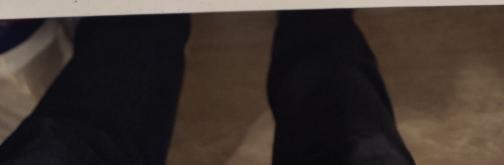
Data Stat. 840 Exercises 7 7.1 The Forward backward algorithm P(z)=0,2 N=7 $N_s=5$ $x=[x_1,x_2,x_3,x_4,x_5,x_6,x_7]=the, quick, fox, jumps, over, <math>\alpha$, dog $P_{F}(4,1) = \sum_{s} P_{F}(3,j) \cdot \theta_{11} \cdot \beta(x_{4}) = 0$ $\Rightarrow \beta(x_{4}) = 0$ Po(4,1) = = Po(5, j). Ojl1. By (x5)=0 Pb (4,2) = Pb (5,4) · Oj12 · Bj (x5) = 0 PF(4,3) = = P1(3, 1) 03/1/3 (x4) = 0 Pb (4,3) = 5 Pb (5,1) - 0;13-13; (x5)=0 PF(4,4)= \(\frac{1}{2}\) \(\theta_{4\)} \(\frac{1}{2}\) \(\frac{1}{2}\) \(\theta_{4\)} \(\frac{1}{2}\) \(\frac{1}\) \(\frac{1}{2}\) \(\frac{1}\) \(\frac{1}\) \(\frac{1}\) \(\frac{1} Po(4,4)= \$ po(5,4) · Aji · Bj (x5) = po(5,2) Aji 4 B2(x5) P(4,5)= 2 Po(5,1) Aj15 13 (x5) = Po(5,2) Az15 (32 (x5) continues on next page ..

Atlence the probabilities P(x1,x2...,x2) = = = Pr(4, WPb(4, D = P+ (4,4) · Pb(4,4) = A(3,5)0415B4(x4). Pb(5,2)024 B2(x5) = PF(3,5).05.0,1. Pb(5,2).1.0,2 Then we will use recursion PF(3,5) = \(\frac{5}{2}\) PF(2,j) \(\theta\) | \(\frac{5}{3}\) (\(\chi\)\) = PF(2,1) OS 17/B5(x3)+PF(2,3) OS 13 B5(x2) $= P_{+}(2,1) \cdot 0.5 \cdot 0.3 + P_{+}(2,3) \cdot 0.7 \cdot 0.3$ Po(5,2) = = Po(6,1) 0/12 By(x) = Po(6,1) 0/12 By (x6) = Pb (6,1) · 1 · 0,6 Recursion again: PR(2,1) = \(\bar{\sum}\) Pr((1,j) A \(\bar{\bar{\sum}}\) \(\bar{\sum}\) \(\bar{\sum}\) \(\bar{\sum}\) = 0 Pf(2,3) = \(\frac{\xi}{2} \) Pf(1,1) \(\theta_3 \text{ij} \) \(\text{B}_3(\times_2) = \text{Pf}(1,1) \\ \text{0,5.0,5+Pf}(1,3) \\ \text{0,25.0,5} \) Pp (6,1) = (7,5) A5/1/35 (x7) P(1,1)=13,6,77,=0,4.0,2-0,08 \$0,08.0,5.0,5+0=0,02=p(2,3) $\Rightarrow P (2,1) \cdot 0,5 \cdot 0,3 + p (2,3) \cdot 0,3 \cdot 0,3 = 0,0042$ PF(1,3)=B3(x,) M3=0 Pb (7,5) = 1? Pr(3,5) = 0,0042 5,0042 · 0,5 · 0,1 = 0,00021 0,00021 · Po (4,4) 0,00021.0,0036 = 0,00000756



7.2 The Viteroi algorithm 大河湖南南北京江南北京大学大学大学大学大学大学大学大学大学 P(z₁)=0,2, N=8, Ns=5 x=[x₁, x₂,..., x₈]=you, claim you can book a round hotel Z = P-max(timestept) Best (1,2) = \(\tilde{1}, \frac{1}{3}, \left(\times) = 0, 2 \cdot 0, 1 = 0, 02 \\
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\text{Best (1,3) = 0, 2 \cdot 0 = Best (1,4) = 0,2·0=0 Best (1,5) = 0,2·0,05 = 0,001 t=2 Best(2,1) = max; Best (1,1) \(\theta_1\); \(\beta_1\); \(\beta_2\) = 0

Best(2,2) = max; \(\beta_2\); \(\beta_2\); \(\beta_2\); \(\beta_3\); \(\beta Best 7(2,3)=1

Best (2,4)= max, Best (1,1) \(\theta_{41}\), \(\beta_{4}(x_{2})=0\)

Best (2,5)= max, Best (1,1) \(\theta_{51}\), \(\beta_{51}\), \(\beta_{51}\), \(\beta_{51}\)

= Best (1,2) \(\theta_{51}\), \(\delta_{51}\), \(\delta_{51}\)

= 0,06 \cdot 0,6 \cdot 0,15 0,00054 Best 2(2,5) +2 +=3 Best (3,1) = max Best (2,1) θ_{11} β_{1} (x₃) = 0

Best (3,2) = max Best (2,1) θ_{11} β_{2} (x₃)

= Best (2,3) θ_{213} · 0,80

= 1,0006 · 0,75 · 0,3 = 0,000135 =>

Best (3,3) = max Best (2,1) θ_{31} β_{31} (x₂) = 0

Best (3,4) = max Best (2,1) θ_{31} β_{31} (x₃) = 0

Best (3,5) = max Best (2,1) θ_{31} β_{32} (x₃) = 0 D 10 => BestZ(3,2)=3

A STATE OF THE COLOR OF THE COLOR OF THE STATE OF THE STA +=4 Best (4,1) = max, Best (3,1) θ_{11} , $\beta_{1}(x_{1})$ = 0 Best (4,2) = max, Best (3,1) θ_{21} , $\beta_{2}(x_{4})$ = 0 Best (4,3) = max, Best (3,1) θ_{31} , $\beta_{2}(x_{4})$ = 0 Best (4,4) = max, Best (3,1) θ_{41} , β_{41} , $\beta_$ =0,00000405 Best 2(4,5)=2 +=5 Best (5,1) = max; Best (4,1) θ_1 ; $\beta(x_5)$ = 0 Best (5,2) = max; Best (4,1) θ_2 ; $\beta(x_5)$ = 0 Best (5,3) = max; Best (4,1) θ_3 ; $\beta_3(x_5)$ = Best (4,5) θ_3 ; θ_3 ; (x_5) = 0,0000065; 1:0,1 =4,05.10 Best (5,3) = 5
Best (5,4) = max, Best (4,3) 0, 13, (x5) = 0
Best (5,5) = max, Best (4,3) 0, 13, (x5) = 0 Best (6,2)=3

Best (6,3) = max, Best (5,1) = 1, B3 (x6) = 0

Best (6,4) = max, Best (5,1) = 1, B3 (x6) = 0

Best (6,5) = max, Best (5,1) = 1, B3 (x6) = 0 Best (7,1)=mox; Best (6, 1) B₁, B₁(x₂) = 0

Best (7,2)=mox; Best (6, 1) B₂; B₂(x₂)=0

Best (7,8=mox; Best (6, 1) B₂; B₃(x₂)=0

Best (7,4)=mox; Best (6, 1) B₄; B₄(x₄)=0

Best (6,2) B₄; B₄(x₄)=0

Best (7,4)=2 Best 2(7,4) = 2 Best (7,5) = max & Best (6, 1) Oslo Bs (x2) continues on next page

SANCE TO SERVICE SERVI = Bost (6,2) 0512.0,1 = 9,1125.10-8.0,6.0,1 = 5,4675.10 Best Z=2 +=8 = 1,0935.10-9 states 7,4 and 7,5 (2+2) => most likely state