

# 1 Notes

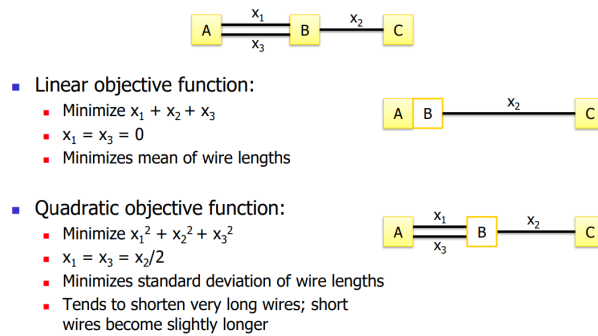


Figure 1: Analytical Placement

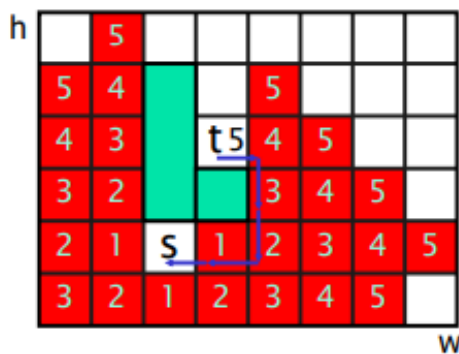


Figure 2: Two terminals

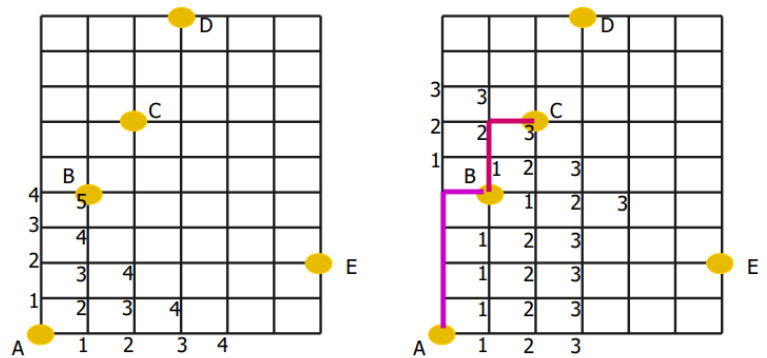


Figure 3: More than two terminals

- Suppose that we have to route from some source node  $S$ , to two destination nodes  $D_1$  and  $D_2$ .
- Assume that we route to  $D_1$  first, and there  $\exists$  two equally optimal paths  $p_1$  and  $p_2$  which route  $S$  to  $D_1$
- Then, it is **not true** that utilizing  $p_1$  to route to  $D_2$  is **always as optimal** as utilizing  $p_2$  to route to  $D_2$

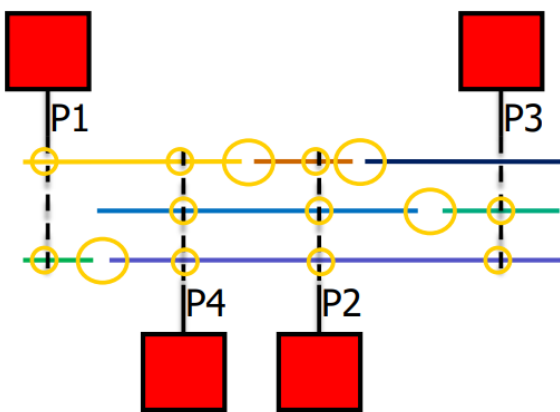


Figure 4: Connection required from P1 to P2, P3 to P4

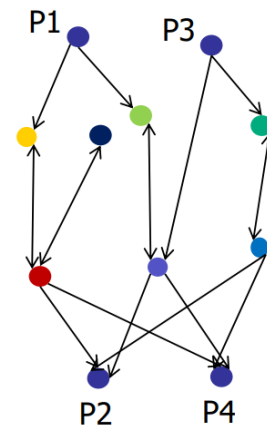


Figure 5: Graph

- Criticality of connection** from source ( $S$ ) to target ( $T$ ) given by ...
  - $Crit(S, T) = 1 - \frac{Slack(S, T)}{D_{max}}$
  - $Slack(S, T)$  is amount of delay that can be added to connection, before it affects critical path delay
  - $D_{max}$  is delay of circuit's critical path
- Cost** of using routing resource node  $n$ , as part of *connection* ( $S, T$ ) given by ...

- $Cost(n) = Crit(S, T) \cdot delay(n) + (1 - Crit(S, T)) \cdot (delay(n) + h(n))p(n)$
- $h(n)$  is historic congestion (eg. moving average of past three iterations)
- $p(n)$  is present congestion of node (ie. how many nets using node)