

plumeAnalyserSyntheticHorizontal

May 31, 2019

```
In [1]: from scipy.io.matlab import loadmat
        from itertools import product
        from scipy.optimize import fmin

        import pandas
        import numpy as np
        import matplotlib.pyplot as plt
        import matplotlib as mpl
        import os, sys
        import json
        import matplotlib.animation as animation

        # Set numpy options, notably for the printing of floating point numbers
        np.set_printoptions(precision=6)

        # Set matplotlib options
        mpl.rcParams['figure.dpi'] = 300

        %reload_ext autoreload
        %autoreload 2

In [2]: run = 3

        # Import table of experimental conditions
        GCTA = pandas.read_excel('./data/ExpPlumes_for_Dai/TableA1.xlsx', sheet_name='CGSdata',
                                names=('exptNo', 'rhoa0', 'sig_rhoa0', 'N', 'sig_N', 'rho0', 's
                                      'gp', 'sig_gp', 'Q0', 'sig_Q0', 'MO', 'sig_MO', 'FO', 'si

        # Extract densities of ambient and plume, and calculate g' at the source
        expt = GCTA[GCTA['exptNo'] == run]
        rhoa0 = expt['rhoa0']
        rho0 = expt['rho0']
        g = 981 #cm/s2
        gp0 = (rhoa0 - rho0) / rhoa0 * g

        parameters = pandas.read_excel('./data/ExpPlumes_for_Dai/TableA1.xlsx', sheet_name='CGSp
        b0theoretical = parameters[parameters['property'] == 'nozzleSize']['value'].values[0]
        u0theoretical = expt['U0'].values[0]
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In [3]: from bentPlumeAnalyser import *
        from fumarolePlumeModel import *
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0.0.1 Create a synthetic dataset for a vertical plume

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In [4]: exptNo      = 3
        plotResults = True

        V0, p = loadICsParameters(pathname, exptNo, alpha=0.05, beta=0.5, m=1)

        #p = list(p)
        #p[1], p[4] = 0., 0.
        #p = tuple(p)

        t1 = 30.
        dt = .1
        sexp = np.arange(0., t1 + dt, dt)
        dsexp = np.diff(sexp)

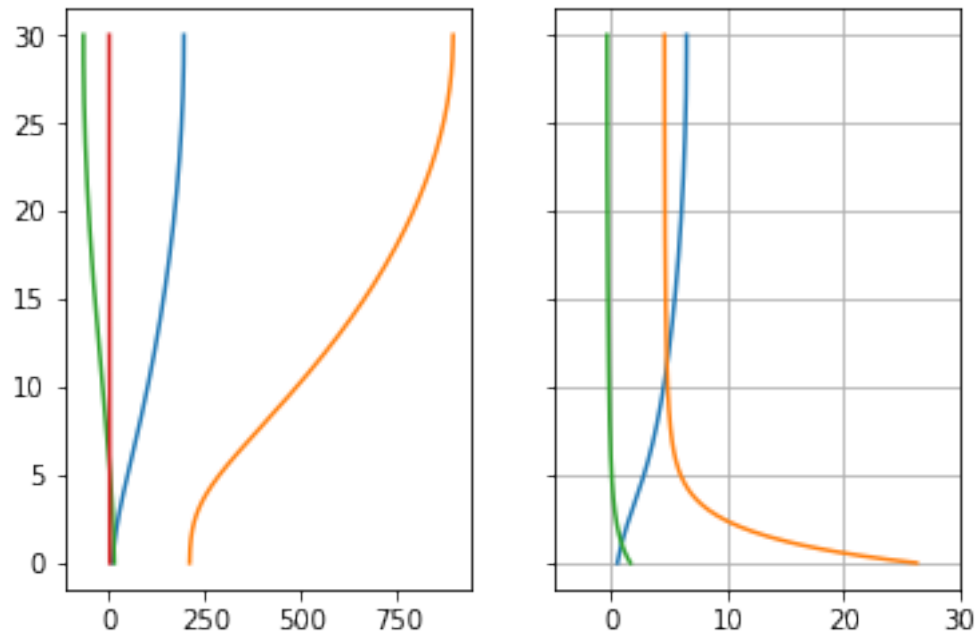
In [5]: Q0, M0, F0, theta0 = V0
        s, V = integrator(derivs, V0, p, sexp)

        fig, ax = plt.subplots(1, 2, sharey=True)
        ax[0].plot(V, s, '-')

        Q, M, F, theta = [V[:,i] for i in range(4)]
        b, u, gp = Q / np.sqrt(M), M / Q, F / Q

        V2 = np.array([b, u, gp]).T
        ax[1].plot(V2, s, '-')
        ax[1].set_xlim((-5, 30))
        ax[1].grid()

        sexp = np.copy(s)
        dsexp = np.diff(sexp)
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0.0.2 Add noise to signal

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In [20]: plt.plot(V2, s, '-')
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V3 = V2.copy()
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ecart_type= 0.3
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for i in range(3):
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    noise = np.random.normal(0, .8, len(sexp))
```

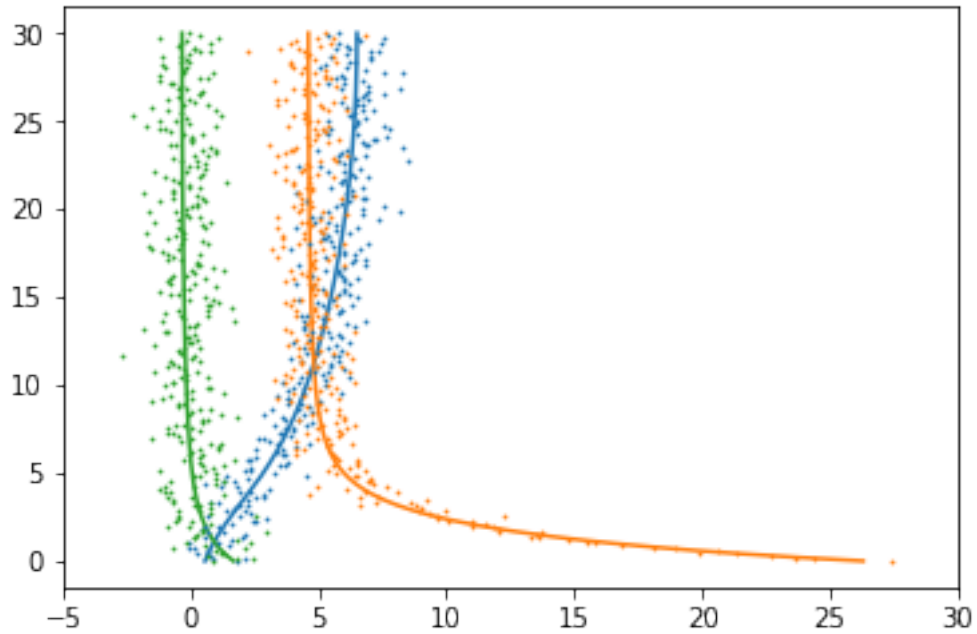
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    V3[:,i] = V2[:,i] + noise
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    plt.plot(V3[:,i], s, '-', c='C%d' % i, ms=1.5)
```

```
plt.xlim((-5, 30))
```



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bexp, uexp, gpexp = [V3[:,i] for i in range(3)]
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In [21]: gp0 = V0[2] / V0[0]
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```
In [22]: nGrid = 51      # Number of grid points
         b0Vec = np.linspace(.05, 2, nGrid) #cm
         u0Vec = np.linspace(5, 30, nGrid) #cm/s
         Q0Vec = u0Vec * b0Vec**2 #cm3/s
         M0Vec = Q0Vec * u0Vec #cm4/s2

         theta0 = np.pi / 2

         objFn, initialConds = [], []

         sequence = [Q0Vec, M0Vec]

         for (Q0, M0) in list(product(*sequence)):
             F0 = Q0 * gp0
             V0 = [Q0, M0, F0, theta0]

             # Call the 'integrator' function (defined above) to solve
             # the model

             dexp = np.array([gpexp]).ravel(order='C')
             sig_dexp = np.array([])

             sig_V= np.array([ecart_type*np.ones(len(dexp))]).ravel(order='C')
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        objFn.append(objectiveFn2(V0, derivs , p, sexp, dexp, sig_dexp=None, mode='lsq'))
        initialConds.append(V0)

# Transform initialConds and objFn from lists to arrays,
# reshaping the latter
        initialConds = np.array(initialConds)
        objFn = np.array(objFn).reshape((nGrid, nGrid))

In [23]: s, V = integrator(derivs, V0, p, sexp)

        Q, M, F, theta = [V[:,i] for i in range(4)]
        b, u, gp = Q / np.sqrt(M), M / Q, F / Q
        d = np.array([gp]).ravel(order='C')
        # Some conditions mean that the plume doesn't reach the same altitude as the experimental
        # the experimental observable vector to be the same length as the model, or vice versa
        if len(d) < len(dexp):
            dexp = dexp[:len(d)]
        else:
            d = d[:len(dexp)]
        res = dexp - d
        res = res[:-1]

        kernel = .5 * res.dot(res)

```

0.03 Optimisation by fmin

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In [24]: Vopt, fopt, Niter, NFCalls, warnFlags, Viter = fmin(objectiveFn2, V0, (derivs,p,sexp, d

```

```

Optimization terminated successfully.
Current function value: -1.000000
Iterations: 116
Function evaluations: 228

```

```

/run/user/1000/gvfs/smb-share:server=docobs,share=donnees/Thermographie/MCG/Python Scripts/fumar
        b, u, gp = Q / np.sqrt(M), M / Q, F / Q
/run/user/1000/gvfs/smb-share:server=docobs,share=donnees/Thermographie/MCG/Python Scripts/fumar
        b, u, gp = Q / np.sqrt(M), M / Q, F / Q

```

```

In [25]: fig = plt.figure(figsize=(2,3))

        plt.pcolor(b0Vec, u0Vec, (-objFn))

        ### Optimal values
        ui, bi = np.where(objFn == objFn.min())
        bOpt = b0Vec[bi[0]]
        uOpt = u0Vec[ui[0]]

```

```

plt.plot(b0opt, u0opt, 'r.', ms=8, label='Values with max. prob.')
plt.xlabel('b0')
plt.ylabel('u0')

#plt.colorbar()
Q=Vopt[0]
M=Vopt[1]
b= Q / np.sqrt(M)
u= M/ Q
plt.plot(b, u, 'co')

plt.plot(b0theoretical, u0theoretical, 'w.', ms=8, label='Supposed values')
plt.plot()
plt.savefig('/home/ovsg/Documents/Stage_Domoison/Rapport/image/bi.png', dpi=300)

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/home/ovsg/anaconda3/lib/python3.6/site-packages/ipykernel_launcher.py:17: RuntimeWarning: inval

