persistance_pt2

April 1, 2021

apply "superstatistical" analysis (https://www.nature.com/articles/ncomms8516#Sec19) to walking/crawling modes This is part two of the analysis where we will load the precomputed analysis

plotting target /home/dan/usb_twitching/impress/paper_review/ims

```
[2]: from copy import deepcopy
  import numpy as np
  from mpl_toolkits.mplot3d import axes3d
  import matplotlib.pyplot as plt
  import plotutils
  import twutils
  import _fj
  import matdef
  from tqdm import tqdm
  import shapeplot
  import twanimation
```

WARNING: parameters.thisread() did not find ./config.txt. Continuing with defaults.

```
[3]: # notebook control
expensive = False
```

```
[4]: # load fanjin data
debug = False
N = 100 if debug else None
# all_idx, trs = _fj.slicehelper.load_linearized_trs('all', N)
all_idx, trs = _fj.slicehelper.load_trs('all', N)
```

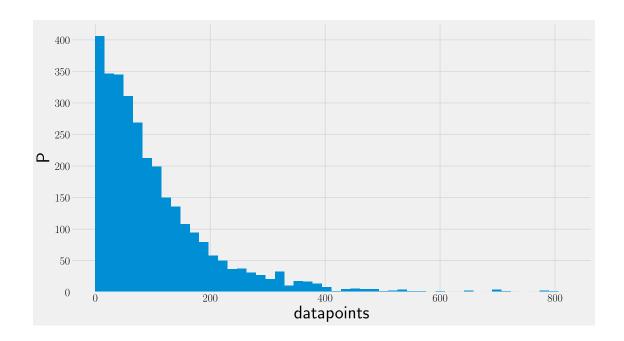
```
all_idx, ltrs = _fj.slicehelper.load_linearized_trs('all', N)
     # numpy gets confused if we convert to numpy object array directly
     all_trs = np.empty_like(all_idx, dtype=object)
     all_ltrs = np.empty_like(all_idx, dtype=object)
     for i, tr in enumerate(trs):
         all_trs[i] = tr
     for i, ltr in enumerate(ltrs):
         all ltrs[i] = ltr
     crawling_idx = _fj.slicehelper.load('default_crawling_list')
     walking_idx = _fj.slicehelper.load('default_walking_list')
     crawling trs = all trs[crawling idx]
     walking_trs = all_trs[walking_idx]
     combined_idx = np.concatenate([crawling_idx, walking_idx])
     combined_trs = all_trs[combined_idx]
     print()
     print("loaded {} crawling tracks".format(crawling_idx.size))
     print("loaded {} walking tracks".format(walking_idx.size))
     print("total {} tracks".format(len(all_trs)))
    100%|
              | 3113/3113 [00:03<00:00, 943.48it/s]
    100%|
              | 3113/3113 [00:03<00:00, 992.06it/s]
    loaded 2505 crawling tracks
    loaded 371 walking tracks
    total 3113 tracks
[5]: # compute velocities
     trackxy = [np.column_stack([ tr['x'], tr['y'] ]) for tr in all_trs]
     # throw away the first velocity data point to keep shape with q, a
     track_velocity = [((xy[1:] - xy[:-1])/matdef.TIMESTEP)[1:] for xy in trackxy]
     track_speed = [np.sqrt(v[:,0]**2 + v[:,1]**2) for v in track_velocity]
     mean_speed = np.array([np.mean(u) for u in track_speed])
     var_speed = np.array([np.var(u) for u in track_speed])
     base_whaspect = [tr['length']/tr['width'] for tr in all_trs]
     # throw away first and last data points to keep shape with q, a
     whaspect = [wh[1:-1] for wh in base_whaspect]
[6]: # compute velocities
     lintrackxy = [np.column_stack([ tr['x'], tr['y'] ]) for tr in all_ltrs]
     # throw away the first velocity data point to keep shape with q, a
     lintrack_velocity = [((xy[1:] - xy[:-1])/matdef.TIMESTEP)[1:] for xy inu
     →lintrackxy]
     lintrack_speed = [np.sqrt(v[:,0]**2 + v[:,1]**2) for v in lintrack_velocity]
     lin_mean_speed = np.array([np.mean(u) for u in lintrack_speed])
     print(np.nanmean(lin_mean_speed))
```

```
0.038009449991635726
    /home/dan/.local/lib/python3.8/site-packages/numpy/core/fromnumeric.py:3419:
    RuntimeWarning: Mean of empty slice.
      return _methods._mean(a, axis=axis, dtype=dtype,
    /home/dan/.local/lib/python3.8/site-packages/numpy/core/ methods.py:188:
    RuntimeWarning: invalid value encountered in double_scalars
      ret = ret.dtype.type(ret / rcount)
[7]: # load precomputed analysis
    precomputed_dir = 'persistance/data/fanjin'
     a_form = 'avgPost_*'
     b_form = 'postMean_*'
     from glob import glob
     def load_precomputed(datadir):
         a_lst = sorted(glob(os.path.join(datadir, a_form)))
         b_lst = sorted(glob(os.path.join(datadir, b_form)))
         avgPost = [np.load(a) for a in a_lst]
         postMean = [np.load(b) for b in b_lst]
         return avgPost, postMean
     avgPost, postMean = load_precomputed(precomputed_dir)
     print('compare shapes of each track data')
     print('x', all_trs[0]['x'].shape)
     print('v', track_velocity[0].shape)
     print('q,a', postMean[0].shape)
    compare shapes of each track data
    x (2524,)
    v (2522, 2)
    q,a (2, 2522)
[8]: subsets = {}
     subsets['all'] = all_idx
     subsets['combined'] = combined_idx
     subsets['crawling'] = crawling_idx
     subsets['walking'] = walking_idx
     for set_name, set_idx in subsets.items():
         print(set_name)
         print('mean speed', np.mean(mean_speed[set_idx]), 'mean variance', np.
     →mean(var_speed[set_idx]))
    all
    mean speed 0.058097214007649514 mean variance 0.03000218856593431
    mean speed 0.053247990154890575 mean variance 0.026894406262577854
    crawling
    mean speed 0.028926741690165663 mean variance 0.008097313449293486
    walking
    mean speed 0.21746558423611936 mean variance 0.15381278226602083
```

```
[9]: # we should load the step analysis here as well right, so we can compare them,
      \rightarrow if we want
      # load step analysis
      precomputed_dir = 'persistance/data/stepfj'
      t form = 'timebase *'
      a_form = 'avgPost_*'
      b_form = 'postMean_*'
      from glob import glob
      def load_precomputed(datadir):
          a_lst = sorted(glob(os.path.join(datadir, a_form)))
          b_lst = sorted(glob(os.path.join(datadir, b_form)))
          print('found {} files with form {}'.format(len(a_lst), a_form))
          print('found {} files with form {}'.format(len(b_lst), b_form))
          avgPost = [np.load(a) for a in a_lst]
          postMean = [np.load(b) for b in b_lst]
          for i, p in enumerate(postMean):
              if p.size == 0:
                  # need to regularise the non-data
                  # should output this in clusterjob.py instead of just np.empty(0)
                  postMean[i] = np.array([np.empty(0), np.empty(0)])
          gshape = avgPost[0].shape
          gsize = avgPost[0].size
          for i, a in enumerate(avgPost):
              if a.size == 0:
                  avgPost[i] = np.full(gshape, 1./gsize)
          return avgPost, postMean
      step_avgPost, step_postMean = load_precomputed(precomputed_dir)
      t_lst = sorted(glob(os.path.join(precomputed_dir, t_form)))
      timebase = [np.load(t) for t in t_lst]
      print('found {} files with form {}'.format(len(t_lst), t_form))
      print('compare shapes of each track data')
      print('x', all_trs[0]['x'].shape)
      print('v', track_velocity[0].shape)
      print('time', timebase[0].shape)
      print('q,a', step_postMean[0].shape)
     found 3113 files with form avgPost_*
     found 3113 files with form postMean *
     found 3113 files with form timebase_*
     compare shapes of each track data
     x (2524,)
     v (2522, 2)
     time (38,)
     q,a (2, 36)
[10]: # compute stats and correlation
      step_q = [p[0] for p in step_postMean]
```

step_a = [p[1] for p in step_postMean]

```
[11]: # we may have tracks with very low data now
      data threshold = 10
      data_size = np.array([q.size for q in step_q])
      plt.hist(data_size, bins=50, range=(0, np.quantile(data_size, 0.99)))
      plt.xlabel('datapoints')
      plt.ylabel('P')
      plt.show()
      low_data_idx = np.argwhere(data_size < data_threshold).ravel()</pre>
      print('{} tracks with less than {} datapoints'.format(low_data_idx.size,__
      →data_threshold))
      data threshold = 20
      low_data_idx = np.argwhere(data_size < data_threshold).ravel()</pre>
      print('{} tracks with less than {} datapoints'.format(low_data_idx.size,_
       →data_threshold))
      print('this is not the time to filter them because we want a fair comparison to⊔
      ⇔the first analysis')
      print('but still min(data_size) is 0, empty arrays are going to mess up our ⊔
      # there is no nice way to deal with this. we can cut these tracks out of the
      ⇒subset object
      data threshold = 3
      low data idx = np.argwhere(data size <= data threshold).ravel()</pre>
      print('{} tracks with less than {} datapoints'.format(low_data_idx.size,_
      →data threshold))
      print('remove them.')
      clean_subset = {}
      def clean(set idx):
          return np.array([idx for idx in set_idx if idx not in low_data_idx])
      for set name, set idx in subsets.items():
          clean_subset[set_name] = clean(set_idx)
```



214 tracks with less than 10 datapoints
479 tracks with less than 20 datapoints
this is not the time to filter them because we want a fair comparison to the
first analysis
but still min(data_size) is 0, empty arrays are going to mess up our code
64 tracks with less than 3 datapoints
remove them.

```
[12]: post_q = [p[0] for p in postMean]
    post_a = [p[1] for p in postMean]

# replace with weighted mean

def track_statistics(post_q, post_a):
    qtrack = {}
    atrack = {}
    qtrack['mean'] = np.array([np.mean(track_q) for track_q in post_q])
    atrack['mean'] = np.array([np.mean(track_a) for track_a in post_a])
    qtrack['var'] = np.array([np.var(track_q) for track_q in post_q])
    atrack['var'] = np.array([np.var(track_a) for track_a in post_a])
    return qtrack, atrack
    qtrack, atrack = track_statistics(post_q, post_a)
```

```
[13]: # correlation
def corr_statistics(post_q, post_a, track_speed, whaspect, exclude=[]):
    corr = {}
    def corrab(a, b):
        coef = []
```

```
for i, (t_a, t_q) in enumerate(zip(a,b)):
                  coef.append(np.corrcoef(t_a, t_q)[0,1] if i not in exclude else np.
       ⇒nan)
             return np.array(coef)
              # return np.array([np.corrcoef(t_a, t_q)[0,1] for i, (t_a, t_q) in_{\square})
       \rightarrow enumerate(zip(a,b)) if i not in exclude])
          corr['qa'] = corrab(post_q, post_a)
          corr['qu'] = corrab(post_q, track_speed)
          corr['au'] = corrab(post_a, track_speed)
          corr['qwh'] = corrab(post_q, whaspect)
          return corr
      corr = corr_statistics(post_q, post_a, track_speed, whaspect)
      print('mean p corr', np.mean(corr['qa']))
      def quartiles(arr):
          return [np.quantile(arr, q) for q in [0, 0.25, 0.50, 0.75, 1.0]]
      print('p corr quartiles', ' '.join(('{:6.4f}' for _ in range(5))).
      # we might like to correlate persistance with aspect ratio
     mean p corr -0.4162720320209257
     p corr quartiles -0.9881 -0.5488 -0.4094 -0.2663 0.6344
[14]: # expensive correlation functions
      if expensive:
          qacorr = [np.correlate(track_q, track_a, mode='same') for track_q, track_a_
              tqdm(zip(post_q, post_a))]
[15]: def summarise(subsets, qtrack, atrack, corr, acceptnan=False):
          mean = np.mean
          var = np.var
          if acceptnan:
             mean = np.nanmean
             var = np.nanvar
          for set_name, set_idx in subsets.items():
             print(set_name)
             mean_q = mean(qtrack['mean'][set_idx])
             mean_a = mean(atrack['mean'][set_idx])
             var_q = mean(qtrack['var'][set_idx])
             var_a = mean(atrack['var'][set_idx])
             prec = '{:5.4f}'
             print('mean q {:5.4f} mean a {:5.4f}, var q {:5.4f} var a {:5.4f}'.
       →format(
                  mean_q, mean_a, var_q, var_a))
              # correlation functions
              print('corr qa' , mean(corr['qa'][set_idx]))
```

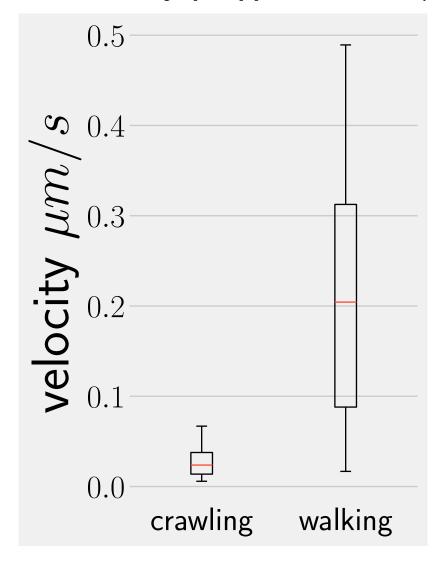
```
print('corr au' , mean(corr['au'][set_idx]))
              print('corr q, aspect' , mean(corr['qwh'][set_idx]))
      print('summarise whole track statistics')
      # summarise(subsets, qtrack, atrack, corr)
      summarise(clean_subset, qtrack, atrack, corr)
     summarise whole track statistics
     mean q 0.8747 mean a 0.0427, var q 0.0204 var a 0.0073
     corr qa -0.421262365209815
     corr qu -0.2339966728923137
     corr au 0.6404346768447194
     corr q, aspect 0.1604779648301038
     combined
     mean q 0.8771 mean a 0.0408, var q 0.0204 var a 0.0069
     corr qa -0.41660557407829624
     corr qu -0.23387051804341952
     corr au 0.6402905611678573
     corr q, aspect 0.16333467441701974
     mean q 0.9272 mean a 0.0234, var q 0.0074 var a 0.0021
     corr qa -0.3960613203419763
     corr qu -0.22380614476670993
     corr au 0.6399942587736266
     corr q, aspect 0.10733629843767298
     mean q 0.5443 mean a 0.1564, var q 0.1067 var a 0.0388
     corr qa -0.5530661862943405
     corr qu -0.3007208673692058
     corr au 0.6422586835750643
     corr q, aspect 0.5352913668977213
[16]: # compare crawling / walking
      # presentation quality plots
      prop_cycle = plt.rcParams['axes.prop_cycle']
      defcolors = prop_cycle.by_key()['color']
      # velocity bar chart
      def box_plot_velocity(mean_speed, subsets):
          fig = plt.figure(figsize=(3,5))
          ax = fig.add_axes([0,0,1,1])
          kw = {'whis':(5,95), 'showfliers':False}
          ax.boxplot([mean_speed[subsets['crawling']],__
       →mean_speed[subsets['walking']]], **kw)
          ax.set_ylabel(r'velocity $\mu m/s$')
          ax.set_xticklabels(['crawling', 'walking'])
          ax.grid(axis='x')
```

print('corr qu' , mean(corr['qu'][set_idx]))

```
for d in ['top', 'bottom', 'right', 'left']:
    ax.spines[d].set_visible(False)
    return fig

fig = box_plot_velocity(mean_speed, clean_subset)
    savefile = os.path.join(plot_target, 'velocity_box.png')
    print('saving to ', savefile)
    fig.savefig(savefile, bbox_inches='tight', facecolor='white')
```

saving to /home/dan/usb_twitching/impress/paper_review/ims/velocity_box.png

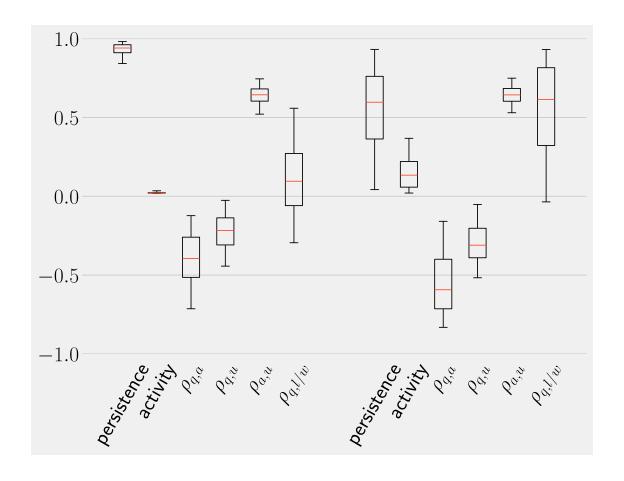


```
[17]: # correlation function boxplot

def box_plot_statistics(qtrack, atrack, corr, subsets):
    fig = plt.figure(figsize=(8,5))
```

```
ax = fig.add_axes([0,0,1,1])
    offset = 0.08
    boxnames = ['persistence', 'activity', r'$\rho {q,a}$', r'$\rho {q,u}$',_\|
 \hookrightarrowr'$\rho_{a,u}$']
    boxnames.append(r'$\rho_{q,1/w}$')
    n = len(boxnames)
    positions = np.concatenate([np.linspace(offset, 0.5-offset, n), np.
 →linspace(0.5+offset, 1.0-offset, n)])
    width = (positions[1] - positions[0])/2
    vectors = []
    for name in ['crawling', 'walking']:
        set idx = subsets[name]
        vectors.append(qtrack['mean'][set_idx])
        vectors.append(atrack['mean'][set_idx])
        vectors.append(corr['qa'][set_idx])
        vectors.append(corr['qu'][set_idx])
        vectors.append(corr['au'][set_idx])
        vectors.append(corr['qwh'][set_idx])
    ax.set_xticklabels(boxnames + boxnames)
    for tick in ax.get_xticklabels():
        tick.set_rotation(60)
    for tick in ax.get_xaxis().get_major_ticks():
        tick.set_pad(8.)
    kw = {'whis':(5,95), 'showfliers':False}
    ax.boxplot(vectors, positions=positions, widths=width, **kw)
    ax.set_xlim((0,1))
    ax.set_ylim((-1,1))
    ax.grid(axis='x')
    for d in ['top', 'bottom', 'right', 'left']:
        ax.spines[d].set visible(False)
    return fig
fig = box_plot_statistics(qtrack, atrack, corr, clean_subset)
savefile = os.path.join(plot_target, 'statistics_box.png')
print('saving to ', savefile)
fig.savefig(savefile, bbox_inches='tight')
```

```
<ipython-input-17-8a1b04a4776b>:22: UserWarning: FixedFormatter should only be
used together with FixedLocator
   ax.set_xticklabels(boxnames + boxnames)
saving to /home/dan/usb_twitching/impress/paper_review/ims/statistics_box.png
```

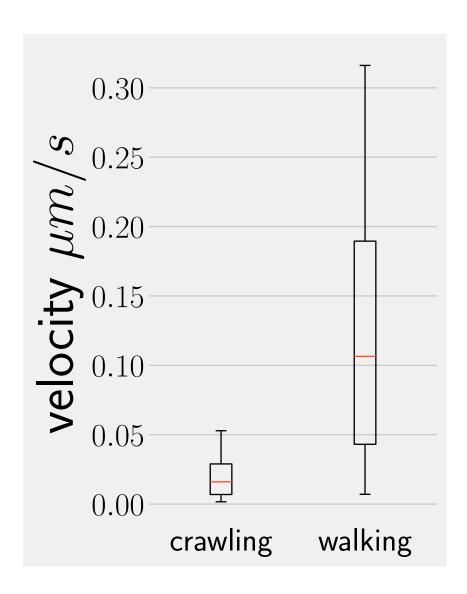


```
[18]: step_idx = [track.step_idx for track in all_ltrs]
      step_velocity = [track.get_step_velocity() for track in all_ltrs]
      step_dt = [track.get_step_dt() for track in all_ltrs]
      step_speed_base = [np.sqrt(v[:,0]**2 + v[:,1]**2) for v in step_velocity]
      step_speed = [s[1:] for s in step_speed_base]
      step_whaspect_base = [wh[s_idx] for s_idx, wh in zip(step_idx, base_whaspect)]
      step_whaspect = [wh[1:-1] for wh in step_whaspect_base]
      # check shapes
      shapes = [step_whaspect[0].shape, step_speed[0].shape , step_q[0].shape ]
      assert(all([shapes[0] == x for x in shapes]) )
      def step_track_statistics(a_post):
          # not means
          qtrack = {}
          atrack = {}
          qt = []
          at = []
          for avgPost in a_post:
              gridSize = 200
              aBound = [0,3.0]
```

```
qBound = [-1.5, 1.5]
              qGrid = (np.array([np.linspace(qBound[0], qBound[1], gridSize+2)[1:
       \rightarrow-1]]*gridSize)).T
              aGrid = (np.array([np.linspace(aBound[0], aBound[1], gridSize+2)[1:
       →-1]]*gridSize))
              # not a mean
              qt.append(np.sum(qGrid*avgPost))
              at.append(np.sum(aGrid*avgPost))
          # not a mean
          qtrack['mean'] = np.array(qt)
          atrack['mean'] = np.array(at)
          return gtrack, atrack
      # step_qtrack, step_atrack = step_track_statistics(step_q, step_a)
      step_qtrack, step_atrack = step_track_statistics(step_avgPost)
      step_corr = corr_statistics(step_q, step_a, step_speed, step_whaspect,_
       →exclude=low_data_idx)
[19]: # check for nan
      not_low_data_idx = np.array([i for i in all_idx if i not in low_data_idx])
      print(low data idx.size)
      print(not_low_data_idx.size)
      qnan = np.count nonzero(np.isnan(step qtrack['mean']))
      anan = np.count_nonzero(np.isnan(step_atrack['mean']))
      unan = np.count nonzero(np.isnan([np.mean(u) for u in step speed]))
      print('counting nan data, (q,a,u)', qnan, anan, unan )
     64
     3049
     counting nan data, (q,a,u) 0 0 16
     /home/dan/.local/lib/python3.8/site-packages/numpy/core/fromnumeric.py:3419:
     RuntimeWarning: Mean of empty slice.
       return _methods._mean(a, axis=axis, dtype=dtype,
     /home/dan/.local/lib/python3.8/site-packages/numpy/core/_methods.py:188:
     RuntimeWarning: invalid value encountered in double_scalars
       ret = ret.dtype.type(ret / rcount)
[20]: print('summarise step track statistics')
      # summarise(clean_subset, step_qtrack, step_atrack, step_corr, acceptnan=True)
     summarise step track statistics
[21]: # velocity box plot
      def wmean(w,b):
          return np.sum(w*b)/np.sum(w)
      step_mean_speed = np.array([wmean(dt,speed) for dt,speed in_
       →zip(step_dt,step_speed_base)])
```

```
print('mean speed', np.nanmean(step_mean_speed))
print(np.argwhere(np.isnan(step_mean_speed[clean_subset['crawling']])))
# step_mean_speed[np.isnan(step_mean_speed)] = 0
# print(np.argwhere(np.isnan(step_mean_speed)))
print([step_idx[i] for i in np.nonzero(np.isnan(step_mean_speed)))
fig = box_plot_velocity(step_mean_speed, clean_subset)

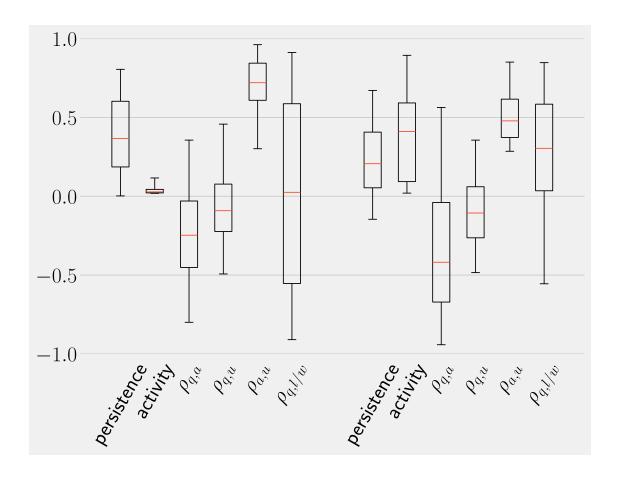
print('median speed' ,np.median(mean_speed[clean_subset['all']]))
print('stepped median speed', np.median(step_mean_speed[clean_subset['all']]))
mean speed 0.03813513291341589
[]
[[0], [0], [0], [0], [0], [0]]
median speed 0.027740211618005394
stepped median speed 0.019559821527284776
<ipython-input-21-0d4184fd9a33>:3: RuntimeWarning: invalid value encountered in double_scalars
    return np.sum(w*b)/np.sum(w)
```



```
[22]: # wrong means!
# need to recompute using either postSequ[-1] or MLE
fig = box_plot_statistics(step_qtrack, step_atrack, step_corr, clean_subset)
# savefile = os.path.join(plot_target, 'step_statistics_box.png')
# print('saving to ', savefile)
# fig.savefig(savefile, bbox_inches='tight')
```

<ipython-input-17-8a1b04a4776b>:22: UserWarning: FixedFormatter should only be
used together with FixedLocator

ax.set_xticklabels(boxnames + boxnames)



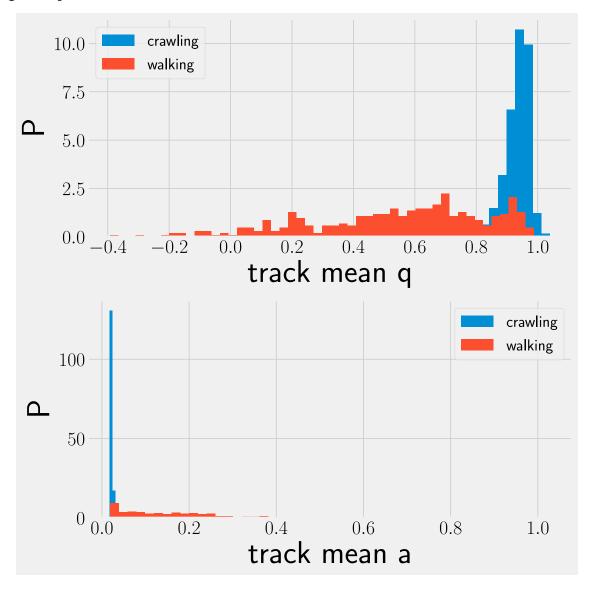
```
[23]: # lets compare the q distributions
      clean_crawling = clean_subset['crawling']
      clean_walking = clean_subset['walking']
      # print(np.var(qtrack['var'][clean_crawling]), np.
      →nanvar(step_qtrack['var'][clean_crawling]))
      print('original q distribution')
      fig, axes = plt.subplots(2,1, figsize=(10,2*5))
      ax = axes[0]
      hstyle = {'density':True, 'bins':50}
      ax.hist(qtrack['mean'][subsets['crawling']], label='crawling', **hstyle)
      ax.hist(qtrack['mean'][subsets['walking']], label='walking', **hstyle)
      ax.set_xlabel('track mean q')
      ax.set_ylabel('P')
      ax.legend()
      ax = axes[1]
      ax.hist(atrack['mean'][subsets['crawling']], label='crawling', **hstyle)
      ax.hist(atrack['mean'][subsets['walking']], label='walking', **hstyle)
      ax.set xlabel('track mean a')
      ax.set_ylabel('P')
```

```
ax.legend()
plt.tight_layout()
plt.show()

# todo are these going to separate if we cut out the slow tracks and maybe the

→mischaracterised walking tracks?
```

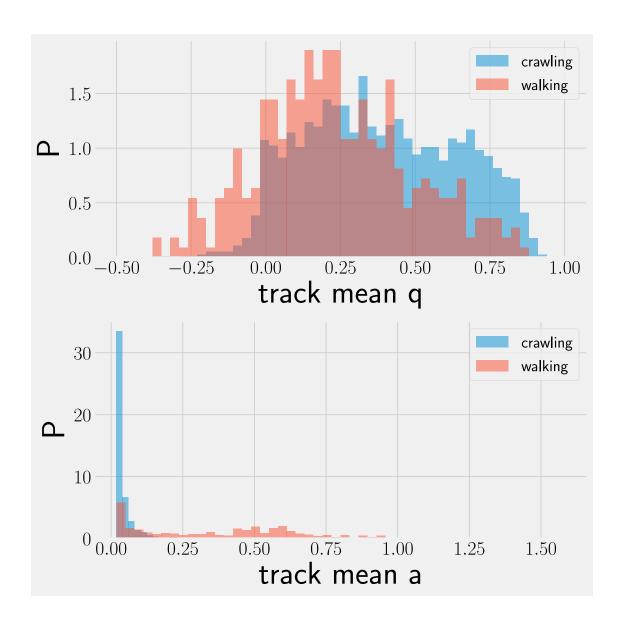
original q distribution



```
[24]: print('step q distribution')
fig, axes = plt.subplots(2,1, figsize=(10,2*5))
ax = axes[0]
hstyle = {'density':True, 'bins':50, 'alpha':0.5, 'range':(-0.5,1.0)}
```

```
ax.hist(step_qtrack['mean'][clean_subset['crawling']], label='crawling',__
→**hstyle)
ax.hist(step_qtrack['mean'][clean_subset['walking']], label='walking', **hstyle)
ax.set_xlabel('track mean q')
ax.set_ylabel('P')
ax.legend()
ax = axes[1]
hstyle = {'density':True, 'bins':50, 'alpha':0.5}
ax.hist(step_atrack['mean'][clean_subset['crawling']], label='crawling',__
• **hstyle)
ax.hist(step_atrack['mean'][clean_subset['walking']], label='walking', **hstyle)
ax.set_xlabel('track mean a')
ax.set_ylabel('P')
ax.legend()
plt.tight_layout()
plt.show()
```

step q distribution



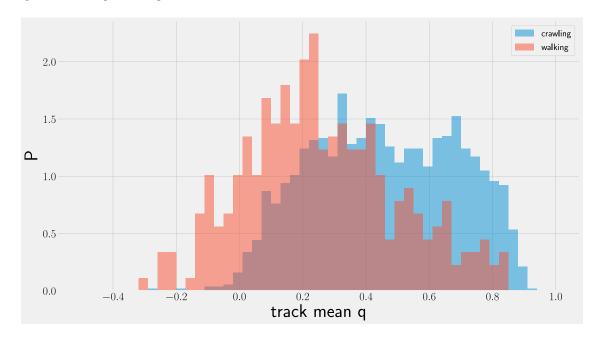
so the 'true' persistance indicates that our population in fact has a wide range of persistant behaviour high persistance tracks in walking set are most likely mischaracterised Are low persistance tracks in crawling set just not really moving anywhere?

```
[25]: # if we do some filtering do these distributions separate?
    data_threshold = 20
    low_data_idx = np.argwhere(data_size < data_threshold).ravel()
    low_displacement_idx = _fj.slicehelper.load('low_displacement_outliers')
    print(low_displacement_idx.size)
    print(low_data_idx.size)
    to_filter_idx = np.union1d(low_data_idx, low_displacement_idx)
    filter_subset = {k: np.copy(v) for k, v in clean_subset.items()}
    for k ,v in filter_subset.items():</pre>
```

```
filter_subset[k] = np.array([idx for idx in v if idx not in to_filter_idx])
ax = plt.gca()
hstyle = {'density':True, 'bins':50, 'alpha':0.5, 'range':(-0.5,1.0)}
ax.hist(step_qtrack['mean'][filter_subset['crawling']], label='crawling',_\[\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\tex
```

747 479

[25]: <matplotlib.legend.Legend at 0x7f1ebbdbc9a0>



going to this line of investigation here and say that better filtering is not going to change the outcome. course grained tarjecty q values overlap between walking and crawling because the linearization is a type of coarse graining and thats if perfectly consistent with the results.

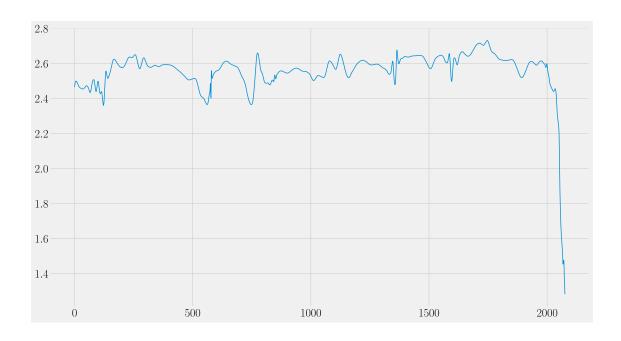
12 tracks with positive qa corr

```
[26]: [(686, 0.6343727956121903),
       (466, 0.510834449494545),
       (491, 0.2849187101532565),
       (34, 0.2774807903730617),
       (2646, 0.23342068064106844),
       (1051, 0.1356987520253956),
       (2707, 0.1014737927515239),
       (1688, 0.08014342034056025),
       (2736, 0.07139759458940266),
       (1998, 0.06469630632730967),
       (650, 0.05998368550188688),
       (2142, 0.01809479543690007)]
[27]: # check how many have negative q, aspect correlation
      print('q, aspect, quartiles ', quartiles(corr['qwh']))
      # about 25%
      neg_qwh_corr_idx = np.argwhere(corr['qwh'] < 0).ravel()</pre>
      print('{} tracks have negative q, aspect correlation'.format(neg_qwh_corr_idx.
      ⇒size))
      # plt.hist( corr['qwh'][neg_qwh_corr_idx] )
      # plt.show()
      # maybe we can filter them using our outlier analysis first and then plot?
      # this must include a lot of crawling tracks which have low variance in aspect \Box
      \rightarrow ratio
      # how to specifically get tracks with high correlation between angle and
      →persistance?
      # for now lets just check the walking set
      inters = np.intersect1d(walking_idx, neg_qwh_corr_idx)
      outliers = sorted(list(zip(inters, corr['qwh'][inters])), key=lambda t:t[1])
      print('only {} walkers with negative q, aspect correlation'.format(inters.size))
      sorted_idx = np.array([p[0] for p in outliers])
      # print('speeds')
      # which is fast if we compare to the mean for walking
      walking_speed = np.mean(mean_speed[walking_idx])
      relative_speed = mean_speed[sorted_idx]/walking_speed
      # print(relative speed)
      print('the candidate tracks are ', sorted idx)
      # which we can now plot with shapeplot?
     q, aspect, quartiles [-0.8418951705433968, -0.04565910262331366,
     0.12637314674581251, 0.32860800690129033, 0.98677672105661
     979 tracks have negative q, aspect correlation
     only 27 walkers with negative q, aspect correlation
     the candidate tracks are [ 168 2601 1936 2189 1641 2840 491 788 1642 2007
     2205
            34 2011 259
      1937 1923 174 1920 2085 465
                                      99 155 545
                                                     35 349 72 22581
```

```
[28]: # and because there are 27 tracks lets write them to persistence/data/
       \rightarrow persitent_walker
      outdir = 'persistance/data/persitent_walker'
      if not os.path.exists(outdir):
          os.mkdir(outdir)
      if expensive:
          outform = os.path.join(outdir, 'drawtrack_{:04d}.png')
          for idx in sorted idx:
              track = all_trs[idx]
              fig, ax = plt.subplots(1,1)
              print(ax)
              shapeplot.ltdraw(ax, [track], sample=100)
              out = outform.format(idx)
              print('saving to ', out)
              plt.savefig(out)
          plt.close()
[29]: if expensive:
          to_animate = [788, 2007, 2085, 2258]
          for idx in to_animate:
              savefile = 'plots/animate_outline_{:04d}.mp4'.format(idx)
              track = all_trs[idx]
              print()
              print('animating track {} and saving at {}'.format(idx, savefile))
              twanimation.outline(plt.gcf(), [track], sample=10, savefile=savefile)
              plt.clf()
```

And I think its safe to say none of these tracks have the persistent walking behaviour

```
[30]: fast_crawling_id = 2924
      # we want to check that we can set pmin=0 and maybe R=0 for crawling data
      fctrack = _fj.trackload([fast_crawling_id])[0]
      fclin = _fj.lintrackload([fast_crawling_id])[0]
      step_velocity = fclin.get_step_velocity()
      print()
      print('data size', fctrack['time'].size)
      print('track size', step_velocity.shape)
      aspect = fclin.get_aspect()
      plt.plot(aspect)
      plt.show()
                | 1/1 [00:00<00:00, 431.16it/s]
     100%|
     100%1
               | 1/1 [00:00<00:00, 340.78it/s]
     data size 2080
     track size (270, 2)
```



```
[31]: sys.path.insert(0, os.path.abspath('tools/'))
import bayesloop
simple_analyser = bayesloop.BayesLoop()
simple_analyser.pMin = 0
simple_analyser.Ra = 0
simple_analyser.Rq = 0
simple_analyser.set_aBound((0,2.0))
simple_analyser.set_qBound((-1,1))

print('boundaries', simple_analyser.boundaries)

simple_analyser.data = step_velocity
simple_analyser.startAnalysis()
```

boundaries [0, 2.0, -1, 1] build parameter grid... Computing posterior sequence in both directions... Computing posterior mean values... Finished Analysis...

```
[32]: # confidence interval from bayesian method

postMean, avgPost = simple_analyser.postMean, simple_analyser.avgPost

qGrid, aGrid = simple_analyser.qGrid, simple_analyser.aGrid

post = simple_analyser.postSequ[-1]

q_post = post.sum(axis=1)

plt.plot(q_post)

import scipy.integrate
```

```
q_sum = scipy.integrate.cumulative_trapezoid(q_post)

ci_i = (np.searchsorted(q_sum,0.025), np.searchsorted(q_sum,0.975,'right'))
bayesian_ci = list(qGrid[i,0] for i in ci_i)
q_estimate = np.sum(simple_analyser.postSequ[-1])
print(bayesian_ci)
plt.plot(q_sum)
plt.close()
```

[0.691542288557214, 0.8009950248756219]

```
[33]: simple_analyser.use_reverse = False
      simple_analyser.startAnalysis()
      postMean, avgPost = simple analyser.postMean, simple analyser.avgPost
      qGrid, aGrid = simple_analyser.qGrid, simple_analyser.aGrid
      post = simple_analyser.postSequ[-1]
      q_post = post.sum(axis=1)
      a_post = post.sum(axis=0)
      def compute_bayesian_ci(p_param, Grid):
          # bayesian ci on grid
          _sum = scipy.integrate.cumulative_trapezoid(p_param)
          ci_i = (np.searchsorted( sum,0.025), np.searchsorted(_sum,0.975,'right'))
          bayesian_ci = list(Grid[i,0] for i in ci_i)
          return bayesian ci
      bayesian_ci_q = compute_bayesian_ci(q_post, qGrid)
      bayesian_ci_a = compute_bayesian_ci(a_post, aGrid.T)
      amin, amax, qmin, qmax = simple_analyser.boundaries
      a_step = (amax - amin)/simple_analyser.gridSize
      print('grid step in a dimension', a_step)
      postMean, avgPost = simple_analyser.postMean, simple_analyser.avgPost
      qGrid, aGrid = simple_analyser.qGrid, simple_analyser.aGrid
      post = simple_analyser.postSequ[-1]
      q = np.sum(post*qGrid)
      a = np.sum(post*aGrid)
      print('bayesian expected values {:5.4f} {:5.4f}'.format(q,a))
      confidence_form = '[{:5.4f},{:5.4f}]'
      print('bayesian confidence {}'.format(confidence_form.format(*bayesian_ci_q)))
      print('bayesian confidence {}'.format(confidence_form.format(*bayesian_ci_a)))
      # the confidence interval for a is approximately +/- one grid point which
       ⇒should be the minimum
```

```
build parameter grid...
Computing posterior sequence...
Computing posterior mean values...
Finished Analysis...
grid step in a dimension 0.01
```

```
bayesian expected values 0.7522 0.1275
bayesian confidence [0.6915,0.8010]
bayesian confidence [0.1095,0.1294]

[34]: # try MLE (see Metzner, supplimentary)
def q_estimator(u_t,u_p, sample=None):
    if sample is None:
        sample = np.array(range(u_t.shape[0]))
    return np.sum( (u_t*u_p).sum(axis=1)[sample] )/np.sum( (u_p*u_p).
        sum(axis=1)[sample] )
def mle(u_t,u_p, sample=None):
    if sample is None:
        sample = np.array(range(u_t.shape[0]))
        qhat = q_estimator(u_t,u_p, sample)
        upart = (u_t - qhat*u_p)[sample]
        return qhat, np.sqrt(np.sum(upart*upart)/(2*(u_t.shape[0])))
```

MLE estimates 0.7522, 0.1261

qhat, ahat = simple_analyser.MLE()

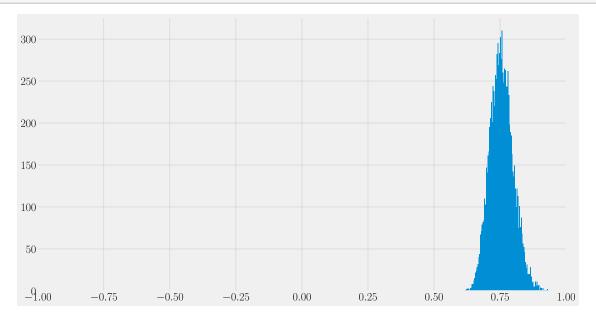
print('MLE estimates {:5.4f}, {:5.4f}'.format(ghat, ahat))

```
[35]: # bootstrap method
     N = 1
      N = 10000
      usize = simple_analyser.data.shape[0]
      bootstrap_q = []
      bootstrap_a = []
      u = simple_analyser.data
      for _ in range(N):
          choice = np.random.choice(usize-1,usize-1,replace=True)
          _qhat, _ahat = mle(u[1:],u[:-1], choice)
          bootstrap_q.append(_qhat)
          bootstrap a.append( ahat)
      print('limits', np.min(bootstrap_q), np.max(bootstrap_q))
      print('bootstrap (mean,std) ', np.mean(bootstrap q), np.std(bootstrap q))
      import scipy.stats
      print('(skew, kurtosis) ', scipy.stats.skew(bootstrap_q),scipy.stats.
      →kurtosis(bootstrap_q))
      # condifdence interval
      bootstrap_ci_q = np.quantile(bootstrap_q,0.025), np.quantile(bootstrap_q,0.975)
      bootstrap_ci_a = np.quantile(bootstrap_a,0.025), np.quantile(bootstrap_a,0.975)
      print('bootstrap ci_q {}'.format(confidence_form.format(*bootstrap_ci_q)))
      print('bootstrap ci_a {}'.format(confidence_form.format(*bootstrap_ci_a)))
      # so the bootstrap confidence interval is a little larger than the bayesian one
```

limits 0.6176920978012199 0.9332896187767556

```
bootstrap (mean,std) 0.7560815953614638 0.04478846999834357 (skew, kurtosis) 0.2645106920341546 0.058221728741841616 bootstrap ci_q [0.6746,0.8485] bootstrap ci_a [0.1041,0.1553]
```

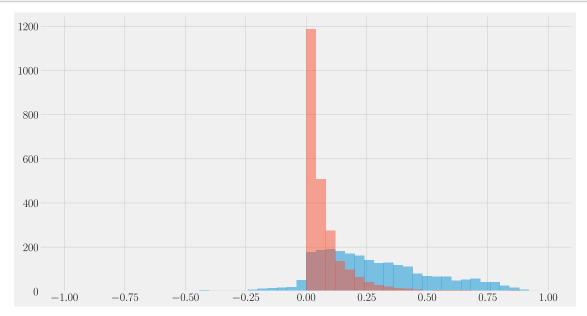
```
[36]: ax = plt.gca()
ax.hist(bootstrap_q, bins=100)
ax.set_xlim(-1,1)
plt.show()
```



```
[37]: # fisher information // observed information
      u = simple analyser.data
      def fisher_information(u_t, u_p, qhat, ahat):
         n = u_t.shape[0]
          qq = np.sum((u_p*u_p).sum(1))/ahat**2
          _num = u_t - qhat*u_p
          aa = 3*np.sum(_num*_num)/ahat**4 - 2*(n-1)/ahat**2
          return qq, aa
      observed_qq, observed_aa = fisher_information(u[1:],u[:-1],qhat,ahat)
      print('observed information', observed_qq, observed_aa)
      err = 1.96/np.sqrt(observed_qq)
      fisher_ci_q = (qhat-err, qhat+err)
      err = 1.96/np.sqrt(observed_aa)
      fisher_ci_a = (ahat-err, ahat+err)
      print('fisher interval q {}'.format(confidence_form.format(*fisher_ci_q)))
      print('fisher interval a {}'.format(confidence_form.format(*fisher_ci_a)))
```

```
observed information 1270.5057674958 67790.46680883766 fisher interval q [0.6972,0.8072] fisher interval a [0.1186,0.1336]
```

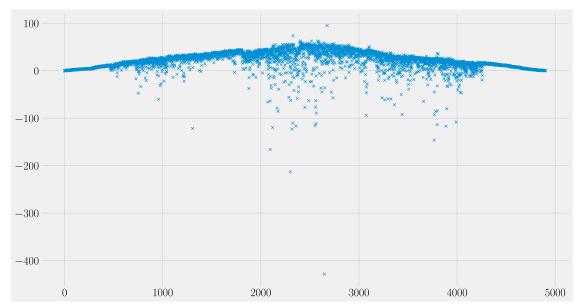
```
[38]: # sample some crawling trajectories and use them to compute estimators with
      →higher confidencec
      N = 1000
      rg = np.random.default_rng(0)
      # crawling_sample = rg.choice(clean_subset['crawling'], N, replace=False)
      crawling_sample = clean_subset['crawling']
      qdist = []
      adist = []
      for idx in crawling sample:
          u = all_ltrs[idx].get_step_velocity()
          q estimate, a estimate = mle(u[1:],u[:-1])
          qdist.append(q_estimate)
          adist.append(a_estimate)
      qdist, adist = np.array(qdist), np.array(adist)
      hstyle = {'alpha':0.5}
      ax = plt.gca()
      ax.hist(qdist, bins=50, range=(-1,1), **hstyle)
      ax.hist(adist, bins=50, range=(-1,1), **hstyle)
      plt.show()
```



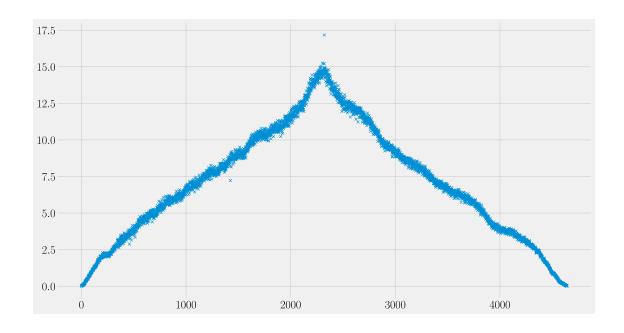
interestingly it would appear that the long distance (q,a) behaviour varies greatly within the crawling set. it would be useful to plot some examples to see the difference by eye

```
[39]: # try removing short trajectories (i.e less than 10 data points)
      # I don't actually think this will change much but its worth checking
      data_threshold = 20
      above_threshold_idx = data_size[crawling_sample] >= data_threshold
      print('{} crawling, {} after threshold'.format(crawling sample.size,
          np.count_nonzero(above_threshold_idx)))
      # low_data_idx = np.argwhere(data_size < data_threshold).ravel()</pre>
     2451 crawling, 2121 after threshold
[40]: if detail: # and indeed it doesn't affect the distribution
          ax = plt.gca()
          ax.hist(qdist[above threshold idx], bins=50, range=(-1,1), **hstyle)
          ax.hist(adist[above_threshold_idx], bins=50, range=(-1,1), **hstyle)
          plt.show()
[41]: #__
      # boxplot and correlations
      # - at first we plot the boxplot of the per track correlations
      # now we would like to check the correlation of track (step) mean velocity
      # and parameter estimates
      step_crawling_speed = step_mean_speed[crawling_sample]
      def compute_track_corr(qdist, adist, step_crawling_speed):
          track_corr = {}
          track_corr['qa'] = np.corrcoef(qdist, adist)[0,1]
          track_corr['qu'] = np.corrcoef(step_crawling_speed, qdist)[0,1]
          track_corr['au'] = np.corrcoef(step_crawling_speed, adist)[0,1]
          return track corr
      track_corr = compute_track_corr(qdist, adist, step_crawling_speed)
      print('data size', crawling_sample.size)
      print(json.dumps(track_corr, indent=1))
      # qa,qu are both small but au is large. extremely suspect
     data size 2451
      "qa": -0.020986756011761337,
      "qu": 0.03876433672765383,
      "au": 0.45456834026349746
[42]: # plot the correlation function
      corr = np.correlate(qdist,adist,mode='full')
      markerkw = {'linestyle':'none','marker':'x'}
```

```
plt.plot(corr, **markerkw)
plt.show()
# we see it is mostly positive but with large negative outliers
# could these outliers just be the low data tracks?
```

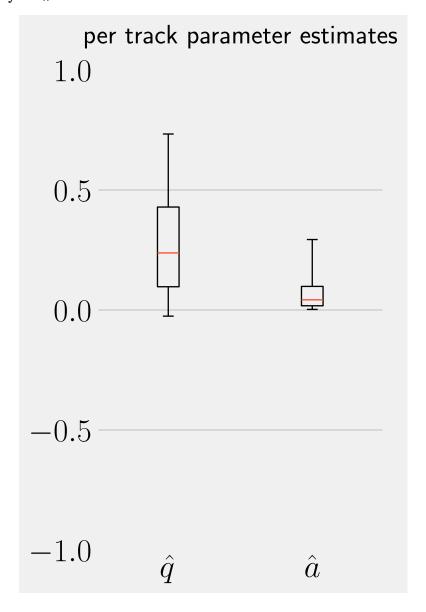


using data threshold 10 steps data size after threshold 2322, (129 removed)



```
[44]: cleaned track corr = compute track corr(qdist[above threshold idx],
          adist[above_threshold_idx], step_crawling_speed[above_threshold_idx])
      print(json.dumps(cleaned_track_corr, indent=1))
      # q,a parameters for the tracks and anti-correlated and
      # a,u are positively correlated, just like the mean correlations for each track
      # but now we see that for long distance behvaiour and without the non-motile
      # outliers, persistance is correlated with velocity
     {
      "qa": -0.22053290875249318,
      "qu": 0.22856908297429232,
      "au": 0.4437914141628387
     }
[45]: # long distance (step) q, a boxplot
      fig = plt.figure(figsize=(3,5))
      ax = fig.add_axes([0,0,1,1])
      kw = {'whis':(5,95), 'showfliers':False}
      ax.boxplot([qdist, adist], **kw)
      ax.set_xticklabels([r'$\hat{q}$', r'$\hat{a}$'])
      ax.set vlim((-1,1))
      ax.set_title('per track parameter estimates', pad=20)
      ax.grid(axis='x')
      # for d in ['top', 'bottom', 'right', 'left']:
            ax.spines[d].set_visible(False)
      fig.tight_layout()
      plt.show()
```

<ipython-input-45-6be20410dd34>:12: UserWarning: This figure includes Axes that
are not compatible with tight_layout, so results might be incorrect.
 fig.tight_layout()



```
[46]: # combine samples and use estimator method
# this gives us (q,a) estimates if we consider all fanjin trajectories as
# samples of the same motion.
# since the q estimates for the data set are quite spread it makes more sense
# to compare the weighted mean (?), using the q estimate for each sample
# as an independent trajectory.
```

```
sample_up = []
      sample_ut = []
      for idx in crawling_sample:
          u = all_ltrs[idx].get_step_velocity()
          u_t = u[1:]
          u_p = u[:-1]
          sample_ut.append(u_t)
          sample_up.append(u_p)
      totalut = np.concatenate(sample_ut)
      totalup = np.concatenate(sample up)
      print('total data length', totalup.shape[0])
      sample = np.array(range(totalut.shape[0]))
      sample_qhat, sample_ahat = mle(totalut, totalup, sample=sample)
     total data length 234160
[47]: print(sample_qhat, sample_ahat)
      info_qq, info_aa = fisher_information(totalut, totalup, sample_qhat,_u
      →sample_ahat)
      err = 1.96/np.sqrt(info_qq)
      print('q = {} +/- {}'.format(sample_qhat, err))
      err = 1.96/np.sqrt(info_aa)
      print('a = {} +/- {}'.format(sample_ahat, err))
     0.2143494599134273 0.1875852523725484
     q = 0.2143494599134273 +/- 0.0026385071759705693
     a = 0.1875852523725484 +/- 0.00037989882403605054
[48]: # It makes more sense to compute central tendency of the independent
      \hookrightarrow trajectories
      step_track_size = data_size[crawling_sample]
      # weighted mean
      swmean = {}
      swmean['q'] = np.sum(step_track_size*qdist)/np.sum(step_track_size)
      swmean['a'] = np.sum(step_track_size*adist)/np.sum(step_track_size)
      swmean['u'] = np.sum(step_track_size*step_crawling_speed)/np.
      →sum(step_track_size)
      # I guess mean/median is a more appropriate measure actually
      # we want to know if we pick a track from the set randomly, what
      # central value are our parameters centered around.
      smedian = {}
      smedian['q'] = np.median(qdist)
      smedian['a'] = np.median(adist)
      smedian['u'] = np.median(step_crawling_speed)
```

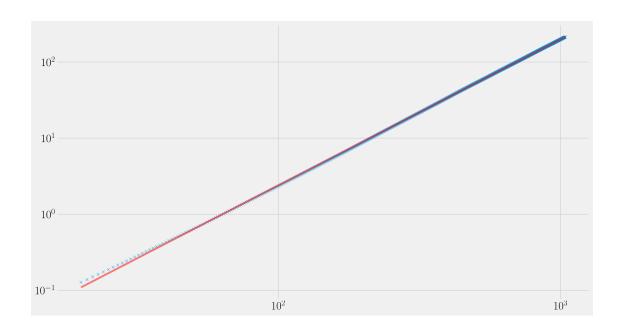
```
print('median values for crawling set')
print(json.dumps(smedian, indent=1))

median values for crawling set
{
   "q": 0.2380300568712687,
   "a": 0.0425800188374819,
```

Where we see that our crawling test trajectory really is an outlier since it has $q\sim 0.7$ rather than the central value $q\sim 0.3$

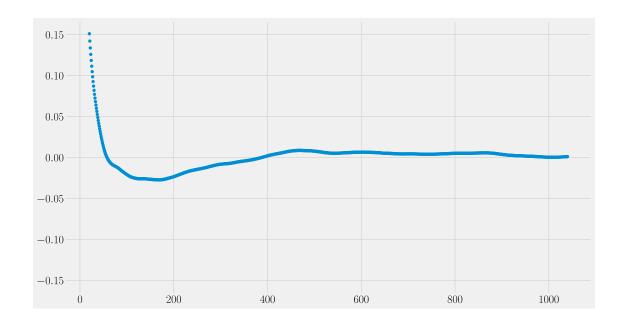
"u": 0.01602813792451482

```
[49]: # lets compare to kMSD
      import astrack
      # first for our candidate track
      p, cov, scaling, msd_n = astrack.kmsd_one(fctrack)
      one_kmsd, intercept = p
      plt.loglog(scaling, msd_n, marker='x', linestyle='none', alpha=0.5)
      def make_reverse(kmsd, intercept):
         def reverse(x):
              return np.exp(kmsd*np.log(x) + intercept)
          return reverse
      reverse = make_reverse(one_kmsd, intercept)
      fit = np.array([reverse(x) for x in scaling])
      overlay = {'alpha':0.5, 'linewidth':4, 'color':'r'}
      plt.loglog(scaling, fit, **overlay)
      plt.show()
      # we can request np.polyfit to return the covariance matrix
      print(cov)
      print('estimated standard deviation of parameters (kmsd, _)')
      pstd = np.sqrt(np.diag(cov))
      print(pstd)
      # where the diagonal elements are the variances of the parameters
      #
```



```
[[ 4.25402108e-07 -2.56237383e-06]
 [-2.56237383e-06   1.57286780e-05]]
 estimated standard deviation of parameters (kmsd, _)
 [0.00065223 0.00396594]
```

```
[50]: # so we anticipate the residuals will be gaussian distributed?
# residual = msd_n - fit
yt = one_kmsd*np.log(scaling) + intercept
residual = np.log(msd_n) - yt
max_res = np.abs(residual).max() * 1.1
rss = np.sum(residual**2)
ax = plt.gca()
ax.plot(scaling, residual, linestyle='none', marker='o')
ax.set_ylim((-max_res,max_res))
plt.show()
```



```
[51]: # As expected the linearity assumption is violated and the residuals are
    # not gaussian distributed. Rather than attempt to construct a
    # confidence interval we will note the estimated std of the slope parameter
    print('std(kMSD) = {:.6f}'.format(pstd[0]))
    # and the sum of square residuals
    print('RSS = ', rss)
    # small numbers indicate a good quality of fit, which means the linear
    # model is a good approximation
```

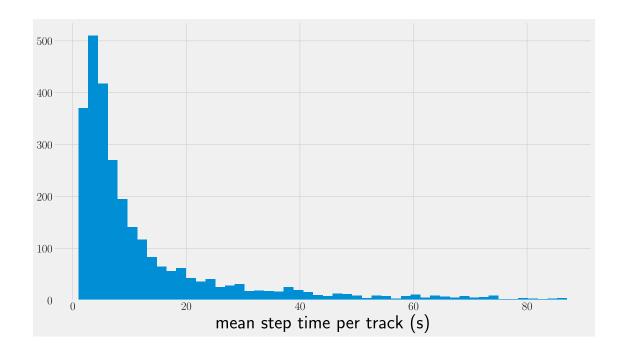
std(kMSD) = 0.000652 RSS = 0.30632952469936586

```
t_tsize = twutils.trim(tsize[valid])
ax = plt.gca()
ax.hist(t_tsize,bins=50)
ax.set_xlabel('mean step time per track (s)')
plt.show()
median_tsize = np.median(tsize[valid])
print('median average step time of our crawling population {:.5f}s'.format(
    median tsize))
median_sis = int(median_tsize/matdef.TIMESTEP)
short time threshold = median sis
print('which is {} timesteps at {} second resolution'.

→format(short_time_threshold,
    matdef.TIMESTEP))
# i'm going to take this timescale as proxy for the short time (noisy) behaviour
# of the trajectory and demand that tracks be longer than this to calculate u
 \rightarrow kMSD
track_duration = np.array([tr['time'].size for tr in all_trs])
print('min track duration', track_duration.min())
short_time_outlier = track_duration<short_time_threshold</pre>
# so the min track size seems to be long enough to estimate kMSD
no. steps quartiles [9, 36, 76, 145, 336]
mean step time quartiles [1.01541140806731, 3.5510691008246873,
6.7399999999999, 16.610871848739496, 87.31435064935056]
/home/dan/.local/lib/python3.8/site-packages/numpy/core/fromnumeric.py:3419:
RuntimeWarning: Mean of empty slice.
  return _methods._mean(a, axis=axis, dtype=dtype,
/home/dan/.local/lib/python3.8/site-packages/numpy/core/_methods.py:188:
```

RuntimeWarning: invalid value encountered in double_scalars

ret = ret.dtype.type(ret / rcount)



median average step time of our crawling population 6.74000s which is 67 timesteps at 0.1 second resolution min track duration 667

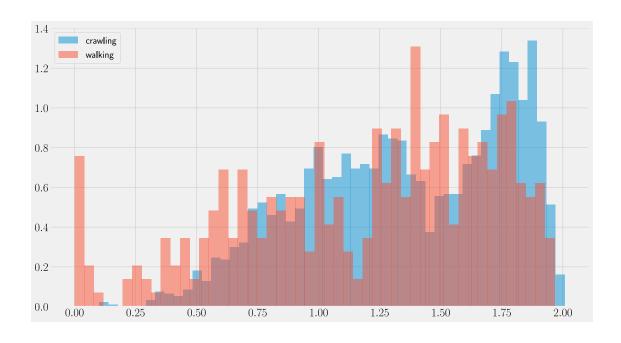
```
[53]: # kmsd analysis file IO
      import pickle
      kmsd_target_dir = os.path.join(pili.root, '../fanjin/working_copy/analysis')
      form = 'kmsd.pkl'
      def naming():
          return os.path.normpath(os.path.join(kmsd_target_dir, form))
      def save_kmsd(kmsdd):
          target = naming()
          print('saving to ', target)
          with open(target, 'wb') as fp:
              pickle.dump(kmsdd, fp)
      def load kmsd():
          target = naming()
          print('loading from ', target)
          with open(target, 'rb') as fp:
              kmsdd = pickle.load(fp)
          return kmsdd
```

```
[54]: # kmsd calculation is way too slow
      # we need to pickle this and load it here
      N = len(all_trs)
      debug_sample = np.array(range(10))
      sample = debug_sample
      sample = np.arange(N)
      # could use structured array
      if expensive:
          kmsdd = \{\}
          kmsdd['estimate'] = np.empty(N)
          kmsdd['std'] = np.empty(N)
          for i, tr in tqdm(enumerate(all_trs[sample])):
              result = astrack.kmsd_one(tr)
              if result is None:
                  for k in kmsdd.keys():
                      kmsdd[k][i] = np.nan
                  continue
              p, cov, _, _ = result
              kmsd, _ = p
              stdkmsd, _stdinter = np.sqrt(np.diag(cov))
              kmsdd['estimate'][i] = kmsd
              kmsdd['std'][i] = stdkmsd
          print()
          save_kmsd(kmsdd)
```

```
[55]: loaded = load_kmsd()
```

loading from /home/dan/usb_twitching/fanjin/working_copy/analysis/kmsd.pkl

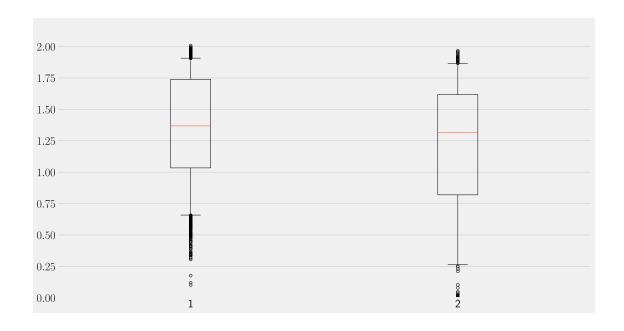
```
[56]: kmsd = loaded['estimate']
valid = ~np.isnan(kmsd)
kmsd[~valid] = 0.0
ax = plt.gca()
hstyle = {'alpha':0.5, 'density':True}
ax.hist(kmsd[crawling_sample], bins=50, label='crawling', **hstyle)
ax.hist(kmsd[clean_subset['walking']], bins=50, label='walking', **hstyle)
ax.legend()
plt.show()
```



```
[57]: ax = plt.gca()
    print(np.nanmax(kmsd))
    kw = {'whis':(5,95), 'showfliers':True}
    ax.boxplot([kmsd[crawling_sample], kmsd[clean_subset['walking']]], **kw)
    print(np.mean(kmsd[crawling_sample]), np.mean(kmsd[clean_subset['walking']]))
    ax.set_ylim((0,1.1*2))
    ax.grid(axis='x')
    # for d in ['top', 'bottom', 'right', 'left']:
    # ax.spines[d].set_visible(False)
    plt.show()
    ax.clear()
```

2.0082908635784795

1.3582103371289522 1.1958111545721841



```
[58]: # simulated data
      import rtw
      import stats
      target = "../../run/two_parameter_model/two_parameters/"
      dc = rtw.DataCube(target)
      qcube = dc.get_local_array( rtw._make_get("q.estimate") )
      acube = dc.get_local_array( rtw._make_get("a.estimate") )
     WARNING: parameters.thisread() did not find ./config.txt. Continuing with
     defaults.
     WARNING: parameters.thisread() did not find ./config.txt. Continuing with
     WARNING: did not find local config.txt, default params loaded
[59]: plt.style.use(plotutils.get_style('image'))
      ax = plt.gca()
      rtw._data_image(ax, dc, qcube, c_label='q parameter',
          annotate = True, annotate_form='{:3.2f}', space='index',
          use_lognorm=False, C_an=None
      plt.show()
```

