



## LeetCode 104 — Maximum Depth of Binary Tree

 <https://leetcode.com/problems/maximum-depth-of-binary-tree/>

### 1. Problem Title & Link

**Title:** LeetCode 104: Maximum Depth of Binary Tree

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### 2. Problem Statement (Short Summary)

Given the root of a binary tree, return the **maximum depth** of the tree.

**Depth = number of nodes on the longest path from root → leaf.**

Example:

Depth 1: root

Depth 2: child

Depth 3: grandchild

### 3. Examples (Input → Output)

#### Example 1

Input tree:

```
  3
 / \
9   20
/ \
15  7
```

Output: 3

#### Example 2

Input: root = []

Output: 0

#### Example 3

Input:

```
  1
 \
  2
```

Output: 2

### 4. Constraints



- $0 \leq \text{number of nodes} \leq 10^4$
- Node values not important for depth
- Height of tree can be skewed (like linked list)

## 5. Core Concept (Pattern / Topic)

### ★ DFS (Depth First Search)

Also relates to: Recursion, Tree Height, BFS level traversal

## 6. Thought Process (Step-by-Step Explanation)

### Brute Force / Simple Idea

Depth = 1 + max depth of left subtree + right subtree

Use recursion.

### Optimized Idea (DFS)

Define a function:

depth(node):

if node is null  $\rightarrow$  return 0

return 1 + max(depth(node.left), depth(node.right))

### Alternate Approach: BFS (Level Order)

Count levels using a queue:

- Each level increases depth
- Stop when queue empty

Used when tree is huge and recursion might overflow.

## 7. Visual / Intuition Diagram (ASCII Diagram)

Tree:

```

  3
 / \
9  20
 / \
15 7

```

Depth calculation:

left depth = 1 (node 9)

right depth = 1 + max(1,1) = 2

total depth = 1 + max(1,2) = 3



## 8. Pseudocode

```
function maxDepth(root):  
    if root is null:  
        return 0  
  
    left = maxDepth(root.left)  
    right = maxDepth(root.right)  
  
    return 1 + max(left, right)
```

## 9. Code Implementation

### ✓ Python

```
class Solution:  
    def maxDepth(self, root):  
        if not root:  
            return 0  
        return 1 + max(self.maxDepth(root.left), self.maxDepth(root.right))
```

### ✓ Java

```
class Solution {  
    public int maxDepth(TreeNode root) {  
        if (root == null) return 0;  
        return 1 + Math.max(maxDepth(root.left), maxDepth(root.right));  
    }  
}
```

## 10. Time & Space Complexity

### DFS Recursive:

- **Time:**  $O(n)$  → each node visited once
- **Space:**
  - Best:  $O(\log n)$  (balanced tree)
  - Worst:  $O(n)$  (skewed tree → recursion depth)

### BFS Iterative:

- **Time:**  $O(n)$
- **Space:**  $O(\text{width of tree})$

## 11. Common Mistakes / Edge Cases



- ⚠ Using depth = left + right (wrong)
- ⚠ Returning 0 incorrectly for non-null
- ⚠ Forgetting recursion return value
- ⚠ Stack overflow on skewed trees (use BFS)

Edge cases:

- ✓ empty tree → depth = 0
- ✓ single node → depth = 1
- ✓ only left chain
- ✓ only right chain

## 12. Detailed Dry Run (Step-by-Step Table)

Tree:

```

1
 \
  2

```

Node	Left Depth	Right Depth	Computed Depth
null	0	0	-
2	0	0	1
1	0	1	2

Final answer = 2

## 13. Common Use Cases (Real-Life / Interview)

- Directory structure depth
- HTML DOM depth
- Organization tree analysis
- Recursion-based hierarchical algorithms

## 14. Common Traps

- ⚠ Forgetting the +1 for the current node
- ⚠ Returning depth of left only
- ⚠ Infinite recursion due to incorrect base case
- ⚠ Mixing height vs diameter logic

## 15. Builds To (Related LeetCode Problems)

- LC 110 — Balanced Binary Tree



- LC 543 — Diameter of Binary Tree
- LC 572 — Subtree of Another Tree
- LC 101 — Symmetric Tree

## 16. Alternate Approaches + Comparison

Approach	Time	Space	Notes
DFS Recursion	$O(n)$	$O(h)$	Most common & simplest
BFS Level Order	$O(n)$	$O(w)$	Avoid recursion overflow
DFS Iterative	$O(n)$	$O(h)$	Uses stack

## 17. Why This Solution Works (Short Intuition)

The maximum depth of a tree is simply:

1 + deeper subtree among left & right.

DFS naturally explores down to leaves and calculates this height.

## 18. Variations / Follow-Up Questions

- Find minimum depth instead of maximum
- Count number of nodes at deepest level
- Return the deepest leaf
- Compute depth without recursion (iterative)
- Compute max depth in  $O(1)$  space (not possible without threading)