

Abstract—This manual shows how to generate data in a file using a C program and importing it in Python.

Problem 1. Graphically show that the function

$$f(x) = \begin{cases} -x & x < 1 \\ a + \cos^{-1}(x+b) & 1 \leq x \leq 2 \end{cases} \quad (1.1)$$

is continuous at $x = 1$ for $b = -1, a - b = -\frac{\pi}{2}$.

Solution: The following python code yields Fig. 1 verifying the above result.

```
import numpy as np
import matplotlib.pyplot as plt
#Computation
b = -1
x2 = np.linspace(-1,1,100)
x3 = np.linspace(1,2,100)
a = -1 - np.pi/2.0
y = -x2
z = a + np.arccos(b+(x3))

#Plotting
plt.plot(x3,z, label = '$f(x) = a + \cos^{-1}(x+b)$')
plt.plot(x2,y, label = '$f(x) = -x$')

sol = np.zeros((2,1))
sol[0] = 1
sol[1] = -1

#Display solution
A = sol[0]
B = sol[1]

plt.plot(A,B,'o')
for xy in zip(A,B):
```

```
plt.annotate('(%s, %s)' %
            xy, xy=xy, xytext=(30,0),
            textcoords='offsetpoints')

plt.grid()
plt.legend(loc='best', prop={'size': 11})
plt.xlabel('$x$')
plt.ylabel('$f(x)$')
#Comment the following line
#plt.savefig('../figs/ee16b1005.eps')
plt.show()
```

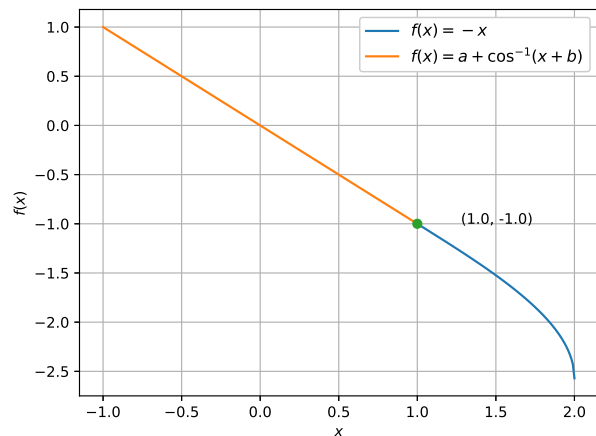


Fig. 1: Substituting the values of a and b in $f(x)$, the graph is smooth at $x = 1$. So $f(x)$ is continuous as well as differentiable $x = 1$.

Problem 2. Write a C program to generate an arithmetic progression with first term $a = -1$, last term $l = 1$ and number of terms $n = 100$ and print the numbers on the screen.

Solution:

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```
#include <stdio.h>

int main(void)
{
    float a = -1.0, l = 1.0, d;
    int n = 100, i;

    //Common difference
    d = (l-a)/(n-1);

    for(i = 0; i < 100; i++)
    {
        printf("%f\n", a+i*d);
    }

    return 0;
}
```

Problem 3. Repeat the above exercise by using functions for finding the common difference and the n th term given a, l and n .

Solution:

```
#include <stdio.h>

float a_n(float, float, int);
float c_d(float, float, int);

int main(void)
{
    float a = -1.0, l = 1.0, d;
    int n = 100, i;
    d = c_d(a, l, n);
    for(i = 0; i < 100; i++)
    {
        printf("%f\n", a_n(a, d, i));
    }

    return 0;
}

//nth term of AP
float a_n(float a, float d, int i)
{
    return a+i*d;
}

//Common difference
float c_d(float a, float l, int n)
{

```

```
float d;
d = (l-a)/(n-1);
return d;
}
```

Problem 4. Repeat the above exercise by printing the numbers in a file called test.dat

Solution:

```
#include <stdio.h>

int main(void)
{
    FILE *fp;
    float a = -1.0, l = 1.0, d;
    int n = 100, i;

    //Common difference
    d = (l-a)/(n-1);

    //Open file for writing
    fp = fopen("test.dat", "w");

    for(i = 0; i < 100; i++)
    {
        fprintf(fp, "%f\n", a+i*d);
    }
    fclose(fp);
    return 0;
}
```

Problem 5. Now run the following program. Comment.

```
import numpy as np
import matplotlib.pyplot as plt
#Computation
b = -1
x2 = np.loadtxt('test.dat', dtype='float')
#x2 = np.linspace(-1,1,100)
x3 = np.linspace(1,2,100)
a = -1 - np.pi/2.0
y = -x2
z = a + np.arccos(b+(x3))

#Plotting
plt.plot(x3,z, label = '$f(x) = -x$')
```

```

plt.plot(x2,y, label = '$f(x) = a + \cos^{-1}(x+b)$')

sol = np.zeros((2,1))
sol[0] = 1
sol[1] = -1

#Display solution
A = sol[0]
B = sol[1]

plt.plot(A,B,'o')
for xy in zip(A,B):
    plt.annotate('(%s,%s)' %
        xy, xy=xy, xytext=(30,0)
        , textcoords='offsetpoints')

plt.grid()
plt.legend(loc='best',prop={'size':11})
plt.xlabel('$x$')
plt.ylabel('$f(x)$')
plt.show()

```

```

if(x < 1)
{
    return -x;
}
else if(x >= 1 && x <= 2)
{
    return a+acos(x+b);
}
else
    return 0;
}

```

Problem 7. Do all the computations in Problem 1 in C and verify your results by plotting in python.

Problem 6. Compute $f(x)$ in (1.1) through a C program

Solution:

```

#include <stdio.h>
#include <math.h>

float f(float);

int main(void)
{
    printf("%f\n",f(1.99));

    return 0;
}

//Common difference
float f(float x)
{
    float b = -1.0, a;

    a = b-M_PI_2;
}

```