

Hand-in Assignment #1: Fundamental of Acoustics

7LS8M0: Architectural Acoustics

M.E. (Michalis) Terzakis

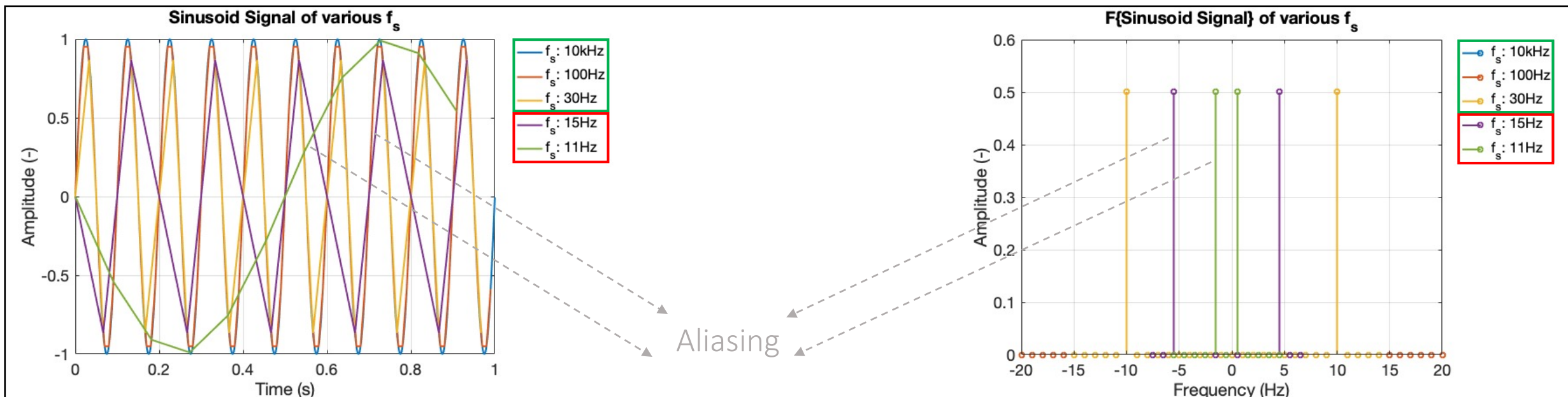
Building Acoustic Group

What did we see in the digital signal processing (DSP) tutorial?

Discretization of Signals

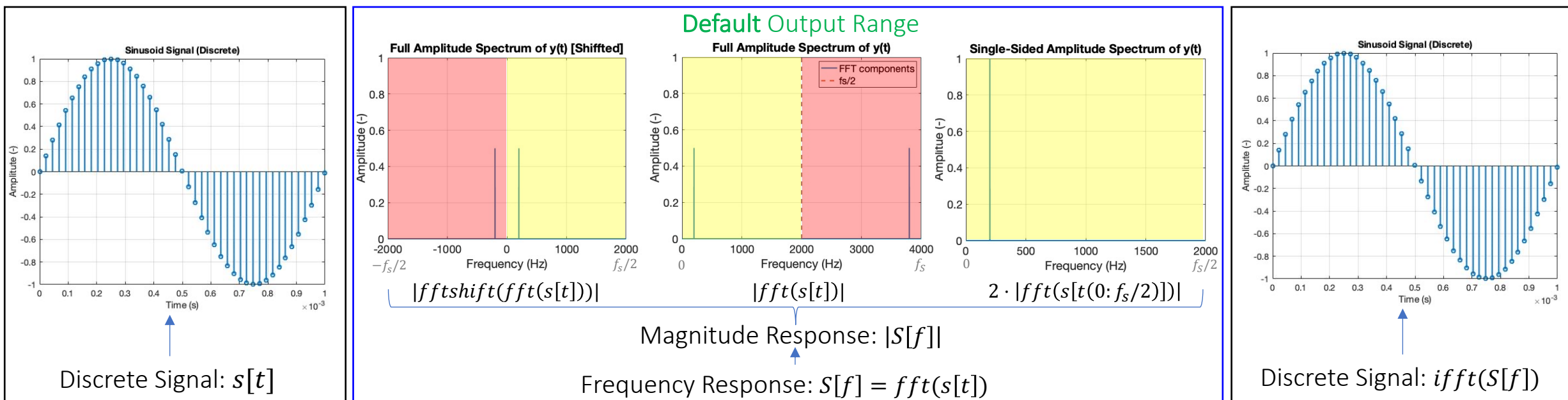
- Proper sampling of continuous signals is associated to the Shannon-Nyquist theorem, so that $f_s > 2 \cdot f_{max}$.
- Aliasing is associated to the non-proper sampling of the continuous signals, corresponding to $f_s < 2 \cdot f_{max}$.
- Highest (maximum) representative frequency in a discrete signal is the Nyquist frequency, $f_N = f_{max} = f_s/2$.
- Quantization is also sampling but in the amplitude of the sampled signal ($\Delta = 2^N$ where, N : Bits).

$$s[t] = \sin(2\pi 10t), \text{ where } t = [0:T_s:1 - T_s]$$



Transformation of Signals From Time Domain To Frequency Domain

- Fourier Transform: Orthonormal-base transformation of time-based signal to frequency-based signals.
- Extraction: Frequency response and components (magnitude and phase components per frequency).
- Discrete Fourier Transform is used in discrete signal, influenced on their length.
- Discontinuities (distortion) in the time signals influence the frequency response (leakage).
- Reconstruction of time signal from frequency response via the Inverse Fourier Transform.



CD-based Quiz

The sampling frequency of the CD is $f_s = 44100\text{Hz}$, and your favorite sound in a track is 5 seconds.

- How many samples your favorite sound contain and what is the step between two samples?

f_s is in Hz(=1/sec) and indicates samples per seconds. Hence,

$$\text{Total Samples} = 5\text{sec} \cdot 44100 \frac{\text{samples}}{\text{sec}} = 220500 \text{ samples and } T_s = \frac{1}{f_s} = \frac{1}{44100} = 2.2676e - 05 \text{ sec} \approx 0.22\mu \text{ sec}.$$

- Your favorite sound provides the values related to amplitude. How would you define the time vector, so that the time in the respective values to be extracted?

$$t = [0: T_s: 5\text{sec} - T_s] \text{ or } t = [0: T_s: (\text{length}(\text{sound}) - 1) \cdot T_s].$$

- How many values the t vector should contain?

220500 time values.

- What is the maximum frequency which can be properly reproduced from the CD?

$$f_{\max} = f_N = \frac{f_s}{2} = \frac{44100}{2} = 22050 = 22.05\text{kHz}.$$

Assignment HA1

Assignments Instructions

- Report
 - No-need of including theoretical background or repeating the questions written in the guideline.
 - Include the plots in a high quality.
 - Answer the questions in a motivated way.
- Report structure (proposal)
 - Introduction (in-short): What is the purpose of the assignment.
 - Tasks: with a short description + answers.
 - Conclusion (in-short): Summary of the main remarks with respect to the purpose of the assignment.
 - References.
 - Appendix: MATLAB codes, including comments.

Evaluation Criteria

Introduction to
Tutorials

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Assignments Evaluation Criteria

- MATLAB-based Assignments
 - Clear structure and language in the report.
 - High quality of references and correct citation.
 - Correct approach and results.
 - Clear and well illustrated figures, including all the information (i.e., title, axes labels, and legends).
 - Correct implementation in MATLAB.
 - Inclusion of explanation comments in MATLAB.
 - Correct interpretation of the results supported by literature.
- Concept Presentation Assignment
 - To be announced later.

Tasks of the Assignments

- Discrete (Time) Signals
 - Generation of simple sinusoidal signals.
 - Distortion of simple sinusoidal signals.
 - Generation of complex signals based on simple sinusoids.
 - Reading audio files.
- From Time Domain to Frequency Domain
 - Frequency response (magnitude response) of simple sinusoidal signals.
 - Frequency response (magnitude response) of distorted simple sinusoidal signals.
 - Frequency response (magnitude response) complex signals based on simple sinusoids.
 - Frequency response (magnitude response) audio files.
 - Representations of magnitude responses in Acoustics.
- From Frequency Domain (Back) to Time Domain.
 - Inverse Fourier Transformation of the frequency response of a simple sinusoidal signal.

Representations of magnitude responses in Acoustics

Introduction to Digital
Signal Processing

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How the magnitude response is used in Acoustics?

- Continuous magnitude response:

$$|S(f)|_{Pa} = 2 \times |S(f)|, f \in \left[0, \frac{f_s}{2}\right]$$

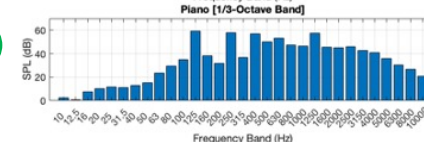
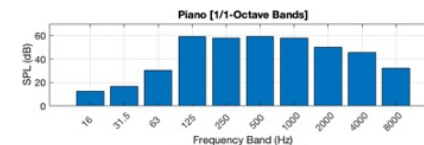
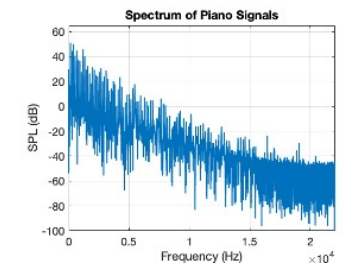
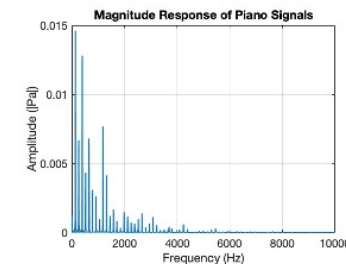
- Continuous, sound pressure level (SPL), magnitude response:

$$|S(f)|_{dB} = 10 \log_{10} \left(\frac{2 \times |\tilde{S}(f)|^2}{p_{ref}^2} \right), f \in \left[0, \frac{f_s}{2}\right]$$

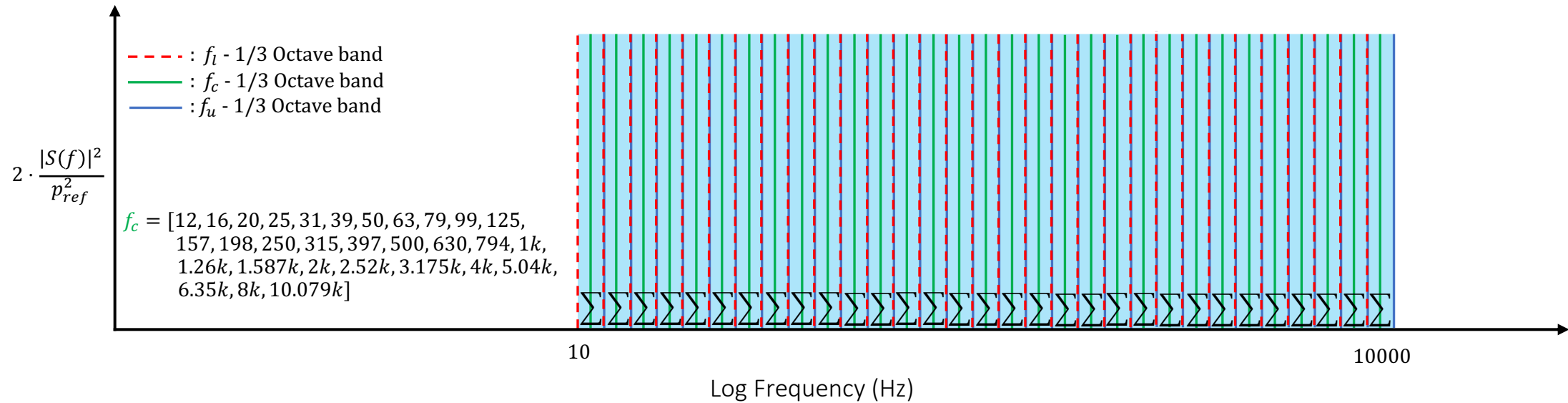
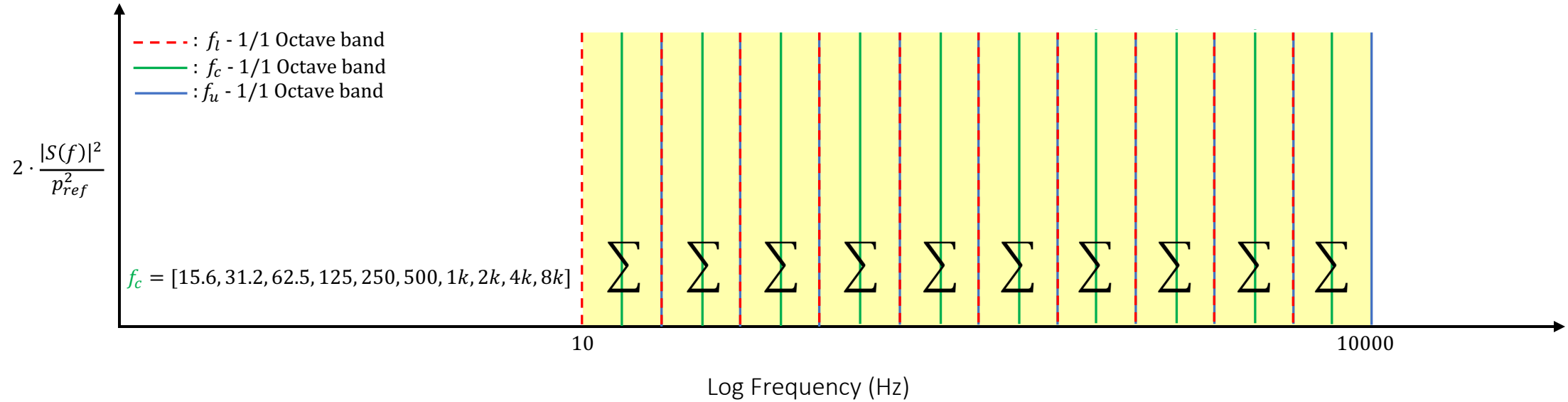
- Discrete, sound pressure level (SPL), magnitude response:

$$\tilde{S}(f) = \frac{S(f)}{\sqrt{2}}$$

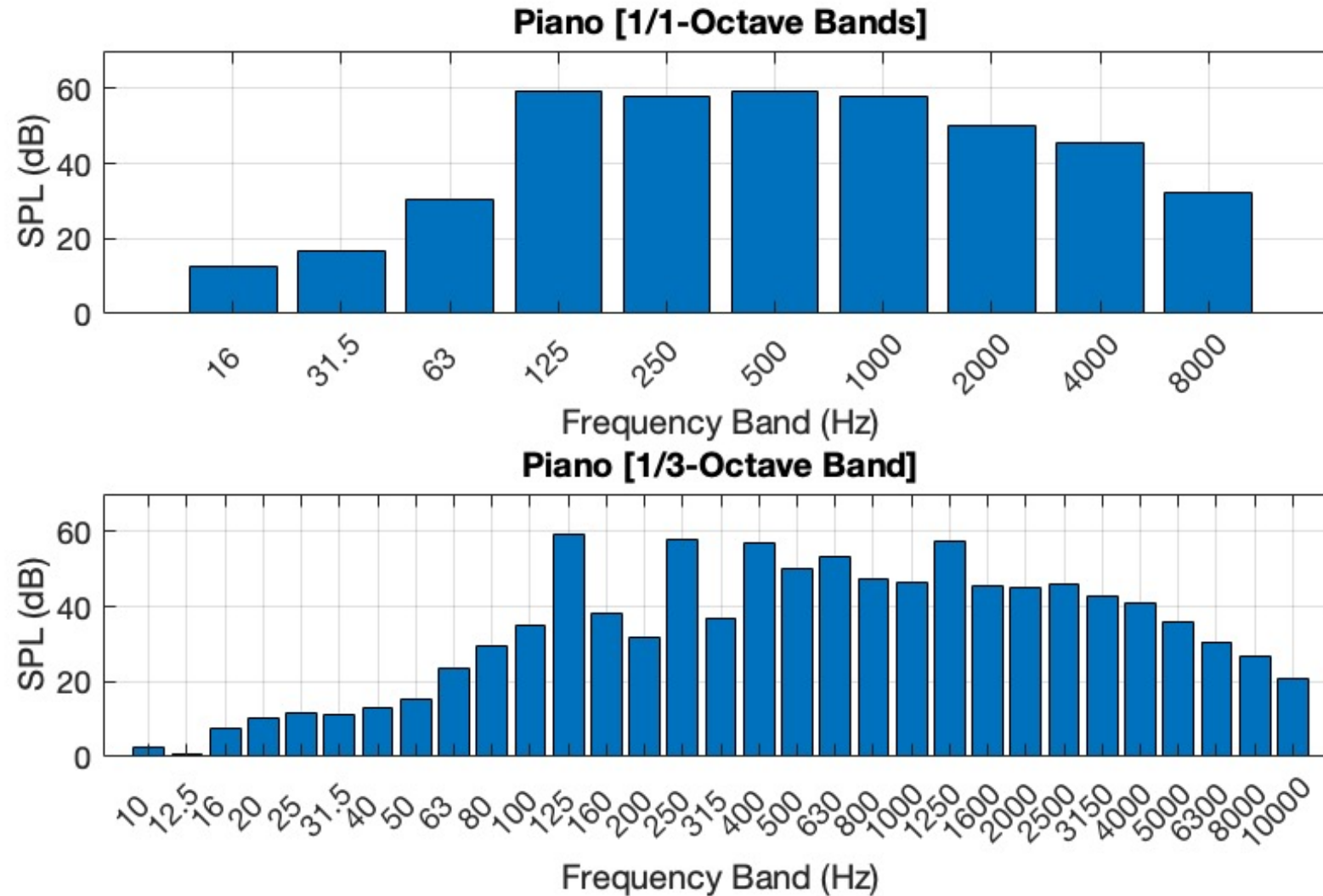
$$|S(f)|_{n^{th}-oct, dB} = 10 \log_{10} \sum_{f_l}^{f_u} \left(\frac{2 \times |\tilde{S}(f)|^2}{p_{ref}^2} \right), f \in \left[0, \frac{f_s}{2}\right]$$



Discrete SPL Magnitude Response



Discrete SPL Magnitude Response



To sum up

- Read carefully the *guideline*.
- Read carefully the *examples*.
- For questions [email and/or StudyHub Hours on Fridays].
- HA1 deadline: 09-03-2022 @ 23:59.