| | | MATHEN | IATIO | CS: MT-402 | |
|----|---------|--|-------|---|-----|
| | | Operat | ion l | Research | |
| | | (| 1114 | 12) | |
| | | Time: 2Hrs. | | Max. Marks: 60 | Ans |
| 1) | The cr | itical path is | | | (A) |
| | (A) | The longest path | (B) | The shortest path | |
| | (C) | The path operates from starting to end node | (D) | All path operates from start to end activities | |
| | | ies A,B and C are the immediate pre ree activities are 8, 12, 6 then the ea | | ssors for activity X if the earliest finish time for start time for X will be | (B) |
| | (A) | 8 | (B) | 12 | |
| | (C) | Cannot be determined | (D) | 6 | |
| 3) | While | scheduling a project by CPM | | | (D) |
| | (A) | A project is divided into various activities | (B) | Required time for each activity is established | |
| | (C) | A sequence of various activities is made according to their importance | (D) | All of the above | |
| 4) | In CPI | M project completion time is | | | (A) |
| | (A) | Maximum time | (B) | Minimum time | |
| | (C) | Average time | (D) | All of these | |
| 5) | In netv | work diagram | | | (B) |
| | (A) | Time flows from right to left | (B) | Time flows from left to right | |
| | (C) | Time flows from centre to left | (D) | Time flows from centre to right | |

| 6) | Which is an valid statement for a project having three paths A-B-C with 20 days length, A-D-C with 15 days length and A-E-C with 18 days length | | | | | |
|-----|---|--|------------|---|-----|--|
| | (A) | A-D-C is the critical path | (B) | The expected duration of the project is 20 days | | |
| | (C) | A-B-C has the max total float | (D) | The expected duration of the project is 15 days | | |
| 7) | Which | of the following is not a phase of p | roject r | management | (D) | |
| | (A) | Project planning | (B) | Project scheduling | | |
| | (C) | Project controlling | (D) | Project being | | |
| 8) | The ful | Il form of PERT is | | | (C) | |
| | (A) | Program Evaluation and Rate Technology | (B) | Program Evaluation and Robot Technology | | |
| | (C) | Program Evaluation and ReviewTechnique | (D) | Program Expert and Risk Technology | | |
| 9) | | are used to represent activity i | n a net | work diagram. | (D) | |
| | (A) | Circles | (B) | Squares | | |
| | (C) | V-Rectangles | (D) | Arrows | | |
| 10) | | ortest possible time in which an ac | ctivity ca | an be achieved under ideal circumstances is | (B) | |
| | (A) | Pessimistic time estimate. | (B) | Optimistic time estimate. | | |
| | (C) | Expected time estimate | (D) | The most likely time estimate. | | |
| 11) | PERT | analysis is based on | | | (D) | |
| | (A) | Optimistic time | (B) | Pessimistic time | | |
| | (C) | Most likely time | (D) | All the above | | |
| 12) | Expect | ted time estimate (te) can be calcu | lated by | у | (A) | |
| | (A) | $\frac{t_0 + 4t_m + t_p}{6}$ | (B) | $\frac{t_0 + 4t_p + t_m}{6}$ | | |
| | (C) | $\frac{4t_0 + 4t_p + 4t_m}{4}$ | (D) | $\frac{t_0 + t_m + t_p}{3}$ | | |

| 13) | Formu | la for total float is | | | (C) |
|-----|--------------------|---|---------|---|-----|
| | (A) | LST-EST | (B) | LFT-EFT | |
| | (C) | Both A and B | (D) | None | |
| 14) | Float i | s useful for | | | (A) |
| | (A) | Rescheduling activities | (B) | Rescheduling events | |
| | (C) | Define Critical path | (D) | None of the above | |
| 15) | In a qu arrival | • . | ults me | ean service rate has to be higher than mean | (A) |
| | (A) | True | (B) | False | |
| | (C) | Depending on condition | (D) | Do not know | |
| 16) | If the a | | distrib | oution inter-arrival time will follow exponential | (A) |
| | (A) | Poisson | (B) | Exponential | |
| | (C) | Both | (D) | Depending on condition | |
| 17) | mean vehicle | rate of 10 vehicles per hours. The a | ttenda | ng according to poisson distribution with a ant renders service at an average of 15 a vehicle must wait before it is taken up for | (C) |
| | (A) | 12 mints | (B) | 15 mints | |
| | (C) | 8 mints | (D) | 9 mints | |
| 18) | Avera | ge waiting time in the Queue W _q = | | | (B) |
| | (A) | $\frac{2\lambda}{4(\mu-\lambda)}$ | (B) | $\frac{\lambda}{\mu(\mu-\lambda)}$ | |
| | (C) | $\frac{\mu}{\lambda(\lambda-4)}$ | (D) | $\frac{\mu^2}{\lambda(\lambda-\mu)}$ | |
| 19) | In M / | M / 1: FIFO model of Queuing theor | y the ¡ | probability that server is idle is | (D) |
| | (A) | $\frac{\lambda}{\mu}$ | (B) | $\frac{\mu}{\lambda}$ | |
| | (C) | $1-\frac{\mu}{\lambda}$ | (D) | $1-\frac{\lambda}{\mu}$ | |
| | 1 | | | | 1 |

| 20) | The lo | ng form of EVPI Expected value of perfect information | (B) | Expected value of probability information | (A) |
|-----|---------------|--|----------------|---|-----|
| | (C) | Expected variable profit of Interest | (D) | Elementary variable of probability input | |
| 21) | Hurwit | criterion is Decision making criteria | 3 | | (B) |
| | (A) | Under certainty | (B) | Under uncertainty | |
| | (C) | Under risle | (D) | All above | |
| 22) | In Dec (A) | ision Tree Method Decision points a Square | are rep (B) | presented by the symbol P | (C) |
| | (C) | Circle | (D) | None of these | |
| 23) | Maxi n | nin criterion means decision maker | attemp | ots to | (A) |
| | (A) | Maximise the minimum possible profits | (B) | Minimize the expected loss. | |
| | (C) | Maximum regrets. | (D) | Minimum regrets. | |
| 24) | | a method for learning about a real ents the system. | syster | n by experimenting with a model that | (D) |
| | (A) | Decision theory. | (B) | CPM-PERT. | |
| | (C) | Replacement theory. | (D) | Simulation. | |
| 25) | "X sim | ulated Y"is true iff | | | (C) |
| | i) X a | nd Y are formal system. | | | |
| | ii) Y | is taken to be the real system. | | | |
| | (A) | (i) is true. | (B) (i | i) is true. | |
| | (C) | Both (i) & (ii) are true. | (D)B | oth (i) & (ii) are are false. | |
| 26) | Which | is not Methodology foe simulation p | roces | S | (C) |
| | (A) | Developed the simulation model. | (B) | Identify he problem. | |
| | (C) | The solution results is maximisation & minimisation of objective function. | (D) | Specify values of decision variable to be tested. | |

| 27) | The Monte-carlo method of simulation was developed by | | | | (A) |
|-----|---|---|----------|---|-------|
| | (A) | Neumann and stainslaw Ulam. | (B) | Monte and carl Ulam. | |
| | (C) | Henry-carlo Neumann. | (D) | Albert Carlo. | |
| 28) | Consi | ider the following statements | | | (D) |
| | i) ii) iii) | Simulation produced optimal res A good Simulation model may be usable model. Each application of simulation is | e very e | expensive often it takes year to develop a | |
| | (A) | All statements are true. | (B) | (i) and (ii)true and (iii)is false. | |
| | (C) | Only (iii)is true. | (D) | (ii) and (iii)are true and (i) is false. | |
| 29) | times | , , | mints. | equired service .The interval and service Respectively. Simulate the system for 14 ner. | (D) |
| | (A) | 3 mints. | (B) | 2.5 minutes. | |
| | (C) | 2 minutes | (D) | 3.7 minutes | |
| 30) | Consi | der the following statements | | | (A) |
| | i) ii) | body and brain activities, simula | tion us | alance, distribution of electrolyte in human ed. ed of weapon system, war strategies. | |
| | (A) | (i) is true. | (B) (i | i) is true. | |
| | (C) | Both (i) & (ii) are true. | (D)B | oth (i) & (ii) are false. | |
| 31) | | requires the generation of a sequen ation model. | ce of r | andom numbers that is an integral part of the | e (B) |
| | (A) | System Simulation | (B) N | Nonte – carlo Simulation | |
| | (C) | Neumann – Carlo Simulation. | (D)R | andom Model. | |

| 32) | Cons | ider the following statements | | (C) |
|-----|-----------|---|--|-----|
| | i) ii) | Simulation is flexible and straight It can be used to analyse large and by conventional quantitative technique. | nd complex real world system that can't be solved | |
| | (A) | (i) is true. | (B) (ii) is true. | |
| | (C) | Both (i) & (ii) are true. | (D)Both (i) & (ii) are false. | |
| 33) | avera | | nter. Consumers arrive at a rate of 20 per hour and riced by cashier is 24. Then under usual idle is | (C) |
| | (A) | 5/6 | (B) 4/5. | |
| | (C) | 1/5 | (D) 1/6 | |
| 34) | All th | e parameter linear programming mod | del are assumed to be | (B) |
| | (A) | variables | (B) constraints | |
| | (C) | functions | (D) None | |
| 35) | In M/ | M/1 : ∞/FIFO model of queuing theor | ry. The probability that the server is busy is | (A) |
| | (A) - | $\frac{\lambda}{u}$ | $(B)\frac{\mu}{\lambda}$ | |
| | (C) | $1-\frac{\lambda}{\mu}$ | (D)1- $\frac{\mu}{\lambda}$ | |
| | | | | |

| | If arrival rate = λ = 20 per hour and service expected waiting time of consumer in syst | e time = μ = 24 per hour under usual assumptions em is | (C) |
|-----|---|--|-----|
| | (A) 12.5 minutes. | (B) 5 minutes | |
| | (C) 15 minutes. | (D) 10 minutes. | |
| 37) | In Decision making under certainly each a | ction will lead tooutcome. | (A) |
| | (A)Only One. | (B) Only two. | |
| | (C)infinitly. | (D)All above. | |
| | In Decision making under risk decision macourses of action. | aker knows the for each possible alternative | (B) |
| | (A)Probability of occurrence of input. | (B)Probability of occurrence of outcomes. | |
| | (C)Action taking. | (D) None of these. | |
| 39) | What is the long form of EMV | | (D) |
| | (A)Expected money value. | (B)Expected money variable. | |
| | (C)Elementary model value. | (D)Elementary Monetary value. | |

| 40) | giving | • | es, concerning | certa | on has submitted th fol ain proposal depending s follows : | . | (B) |
|-----|---------|---|----------------|---------|--|--------------------|-----|
| | Tech | nological advance→ | Much | | little | None | |
| | Decis | sion↓ | | | | | |
| | Acce | pt | 2 | | 5 | -1 | |
| | Reje | ct | 3 | | 2 | 4 | |
| | | is thebest decision un | der certainty? | Į. | | | |
| | (A) | Accept. | | (B) | Reject. | | |
| | (C) | Not confirmed. | | (D) | None. | | |
| 41) | Repla | cement is essential fo | r | | | | (D) |
| | (A) | Loss of accuracy. | | (B) | Reduced rate of prod | uction. | |
| | (C) | Frequent breakdown | ıs. | (D) | All above reasons. | | |
| 42) | Metho | d to be used to evalu | ate replacemer | nt alte | ernatives. | | (D) |
| | (A) | Annual equivalent ar method. | nnuity | (B) | Present value metho | d. | |
| | (C) | MAPI method. | | (D) | Any one of the above | | |
| 43) | Differe | ent replacement alterr | atives are | | | | (D) |
| | (A) | Breakdown replacen | nent. | (B) | Planned replacement | t. | |
| | (C) | Group replacement. | | (D) | All are correct as per | situation. | |
| 44) | | bjective of a scientific of inventory. The stat | • | rol sy | stem is to reduced inv | estment in various | (A) |
| | (A) | True. | | (B) | False. | | |
| | (C) | Cannot say | | (D) | None. | | |

| 45) | The no | on-linear programming problem solv | ed by | using | (D) |
|-----|--------|---|---------|--|------|
| | (A) | Wolfe's Method. | (B) | Kelly's cutting plane method | |
| | (C) | Lagrange's multiplier technique. | (D) | all of these | |
| | | | | | |
| 46) | Econo | mic order quantity (EOQ) results in | | | (B) |
| | (A) | Reduced chances of stock outs. | (B) | Equalization of carrying cost and procurement cost | |
| | (C) | Favourable Procurement price. | (D) | None of these. | |
| 47) | Buffer | stock is the level of stock | | | (C) |
| | (A) | Half of the actual stock. | (B) | At which the ordering process should start. | |
| | (C) | Minimum stock level below which actual stock should not fall. | (D) | maximum stock in inventory. | |
| 48) | | crease in unit price causes the aver not increase? | age d | emand rate to increase, which are of these | (A) |
| | (A) | Lead time. | (B) | ROP. | |
| | (C) | EOQ | (D) | Annual holding. | |
| 49) | The C | ost of Insurance and taxes are inclu | ding ir | 1 | (D) |
| | (A) | Set up cost. | (B) | Cost of Ordering. | |
| | (C) | Cost of shortages. | (D) | Inventory carrying cost | |
| 50) | | der cost per order of an inventory is he Economic Order Quantity (EOQ) | | .00 with an annual carrying cost of RS. 10 pen annual demand of 2000 unit is | r(A) |
| | (A) | 400 | (B) | 410 | |
| | (C) | 500 | (D) | 1590. | |
| 51) | Using | the basic EOQ model, if the ordering | g cost | doubles. The order quantity will be | (C) |
| | (A) | Double its formal value. | (B) | About 50% it's formal value. | |
| | (C) | About 71% of its formal value. | (D) | Unaffected. | |
| 1 | 1 | | | | 1 |

| 52) | Which | of the following is not an inventory? | | | (A) |
|-----|---------|--|---------|--|-----|
| | (A) | Machines. | (B) | Row material. | |
| | (C) | Finished products. | (D) | Consumable tools. | |
| 53) | Which | of the following is true for inventory | contro | ol? | (D) |
| | (A) | Economic order quantity has minimum total cost per order. | (B) | Inventory carrying costs increasing with quantity per order. | |
| | (C) | Ordering cost decreases with 10 size. | (D) | All the above. | |
| 54) | Which | of the following is a valid objective f | unctic | on for a linear programming problem? | (B) |
| | (A) | Max. 5xy | (B) | Min. $4x+3y+(2/3z)$ | |
| | (C) | Max. $5x^2+6y^2$. | (D) | Min. $(x_1+x_2)/x_3$. | |
| 55) | let Z b | e a real valued function of n variable | s defi | ned by | (B) |
| | | or Min. $Z=f(x_1,x_2,x_3,,x_n)$ subject to where either $f(x)$ or some $g_i(x)$ or both | | constraints $g_i(x)$ $\{\le,\ge or=\}$ b_i , $i=1,2,3m$, non-linear . it is general form of | |
| | (A) | Linear programming. | (B) | Non-linear programming. | |
| | (C) | C-programming. | (D) | C ⁺⁺ -programming | |
| 56) | The ne | ecessary condition for a Max.(or Min | .) of f | (x) are | (B) |
| | (A) | $\frac{\partial L}{\partial x_i} = \frac{\partial f}{\partial x_i} + \sum_{i=1}^m \lambda_i \frac{\partial g_i}{\partial x_j} = 0$ | (B) | $\frac{\partial L}{\partial x_j} = \frac{\partial f}{\partial x_i} - \sum_{i=1}^m \lambda_i \frac{\partial g_i}{\partial x_j} = 0$ | |
| | (C) | $\frac{\partial L}{\partial x_i} = \sum_{i=1}^m \lambda_i \frac{\partial g_i}{\partial x_j} = 0$ | (D) | $\frac{\partial L}{\partial x_i} = \frac{\partial f}{\partial x_i} + \sum_{i=1}^m \lambda_i g_i = 0$ | |
| 57) | The La | agrangian function is of the form $L(x,$ | λ) = f | (x)- $\sum_{i=1}^{m} \lambda_i g_i(\mathbf{x})$ where x stand for | (C) |
| | (A) | Lagrangian function | (B) | Lagrangian multiplier | |
| | (C) | Decision variable | (D) | None | |
| 58) | The m | ethod of lagrange multipliers is a str | ategy | for finding the | (D) |
| | (A) | Only maxima of function | (B) | Only minima of function | |
| | (C) | None | (D) | local Maxima and Minima of function | |

| 59) | A Non | -LPP with non-linear objective functi | on an | d linear constraints such a non-LPP is called | (A) | | |
|----------|--|---|--------------------|--|----------|--|--|
| | (A) | Quadratic programming problem. | (B) | Non-Quadratic programming problem. | | | |
| | (C) | Linear programming problem | (D) | Non-Linear programming problem | | | |
| 60) | Which | of the following is a valid objective | function | on for a QPP. | (A) | | |
| | (A) | $\min f(\mathbf{x}) = 3x_1^2 + x_2^2 + 2x_1x_2 + x_1 + 6$ +2 | бх ₂ (Е | $ \min_{\substack{f(\mathbf{x}) = 3x_1^3 + x_2^3 + 2x_1x_2 + x_1^2 \\ +6x_2 + 2}} \min_{\substack{f(\mathbf{x}) = 3x_1^3 + x_2^3 + 2x_1x_2 + x_1^2 \\ -6x_2 + 2}}. $ | | | |
| | (C) | $\max f(\mathbf{x}) = 2x_1 + 3x_2 + 6x_3 + 2$ | (D) | All of these | | | |
| 61) | - | ocedure used to solve assignment premet costs to a table of opportunity | | ms wherein one reduces the original is called | (C) | | |
| | (A) | Stepping – stone method | (B) | MODI method | | | |
| | (C) | Matrix reduction | (D) | Simplex reduction | | | |
| 62) | Occurs when the number of occupied squares is less than the number of rows plus | | | | | | |
| | (A) | degeneracy | (B) | infeasibility | | | |
| | (C) | Unboundedness | (D) | unbalanced | | | |
| 63) | The solution of transportation problem with 'm' rows(supplies) and 'n' columns (destination) is feasible if number of positive allocations are | | | | | | |
| | (A) | m+n | (B) | m*n | | | |
| | (C) | m+n-1 | (D) | m+n+1 | | | |
| 64) | The operations research technique which helps in minimizing total waiting and service costs is | | | | | | |
| | (A) | Queuing theory | (B) | Decision theory | | | |
| | (C) | Both A and B | (D) | None of these | | | |
| 65) | Optima | al solution of an assignment problen | n can l | be obtained only if | (A) | | |
| | (A) | Each row and column has only one zero element | (B) | Each row and column has at least one zero element | | | |
| | (C) | The data is arrangement in a square matrix | (D) | Simplex reduction | | | |
| <u> </u> | <u> </u> | | | | <u> </u> | | |

| , | When be | total supply is equal to total demand | d in tra | ansportation problem , the problem is said to | (A) |
|-----|------------------|--|----------|---|-----|
| | (A) | Balanced | (B) | Unbalanced | |
| | (C) | Degenerate | (D) | None of these | |
| 67) | The de | ecision making criteria that should be | e achi | eve maximum long term payoff is | (B) |
| | (A) | EOL | (B) | EMV | |
| | (C) | Hurwicz | (D) | Maximax | |
| 68) | Decisio | on theory concerned with | | | (D) |
| | (A) | Method of arriving at an optimal decision | (B) | Selecting optimal decision in sequential manner | |
| | (C) | Analysis of information that is available. | (D) | All of above. | |
| 69) | All of t | he following are steps in the decision-m | naking | process EXCEPT | (D) |
| | (A) | Defined the problem | (B) | List alternatives | |
| | (C) | Identify the possible outcomes | (D) | Compute the posterior probabilities | |
| 70) | | is an activity oriented diagram. | | | (A) |
| | (A) | CPM | (B) | PERT | |
| | (C) | Histogram | (D) | None | |
| 71) | PERT e | mphasis on | | | (A) |
| | (A) | Time | (B) | Activity | |
| | (C) | A and B | (D) | None | |
| 72) | | is concerned with the problem | of repl | acement of machine, electricity bulbs, men etc. | (B) |
| | (A) | Decision theory | (B) | Replacement theory | |
| | (C) | Simulation | (D) | None | |
| 73) | Operat proble | • • | meth | od to arrive at the optimal solution to the | (B) |
| | (A) | Economical | (B) | Scientific | |
| | (C) | Both A and B | (D) | artistic | |

| | • | _ | · | (B) |
|--|--|---|--|---|
| (A) | Management process | (B) | Decision making | |
| (C) | Procedure | (D) | Mathematical model | |
| OR car | evaluate only the effects of | | | (C) |
| (A) | Financial factors | (B) | Personal factor | |
| (C) | Numeric and quantifiable factor. | (D) | None | |
| Which of the following is not the phase of OR methodology. | | | | (D) |
| (A) | Formulating | (B) | Constructing a model | |
| (C) | Establishing controls | (D) | Controlling the environment | |
| The objective function and constraints are functions of two types of variable | | | | (B) |
| (A) | Positive and negative | (B) | Controllable and uncontrollable | |
| (C) | Strong and weak | (D) | None | |
| What have been constructed from OR problem and methods for solving the model that are available in many cases? | | | | (C) |
| (A) | Scientific model | (B) | Algorithm | |
| (C) | Mathematical models | (D) | None | |
| Which | Which of the following is not needed to use the transportation model? | | | |
| (A) | The case of shipping one unit from each origin to each destination | (B) | The destination points and demand per period at each. | |
| (C) | The origin point and the capacity of supply per period at each. | (D) | Degeneracy | |
| | | d to "b | alance" an assignment or transportation | (C) |
| (A) | Destination, source | (B) | Units supplies, unit demand | |
| (C) | Dummy rows, Dummy columns | (D) | Artificial cells, Degenerate cells. | |
| | various (A) (C) OR car (A) (C) Which (A) (C) What I in man (A) (C) Which (A) (C) Which (A) (C) Which (A) | various factor impacting a particular operation (A) Management process (C) Procedure OR can evaluate only the effects of | various factor impacting a particular operation. The (A) Management process (B) (C) Procedure (D) OR can evaluate only the effects of | (C) Procedure (D) Mathematical model OR can evaluate only the effects of |
