

THE FOLLOWING ADJACENCY LIST IS DEFINED ON VERTICES $\{A, B, C, D, E, F\}$

$A \rightarrow [C, E, F]$

$B \rightarrow [C, D, E]$

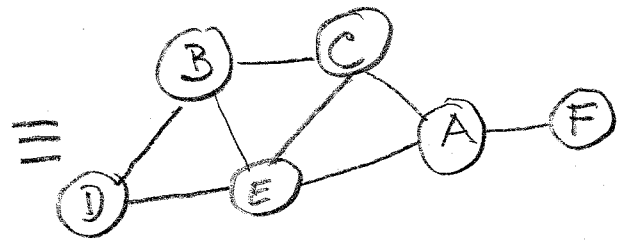
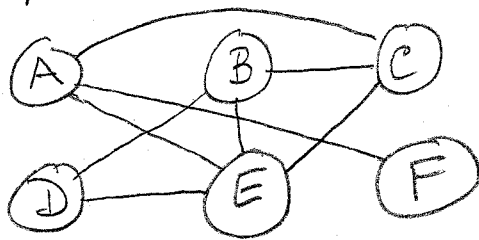
$C \rightarrow [A, B, E]$

$D \rightarrow [B, E]$

$E \rightarrow [A, B, C, D]$

$F \rightarrow [A]$

IT YIELDS THE FOLLOWING GRAPH:



BREADTH-FIRST TRAVERSAL:

WE WILL KEEP TRACK OF THE QUEUE, THE VISITED LIST OF VERTICES, AND THE VISITED LIST OF EDGES STARTING FROM VERTEX F. ADJACENT VERTICES WILL BE VISITED IN ALPHABETICAL ORDER.

- ① QUEUE: F
VISITED: F
EDGE LIST:
- ② QUEUE: ~~F~~, A
VISITED: F, A
EDGE LIST: F \leftrightarrow A

③ QUEUE: ~~F~~, ~~A~~, C, E

VISITED: F, A, C, E

EDGE LIST: ~~F~~↔A, A↔C, A↔E

④ QUEUE: ~~F~~, ~~A~~, ~~C~~, E, B

VISITED: F, A, C, E, B

EDGE LIST: ~~F~~↔A, A↔C, A↔E, C↔B

⑤ QUEUE: ~~F~~, ~~A~~, ~~C~~, ~~E~~, B, D

VISITED: F, A, C, E, B, D

EDGE LIST: ~~F~~↔A, A↔C, A↔E, C↔B, E↔D

⑥ QUEUE: ~~F~~, ~~A~~, ~~C~~, ~~E~~, ~~B~~, D

VISITED: F, A, C, E, B, D

EDGE LIST: ~~F~~↔A, A↔C, A↔E,
C↔B, E↔D

[NOTE: B CAN'T BRING IN ANY VERTEX
BECAUSE THEY HAVE ALL BEEN
VISITED.]

⑦ QUEUE: ~~F~~, ~~A~~, ~~C~~, ~~E~~, ~~B~~, D

VISITED: F, A, C, E, B, D

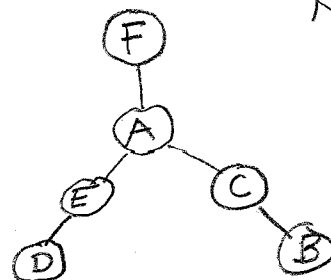
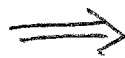
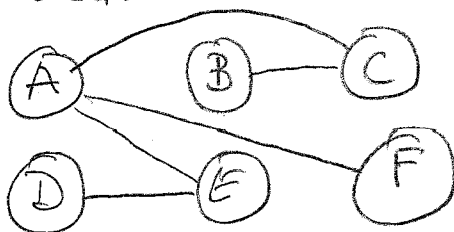
EDGE LIST: ~~F~~↔A, A↔C, A↔E, C↔B, E↔D

[SAME AS ABOVE]

QUEUE IS EMPTY SO STOP.

THE VISITED LIST HAS THE SEQUENCE OF VERTICES IN THE ORDER
VISITED.

THE EDGE LIST CONSTRUCTS A SPANNING TREE [CONNECTED,
NO CYCLES]



[DGB]

DEPTH-FIRST TRAVERSAL:

IN THIS TRAVERSAL WE REPLACE THE QUEUE WITH A STACK.
WE WILL START AT B. AGAIN, ADJACENT VERTICES WILL BE VISITED IN ALPHABETICAL ORDER.

- ①

$$\begin{array}{c} B \\ \hline \text{stack} \end{array}$$

VISITED: B

EDGE LIST:
- ②

$$\begin{array}{c} C \\ B \\ \hline \text{stack} \end{array}$$

VISITED: B, C

EDGE LIST: $B \leftrightarrow C$
- ③

$$\begin{array}{c} A \\ C \\ B \\ \hline \text{stack} \end{array}$$

VISITED: B, C, A

EDGE LIST: $B \leftrightarrow C, C \leftrightarrow A$
- ④

$$\begin{array}{c} E \\ A \\ C \\ B \\ \hline \text{stack} \end{array}$$

VISITED: B, C, A, E

EDGE LIST: $B \leftrightarrow C, C \leftrightarrow A, A \leftrightarrow E$
- ⑤

$$\begin{array}{c} D \\ E \\ A \\ C \\ B \\ \hline \text{stack} \end{array}$$

VISITED: B, C, A, E, D

EDGE LIST: $B \leftrightarrow C, C \leftrightarrow A, A \leftrightarrow E, E \leftrightarrow D$
- ⑥ D HAS NOWHERE UNVISITED TO ADD SO POP D.

$$\begin{array}{c} E \\ A \\ C \\ B \\ \hline \text{stack} \end{array}$$

VISITED: B, C, A, E, D

EDGE LIST: $B \leftrightarrow C, C \leftrightarrow A, A \leftrightarrow E, E \leftrightarrow D$

⑦ E HAS NOWHERE UNVISITED TO ADD SO POP E.

A
C
B
Stack

VISITED: B, C, A, E, D

EDGE LIST: $B \leftrightarrow C, C \leftrightarrow A, A \leftrightarrow E, E \leftrightarrow D$

⑧ A can add F so PUSH F

F
A
C
B
Stack

VISITED: B, C, A, E, D, F

EDGE LIST: $B \leftrightarrow C, C \leftrightarrow A, A \leftrightarrow E, E \leftrightarrow D, A \leftrightarrow F$

⑨ F HAS NO ONE TO ADD SO POP F.

A
C
B
Stack

VISITED: B, C, A, E, D, F

EDGE LIST: $B \leftrightarrow C, C \leftrightarrow A, A \leftrightarrow E, E \leftrightarrow D, A \leftrightarrow F$

⑩, ⑪, ⑫ ALL VERTICES HAVE BEEN VISITED SO STACK IS POPPED UNTIL EMPTY.

Stack

VISITED: B, C, A, E, D, F

EDGE LIST: $B \leftrightarrow C, C \leftrightarrow A, A \leftrightarrow E, E \leftrightarrow D, A \leftrightarrow F$

THE VISITED LIST HAS THE SEQUENCE OF VERTICES.

THE SPANNING TREE RESULTING FROM THE EDGE LIST IS:

