunspots, order = c(2,2,2))
tsdiag(fit2)</pre>

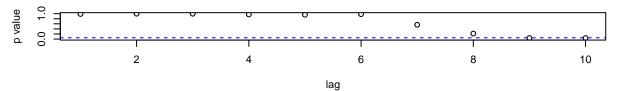
Standardized Residuals



ACF of Residuals

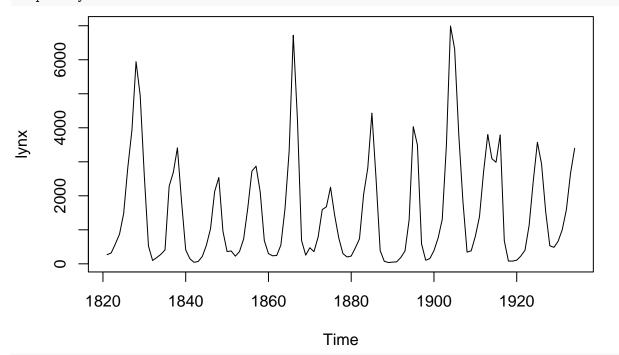


p values for Ljung-Box statistic



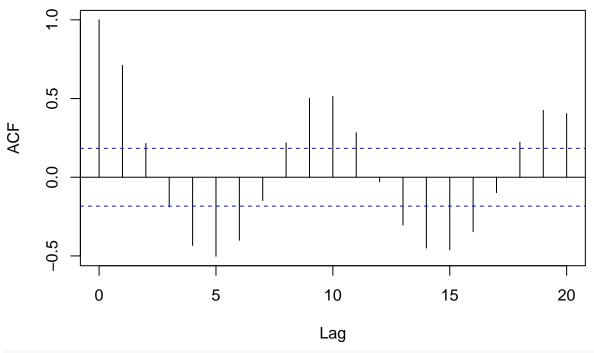
```
#fit3<-auto.arima(sunspots,ic="bic")
#fit3<-auto.arima(sunspots,ic="aic")
# Process: I guessed ARMA(1,1) from ACF
#and #PACF(since there was a lag after 0
#in ACF and PACF was decaying).
#It didn't #work in the Ljung-Box test,
#so I tried ARIMA(1,1,1), which was better.
#It is hard to tell what is white noise so
#I tried ARIMA(2,2,2,) as well and it turned
#out better.I tried aic,bic, and aicc tests
#but none were conclusive.</pre>
```

data(lynx) ts.plot(lynx)



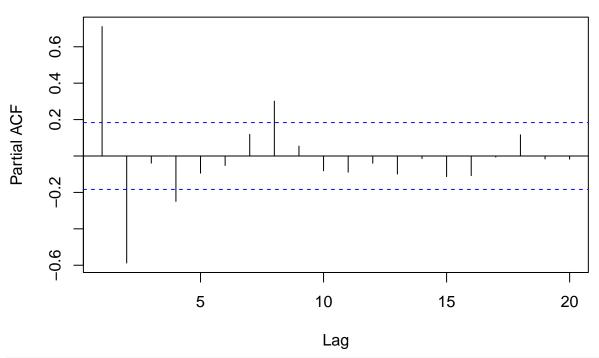
acf(lynx)

Series lynx



pacf(lynx)

Series lynx



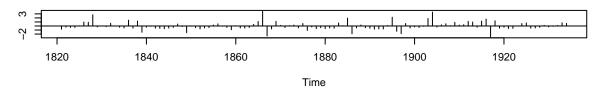
#clearly, this looks seasonal.
#Let's try something.

#I tried something seasonal and it

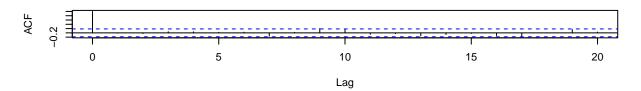
```
#didn't fit. I'm trying various tests.

fit3<-auto.arima(lynx,ic="aicc")
#This returns ARMA(2,0,2)
tsdiag(fit3)</pre>
```

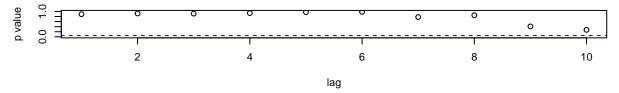
Standardized Residuals



ACF of Residuals



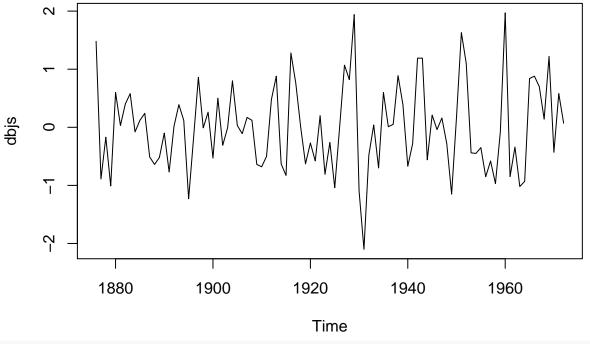
p values for Ljung-Box statistic



```
# OK. ARMA(2,0,2) fits so I'm going
#with this.All the aicc,aic, and bic
#tests return this as well.
```

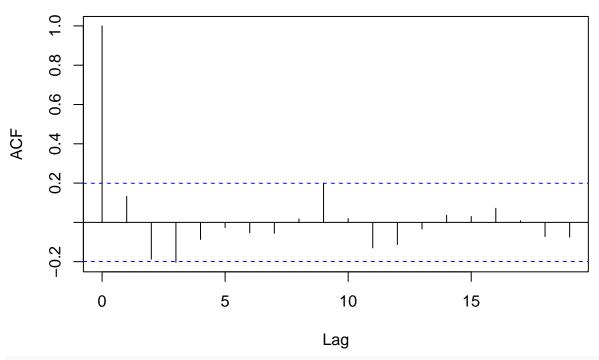
data(LakeHuron)

#Try differencing since it's not stationary.
dbjs = diff(LakeHuron)
ts.plot(dbjs)



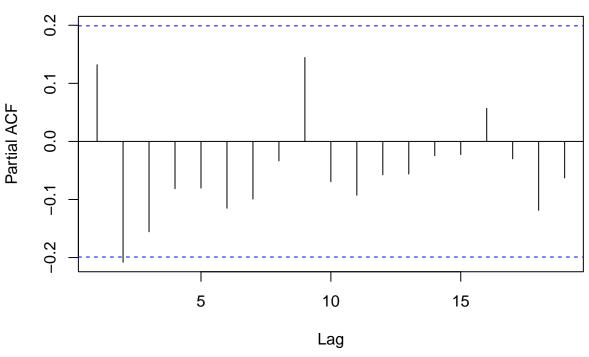
acf(dbjs)

Series dbjs



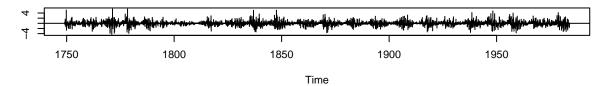
pacf(dbjs)

Series dbjs

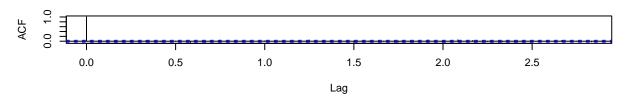


```
library(forecast)
#This looks better, stationary enough, with one spike in ACF
fit3<-auto.arima(sunspots,ic="aicc")</pre>
fit3
## Series: sunspots
## ARIMA(2,1,2)
##
## Coefficients:
##
                                      ma2
            ar1
                     ar2
                              ma1
##
         1.3467 -0.3963 -1.7710 0.8103
## s.e. 0.0303
                  0.0287
                           0.0205 0.0194
##
## sigma^2 = 243.8: log likelihood = -11745.5
## AIC=23500.99
                 AICc=23501.01
\#OK, this returns ARMA(2,1,2). Let's try this.
tsdiag(fit3)
```

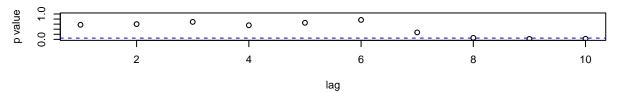
Standardized Residuals



ACF of Residuals



p values for Ljung-Box statistic

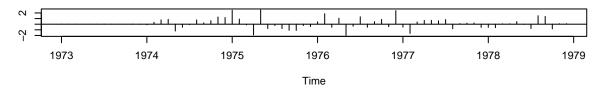


```
# Well, that seemed to work. ARMA(2,1,2), it is.
```

```
data(AirPassengers)
#ts.plot(AirPassengers)
#ts.plot(AirPassengers)
#acf(AirPassengers)
#pacf(AirPassengers)
#take difference
#dbj = diff(AirPassengers)
#dbj2 = diff(dbj)
#ts.plot(dbj)
library(forecast)
fit3<-auto.arima(AirPassengers,ic="aicc")
fit3</pre>
```

```
## Series: AirPassengers
## ARIMA(2,1,1)(0,1,0)[12]
##
## Coefficients:
##
            ar1
                    ar2
                             ma1
##
         0.5960 0.2143 -0.9819
## s.e. 0.0888 0.0880
                          0.0292
##
## sigma^2 = 132.3: log likelihood = -504.92
## AIC=1017.85
                AICc=1018.17
                              BIC=1029.35
fit < -arima(USAccDeaths, order = c(2,1,1), seasonal = list(order = c(0,1,0), period=12))
tsdiag(fit)
```

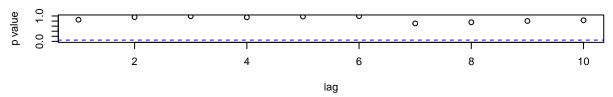
Standardized Residuals



ACF of Residuals



p values for Ljung-Box statistic



#I tried differencing but it didn't make
#it stationary. AICC, bic, and aicc returned
#three different answers and what I fit looks
#like best one although the it's not clear if
#the residuals are white noise but I don't see
#a clear structure. So this should do.