

Implementation

Implementation: MC Prediction (State Values)

The pseudocode for (first-visit) MC prediction (for the state values) can be found below. (Feel free to implement either the first-visit or every-visit MC method. In the game of Blackjack, both the first-visit and every-visit methods return identical results.)

```
Input: policy \pi, positive integer num\_episodes Output: value function V \ (\approx v_{\pi} \ \text{if } num\_episodes \ \text{is large enough}) Initialize N(s) = 0 for all s \in \mathcal{S} Initialize returns\_sum(s) = 0 for all s \in \mathcal{S} for i \leftarrow 1 to num\_episodes do

Generate an episode S_0, A_0, R_1, \ldots, S_T using \pi for t \leftarrow 0 to T-1 do

if S_t is a first visit (with return G_t) then

N(S_t) \leftarrow N(S_t) + 1
returns\_sum(S_t) \leftarrow returns\_sum(S_t) + G_t
end

end

V(s) \leftarrow returns\_sum(s)/N(s) for all s \in \mathcal{S}
return V
```

If you are interested in learning more about the difference between first-visit and every-visit MC methods, you are encouraged to read Section 3 of **this paper**.

Their results are summarized in Section 3.6. The authors show:

- Every-visit MC is **biased**, whereas first-visit MC is unbiased (see Theorems 6 and 7).
- Initially, every-visit MC has lower mean squared error (MSE), but as more episodes are collected, first-visit MC attains better MSE (see Corollary 9a and 10a, and Figure 4).



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long as the agent gets enough experience with each state, the value function estimate will be pretty close to the true value.) In the case of first-visit MC, convergence follows from the Law of Large Numbers, and the details are covered in section 5.1 of the textbook.

Please use the next concept to complete **Part 0: Explore BlackjackEnv** and **Part 1: MC Prediction: State Values** of Monte_Carlo.ipynb. Remember to save your work!

If you'd like to reference the pseudocode while working on the notebook, you are encouraged to open **this sheet** in a new window.

Feel free to check your solution by looking at the corresponding sections in Monte_Carlo_Solution.ipynb.

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