

# **Section 9.2**

## Solving Single Step Inequalities

**Day 3**

## **Learning Targets (day 3):**

- 1. Modeling real-world situations with a linear inequality.**
- 2. Determining if the solution to a real-world inequality should be represented with integers, whole numbers, or real numbers.**

## Example #1

A games store is offering games on sale for \$12.50, including tax. Sean has set his spending limit at \$80. How many games can Sean buy and stay within his limit?

- a) Write an inequality to model the problem.
- b) Solve the inequality and interpret the solution.

Let  $n = \# \text{ of games}$

Inequality :  $\frac{12.50n}{12.50} \leq \frac{80}{12.50}$

$$n \leq 6.4$$

$\therefore$  Sean can purchase  
at most }  
a maximum of } 6 games  
no more than }

## Example #2

Yvonne is planting trees as a summer job. She gets paid \$0.10 per tree planted. She wants to earn at least \$20/h. How many trees must she plant per hour in order to achieve her goal?

- a) Write an inequality to model the number of trees Yvonne must plant to reach her goal.
- b) Will the solution be a set of whole numbers or a set of integers? Explain.
- c) Solve the inequality and interpret the solution.

a) let  $n$  = the number of trees

$$0.1n \geq 20$$

b) Whole numbers  $\rightarrow$  # of trees can't be negative

$$\frac{0.1n}{0.1} \geq \frac{20}{0.1}$$

$$n \geq 200$$

$\therefore$  Yvonne must plant  
at least  
a minimum of  
no less than } 200 plants per  
hour to achieve  
her goal.

## Example #3

Chris has a weekend business building doghouses. Each doghouse takes 4 h to build and is sold for \$115. Chris wants to earn at least \$1000 per month. He wants to work no more than 50 h on his business per month.

- a) Write two inequalities to model the situation.
- b) Solve each inequality.
- c) What possible numbers of doghouses can he build each month and stay within his guidelines?

a) let  $n = \#$  of doghouses built

Inequality #1:  $4n \leq 50$   
(time limit)

Inequality #2:  $115n \geq 1000$   
(\$ earned)

b)  $\frac{4n}{4} \leq \frac{50}{4}$   
 $n \leq 12.5$

$$\frac{115n}{115} \geq \frac{1000}{115}$$
$$n \geq 8.69\dots$$

∴ To stay within his guidelines, Chris  
can build 9, 10, 11 or 12 doghouses  
from 9 to 12

## **Check your understanding:**

*I* *C* *E*

**Pg. 357-359 #14, 15, 18, 19, 21, 27**