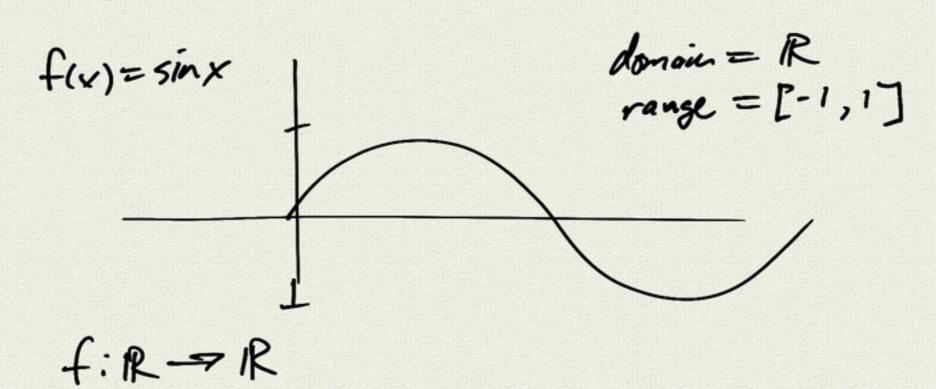
2.2 Calculus

domain/range

Romain: where the function is defined

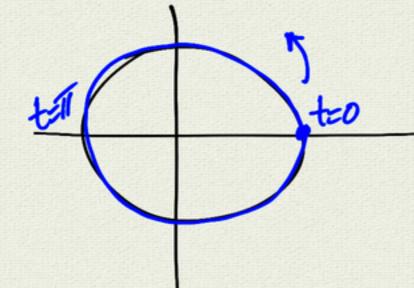
raye: set et possible values for the function



example:

=(t)=(rost)

sint)



document R

range = all rectors V

such that |V|=1

$$T: \mathbb{R} \to \mathbb{R}^3$$
 don

 $T(t) = \begin{pmatrix} \cos t \\ \sin t \end{pmatrix}$ range

 $Such$

domain = Rrange =

all vectors Vsuch that |V| = 1and $V_Z = 0$

$$\lim_{t \to t_0} \tau(t) = \lim_{t \to t_0} |x|t)$$

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F:
$$R \rightarrow R^3$$

curve
$$F(t_0)$$

define $T'(t_0) = \lim_{t \to t_0} \frac{f(t) - F(t_0)}{t - t_0}$

$$= \lim_{t \to t_0} \left\langle \frac{\chi(t) - \chi(t_0)}{t - t_0}, \frac{\chi(t) - \chi(t_0)}{t - t_0}, \frac{\chi(t) - \chi(t_0)}{t - t_0} \right\rangle$$

$$= \left\langle \chi'(t), \chi'(t), \chi'(t) \right\rangle$$

$$r(t) = \begin{pmatrix} cost \\ sint \\ 0 \end{pmatrix}$$

$$t=0$$

$$r'(t) = \begin{pmatrix} cost \\ sint \\ 0 \end{pmatrix}$$

$$r'(0) = \begin{pmatrix} cost \\ sint \\ 0 \end{pmatrix}$$

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$$F: \mathbb{R} \longrightarrow \mathbb{R}^{3}$$

$$F'(t) = \begin{pmatrix} -s_{in}t \\ s_{iost} \\ 0 \end{pmatrix}$$

$$F'(t) \perp F(t):$$

$$F(t) \cdot F'(t)$$

$$= \begin{pmatrix} s_{in}t \\ s_{in}t \end{pmatrix} \cdot \begin{pmatrix} -s_{in}t \\ s_{in}t \end{pmatrix}$$

$$= 0 \quad \text{orthogonal}$$