1. Two people are neetry for lunch. If the first person arrives at a time X, represented by a random variable uniformly distributed in the time range of 12:15 to 12:45, and the second person arrives at a time Y, represented by a random variable uniformly distributed in the time vange 12:00-1 what is the probability that reither waits longer than 5 minutes for the other to arrive?

2. Soppose that X & Y have joint density function  $f(x,y) = x^{-z}y^{-z}$ ,  $x,y \in (1,\infty)$ . Find the marginal density for  $f_X(x)$